THE TWO-PART FRAMEWORK IN SELECTED CHORAL WORKS AS A HARMONIC AND STYLISTIC DETERMINANT

THESIS

с **с**.

Presented to the Graduate Council of the North Texas State University in Partial Fulfillment of the Requirements

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Ву

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The problem with which this investigation is concerned is the determination of compositional styles in terms of manners of employing monadic and dyadic intervals in the music of the common practice period. An aspect for determining style is proposed by way of comparing the frequency of occurrence of dyads and monads in selected musical examples from the baroque, classical, and romantic periods.

Chapter I is a discussion of the problem and methodology of the study. Chapters II, III, and IV present analytic comparison of examples in the baroque, classical, and romantic periods respectively. Chapter V presents a summary of the findings with references to the pedagogical applications of the two-part framework principle.

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CHAPTER I

INTRODUCTION

Common Practice Period: General Stylistic Description The study of harmony and style¹ in tonal music has, for the most part, been limited to music of what is often referred to as the common practice period. Historically, this period lasted from approximately 1600 A. D. to 1900 A. D. and is subdivided into three style periods: Baroque, Classical, and Romantic. The one overriding common denominator during these periods, in terms of harmonic vocabulary, is the manner in which chords are constructed or conceived, known as the tertian principle. However, the very fact that this common practice period is further divided into three parts implies that there are other various musical parametric considerations which contribute to stylistic differences.

¹The term "style" refers to the method in which form, melody, harmony, and rhythm in a musical composition or group of compositions are treated. In actual practice, the term is applied in a variety of ways. It may be applied to single works (the style of Beethoven's fifth symphony); to types of composition (symphonic style, concerto style, etc.); to a specific media (instrumental style, vocal style, etc.); to methods of composition (contrapuntal style, homophonic style, etc.); or to historical periods (Baroque style, Classical style, etc.) or in a combination form such as Beethoven's symphonic style or Mozart's concerto style. This study will refer mainly to historical style; when another connotation of the term is implied, it will be specifically stated.

The stylistic difference is the resulting effect of employing in diverse manners the various musical elements or parameters such as melody, harmony, rhythm, and form. These parameters of music have been enumerated and classified in various texts on musical style and, in most of these texts, the parameter of form is regarded as the most important determining factor. That is, the parameters of melody, harmony, and rhythm are generally considered in the context of a musical form, and not as separate parameters, independent of form, in the determination of a musical style. This approach to style is not always illuminating: for one particular parameter alone, such as harmony or harmonic vocabulary, and the idiomatic manner of its employment, can often be taken as a determining factor in illustrating a particular stylistic trait.

Current and Prevailing Harmonic Systems: A Critique

Ever since Jean-Phillipe Rameau, in his <u>Treatise on</u> <u>Harmony</u> (1722), formulated the theory of the invertibility of triads (chords), there have been many texts and treatises which deal specifically with harmonic vocabularies of the common practice period. These works, however, are often mere enumerations and classifications of chords and chord types and none, to the best of this writer's knowledge, approach these chordal vocabularies from a stylistic point of view. Chords and chord types are merely explained in terms of functional harmonic behavior and, although excerpted

from actual compositions, the musical examples used are not discussed from a historical-stylistic perspective. That is, although various chord types (triads, sevenths, etc.) are employed in compositions of all three style periods, in actual practice the manner in which they are employed exhibits certain distinguishable stylistic and compositional practices.

Proposal of An Additional System in Stylistic Analysis

The structural fabric of music, as with any other art form, is the synthesis of various elements that contribute to its distinct shape, (vertical and horizontal), texture, and overall style. One of these basic elements is the harmonic vocabularies found in music and, in the common practice period, these harmonic vocabularies are founded upon the tertian principle. However, there is another, if not more fundamental and perhaps often overlooked element, that can be employed in determining the distinct characteristics of a particular historical style. This element is That is, the manner in which the two outer anphony . linear parts (i.e., soprano and bass) proceed in music is believed to exhibit certain features which also contribute to stylistic characteristics. Specifically, the basic two part progression in music conveys or reflects the acceptable practice in terms of intervallic progression of a given This anphonic (as opposed to homophonic, historical era.

monophonic, or polyphonic) approach to music will be referred to in this study as the two-part framework.²

Aspects of Analysis

Through a careful analytic and comparative study of the works in the common practice period with respect to their two-part framework, it is believed that conclusions may be drawn which will aid in a clearer definition and description of various stylistic characteristics. The methodology of this study is to reduce the selected works of several composers to a two-part framework (soprano and bass) in order to show the melodic (within one line) and dyadic (between two outer parts) intervallic successions. Through a study of interval sizes and their frequencies of occurrence in soprano, bass, and dyad parts, the manner in which the types of intervals in the individual lines as well as between the lines are used can be more precisely examined. The frequency of occurrence of each interval will be represented by its percentage of the total intervallic content. This study, in essence, proposes that a comparison of these percentages within each period will show the significance of interval makeup as a determining factor of a compositional style.

²The term "two-part framework" is borrowed from Paul Hindemith's <u>Craft of Musical Composition Volume I</u>, pg. 144. In this volume, Hindemith refers to the two-part framework as a "skeleton" that has significant importance in the harmony of any musical composition. There is, however, no reference to stylistic importance, and the harmonic importance that he describes is somewhat vague, and lacks any supportive evidence for his claims.

The following musical example and its accompanying analysis will illustrate the procedure in which the monadic intervals in each line, and dyadic intervals between soprano and bass lines are measured.



Figure 1: Example of Interval Analysis

As this example illustrates, there are five soprano monads, five bass monads, and nine dyads. In the soprano line there are three major seconds and two minor seconds which can be represented by the percentages of 60% for major seconds and 40% for minor seconds. The bass line contains three major seconds, one minor second, and one perfect fifth, which can be represented by the percentages: 60% for major second, 20% for minor second, and 20% for perfect fifth. The dyads and their percentages are as follows: one minor second (11.1%), one minor third (11.1%), one major third (11.1%), one perfect fifth (11.1%), one minor sixth (11.1%), one minor seventh (11.1%), one major seventh (11.1%), and two perfect octaves (22.3%).

Melody and bass lines can also be used as a determinant of harmony and, as such, can be utilized in a manner that will further aid in stylistic comparison. In addition, dyadic content will also be compared with the concurrent harmonic (chordal) successions, which will in turn indicate the importance of interval makeup and its mutual relationship with harmonic idioms of each style period.

Material Used for Analysis

For this study, selected works of three representative composers from each of the three style periods, baroque, classical, and romantic, are analyzed. The composers are Jean-Philippe Rameau, Antonio Vivaldi, Johann Sebastian Bach; Franz Joseph Haydn, Wolfgang Amadeus Mozart, and Ludwig van Beethoven, Hector Berlioz, Anton Bruckner; and Johannes Brahms. A total of thirty complete works from the literature of these composers is examined. In addition, portions from another twenty works were examined to substantiate the validity and reliability of the findings.

For the purpose of expediting the reductive process, choral music was selected for the following reasons: 1) a comparatively clearer and more consistent harmonic content, smaller tonal range, and 2) generally simpler rhythmic pattern. The majority of these choral works are from the sacred literature because they tend to exhibit a consistent, if somewhat conservative style. Also, all aforementioned composers wrote some sacred choral music. It should be mentioned, however, that the conclusions drawn from this study will be applied to a few selected instrumental works in order to further demonstrate the validity and reliability of the findings.

Computer Assistance

As an aid in the compiling and analysis of data, a computer is used to store the information gathered from a preliminary study. Furthermore, the computer calculates the percentages of interval information with regard to each work, each composer, and composers of the same historical period. The information is then stored on magnetic disc for future reference. The computer used is the National Systems model 5000 with an IBM cobol compiler. The computer language utilized in the writing of the program is cobol (see Appendix A for listing of computer cards used) and the program is also stored on magnetic disc (see Appendix B for computer printout of the program).

The interval classes that are used for the data set consisted of the following: perfect unison, minor second, major second, minor third, major third, perfect fourth, augmented fourth, diminished fifth, perfect fifth, augmented fifth, minor sixth, major sixth, minor seventh, major seventh, and perfect octave. To facilitate more efficient computer programming, the following abbreviations are used for the above data set: UN, N2, M2, N3, M3, P4, A4, D5, P5, A5, N6, N7, M7, and P8.

Because of certain computer limitations, the following intervals classes have been left out of the data set: augmented second, augmented sixth, and diminished seventh. Although these intervals have their enharmonic equivalents

in the above data set, they are none the less important in that they require specific manner of resolution. In order to resolve the problem of excluding those intervals, an "error clause" has been included in the computer program. This clause compiles any errors (intervals not included in the data set) and subtracts them from the total number of intervals and adjusts the percentages of the data set. The data set percentages do not total 100% when any "errors" are included and thus the difference (remaining percentage up to 100%) is the total percentage of errors that is programmed into the computer. It should be noted, however, that the incidence of these intervals in the "error clause" is minute and therefore is regarded as of minimal significance in this study. These intervals, however, will be dealt with spearately.

Pedagogical Applications

From a pedagogical standpoint, the understanding of the two-part framework is beneficial not only in analytical study but also in other aspects of theoretical instruction such as harmonization and aural skills, particularly eartraining. Also, stylistic differences illustrated by reducing the harmonic music to soprano, bass, and chord symbols will manifest features of musical style which harmonic analysis alone does not reveal, as will be illustrated in the conclusion of this study. On the other hand,

the realization of figured bass can also be better understood when using the two-part framework as a model. An application of the principle of the two-part framework in the instruction of the basic two-year theory course and other theoretical courses, such as form and style analysis and counterpoint, will, probably, have an added dimension in the understanding of the compositional process, characteristic of each historical era.

CHAPTER II

MUSIC OF THE BAROQUE PERIOD

Works of three composers are selected to represent Baroque music: Jean-Philippe Rameau (1683-1764), Antonio Vivaldi (ca. 1678-1741), and Johann Sebastian Bach (1685-1750). An effort was made to find musical examples that represented a chronological crossection (early, middle, and late) of each composer's work. In this manner, it is believed, a more accurate representation of stylistic features pertaining to intervallic relationships can be examined for analytical comparison.

Music of Jean-Philippe Rameau

The music of Jean-Philippe Rameau contains certain intervallic features that, when compared to that of other Baroque composers, are comparable in some aspects while, in other aspects, distinguish the style of Rameau from other Baroque composers. Before these comparisons can be made, however, it is necessary to thoroughly examine Rameau's examples.

Melodically, Rameau used the intervals of perfect unison, minor second, and major second in great majority (approximately three-fourths). Also, if the intervals of

minor third, major third, and perfect fourth are included in the calculation, these six intervals then comprise nearly all of the intervals employed. (See the following table for individual percentages.)

TABLE I

SOPRANO INTERVALS IN J. P. RAMEAU'S MUSIC

Intervals

Percentages

Group Percentages

Perfect Unison .	•	•	•	٠			•	28.60	
Minor Second			٠	٠	٠		•	18.87 79.2	
Major Second	•			•	•		•	31.73 96.61	
Minor Third			•	•	•	•	•	7.93	
Major Third		•	•	٠		•	•	5.04	
Perfect Fourth .		•	•	•	٠	•	•	4.44	
Augmented Fourth			•	٠	•		•	0.00	
Diminished Fifth	•	•			•	•	•	0.60	
Perfect Fifth .			•		•	•		1.44	
Augmented Fifth	•	•			•	•	•	0.00	
Minor Sixth	•	٠	•		•	•	•	0.60	
Major Sixth		•		•	•	•	*	0.12	
Minor Seventh .		٠	٠	•	•			0.12	
Major Seventh .	٠	• ·	•	6	•		٠	0.00	
Perfect Octave .	•	•	٠				•	0.24	

The monadic content of Rameau's bass lines bears essential similarities with that of his soprano lines and the percentage use of the six aforementioned intervals is 91.37%, only slightly lower than that of the soprano line. (See Table II). The difference that accounts for this lower percentage in the bass lines is due to the increased employment of the perfect fifth and perfect octave intervals at certain points, particularly cadence. It may be said, therefore, that Rameau's bass and soprano lines are very similar in regards to intervallic motions, with the only exception that the bass lines use the perfect fifth and perfect octave at cadence points.

TABLE II

BASS INTERVALS OF J. P. RAMEAU'S MUSIC

Intervals

Percentages

Group Percentages

Perfect Unison .				٠	•	•	•	23.02
Minor Second		٠	•	•		•	•	16.08 68.64
Major Second	٠	٠	٠	٠	•	•	•	29.54 91.37
Minor Third		•	٠	٠			•	9.43
Major Third		٠	•	٠	٠	٠	•	5.68
Perfect Fourth .		٠	•	٠	•			7.62
Augmented Fourth	•	٠		•		٠	a	0.27
Diminished Fifth	٠		•	٠	•	•	٠	0.55
Perfect Fifth .	٠	6	•		•.			3.46
Augmented Fifth	4	e .		٠	٠		٠	0.00
Minor Sixth •••	*	•	٠	۹.	٠		•	0.83
Major Sixth ••		a,			e		e	0.13
Minor Seventh .	٠	•	٠	٠	٠	6	٠	0.00
Major Seventh •	٠	*	٠	٠	٠	٠	٠	0.00
Perfect Octave •	*	٠	٠	۵.	۰	•	٠	3.32

The intervals most often found between the soprano and bass lines (dyads) of Rameau are the minor third, major third, perfect fifth, and perfect octave. These intervals, when totalled, constitute a majority of intervals used (66.47%). The next most often found intervals in the dyadic writing of Rameau's examples is the minor and major sixths which, together, occupy nearly one-fifth of the intervals used (16.2%). These above intervals, when totaled together, account for more than four-fifths (82.67%) of the entire dyadic content. (See Table III). The remainder of the intervals found are divided among the rest of the intervals; the only intervals not found are the augmented second, augmented sixth, and diminished seventh. (See Appendix C for complete computer printout of the intervals used in Rameau's examples).

TABLE III

DYAD INTERVALS IN J. P. RAMEAU'S MUSIC

Intervals

Percentages

Group_. Percentages

Perfect Unison .	•				•	•		0.00
Minor Second		•	•		•	•	•	0.81
Major Second	•		•					4.45
Minor Third		•				•	•	17.70
Major Third			•		•	٠		14.86
Perfect Fourth .						•		5.13
Augmented Fourth	•	•	•		•	•	•	1.75
Diminished Fifth	•	•	•		ű			0.67
Perfect Fifth .		٠	•		•	•		16.62 82.67
Augmented Fifth		•	•	*	•			0.27
Minor Sixth		•			•			6.75 16.15
Major Sixth	•						٠	9.45
Minor Seventh .					•	•		3.10
Major Seventh .							•	1.08
Perfect Octave .					•		ę .	17.29

Music of Antonio Vivaldi

Examples of Antonio Vivaldi reveal certain differences in interval usage from that of Rameau and Bach and other Baroque composers. These differences will be discussed later, following analytical examination of the music of Vivaldi and Bach.

In melodic (soprand) writing, Vivaldi used the perfect unison, minor second, and major second intervals; these comprise a little more than three-quarters of the intervals found (77.2%). When the intervals of minor third, major third, and perfect fourth are taken into account with the above intervals, the great majority of the monadic content of Vivaldi's soprano lines contains these six intervals. (See following table).

TABLE IV

SOPRANO INTERVALS IN ANTONIO VIVALDI'S MUSIC

Intervals

Percentages

Group Percentages

Perfect Unison .						•		26.60
Minor Second	•			•	•	•		27.20 77.2
Major Second			•		•			23.40 02 6
Minor Third	•	•	•	•	-	•	•	6.40
Major Third	•				•	•		4.60
Perfect Fourth .	•				•			4.40
Augmented Fourth	•		•				٠	0.20
Diminished Fifth						•		0.80
Perfect Fifth .						•		2.60
Augmented Fifth	•		•	٠	•	•		0.00
Minor Sixth			•			•	•	1.20
Major Sixth					•	•		1.80
Minor Seventh			•	•		•		0.20
Major Seventh .		•			•		٠	0.00
Perfect Octave .		٠			٠		•	0.20

Antonio Vivaldi's bass lines employs less frequent use of perfect unisons, minor and major seconds, when compared to his soprano lines; when totaled, these intervals are used more than half of the monadic content (i.e., 63.7% as compared to 77.2%). If, however, the intervals of the minor and major thirds, and perfect fourth are included with these other intervals, the total accounts for slightly more than four-fifths (82.7%) of the intervals found in Vivaldi's bass lines. Although these intervals constitute a lesser frequency of occurrence than that of the soprano lines, the difference is due primarily to the increased use of the perfect fifth and perfect octave (13.18% for both), especially at cadences. These eight intervals constitute the percentage occurrence for nearly all (95.8%) of the monadic motion in Vivaldi's bass lines of these examples. Noteworthy is the small percentage of minor and major sixth intervals (see the following table for individual percentage).

TABLE V

BASS INTERVALS OF ANTONIO VIVALDI'S MUSIC

Intervals								Ре	rcentages	Group Percentages
Perfect Unison.				•					24.74	
Minor Second	•			-		•		•	22.47 63.50	
Major Second .	•	•	٠	•			•	•	16.49 ———	82.46
Minor Third .			•						5.36	
Major Third .		•	•	٠	•		•	•	2.68	
Perfect Fourth	•		•	•	•	•	•	•	10.92	
Augmented Fourth	L	•	•	٠	•		•	•	1.64	
Diminished Fifth	L		•	•	•	•		•	0.20	
Perfect Fifth .	•	•	•	•			•		8.24	
Augmented Fifth			•			٠	•	•	0.00	
Minor Sixth	•		•		•	٠	•	-	0.20	
Major Sixth			•			•		•	1.44	
Minor Seventh .	•	•		•			•	•	0.00	
Major Seventh .			•		•		•	•	0.00	
Perfect Octave.	•	•	•	•	•	•	•	•	4.94	

The interval usage in the dyadic writing of Vivaldi is different from that of his soprano and bass lines. The intervals that are most frequently employed are the minor third, major third, perfect fifth and perfect octave. When

the frequency of occurrence of these intervals is totaled together, it is found that they account for almost two-thirds (60.53%) of total dyadic intervals found. The remaining one-third of the intervals consists of other intervals, largely that of minor and major sixths, and an unusually high incidence of the diminished fifth and minor seventh. The significance of this high number of diminished fifth and minor sevenths lies in the increased usage of dominant harmonies (dominant triads, dominant seventh chords, diminished triads, half diminished seventh chords, and full diminished seventh chords). The following table illustrates the individual percentages of each dyadic interval in Vivaldi's examples.

TABLE VI

DYAD INTERVALS IN VIVALDI'S MUSIC

Intervals

Percentages

Group Percentages

Perfect Unison 0.00		
Minor Second 1.38		
Major Second 1.73		
Minor Third 10.20		
Major Third		
Perfect Fourth 4.49	1	
Augmented Fourth 2.07		
Diminished Fifth 4.15		
Perfect Fifth	76.78	
Augmented Fifth 0.17	1	
Minor Sixth 8.47 _ 16.25		
Major Sixth 7.78		
Minor Seventh 6.57		
Major Seventh 0.51		
Perfect Unison $\dots \dots \dots$		

Music of Johann Sebastian Bach

The monadic content in Bach's soprano lines is similar to that of the other Baroque composers in many respects; there are, however, certain differences that will be discussed later in fuller detail.

Bach's use of the three primary intervals (perfect unison, minor second, and major second) occupies slightly more than three-fourths of all intervals used (77.55%). A noteworthy factor in Bach's melodic writing is the high incidence of the major second (42.21%), which is somewhat distinctive from works by other Baroque composers examined in this study. The percentage occurrence of minor and major thirds and perfect fourths, holds no particular significance when examined individually; if, however, the total percentage of these intervals is added to the percentage of the three primary intervals, it is found that the great majority of intervallic movement in Bach's soprano lines is these six intervals (i.e., 77.5% + 16.05% = 93.6%). See Table VII for an illustration of the individual and total percentages of interval movement in Bach's soprano lines.

The monadic content of Bach's bass lines bears essential similarities with that of his soprano lines, with the exception that the perfect fifth and octave are used predominantly at cadence points. The percentage occurrence of the six aforementioned intervals (i.e., unison, minor and major seconds, minor and major thirds, and perfect fourth), when

TABLE VII

SOPRANO INTERVALS IN BACH'S MUSIC

						I	?eı	rcentages	Group Percentages
								11 89	
•	•	•	•	•	•	•	•	22 /5 .77 55	20 10
•	•	•	•	٠	•	•	•	23.45 //.55	
•	•	٠	•	•	•	٠	•	42.21	1
٠	•	•	•	•	•	•		4.69	93.67
						•	•	4.46	
			•	•		•	•	6.97	
	•	•		•			٠	0.11	
		•						0.22	
•								3.31	
								0.00	
								0.11	
		•		•				0.68	
			_				-	0.11	
•	-	-		•	•	*	•	0 45	
•	•	•	•	•	•	•	•	0.1	
•	•	•	٠	٠	•	•	•	0.91	
	· · · · · · · · · · · · · · · · · · ·	 . .<	 	· · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · ·	· · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · · ·	· ·		Per	Percentages

totaled together, is slightly less than that of his soprano lines (i.e., 86.38% vs. 93.6%); this is due, primarily, to the increase of perfect fifths and perfect octaves (10.86% for both) at cadence points. See Table VIII for an illustration of the individual and group percentages of interval movement in Bach's bass lines.

The dyadic writing of Bach reveals a high percentage of occurrence of the following intervals: minor third, major third, perfect fifth, and perfect octave (totalling 59.18%). However, when the intervals of the minor and major sixths (inversions of the major and minor thirds) are included (i.e., minor and major thirds, minor and major sixths, perfect fifths and octaves) it is found that they

TABLE VIII

BASS INTERVALS IN BACH'S MUSIC

Intervals

Percentages

Group Percentages

Perfect Unison .	٠	٠	•	•	•	٠	•	7.91
Minor Second			•		•		•	26.45 68.72
Major Second			•		•	•		34.36 86.38
Minor Third			•					3.95
Major Third		•						4.32
Perfect Fourth .							•	9.39
Augmented Fourth								0.12
Diminished Fifth				-				0.49
Perfect Fifth .	-	÷						6.42
Augmented Fifth				-	2			0.00
Minor Sixth				•	•			0.49
Major Sixth	•	•		•	•			0.49
Minor Correcth	•	•	•	•	•	•	•	0 61
MINOR Sevence .	4	•	۰.	•	٠	•	e	0.01
Major Seventh .	٠	٠	٠	٠	٠	٠	٠	0.37
Perfect Octave .	٠	٠	٠		٠	•	•	4.44

occupy slightly more than three-fourths (78.35%) of the total dyadic content in Bach's dyadic writing. The remaining fourth of the intervals used is comprised of the rest of the intervals, with perfect fourth, diminished fifth and minor seventh comprising the majority of occurrence (see Table IX).

Conclusions and Correlations

A careful comparison of the music of these Baroque composers in terms of intervallic usage will suggest certain phenomena in which differences can be regarded as a manifestation of stylistic differences of individual composers. It goes without saying that the similarities can be seen as a common factor within that historical period and thus can be used in the comparison with other historical periods (Classical and Romantic).

TABLE IX

DYAD INTERVALS IN BACH'S MUSIC



The soprano lines of Bach, Vivaldi, and Rameau reveal certain monadic trends that seem to indicate changes in the compositional style of composers within the Baroque period. There is a steady decline from Rameau to Bach in the percentage occurrence of perfect unisons and major and minor seconds and thirds, while there is an increase of perfect fourths and fifths. The intervals larger than a perfect fifth are used infrequently in Baroque soprano lines. The highest frequency of the perfect fifth is found in Bach's soprano lines (3.31%). While there is little difference in the total frequency of occurrence of the six aforementioned intervals among these three Baroque composers, there are certain differences in the percentage occurrence of individual intervals that note mention. While the percentage occurrence of perfect unison is basically the same in Rameau and Vivaldi's soprano lines (28.6% and 26.6% respectively), there is a marked difference in Bach's use of the same interval (11.89%). Vivaldi uses the minor second considerably more than Rameau or Bach, while the use of the major second in Bach's music is considerably more than that in Rameau and Vivaldi's soprano lines (see Table X).

TABLE X

SOPRANO INTERVALS OF RAMEAU, VIVALDI, AND BACH

		and a second dependence of the second sec	
Intervals	Rameau Percentages	Vivaldi Percentages	Bach Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Minor Seventh Major Seventh Perfect Octave	28.60 18.87 31.73 7.93 5.04 4.44 0.00 $.60$ 1.44 0.00 0.60 0.12 0.12 0.12 0.24	26.60 27.20 23.40 6.40 2.68 4.40 $.20$ $.80$ 2.60 0.00 1.20 1.80 0.20 0.20	11.89 23.45 42.21 4.69 4.46 6.97 .11 .22 3.31 0.00 0.11 0.68 0.11 0.91

As this table illustrates, there is a consistent decline in the frequency of occurrence of minor and major thirds from Rameau to Vivaldi to Bach. The perfect fourth, however, is used by Bach slightly more than Vivaldi or Rameau, while the perfect fifth shows a steady increase in use from Rameau to Vivaldi to Bach. The minor and major sixths are more common with Vivaldi than Rameau or Bach. The minor and major sevenths are seldom used by any of the composers; the major seventh, however, is used only by Bach and not by Rameau or Vivaldi. The occurrence of the perfect octave is more prevalent in Bach's soprano lines than Vivaldi or Rameau. Table X illustrates the percentage of occurrence of all intervals in the soprano lines of these composers.

While interval content (percentage of occurrence) is important in the determination of the style of composers, there are other factors that can also be used in aiding the stylistic differentiation. One of these factors is the direction of intervallic motion and, it is believed, an examination of the manners of intervallic motion may also reveal features between composers, and between historical periods. Since the major and minor seconds are, or can be regarded as the universal melodic interval, they may not be as revealing as others in differentiating stylistic characteristics. For this reason, only intervals larger than seconds will be used in the analysis of monadic interval motion.

The interval content of these Baroque composers with respect to their melodic (soprano) writing shows certain similarities as well as variations. With regard to monadic motion, the differences are not as apparent as the similari-In general, monadic motion (ascending or descending ties. intervals) among these composers is generally the same. Generally the majority of monadic third motions are descending (the ascending motion occupies approximately one-third of the minor third motions while ascending major thirds constitutes only one-fourth). However, the monadic perfect fourth generally moves upward (approximately three-fourths of the time). The motion of the augmented fourth (occurring twice only) is indeterminant, while the diminished fifth occurs only as a descending interval. The perfect fifth, as opposed to the perfect fourth, shows the tendency of downward movement and such movements are attributed to the frequent progression in the dominant-tonic relationship. The general tendency of the minor sixth is the upward motion, while that of the major sixth is divided equally between ascending and descending, although the upward movement is found to be predominant in the examples of Rameau. The only major seventh motions found in the Baroque examples studied are in Bach's and they are all of downward skips. The octave motions in Rameau's and Vivaldi's examples are all downward, while that of Bach is upward. The following table lists the percentage of intervallic motions in the soprano lines of these composers.

TABLE XI

	Ran Per	ieau cent	Viv Per	aldi cent	Ba Perc	ch cent
Intervals	Up	Down	Up	Down	Up	Down
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	$\begin{array}{c} 33.0\\ 26.2\\ 65.0\\ 00.0\\ 33.0\\ 00.0\\ 80.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0 \end{array}$	$\begin{array}{c} 67.0\\73.8\\35.0\\00.0\\100.0\\67.0\\00.0\\20.0\\100.0\\100.0\\100.0\\100.0\end{array}$	$31.2 \\ 17.4 \\ 82.0 \\ 00.0 \\ 100.0 \\ 46.1 \\ 00.0 \\ 84.0 \\ 80.0 \\ 00.0 \\$	68.8 82.6 18.0 100.0 00.0 53.9 00.0 16.0 11.0 100.0 00.0 100.0	$\begin{array}{r} 39.0\\ 23.0\\ 72.1\\ 100.0\\ 00.0\\ 15.4\\ 00.0\\ 00.0\\ 100.0\\ 60.0\\ 00.0\\ 52.8\end{array}$	$ \begin{array}{r} 61.0\\ 77.0\\ 27.9\\ 00.0\\ 100.0\\ 84.6\\ 00.0\\ 100.0\\ 40.0\\ 100.0\\ 40.0\\ 100.0\\ 47.2\\ \end{array} $

INTERVAL DIRECTION IN THE SOPRANO LINES OF RAMEAU, VIVALDI, AND BACH

The intervallic movement of bass lines in these Baroque examples shows general similarity with that of the soprano lines, with a few notable differences found mostly at the cadence points. Certain trends can be noticed when the intervals are compared, and these trends coincide in general with that of the soprano lines. Certain differences may be observed, however, by a comparison of individual interval classes.

Between the bass lines of Rameau and Vivaldi, the repeated note (perfect unison) occurs approximately in the same frequency (23% vs. 24.74%). However, it is substantially less in Bach's bass lines (7.91%). This may be regarded as reflecting essentially, the contrapuntal nature of Bach's linear writing. The use of minor second movement shows a steady increase from Rameau to Bach; the major second exhibited a marked decrease from Rameau to Vivaldi (29.5% to 16.5%) but a two-fold increase from Vivaldi to Bach (16.5% to 34.36). This, again, further underscores the contrapuntal nature in Bach's writing as compared with that of his two contemporaries. The minor third movement shows a steady decrease from Rameau to Bach, while that of major third shows a decrease from Vivaldi to Bach. In all examples the perfect fourth was used in a greater frequency within the bass line, as compared to that in the soprano lines, with Vivaldi's examples containing the highest percentage (11%). Also, the perfect fifth is used more in Vivaldi's examples (8.24%) than that of Rameau (3.46%) or Bach (6.42%). The minor sixth movement reveals that Rameau uses it more than Vivaldi's bass line and Bach's bass line. Minor and major seventh movement is found exclusively in Bach's bass The perfect octave is found to be nearly equal in lines. terms of frequency of occurrence among these compsosers. The following table illustrates percentages for all intervals used in the examples of these composers.

The intervallic motion in the bass lines of these Baroque examples follows the same basic principles as that

TAB	\mathbf{LE}	XII	Ļ

Intervals	Rameau Percentages	Vivaldi Percentages	Bach Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Minor Sixth Minor Seventh Major Seventh Perfect Octave	$\begin{array}{c} 23.02\\ 16.08\\ 29.54\\ 9.43\\ 5.68\\ 7.62\\ 0.27\\ 0.55\\ 3.46\\ 0.00\\ 0.83\\ 0.13\\ 0.00\\ 0.00\\ 0.00\\ 3.32\end{array}$	24.74 22.47 16.49 5.36 2.68 10.92 1.64 0.20 8.24 0.00 0.49 1.44 0.00 0.00 0.00 4.94	7.91 26.45 34.36 3.95 4.32 9.39 0.12 0.49 6.42 0.00 0.49 0.49 0.49 0.49 0.61 0.37 4.44
		1	

BASS INTERVALS OF RAMEAU, VIVALDI, AND BACH

of the soprano lines: the minor and major thirds predominantly move downward; the perfect fourth shows an upward tendency (three out of four times in all the Baroque examples); the motion of augmented fourth is almost always in an upward direction, while the diminished fifth in all instances moves downward. An examination of the direction of movement of the perfect fifth, shows general trends of downward motion. However, the frequency of downward motion reveals some individual statistics; Rameau's 60%, Vivaldi's 76%, and Bach's 84.6%. The minor sixth shows the consistency of a downward motion, while the major sixth showed upward motion in Bach's and Rameau's examples. The sevenths are found only in Bach's examples and, while the minor seventh tends to move upward (60%), the major seventh is found consistently downward. The perfect octave is found both up and down in Rameau's and Bach's bass lines, while in Vivaldi's it often moves downward (62.5%). The following table illustrates the percentages of ascending and descending intervals in the bass lines of these Baroque examples.

TABLE XIII

	Ran Perce	eau entages	Viv Perce	aldi entages	Bach Percentages		
Intervals	Up	Down	Up	Down	qU	Down	
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	$ \begin{array}{c} 10.3\\ 12.2\\ 72.7\\ 100.0\\ 00.0\\ 40.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0\\ 00.0\\ 54.2 \end{array} $	$ \begin{array}{r} 89.7\\ 87.8\\ 27.3\\ 00.0\\ 100.0\\ 60.0\\ 00.0\\ 100.0\\ 100.0\\ 100.0\\ 45.8\\ \end{array} $	$\begin{array}{c} 23.0\\ 15.4\\ 77.3\\ 75.0\\ 00.0\\ 25.0\\ 00.0\\ 00.0\\ 100.0\\ 100.0\\ 00.0\\ 37.5\end{array}$	$77.0\\84.6\\22.7\\25.0\\100.0\\75.0\\00.0\\100.0\\00.0\\00.0\\00.0\\62.5$	$\begin{array}{c} 37.5\\ 28.6\\ 77.6\\ 100.0\\ 00.0\\ 15.4\\ 00.0\\ 00.0\\ 100.0\\ 60.0\\ 00.0\\ 52.8\end{array}$	62.5 71.4 22.4 00.0 100.0 84.6 00.0 100.0 40.0 100.0 40.0 100.0	

INTERVAL DIRECTION IN THE BASS LINES OF RAMEAU, VIVALDI, AND BACH

The use of dyadic intervals in these Baroque examples reveals certain similarities among them as well as differences between those composers. The perfect unison is not used while the occurrence of minor second is minimal (See Table XIV). Also, this table shows, the dyadic major second
TABLE XIV

DYAD INTERVALS OF RAMEAU, VIVALDI, AND BACH

Intervals	Rameau Percentages	Vivaldi Percentages	Bach Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminisehd Fifth Perfect Fifth Augmented Fifth Minor Sixth Minor Sixth Minor Seventh Major Seventh Perfect Octave	$\begin{array}{c} 00.00\\ 0.81\\ 4.45\\ 17.70\\ 14.86\\ 5.13\\ 1.75\\ 0.67\\ 16.62\\ 0.27\\ 6.75\\ 9.45\\ 3.10\\ 1.08\\ 17.29 \end{array}$	$\begin{array}{c} 00.00\\ 1.38\\ 1.73\\ 10.20\\ 19.37\\ 4.49\\ 2.07\\ 3.15\\ 16.43\\ 0.17\\ 8.47\\ 7.78\\ 6.57\\ 0.51\\ 14.53 \end{array}$	$\begin{array}{c} 00.00\\ 0.33\\ 3.74\\ 16.86\\ 12.56\\ 6.17\\ 1.54\\ 3.19\\ 15.98\\ 0.22\\ 8.59\\ 10.58\\ 4.85\\ 0.77\\ 13.78 \end{array}$
	1	1	

is used very little, while the minor and major thirds account for almost a third of the total dyadic interval content. A closer examination indicates that the frequency of dyadic thirds (major and minor) slightly decreases from Rameau to Vivaldi to Bach (32.56% to 29.57% to 29.42% respectively).

The dyadic interval of perfect fourth accounts for only 5% and reveals no particular trends. The use of the augmented fourth and diminished fifth is minimal; they are found more in Vivaldi's examples than that of the two other composers. The use of the perfect fifth is found to be almost exactly the same among these composers (only indicating a very slight decrease in use from Rameau to Bach). The augmented fifth is rarely found. The use of the minor and major sixth intervals, when totaled together, is approximately one-half that of the minor and major thirds. The minor seventh is found to be more prevalent in Vivaldi's examples than either Rameau or Bach. The major seventh is seldom used. The perfect octave shows a decrease in use from Rameau to Vivaldi to Bach.

While the frequency of occurrence of dyadic intervals manifests certain stylistic tendencies, the manner of dyadic succession reveals another aspect which, perhaps, is more significant than the former in terms of stylistic study. This aspect will be dealt with later in a greater detail; it will suffice to mention the following regarding the dyadic successions in these Baroque examples. Major and minor consonant intervals (i.e., major and minor thirds and sixths) are preceded and followed by any interval. Augmented and diminished intervals are mostly followed by perfect intervals. Perfect intervals (i.e., perfect fifths, fourths, and octaves) are seldom preceded or followed by another perfect interval. The consistent manner in which these dyadic successions are handled can be regarded as a manifestation of a compositional observation of certain essential contrapuntal rules concern: such as often stated in treatises on composition, and adherence to certain essential harmonic rules such as those often given in texts and treatises on music theory.

One additional point that should be considered is the relation of dyadic intervals with their concurrent harmonies. It is found that in Baroque music certain dyads were associated with certain harmonies in great frequency and therefore conclusions may be drawn from these coincidental harmonies and dyads. The major and minor consonant intervals (major and minor thirds and sixths), perfect fifths and perfect octaves are most generally associated with consonant harmonies (major and minor chords). The use of the dissonant intervals (major and minor seconds and sevenths, tritone, perfect fourth, and augmented fifth) are generally found in association with dominant function harmonies. Certain non-functional harmonies are also found; in general, they are the direct result of contrapuntal writing. (These non-functional harmonies will not be discussed in comparing the dyads and relative The aspect of dyadic succession versus harmonic harmonies.) progression as a stylistic determinant will be discussed further in the concluding chapter.

CHAPTER III

MUSIC OF THE CLASSICAL PERIOD

Works of three composers are selected to represent classical music: Franz Joseph Haydn (1732-1809), Wolfgang Amadeus Mozart (1756-1791), and Ludwig Von Beethoven (1770-1827). An effort was made to find musical examples that represented a chronological progression (early, middle, late) of each composer's work. In this manner, it is believed, a more accurate representation of stylistic features pertaining to intervallic relationships can be examined for analytical comparison.

Music of Joseph Haydn

The music of Franz Joseph Haydn contains certain intervallic features that, when compared to that of other classical composers are similar in some aspects, while in other aspects, differentiate the style of Haydn from that of other classical composers. Before these comparisons can be made, however, a thorough examination of the music of each composer, in terms of intervallic content and the two-part framework need to be made.

Analytic study reveals that melodically Haydn's examples use the perfect unison, minor second and major second

approximately three out of four times (see Table XV). This table also shows that the use of the minor third, major third, and perfect fourth accounts for nearly one out of five intervals. Also, if the percentage of occurrence of these six intervals are combined, the frequency of usage of these intervals occupies a great majority (94.25%) of the total interval content. Augmented intervals do not occur, while sevenths, sixths, tritones, and octaves account for only 5% of the total monadic content of soprano lines.

TABLE XV

SOPRANO INTERVALS OF JOSEPH HAYDN

Intervals]	Pe:	rcentages	Percentages
Perfect Unison .		•	•					•	•	25.68	
Minor Second		4	•	•	•	•			•	23.64 74	49
Major Second		•			*	*		•	٠	25.17	
Minor Third		*	•		٠	*		٠	٠	7.33	94.25
Major Third		•	-	•					a	5.30	
Perfect Fourth .		•		•					٠	7.13	
Augmented Fourth	1.	•	•		•	•	•		•	0.00	
Diminished Fifth	1 .		•	*	•					0.30	
Perfect Fifth .		•	•	•			•	•	•	1.83	
Augmented Fifth		•				•		÷		0.00	
Minor Sixth			•	•				•		0.50	
Major Sixth				*				٠		1.01	
Minor Seventh .		•	•		•	٠				0.61	
Major Seventh .	,					*		4		0.10	
Perfect Octave .			٠	•	•	•		•	٠	1.12	

The monadic content of Haydn's bass lines bears essential similarities with that of his soprano lines and, although slightly lower, the percentage use of the six aforementioned intervals is still significantly high (88.38%; see Table XVI).

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The difference between soprano and bass lines with respect to monadic percentage occurrence is due primarily to the following aspects: greater amount of perfect unison, perfect fifths and octaves, and considerably lesser amounts of major second. The increase in perfect fifths and octaves is due primarily to the "harmonic bass" (as opposed to linear bass) of the dominant-tonic progression particularly at cadence points. The perfect fifth and octave accounts for nearly 10%.

TABLE XVI

BASS INTERVALS OF JOSEPH HAYDN'S MUSIC

Percentages Percentages Intervals Perfect Unison 21.24 ---- 69.30 -Minor Second 16.95 Major Second - 88:38 Minor Third 6.54 -----4.61 -----Major Third Perfect Fourth 7.93-0.32 Augmented Fourth 0.10 Diminished Fifth 6.33 Perfect Fifth Augmented Fifth 0.00 Minor Sixth 0.53 Major Sixth 0.32 0.21 Minor Seventh Major Seventh 0.00 Perfect Octave 3.21

In Haydn's dyadic writing the intervals of minor and major thirds, perfect fifth, minor and major sixths, and
perfect octave occupy the majority (84.09%) (see Table VII).

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Group

As this table illustrates, the most predominantly used interval is the perfect octave (27.08%). The perfect fifth accounts for 13.26% of the intervals used and the minor and major thirds account for a 24.38 percentage occurrence. It is to be noted that the augmented fourth and diminished fifth intervals occur considerably more in Haydn's examples than that of the Baroque composers. This is also true with regard to the perfect fourth and minor seventh intervals.

TABLE XVII

DYAD INTERVALS OF JOSEPH HAYDN'S MUSIC



Music of Wolfgang Amadus Mozart

The monadic content of Mozart's soprano lines consists primarily of the following intervals: perfect unison, minor second, and major second (see Table XVIII). The combined percentage occurrence of these intervals is 73.34%; when it is combined with the percentage occurrence of minor and major thirds and perfect fourths, they occupy 94.68% of the total monadic content. The perfect fifth in Mozart's soprano lines occurs considerably more than that of Haydn.

TABLE XVIII

SOPRANO INTERVALS OF W. A. MOZART'S MUSIC

Intervals]	Pe	rcentages	Group Percentages
Perfect Unison . Minor Second Major Second Minor Third Major Third Perfect Fourth . Augmented Fourth Diminished Fifth Perfect Fifth .	• • • • • • • • • • • • • • • • • • • •	• • • • • • • • • • • • • • • • • • • •	• • • • • • • •	• • • • • • • • • •	• • • • • • • •	• • • •	•	Pe:	28.85 25.99 18.50 8.14 6.38 6.82 0.00 0.44 3.30	Percentages
Augmented Fifth Minor Sixth Major Sixth Minor Seventh . Major Seventh . Perfect Octave .	* * * *	e • • • •	* * * *	• • • •	• • •	* * * *	• • •	• • • •	0.00 0.88 0.00 0.00 0.00 0.66	

The monadic content of Mozart's bass lines bears certain similarities with that of his soprano lines; there are, however, certain differences that should be mentioned. The most notable difference is the increased use of the repeated note (see Table XIX). This increase characterizes the often stagnent bass line in Mozart's example.

The primary monadic intervals of perfect unison, major and minor seconds, minor and major thirds, and perfect fourth, occupy a great majority (92.56%) of the total interval content.

TABLE XIX

BASS INTERVALS OF W. A. MOZART'S MUSIC

Group Intervals Percentages Percentages Perfect Unison . . 2.87 --92,56 Minor Third 3.34 ----Major Third • • . Perfect Fourth 7.65-0.00 Augmented Fourth Diminished Fifth . 0.23 . • . . . 4.06 Perfect Fifth Augmented Fifth 0.00 0.47 Minor Sixth . . . • . . . 0.47 Major Sixth Minor Seventh . . 0.00 • . . . 0.00 Major Seventh . . . • • Perfect Octave 2.15

The perfect fifth and octave occur considerably more in Mozart's bass lines than they do in his soprano lines, and the combined percentages of these two intervals occupy a greater portion of the remaining percentages. The intervals of perfect fifth and perfect octave are primarily found at or near cadence points. A greater frequency of cadential points and the regularity of their occurrence in Mozart's examples explains these higher percentages.

The dyadic intervals of major and minor thirds, perfect fifths, major and minor sixths, and perfect octave occupy a significant portion in the total dyadic content succession of Mozart's examples. As Table XX illustrates, the interval of the perfect octave is by far the most predominantly used (20.76%). One noteworthy aspect is the almost identical use of major and minor thirds (24.94%) and major and minor sixths (24.75%). Perhaps an even more significant fact in this table is the almost identical use of minor thirds (13.71%) and its inversion: the major sixth (13.33%) and major thirds (11.23%) and its inversion: the minor sixth (11.42%). This use of the thirds and sixths will be discussed further at a later time. Another noteworthy factor is the percentage occurrence of the tritone, perfect fourth, and minor sevenths which, when combined, accounts for a higher percentage of use as compared to the interval content in Haydn's examples.

TABLE XX

DYAD INTERVALS OF W. A. MOZART'S MUSIC

Group Percentages Percentages Intervals 0.00 Perfect Unison . 0.76 Minor Second . . 1.71 Major Second . . $13.71 \cdot$ Minor Third 11.23 -Major Third 5.71 Perfect Fourth . 2.66 Augmented Fourth . 2.85 Diminished Fifth . - 81.11 10.66-Perfect Fifth 0.38 Augmented Fifth 11.42-Minor Sixth **>** 24.75 · 13.33-Major Sixth 3.42 Minor Seventh 0.38 Major Seventh 20.76-Perfect Octave . .

Music of Ludwig Van Beethoven

The music of Beethoven, like that of the other classical composers, contains certain intervallic features that are unique to his music. In the examples studied, the repeated note (i.e., monadic perfect unison) occupies over one-third (36.07%) in his soprano lines and is by far the most predominantly used melodic interval (see Table XXI). The major second accounts for 28.95% of the intervals used and the minor second accounts for 14.42%; the combined usage of these three intervals accounts for approximately four-fifths of the intervals used. When the percentage occurrence of the major and minor thirds and perfect fourth are included in the calculation, the percentage occurrence of these six

TABLE XXI

SOPRANO INTERVALS OF L. V. BEETHOVEN'S MUSIC

Intervals

Percentages

Group Percentages

Perfect Unison . 36.07-. Minor Second . . -. . 14.42 ----- 79.44 -. Major Second . 28,95-_____ Minor Third - 91.25 5.31-Major Third 3.60 -Perfect Fourth . 2.90-Augmented Fourth . 0.30 Diminished Fifth . 0.10 Perfect Fifth 2.90 Augmented Fifth 0.00 Minor Sixth 1.20 Major Sixth 1.20 Minor Seventh 0.40 Major Seventh 0.10 • . • . . Perfect Octave . . . 2.30 . . .

intervals is 91.25%. The use of other intervals constitutes a percentage which is slightly higher than that of the other classical composers.

The monadic content of the bass lines in Beethoven's examples bears certain similarities with the monadic content of his soprano lines, with a few exceptions most notably in the interval of perfect fourth, fifth, and octave. The perfect unison is used slightly more in his soprano lines. The major and minor seconds, however, are used considerably less in the bass lines of Beethoven as compared to his soprano lines (see Table XXII). This may be used to explain a particular nature of bass line movement (i.e., less linear or more harmonic in character. There is also a considerable difference in the use of the perfect fourth in

TABLE XXII

BASS INTERVALS OF L. V. BEETHOVEN'S MUSIC

Ir	nte	er	va	ls

Percentages

Group Percentages

Perfect Unison .	•	•	•	•		٠	•	•	38.70
Minor Second		•	•	•	•		•		11.58-69.77
Major Second				•	•	•	•	•	19.49
Minor Third	•	•	•	•	•	-	•	•	4.72 87.32
Major Third	•	•							4.24
Perfect Fourth .	•	•	•				•	•	8.59
Augmented Fourth						•			0.00
Diminished Fifth	•	•					•		0.19
Perfect Fifth .	•	•		•	•		•		4.72
Augmented Fifth				•					0.00
Minor Sixth				•	•		•		0.48
Major Sixth		•	٠	•	•	•			0.48
Minor Seventh .	•	•	•	•	-	•	•	•	0.48
Major Seventh .				-					0.28
Perfect Octave .		•	•	•					5.98

his bass lines (8.59%) as compared to the soprano lines (2.90%). This difference is also noted in the areas of perfect fifth and perfect octave. All of these differences are largely attributable to the more harmonic character of the bass lines at cadential points of the dominant-tonic relationship.

In his dyadic writing, the perfect octave is the most frequently used interval, with the perfect fifth having approximately the equal frequency of occurrence with that of the octave (see Table XXIII). Also, Tavle XXIII shows, intervals of thirds, sixths, perfect fifth and octave occupy nearly three-fourths of the total dyadic content. The remaining percentages are primarily divided among the intervals of major seconds, minor sevenths, and perfect fourths.

TABLE XXIII

DYAD INTERVALS OF L. V. BEETHOVEN'S MUSIC

										Groups
Intervals							ł	?e	ccentages	Percentages
Perfect Unison .			•	•				•	0.18	
Minor Second				•	٠				0.55	
Major Second	•		•	-			•		5.08	
Minor Third	•	•			•				9.98	
Major Third	•	•	•	•	•	•	•		14.69	
Perfect Fourth .		•					•		7.67	
Augmented Fourth		•				•		-	1.20	
Diminished Fifth	•	•				•			1.20	
Perfect Fifth .	•	•							15.80	72 . 80
Augmented Fifth				•	•	•	•	•	0.00	1
Minor Sixth	•			•			•	•	6.09-14	21
Major Sixth	•	•	•	•	٠	•	•		8.22	2T
Minor Seventh .	•	•	•	*	•			-	6.37	
Major Seventh .	•	•		•	•	•		•	0.46	
Perfect Octave .	•		•		•	•	•		18.02	

Conclusions and Correlations

The melodic writing of the three classical composers reveals certain personal traits in terms of monadic movement which illustrates not only one aspect of individual style but also that of the classical period as a whole. As Table XXIV shows, the perfect unison increases in percentage occurrence from Haydn to Mozart to Beethoven. This table also indicates that the percentage occurrence of the unison, minor second, and major second are almost equal in Haydn's examples, while in Mozart's examples there are more minor seconds and less major seconds, and Beethoven's examples more major seconds and less minor seconds. The combined percentage occurrence of these three intervals are, however, very similar in the Haydn and Mozart examples, and considerably greater in Beethoven examples due to a greater occurrence of repeated notes (monadic unison).

The intervals of minor and major thirds, and perfect fourth occur in approximately the same frequency in the examples of Haydn and Mozart, indicating certain melodic similarities between these two composers. In contrast, these intervals in Beethoven's examples occur only half as often as that in Haydn's or Mozart's examples. Also, while the augmented fourth does not occur at all in Haydn's or Mozart's example, it occurs occasionally in Beethoven's melodies. The perfect fifth is used more by Mozart than Haydn or Beethoven. The minor and major sixths occur more

TABLE XXIV

Intervals	Haydn	Mozart	Beethoven
	Percentages	Percentages	Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	25.68 23.64 25.17 7.33 5.30 7.13 0.00 0.30 1.83 0.00 0.50 1.01 0.61 0.10 1.12	28.85 25.99 18.50 8.14 6.38 6.82 0.00 0.44 3.30 0.00 0.88 0.00 0.88 0.00 0.00 0.00	$\begin{array}{c} 36.07\\ 14.42\\ 28.95\\ 5.31\\ 3.60\\ 2.90\\ 0.30\\ 0.10\\ 2.90\\ 0.00\\ 1.20\\ 1.20\\ 1.20\\ 0.40\\ 0.10\\ 2.30\end{array}$

often in Beethoven's examples than in Haydn's and Mozart's; in Mozart's examples, major sixth does not occur. Major sevenths occur infrequently in Haydn's and Beethoven's; they are not found in Mozart's examples. Lastly, the frequency occurrence of the perfect octave in Beethoven's examples is almost twice that of the Mozart and Haydn examples.

An examination of the direction of monadic movements in these examples reveals a predominance of descending minor and major thirds in the soprano lines, with the only exception that Mozart's examples contain more ascending major thirds. The majority of perfect fourths are found in an ascending direction. An examination of Table XXV also reveals that the use of ascending perfect fourths increases from Haydn to Mozart or Beethoven (61.4%, 67.7%, and 75.9% respectively). The tritone skip is generally in the descending direction in Beethoven's examples while it is generally ascending in Haydn and Mozart examples. The perfect fifth is more likely to be descending except in the Haydn examples where equal percentages of ascending and descending perfect fifths are Frequency of occurrence of the major and minor sixths used. is equally divided between up and down movement in all the examples of these composers. As stated previously, major sixths do not occur in the Mozart examples studied. The percentage of occurrence of minor seventh, with respect to interval direction, is equally divided between ascending and descending in the Haydn soprano lines while in Beethoven's examples ascending minor seventh occurs more often. Only the ascending major seventh is found in Haydn and Beethoven's examples. The melodic interval of minor and major sevenths do not occur in the Mozart examples studied. Only the ascending perfect octave is found in Mozart melody examples while in Haydn and Beethoven's examples, the octave motion is mostly descending.

The monadic content of these composers' bass lines bears essential similarities with that of their soprano lines. As mentioned previously, a notable difference between soprano and bass lines with regard to the monadic use is the increased frequency of perfect fifths and octaves which occur in the bass lines, mostly at cadence points. The use of perfect unison shows slight increase from Haydn to Mozart to

TABLE XXV

INTERVAL MOVEMENT IN THE SOPRANO LINES OF HAYDN, MOZART, AND BEETHOVEN

	Ha Perce	aydn entages	Mo: Perce	zart entages	Beethoven Percentages		
Intervals	Up	Down	Up	Down	Up	Down	
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	23.6 38.5 61.4 63.7 50.0 20.0 60.0 50.0 100.0 45.6	76.4 61.5 38.6 33.3 50.0 80.0 40.0 50.0 00.0 54.6	37.8 62.0 67.7 100.0 33.3 50.0 100.0	62.2 38.0 32.3 00.0 66.7 50.0 00.0	35.8 38.9 75.9 33.3 00.0 31.0 50.0 58.3 75.0 100.0 43.5	$\begin{array}{r} 64.2 \\ 61.1 \\ 24.1 \\ 66.7 \\ 100.0 \\ 69.0 \\ \\ 50.0 \\ 41.7 \\ 25.0 \\ 00.0 \\ 56.5 \end{array}$	

Beethoven (31.11%, 36.36%, and 38.70% respectively), while the minor second decreases in use particularly from Haydn and Mozart (21.24%, 21.05%) to Beethoven (11.58%). The frequency of occurrence of major seconds increases from Haydn to Mozart but it decreases from Mozart to Beethoven (See Table XXVI). The minor and major thirds occur more often in Haydn's bass lines than that of Beethoven and Mozart. The use of the perfect fourth, on the other hand, does not show any notable change in the examples of these composers. The perfect fifth and octave are used considerably less frequently in Mozart's bass lines, as opposed to that of Beethoven and Haydn. The major and minor sixths and sevenths occurr infrequently. This aspect is similar to the bass line monadic use of Baroque examples studied. (This will be discussed in greater detail later in this study).

TABLE XXVI

BASS INTERVALS OF HAYDN, MOZART, AND BEETHOVEN

	ercentages	Percentages	Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Major Seventh Perfect Octave	31.11 21.24 16.95 6.54 4.61 7.93 0.32 0.10 6.33 0.00 0.53 0.32 0.21 0.00 3.21	36.36 21.05 21.29 2.87 3.34 7.65 0.00 0.23 4.06 0.00 0.47 0.47 0.47 0.00 0.00 2.15	38.70 11.58 19.49 4.72 4.24 8.59 0.00 0.10 4.72 0.00 0.48 0.48 0.48 0.48 0.28 5.98

An examination of the direction of monadic movements reveals certain features that are highly significant from the personal stylistic viewpoints. For example, while the movement of minor third shows consistency among these three composers--approximately one third of the frequency of occurrence is in an upward direction and two thirds is in a

downward direction, the movement of the major third indicates highly personal differences: Haydn's usage is divided more equally between upward and downward (48.8% and 51.2% respectively), Beethoven's usage is mostly downward (81.8%), and Mozart rarely in an upward motion (7.1%) (see Table XXVII). The use of perfect fourth shows consistency of ascending direction. However, it is to be noted that there is more descending perfect fourths in the bass lines as opposed to the same interval occurring in soprano lines of these classical examples. Also, the tritone consistently occurs in a descending direction. The perfect fifth is in a descending direction three-fourths of the time. This interval also exhibits consistency in its usage--it constitutes nearly equal percentages in the bass lines of all these composers (i.e., 76.3% for Haydn, 76.5% for Mozart, and 77.6% for Beethoven). The direction of major and minor sixth is another example showing distinctive personal traits: Haydn's consistent use of these intervals is descending, while Mozart's minor sixth is always ascending and major sixth is always descending. Beethoven uses a majority of descending minor sixths and ascending major sixths.

The dyadic intervals of Haydn, Mozart and Beethoven contain certain similarities and differences that deserve mentioning. The minor second occurs infrequently and therefore no conclusions of any significance can be drawn. The major second occurs slightly more in the Haydn and Mozart

TABLE XXVII

	Ha Perce	ydn ntages	Moz Perce	art ntages	Beethoven Percentages		
Intervals	Up	p Down Up Down		Up	Down		
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	37.3 48.8 62.2 00.0 23.7 60.0 66.7 100.0 36.7	$ \begin{array}{r} 62.3 \\ 51.2 \\ 37.8 \\ 100.0 \\ 100.0 \\ 76.3 \\ \\ 40.0 \\ 33.3 \\ 00.0 \\ \\ 63.3 \\ \end{array} $	33.3 7.1 59.4 23.5 100.0 00.0 88.0	66.7 92.6 40.6 100.0 76.5 00.0 100.0 11.1	$ \begin{array}{r} 38.8\\ 18.2\\ 57.3\\\\ 00.0\\ 22.4\\\\ 40.0\\ 80.0\\ 40.0\\ 33.3\\ 43.5\\ \end{array} $	$ \begin{array}{r} 61.2\\ 81.8\\ 42.7\\\\ 100.0\\ 77.6\\\\ 60.0\\ 20.0\\ 60.0\\ 66.7\\ 56.5\end{array} $	

INTERVAL MOVEMENT IN THE BASS LINES OF HAYDN, MOZART, AND BEETHOVEN

examples; however, in Beethoven's example the same interval occurs significantly more, approximately five times that of Haydn or Mozart's usage (see Table XXVIII). The minor and major third dyads occur frequently in all these examples and, although there are differences in the percentages between these two intervals the combined percentage occurrence reveals a near identical frequency of usage among these composers (i.e., 24.38% in Haydn's examples, 24.94% in Mozart's, and 24.67% in Beethoven's). The frequency of perfect fourth is about the same in Haydn's and Mozart's examples, while it is more in Beethoven's examples. The frequency occurrence of tritones is slightly higher in Mozart's examples. It should also be mentioned that the tritone is found more often in these classical examples than in Baroque or even Romantic examples. This and other relative matters will be discussed in greater detail later in this study. The frequency occurrence of perfect fifth is slightly higher in Beethoven's examples than Haydn's or Mozart's. The minor and major sixth occur more often in Mozart's examples than either Haydn or Beethoven, constituting nearly one-fourth of all dyadic intervals. The minor seventh, however, constitutes significantly higher percentages in Beethoven's examples than Mozart or Haydn. The use of perfect octave is the only dyad that exhibited a historical trend: its usage decreases from Haydn to Mozart to Beethoven (i.e., 27.08%, 20.76%, and 18.02% respectively).

TABLE XXVIII

DYAD	INTERVALS	IN	THE	MUSIC	OF	HAYDN,	MOZART
		A	VD BE	EETHOVE	EN		

Intervals	Haydn	Mozart	Beethoven
	Percentages	Percentages	Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	$\begin{array}{c} 0.09\\ 0.37\\ 1.76\\ 10.38\\ 14.00\\ 5.10\\ 1.57\\ 2.87\\ 13.26\\ 0.00\\ 8.99\\ 10.38\\ 2.59\\ 0.55\\ 27.08\end{array}$	$\begin{array}{c} 0.00\\ 0.76\\ 1.71\\ 13.71\\ 11.23\\ 5.71\\ 2.66\\ 2.85\\ 10.66\\ 0.38\\ 11.42\\ 13.33\\ 3.42\\ 0.38\\ 20.76\end{array}$	$\begin{array}{c} 0.18\\ 0.55\\ 5.08\\ 9.98\\ 14.69\\ 7.67\\ 1.20\\ 1.20\\ 1.20\\ 15.80\\ 0.00\\ 6.09\\ 8.22\\ 6.37\\ 0.46\\ 18.02\end{array}$

An examination of the dyadic succession in these examples reveals that perfect intervals (i.e., fifths, fourths, and octaves) are seldom preceded or followed by another perfect interval. There is, however, more frequent occurrence of these perfect intervals than that in Baroque examples. Particularly, in Beethoven's examples a perfect interval is often preceded or followed by another perfect interval; such dyadic succession occurs more often in Beethoven music than in Haydn or Mozart's examples. Major and minor intervals are preceded and followed by any interval, and no particular preference is to be noted. The only exception is that the major seventh is always followed by a perfect octave. The augmented fourth is most often followed by a larger interval (i.e., perfect fifth or larger) and the diminished fifth is most often followed by a smaller interval (perfect fourth or smaller). These dyadic motions are very much in accordance with that of the music of the preceding era. The augmented sixth, though infrequently used (approximately 2%), is always followed by a perfect octave.

The great majority of dyads in the classical examples used in this study are associated with harmonies (chords) that are, for the most part, diatonic and not chromatic. These concurrent harmonies exhibit some resemblances to Baroque music, with certain differences that will be discussed later in this study. The more consonant harmonies (i.e., major and minor chords) are primarily associated with intervals of major and minor thirds, major and minor

sixths, perfect fifth, perfect octave, and occasionally perfect fourth. The more dissonant harmonies (i.e., diminished seventh chords) are primarily associated with dissonant dyadic intervals: minor and major seconds, minor and major sevenths, augmented fourth, diminished fifth, and to some extent, perfect fourths. There are indeed more examples of chromatic harmonies in the classical examples than the Baroque examples, and these chromatic harmonies are more often associated with the more dissonant intervals such as mentioned above.

CHAPTER IV

MUSIC OF THE ROMANTIC PERIOD

Choral works of Hector Berlioz (1803-1869), Anton Bruckner (1824-1869), and Johannes Brahms (1853-1897) are selected to represent music of the Romantic period. In selecting musical examples, an effort was made to include pieces that represent a chronological progression (early to late) of styles of these composers. It is believed that in this manner, a more representative crossection of linear and harmonic styles in the romantic period can be presented for analysis and thus providing material for stylistic comparison. The examples of these composers contain certain intervallic as well as other features that are stylistically unique to these individual composers. Before discussing these features, it is necessary to examine their selected work in detail.

Music of Hector Berlioz

The melodic (soprano) lines of Berlioz reveal that the great majority of intervals used are the perfect unison and minor and major seconds occupying over 80% (see Table XXIX). If the intervals of minor and major thirds and perfect fourths are added to the three aforementioned intervals, their

combined percentages occupy nearly all the monadic intervals used (95.73%). The remaining intervals constitute an insignificant amount in the motion of Berlioz's soprano lines. This aspect underscores the extremely melodious feature of Berlioz melodic material.

TABLE XXIX

THE SOPRANO INTERVALS OF HECTOR BERLIOZ

Group Intervals Percentages Percentages Minor Third 6.67 ----95.73 Major Third 4.49_____ Perfect Fourth 4.10-Augmented Fourth . . 0.12 Diminished Fifth 0.12 Perfect Fifth ... 1.92 • Augmented Fifth 0.00 Minor Sixth 0.38 Major Sixth 0.89 Minor Seventh 0.00 Major Seventh 0.00 Perfect Octave 0.25

The monadic content of the bass lines in Berlioz examples, however, exhibits quite different character from that of his soprano lines (see Table XXX). The occurrence of perfect unison in Berlioz's bass lines is considerably more than that of his soprano lines, constituting approximately half of all intervals used (43.21%). The frequency occurrence of minor and major seconds is considerably less than that of his soprano lines, and the minor third is used slightly more

than that of his soprano lines. The perfect fourth and fifth are used approximately twice as much as in his soprano lines. Another noteworthy factor is the infrequent use of the perfect octave in the bass lines, as compared with other Romantic composers. This particular aspect will be dealt with in greater detail later in this study.

TABLE XXX

THE BASS INTERVALS OF HECTOR BERLIOZ

Intervals

Percentages

Group Percentages

Perfect Unison .	•	•	•	*	•	•	•	•	43.21
Minor Second	•	•	•		•	•		•	17.28 71.51
Major Second		•			•	•			11.02
Minor Third		•	•	•	•	•	•	•	5.21 92.21
Major Third			•					•	6.40
Perfect Fourth .	•	•		•	•		•	•	9.09
Augmented Fourth	•	•			•				0.00
Diminished Fifth	•	•	•		•	•	•		0.00
Perfect Fifth .	•		•	•	•	•	•	•	4.32
Augmented Fifth	•		•		•		•		0.00
Minor Sixth		•	•		•		•	•	0.59
Major Sixth	•	•	•	•	•	•	•	•	0.89
Minor Seventh .	•	•	•	•		•		•	0.59
Major Seventh .	•	•		•	•	•	٠	•	0.00
Perfect Octave .	•	•	•	•	•	•	•	•	0.89

The most frequently occurring dyad in Berlioz's examples is the perfect octave, occupying approximately one-fourth of the total dyadic content (22.4%). The interval having the next highest frequency of occurrence is the major third. This offers a notable contrast to examples of Baroque and Classical composers so far examined. If the

frequency of occurrence of the major and minor thirds are combined, these two intervals account for over one-fourth of total dyadic usage. The perfect fifth is another important dyadic interval occupying approximately one-sixth the total dyadic content. See the following table for percentages of dyadic intervals in Berlioz's examples.

TABLE XXXI

DYAD INTERVALS OF HECTOR BERLIOZ

Intervals							P€	ercentages	Group Percentages
Perfect Unison	•	•	•					00.00	
Minor Second			•	•	•	•	•	0.51	
Major Second	•	•	•	•	•	•	•	4.46	
Minor Third	•	•	•		•	•	•	10.10	
Major Third		•	•			•		16.83	
Perfect Fourth				•	•	•		5.31	
Augmented Fourth.						•	•	1.42	
Diminished Fifth.	•		•	•			•	3.75	
Perfect Fifth			•	•		•	•	13.47	76.39
Augmented Fifth .						•		0.77	1
Minor Sixth		•	•	•	•	•	•	6.73	- 0
Major Sixth			•				•	6.86	»9 ——— 9
Minor Seventh				•	•	٠	•	3.88	
Major Seventh			•	•		•		1.81	
Perfect Octave				•		•		22.40	

Music of Anton Bruckner

In the soprano lines of Anton Bruckner, the following intervals are used frequently: perfect unison, and minor and major seconds. These intervals account for three-fourths of the total monadic content (see Table XXXII). If, however, the intervals of minor and major thirds, and perfect fourths

are combined with the three aforementioned intervals, these six intervals account for the great majority (93.02%) of the total monadic content.

TABLE XXXII

Group Intervals Percentages Percentages . . 23.04 _____76.81 _ Minor Second 6.95 _____ Minor Third -93.02 Major Third 3.41-----• • Perfect Fourth 5.85-----Augmented Fourth . . 0.24 Diminished Fifth . 0.24 Perfect Fifth . . . 2.07 Augmented Fifth 0.00 Minor Sixth 0.85 Major Sixth 0.36 Minor Seventh . 0.48 . Major Seventh 0.00 Perfect Octave . . . 2.19

The monadic intervals content of Bruckner's bass lines is different from that of his soprano lines. The perfect unison is used slightly more, and the minor second is used considerably less often than his soprano lines (see Table XXXIII). The major and minor seconds are used less, while the major third occurs in almost equal frequency to that in the soprano line. The perfect fourth as well as perfect fifth and octave are used considerably more in Bruckner's bass line as opposed to his soprano lines. The increased

THE SOPRANO INTERVALS OF ANTON BRUCKNER

occurrence of these three perfect intervals is due primarily to their increased occurrence at cadence points. Another interesting factor in Bruckner's bass lines is the higher occurrence of the perfect fourth as opposed to the perfect fifth, which is in contrast to the monadic content of his soprano lines. This is due to increased use of these intervals at cadential points. The perfect fourth is associated with the dominant-tonic progression.

TABLE XXXIII

Intervals								I	?e:	rcentages	Group Percentages
Perfect Unison .		•	•		•	•	•			26.25	
Minor Second				•		•		•	•	16.44 68.55	
Major Second		•	•	•	•	•	•	•	•	25.86	
Minor Third		•		•	•	•		•	•	5.70	86 ! 71
Major Third	•	•		•	٠	•	•	•	•	3.84	
Perfect Fourth .		•	•	•	•	•		•		8.62	
Augmented Fourth	1	•	•	•		•	•	•	•	0.26	
Diminished Fifth	1		•	•	•	•		•	•	0.53	
Perfect Fifth .	,		•	•			•		•	7.02	
Augmented Fifth		•			•	•	•	•	•	0.00	
Minor Sixth	•	•	•		•	•	•	•		0.26	
Major Sixth	,	•	•		•	•	•		•	0.92	
Minor Seventh .		•	•	•	•	٠	•	•	•	0.13	
Major Seventh .		•	•	•	•	•	•	•	•	0.26	
Perfect Octave .		•	٠	٠	•	•	•	•	٠	3.31	

THE BASS INTERVALS OF ANTON BRUCKNER

The dyadic content in Bruckner's examples reveals a number of important factors which are in contrast to that of other Romantic composers. Dyadic motions in Bruckner's examples indicate that the perfect octave occurs most frequently, comprising approximately one-half of the total dyadic content (see Table XXXIV). The interval of the next highest frequency occurrence is the perfect fifth (11.6%). The major and minor thirds account for 17.40% of the dyadic intervals and the major and minor sixths account for a nearly equal percentage (14.86%). When these above interval percentages are combined, they comprise a great majority of the dyads in Bruckner's examples (84.97%). The major second, perfect fourth, and minor seventh account for a great majority of the remaining intervals in frequency occurrence.

TABLE XXXIV

										Group
Intervals							I	?e	rcentages	Percentages
Perfect Unison .		•	•			•	•	•	00.12	
Minor Second	•			٠	•	•	٠	•	0.12	
Major Second	•				•	•	•		3.38	
Minor Third	•	•	•	•	•	•	•	٠	8.22	
Major Third	•	•		•	•		•		9.18	
Perfect Fourth .	•	•	•	•	•	•	•		5.80	
Augmented Fourth	•	•	•		•	•	•	٠	1.08	
Diminished Fifth		•	•		•		•	•	0.60	
Perfect Fifth .	•	•		•		•	•		11.60	84.97
Augmented Fifth	٠	•	•	•	•		•	•	0.12	1
Minor Sixth	•	•	•	•	٠	•	•	•	6.04	96
Major Sixth	•	•	•	•	•	•	٠	•	8.82	. 00
Minor Seventh .		•	•	•	•	•	•	•	2.53	
Major Seventh .	•	•	-		٠	٠	•	•	0.48	
Perfect Octave .		•	•		•	-	•	•	41.11	

THE DYAD INTERVALS OF ANTON BRUCKNER

Music of Johannes Brahms

An analysis of Brahms' melodic examples reveals that the use of perfect unison occurs considerably less often than other Romanic examples. The use of major second accounts for approximately one-third of the monadic content of Brahm's soprano lines (see Table XXXV). The minor second, however, is used considerably less and accounts for approximately one-fourth (22.79%) of Brahm's monadic content. An interesting factor in the soprano lines of these Brahms' examples is the identical percentage occurrence of major thirds and perfect fourths (8.23%). The use of these six intervals (perfect unison, minor and major seconds, minor and major thirds, and perfect fourth) comprises the great majority (96.12%) of the monadic content in Brahms' soprano lines. The perfect fifth occupies half of the remaining percentage. Augmented fourth, augmented fifth, minor seventh and perfect octave do not occur.

TABLE XXXV

									Group
Intervals							Pe:	rcentages	Percentages
Perfect Unison .	•	•					•	13.30	
Minor Second								22.76 70.0	3
Major Second						-		33.97	
Minor Third	•				-			9.63	96,12
Major Third						_		8.23	
Perfect Fourth .	•							8.23	
Augmented Fourth						-		0.00	
Diminished Fifth			Ì					0.17	
Perfect Fifth			-	Ī				2.10	
Augmented Fifth								0.00	
Minor Sixth					-			1.22	
Major Sixth						Ţ		0.17	
Minor Seventh		Ì					•	0.17	
Major Seventh								0.00	
Perfect Octave		ī	-	Ţ				0.00	

THE SOPRANO INTERVALS OF JOHANNES BRAHMS

The monadic content of Brahm's bass lines is considerably different than that of his soprano lines. A significant difference is the increased use of the perfect intervals (unison, fourth, fifth, and octave). Particularly perfect fifth occupies approximately one-sixth of the total monadic content of the bass line. These intervals, when combined, account for half of the monadic content in Brahms' bass lines (50.26%), as compared to only one-fourth in the monadic content of the soprano lines (23.63%). Another significant difference is the use of perfect unison, major and minor seconds, major and minor thirds, and perfect fourths (see Table XXXVI).

TABLE XXXVI

Group Intervals Percentages Percentages 19.67-Perfect Unison . • . ٠ . . 10.38---- 50.08-Minor Second . . . ٠ ٠ 20.03 -Major Second . ____ 11.47-Minor Third . 76.84 Major Third 3.82-• • . . 11.47-Perfect Fourth 0.36 Augmented Fourth . . . Diminished Fifth . 0.36 . ٠ ٠ 16.39 Perfect Fifth . . . 0.00 Augmented Fifth 1.63 Minor Sixth . . ٠ 0.18 Major Sixth . . . 0.36 Minor Seventh • . . • ٠ Major Seventh 0.00 ٠ ٠ . • 2.73 Perfect Octave

THE BASS INTERVALS OF JOHANNES BRAHMS

These six intervals, when combined, account for approximately three-fourths of the monads in Brahm's bass lines, which is considerably less than the soprano lines (i.e., 76.84% for bass and 96.12% for soprano). Noteworthy is the decreased use of the minor and major seconds and the minor third, as compared to the frequency use of these intervals in his soprano lines.

The dyadic content in Brahm's examples reveals that, as in examples of other Romantic composers, the perfect octave is the most frequently employed; it accounts for approximately one-fourth of the total dyadic usage (see Table XXXVII). The major third is the next most frequently used interval (20.72%). The combined occurrence of minor and major thirds comprises one-third of the total dyadic usage in Brahm's examples. The perfect fifth also is frequently employed in the dyadic motions of Brahms' examples and accounts for 16.94% usage, while the minor and major sixths are nearly equal in use (i.e., 6.9% and 7.56% respectively). When the percentage occurrence of the above intervals are combined, they occupy a large percentage (88.13%) of the total dyadic usage in Brahms' examples. The remaining percentages (12%) are occupied by the other intervals, mostly major seconds, perfect fourths and minor sevenths.

TABLE XXXVII

THE DYAD INTERVALS OF JOHANNES BRAHMS

Group Percentages Percentages Intervals 0.00 Perfect Unison . 0.00 Minor Second . . . 3.61 Major Second 11.51 Minor Third . . . Major Third 20.72 4.27 Perfect Fourth . . 0.16 Augmented Fourth . Diminished Fifth . 0.32 . . -88.13 . 16.94 -Perfect Fifth . . Augmented Fifth 0.16 Minor Sixth 6.90. • • ٠ . . >14.46 Major Sixth 7.56-. . . ٠ Minor Seventh 2.46 • . . • . . Major Seventh • ٠ • 0.32 · 24.50 Perfect Octave • • • . . . *

Correlations and Conclusions

The differences of these Romantic examples are more marked than the differences in the classical or Baroque examples. Monadically, the soprano lines of these Romantic examples reveal that there is a steady decline in the use of the perfect unison (see Table XXXVIII). While the minor second is approximately equal in use among these composers, the major second and minor third increases in use from Berlioz to Bruckner to Brahms. The major third is used by Brahms more than any other Romantic composer (8.23%), while Bruckner used it least (3.41%). The use of the same interval in Brahms' examples is considerably more than any other composer in any of the three historical periods. This will be elaborated upon more in the final chapter. The use of perfect fourth shows a steady increase from Berlioz to Brahms while the perfect fifth is nearly equal in use in all examples of the three composers. The use of the perfect octave, however, occurs considerably more often in Bruckner's soprano lines than that of Berlioz and Brahms. This interval does not occur in Brahms' examples and occurs only twice in Berlioz's examples.

TABLE XXXVIII

I	AND	BRAHMS

THE SOPRANO INTERVALS OF BERLIOZ, BRUCKNER,

Intervals	Berlioz	Bruckner	Brahms
	Percentages	Percentages	Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Perfect Octave	$\begin{array}{c} 37.09\\ 22.33\\ 21.05\\ 6.67\\ 4.49\\ 4.10\\ 0.12\\ 0.12\\ 1.92\\ 0.00\\ 0.38\\ 0.89\\ 0.38\\ 0.00\\ 0.25\end{array}$	24.51 23.04 29.26 6.95 3.41 5.85 0.24 0.24 2.07 0.00 0.85 0.36 0.48 0.00 2.19	13.30 22.76 33.97 9.63 8.23 8.23 0.00 0.17 2.10 0.00 1.22 0.17 0.17 0.17 0.00 0.00

The direction of these monadic motions suggests additional information on certain trends of these Romantic composers. The ascending minor third shows a decrease in use from

Berlioz to Brhams, while the descending minor third shows an It is significant to point out that the ascending increase. minor third occupies a considerable portion of Berlioz's melodic motion while the descending minor third comprises an important monadic movement in Brahms' melodic lines. The descending major third, however, is used in great majority among all three composers. Another important feature is that, while the perfect fourth in the soprano lines of Bruckner and Berlioz moves upward, the same interval is mostly in a downward motion in Brahms examples. The perfect fifth in the soprano lines of Berlioz and Brahms is more often ascending while Bruckner uses descending perfect fifths a majority of the time. Note also that Brahms' use of fifth occurs mostly in an ascending direction (91.7%); this is a significantly higher frequency of occurrence, as compared to that in other composers melodies. The augmented fourth is generally in ascending motion. The minor sixth is used predominantly in an ascending direction in all these examples. There is, however, a decline in the frequency of occurrence of ascending minor sixths from Berlioz to Brahms. While Berlioz uses ascending sixths exclusively, Bruckner uses the same over three-fourths and Brahms over two-thirds.

The monadic content of the bass lines in these Romantic examples reveals certain differences and similarities when compared to the soprano lines. The use of the perfect unison is greater in Berlioz examples than Bruckner or
TABLE XXXIX

	Berlioz Percentages		Bru Perc	ckner entages	Brahms Percentages	
Intervals	Up	Down	Up	Down	Up	Down
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	59.6 42.8 59.4 100.0 100.0 66.7 100.0 57.1 33.3 50.0	40.4 57.2 40.6 0.0 33.3 0.0 42.9 66.7 50.0	56.1 42.9 70.8 50.0 0.0 35.3 85.7 66.7 100.0 27.8	43.9 57.1 29.2 50.0 100.0 64.7 14.3 33.3 0.0 72.2	$\begin{array}{r} 47.3 \\ 44.7 \\ 46.8 \\ \\ 0.0 \\ 91.7 \\ \\ 71.4 \\ 100.0 \\ 0.0 \\ \\ \end{array}$	52.7 55.3 53.2 100.0 8.3 28.6 0.0 100.00
				1	•	1

SOPRANO INTERVAL MOVEMENT OF BERLIOZ, BRUCKNER, AND BRAHMS

Brahms (see Table XL). The minor second exhibits a similar trend (i.e., greater in Berlioz lesser in Bruckner and least in Brahms). The major second, however, is used the most in Bruckner's examples than Berlioz or Brahms. The minor third occurs approximately the same frequency in Berlioz and Bruckner examples (i.e., 5.21% and 5.7%) but in Brahms' examples the same interval occurs slightly more than twice the frequency (11.47%). The major third is used approximately twice as much in the Berlioz examples as compared to Bruckner's and Brahms'. While the use of perfect fourth shows little distinguishing features among these composers, the perfect fifth reveals marked traits: the percentage occurrence is twice as much in Bruckner's than in Berlioz's (i.e., 7.02% and 4.32% respectively), and it is twice as much in Brahms' than in Bruckner (i.e., 16.39% and 7.02% respectively). All other intervals occur very frequently; no comparison of any significance can be made.

TABLE XL

Intervals	Berlioz	Bruckner	Brahms
	Percentages	Percentages	Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Minor Sixth Minor Seventh Major Seventh Perfect Octave	$\begin{array}{c} 43.21 \\ 17.28 \\ 11.02 \\ 5.21 \\ 6.40 \\ 9.09 \\ 0.00 \\ 0.00 \\ 4.32 \\ 0.00 \\ 0.59 \\ 0.89 \\ 0.59 \\ 0.89 \\ 0.59 \\ 0.00 \\ 0.80 \end{array}$	26.25 16.44 25.86 5.70 3.84 8.62 0.26 0.53 7.02 0.00 0.26 0.92 0.13 0.26 3.31	19.67 10.38 20.03 11.47 3.82 11.47 0.36 0.36 16.39 0.00 1.63 0.18 0.36 0.18 0.36 0.00 2.73

BASS INTERVALS OF BERLIOZ, BRUCKNER, AND BRAHMS

The interval direction of the monads in the bass lines of these Romantic examples as compared with that in the soprano lines, contains certain differences that note mention. The minor third is used predominantly in a descending direction in the bass lines of these Romantic examples (see Table XLI). Although major thirds occur equally often in ascending as well as in descending motion when all these romantic examples are combined, individual differences deserve notice: descending motion is predominant in the Berlioz and Bruckner examples, while ascending motion is predominant in Brahms' examples.

The motion of perfect fourth is generally equally divided between ascending and descending. The augmented fourth is found primarily in an ascending direction, while the diminished fifth is always descending. The perfect fifth and octave are generally in the descending direction. However, octave is employed primarily in the ascending motion in the Brahms' example (86.7%) as opposed to the same interval in the other composers.

TABLE XLI

	Berlioz Percentages		Bru Perce	Bruckner Percentages		Brahms Percentages	
Intervals	Up	Down	Up	Down	Up	Down	
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Major Seventh Major Seventh Perfect Octave	40.0 48.8 54.1 27.6 100.0 33.3 75.0 16.7	60.0 51.2 45.9 72.4 0.0 66.7 25.0 83.3	41.9 48.3 60.0 50.0 28.3 100.0 57.1 100.0 0.0 28.0	58.1 51.7 40.0 50.0 100.0 71.7 $$ 0.0 42.9 0.0 100.0 72.0	20.6 52.4 52.4 100.0 0.0 37.8 11.1 100.0 100.0 86.7	79.4 47.6 47.6 0.0 100.0 62.2 88.9 0.0 0.0 13.3	

BASS INTERVAL MOVEMENT OF BERLIOZ, BRUCKNER, AND BRAHMS

The usage of dyadic intervals in the examples of these Romantic composers exhibit the common historical traits and, at the same time, individual characteristic of each composer. The dyadic perfect unison, not found in the Baroque and Classical examples, seldom occurs (once in Bruckner's example). The dyadic minor second, though infrequently, appears in the examples of Bruckner and Berlioz. The dyadic major second is found in all three composers' examples, with approximately equal frequency (see Table XLII). These composers also use approximately the same amount of dyadic perfect fourths and major and minor sixths. Although the use of major and minor sevenths exhibits a decline from Berlioz to Brahms, the difference is too small to warrant any consideration. However, comparison of occurrence of the dyadic minor and major thirds in these examples reveal certain individual differences that deserve mention. While these dyads occupy a significant portion in the total dyadic content in Berlioz's examples (26.93%) and even more so in Brahms (32.23%), they are given a comparatively secondary importance in Bruckner's examples (17.4%). The dyadic interval of perfect octave in these examples reveals that while it occupies nearly half of the total dyadic content in Bruckner's examples (41.11%), the same dyad occurs approximately only half as often in the examples of Berlioz and Brahms (22.4% and 25.5% respectively). It should also be noted that the dyadic interval of augmented sixth appears

considerably more often in these examples, as compared to

examples from Baroque and Classical periods.

TABLE XLII

DYAD INTERVALS IN THE MUSIC OF BERLIOZ, BRUCKNER, AND BRAHMS

Intervals	Berlioz	Bruckner	Brahms
	Percentages	Percentages	Percentages
Perfect Unison	00.00	0.12	0.00
Minor Second	0.51	0.12	0.00
Major Second	4.46	3.38	3.61
Minor Third	10.10	8.22	11.51
Major Third	16.83	9.18	20.72
Perfect Fourth	5.31	5.80	4.27
Augmented Fourth	1.42	1.08	0.16
Diminished Fifth	3.75	0.60	0.32
Perfect Fifth	13.47	11.60	16.94
Augmented Fifth	0.77	0.12	0.16
Minor Sixth	6.73	6.04	6.90
Major Sixth	6.86	8.82	7.56
Minor Seventh	3.88	2.53	2.46
Major Seventh	1.81	0.48	0.32
Perfect Octave	22.40	41.11	24.50

While the frequency of occurrence of dyadic intervals manifests certain stylistic tendencies, the manner of dyadic succession is an aspect which is more indicative of stylistic differences. This aspect will be dealt with later in a greater detail; it will suffice to mention here the following observations in these Romantic examples. The major and minor consonant dyadic intervals (i.e., major and minor thirds and sixths) are preceded or followed by any other intervals with no predominance of any particular

dyadic motion. The perfect consonant dyadic intervals (fourths, fifths, and octaves) are preceded or followed by by any interval, with a slight preference for major and minor consonant intervals and augmented or diminished intervals. However, noteworthy is the fact that these perfect consonant intervals are often preceded or followed by other perfect consonant intervals. This is in contrast to that in examples of Baroque and Classical eras. The augmented dyadic intervals are generally preceded by any intervals and followed by a larger consonant interval, either perfect, major or minor (for example, from major third to augmented fourth to perfect fifth). The diminished dyadic intervals are generally preceded by any interval and followed by a smaller consonant interval, either perfect, major, or minor (for example, from minor sixth to diminished fifth to perfect fourth). The dyadic motions of major and minor dissonant intervals (seconds and sevenths) show no particular manner of succession; they are preceded or followed by any interval. In general, the dyadic successions in these Romantic examples reveal that any interval can be preceded or followed by any other interval, with no particular preference in their succession. This can be viewed as a phenomenon indicating a general lack of any controlled contrapuntal movements between soprano and bass lines.

One additional aspect which needs examining is the relationship between certain dyadic intervals and their

corresponding harmonies. It is to be noted that certain harmonies are more frequently associated with certain dyads in these Romantic examples and, through this relationship, certain conclusions may be drawn which in turn, may be applied in a stylistic study. The major and minor consonant intervals (thirds and sixths) are more frequently associated with major and minor chords. The perfect consonant intervals (fifths, fourths, and octaves) are often found to be associated with all chord types but more often with major and minor chords. The major and minor dissonant intervals (seconds and sevenths) as well as the perfect fourth, are more often associated with dominant function chords. The augmented intervals (augmented fourth, augmented fifth, augmented sixth, and augmented seconds) are more often associated with dominant function harmonies (i.g., dominant seventh chords, augmented dominant triad, enharmonic dominant, and "nondominant"¹ diminished seventh chords). The only exception to the above dyadic-harmonic association is the dyadic augmented sixth which often implies some altered subdominant function harmonies (i.e., augmented sixth chords). The diminished intervals (fifths and sevenths) are often associated with dominant function harmonies.

¹The term describes the particular manner in which a fully diminished seventh chord is "resolved." That is, while a diminished seventh chord is regularly implying a dominant function (i.e.,vii⁰7 of the resultant harmony), this particular manner employs it as a decorative chord--nonessential harmony--containing two chromatic appoggiaturas. Examples are $\#_{Vi}^{0}7$ and $\#_{ii}^{0}7$, "resolving" to V and I respectively. (Cf. R. Ottman, Advanced Harmony, pp.169-170).

CHAPTER V

CONCLUSIONS

This study has attempted to show another aspect of parametric analysis that may contribute to further clarification of stylistic differences in music. This study has proposed that, through a careful analysis of the two-part framework, along with analytical comparison of monadic and dyadic content and their manner of employment, an additional perspective can be offered in a stylistic study. It is not the intent of this study to suggest that dyadic and monadic analysis replace harmonic analysis; rather, it is to propose that such an approach will supplement harmonic and other parametric analyses in understanding stylistic differences.

This study has examined dyadic and monadic interval content, dyadic succession, and direction of monadic interval motion in selected works from the Baroque, Classical, and Romantic periods. More specifically, works by different composers in a given historical era have been analyzed and compared. However, little has been said regarding the stylistic differences of these historical periods. This chapter will summarize the main points of observation of musical style in each era, and discuss the validity of the two-part framework as an aspect of stylistic comparison. A comparison

of the three style periods will then be made. Finally, the validity of the two-part framework as an analytic criteria will be demonstrated through analysis of other examples of choral and instrumental music from the three style periods, and the stylistic features thus validated will then be applied through imaginary pedagogical settings.

In the preceding chapters, the monadic content and succession in selected examples of three representative composers from each of the three historical eras have been tabulated and the results analyzed. The "mean" frequency of occurrence of monadic and dyadic intervals may then be taken as representing general stylistic features of the historical period, while the differences of such intervallic usages among these composers may be taken as an indication of certain characteristics marking the individuality of each composer's "personal style". A brief summary of the stylistic features pertaining to each historical period and significant personal compositional styles seems appropriate here.

Music of the Baroque Period

The soprano lines in these Baroque examples show certain consistency with regard to the usage of the six "melodic monads": perfect unison, minor and major seconds, minor and major thirds, and perfect fourth. These intervals occupy more than 90% of all intervallic content in the melodic (soprano) lines. However, some differences in the usage of

these, and other, intervals show certain individual traits of these composers. For example, the perfect unison (i.e., repeated notes) is used much less frequently in Bach's melodies than in Rameau's or Vivaldi's examples. This may, perhaps, be regarded as a manifestation of the intrinsic contrapuntal nature (i.e., linearly controlled motion) of Bach's melodies, as opposed to a more "harmonically" oriented writing of the latter two. An examination of the minor thirds reveals a gradual decline in use from Rameau to Vivaldi to Bach while the major third declines in use from Rameau to Bach to Vivaldi. All trends in interval usage may be linked to contrapuntal writing or the lack of it in these composers' examples. Interestingly, however, the perfect fourth and fifth monads are used more in the Bach examples than in the Rameau and Vivaldi examples. This may, perhaps, contribute to the so called "non-vocal" nature of Bach's melodic writing.

The monadic content of the bass lines in these Baroque examples are considerably different than that of the soprano lines, due primarily to the "harmonic" intervals of perfect fifth and octave. The combined percentage of the six "melodic" intervals, however, still constitutes a great majority (more than 80%) of the intervallic content in the bass lines. Differences in the use of certain intervals have been noted: these may be regarded as contributing to the personal stylistic traits of the composers. For example, the perfect unison

(i.e., repeated notes) is used much less frequently in Bach's bass lines than in Rameau or Vivaldi, supporting the more linear and contrapuntally independent or less harmonically static quality of Bach's part writing. The perfect fourth exhibits no particular differences among the three composers examples; the frequency of occurrence is approximately twice as much as compared to the soprano lines. This is indicative of the more "harmonic" nature of the Baroque bass lines, as compared to the more "melodic" nature of the soprano lines. The perfect fifth and perfect octave are also used in a greater frequency, due to the same "harmonic" nature of the bass lines as mentioned above.

The general consistency in the direction of monadic interval motion in both the soprano and bass lines of these Baroque examples can be observed: minor and major thirds are predominantly descending; perfect fourths are generally ascending, while perfect fifths are most often used in a descending direction. The direction of octave motions in soprano and bass lines show certain differing preferences: it is more often descending in soprano lines while ascending in bass lines. A notable exception to this octave movement may be found in Bach and Vivaldi's examples: the descending movement is more prevalent in the bass lines of Vivaldi, while it is the ascending movement in Bach's soprano lines.

The dyadic content of these Baroque examples, like the soprano and bass lines, primarily consists of six intervals

(more than 75%). These six "harmonic" intervals are major and minor thirds, perfect fifth, major and minor sixths, and perfect octave. It goes without saying that these intervals are the primary intervals in the formation of tertian harmony. There are, however, noteworthy differences in the use of individual intervals with regard to percentage occurrences. Major seconds and minor thirds are used considerably more often in Rameau and Bach's examples than in Vivaldi's. The major third is used more often in Vivaldi and Bach's examples than Rameau which, perhaps, is indicative of a more dissonant nature in the dyadic examples of Vivaldi and Bach's music.

The combined occurrence of the perfect fifth and perfect octave in all these Baroque examples constitutes a very high percentage in the total dyadic content. Interestingly, the combined percentage occurrence of minor and major thirds (nearly equal to the combined percentage occurrence of the perfect fifth and perfect octave in all these Baroque dyadic examples) is nearly twice that of the combined percentage occurrence of minor and major sixths.

The consistency in the manner of the dyadic succession (movement from one dyad to another) is to be observed in the examples of all these Baroque composers. Particularly, certain dyadic successions are found to be common in these Baroque examples and are, at the same time, stylistically characteristic to the Baroque period. Major and minor

consonant intervals may be preceded or followed by any interval with the only exception that an interval is seldom followed by another of the same size and quality such as a major third to another major third, or a perfect consonant to another perfect consonant (of either the same or different size). A perfect interval is usually preceded or followed by a major or minor consonant interval. Major and minor dissonant intervals may be preceded or followed by any interval except one of the same size and quality.

Music of the Classical Period

The soprano lines of these classical examples show certain consistency with regard to the combined usage of the six "melodic" monads. These intervals occupy more than (90%) of all intervallic content in melodic (soprano) writing. The usage of each interval, however, varies from composer to composer. In general it may be said that, with few exceptions, Haydn's and Mozart's soprano lines are very similar with regard to individual interval content. Beethoven, however, is strikingly different in the use of each interval. For example, the use of repeated note (perfect unison) and perfect octave is considerably more in Beethoven's examples than Mozart or Haydn. This may be due, at least in part, to two factors: a greater amount of contrapuntal writing in the examples of Mozart and Haydn, and the use of the repeated notes for emphasis of certain

important notes in Beethoven's examples. Other examples of different interval usages in Beethoven soprano lines are as follows: more major and minor sixths, less minor seconds, less major and minor thirds, more augmented fourths, and less perfect fourths. All of these factors combine to make Beethoven's melodies less lyrical in character and more instrumental than vocal in nature.

The bass lines of these classical examples, like the soprano lines, show certain consistencies among composers with regard to the combined usage of the six "melodic" monads. These intervals occupy more than 80% of all intervallic content in Haydn and Beethoven's examples and more than 90% in Mozart's examples. The chief difference of the bass lines as opposed to the soprano lines lies in the increased usage of the so called "harmonic" intervals of the perfect fourth, perfect fifth and perfect octave, particularly at cadence points. Interestingly, Mozart used the intervals of minor and major third considerably less than in his soprano lines. This is due primarily to an increased usage of perfect unison and perfect octave. The differences of Beethoven as compared to Haydn and Mozart are essentially the same as mentioned regarding the soprano lines.

The dyadic content of these classical examples show certain consistencies among the composers with regard to the combined usage of the six "harmonic" intervals (dyads).

These intervals occupy approximately 80% of the total dyadic content in Mozart's and Haydn's examples, while only approximately 70% in Beethoven's examples. The lower percentage of "harmonic" examples in Beethoven's examples is due primarily to the increased usage of the more dissonant intervals: major second, minor seventh, and perfect fourth. These intervals are usually associated with the dominant seventh chord and consequently provide Beethoven's music with a harmonically less stable, more active sound.

Another interesting factor in the examples of Mozart is the use of minor and major thirds and their inversions, major and minor sixths. The difference between this two groups of intervals is negligible (.19%), which is in direct contrast to Haydn's and Beethoven's examples where the percentage occurrence of major and minor sixths is almost half that of minor and major thirds. In fact the use of major third and its inversion of minor sixth and minor third and its inversion of major sixth are nearly equal. This use of thirds and sixths gives Mozart's examples a more attractive character that is distinctly different from that of Haydn or Beethoven.

The direction of interval movement in the soprano lines of these classical composers reveals certain consistencies that may be taken as indicative of the historical style, while certain differences may be noted that are indicative of "personal" style. For example: minor thirds

are more frequently descending in all these examples, while the major third is more frequently descending in Haydn's and Beethoven's examples while it is more frequently in ascending motion in Mozart's examples.

Other differences that are noted are: Mozart's use of ascending perfect octaves as compared to Beethoven and Haydn's use of descending octaves, and the descending tritone (both augmented fourth and diminished fifth) in the examples of Beethoven as compared to the ascending in Mozart and Haydn's examples.

The direction of interval movement in the bass lines of these classical examples are as follows: major and minor thirds are predominantly descending while the majority of perfect fourths are in the ascending direction. All tritones and the majority of perfect fifths are descending. Perfect octaves are predominantly descending, except for Mozart examples where ascending octaves are the norm. In general, the movement of the so-called harmonic interval (perfect fourth and perfect fifth) are directly related in both the soprano lines and bass lines to the dominant-tonic relationship: perfect fourths move up and perfect fifths move down.

Dyadic succession of these classical examples is consistent in the manner in which it is employed. Major and minor consonant intervals are preceded or followed by any interval. As a general rule, however, intervals of

the same size and quality are seldom preceded or followed by each other: for example, major third to major third. There are, however, some occurrences of this kind of succession, but it is decidedly a rare case. Perfect consonant intervals are almost always preceded and/or followed by any intervals other than perfect consonant intervals. Major and minor dissonant intervals and augmented and diminished intervals are generally preceded and followed by any consonant intervals, with a few exceptions: most notably, minor dissonant intervals are preceded or followed by augmented or diminished intervals.

Music of the Romantic Period

The soprano lines of these Romantic examples show certain consistencies among composers with regard to the combined percentage occurrence of the six "melodic" monads. These intervals occupy more than 90% of the total intervallic content in the soprano lines of these Romantic examples. This, however, is where the similarity ends among these composers; for, of the three periods studied, the Romantic period exhibits the most marked differences among composers with regard to the percentage occurrence of intervals. For example: the repeated note (perfect unison) in Berlioz's soprano lines occurs quite frequently while it occurs considerably less frequently in the examples of Bruckner and Brahms. The intervals of major second, major and minor

thirds, and perfect fourth occur considerably more often in Brahms' soprano lines than in Berlioz or Bruckner. This is indicative of a more disjunct approach to melody in Brahms' soprano lines as opposed to the more conjunct (stepwise motion) in Berlioz and Bruckner's melodies. Bruckner, however, uses the perfect octave more often than Berlioz or Brahms.

The direction of interval movement is, perhaps, more indicative of personal differences among these Romantic composers. For example, while minor thirds are predominantly ascending in Berlioz and Bruckner's examples, they are descending in Brahms' examples. Interestingly, both Berlioz and Brahms used ascending perfect fifths a majority of the time, this is the contrast to the accepted practice of perfect fifth downward motion in Baroque and Classical soprano lines. In addition, Brahms employed the movement of perfect fourths of descending direction in a far greater frequency than ascending. Bruckner, on the other hand, used the more traditional (Classical and Baroque) fashion of ascending perfect fourth up and descending perfect fifth in his soprano lines. The conclusion that may be drawn from this observation is that Romantic composers largely discard the need to adhere to the established interval motions as shown in the earlier tradition.

The interval contents of the bass lines in these Romantic examples are, like the soprano lines, markedly

different between each individual composer's practice. For example, the amount of the perfect unison in Berlioz's examples is nearly twice that of Bruckner and Brahms. This extremely high occurrence of repeated notes in Berlioz's examples accounts for the very stagnant, "non-melodic" character of his bass lines. Some other extreme differences in interval usage in the bass lines of these examples are as follows: occurrence of minor thirds in Brahm's examples is twice that in Berlioz and Bruckner's examples, more than twice the percentage occurrence of perfect fifths in Brahms' as compared to that in Berlioz and Bruckner's, and Berlioz's considerably lower frequency of occurrence of major seconds and perfect octaves as compared to Bruckner and Brahms'. It would appear, from these observations, that Berlioz and Brahms are extremely different from each other with regard to interval content, while Bruckner's usages stand somewhere in between those two.

The direction of interval movement in the bass lines of these Romantic examples is comparatively more consistent among these composers, with certain exceptions. For example: perfect octave is primarily in descending motion in Berlioz and Bruckner's examples, while it is primarily ascending in Brahms'. Major thirds are almost equally divided between ascending and descending motion in all examples (with Brahms using slightly more ascending and

Berlioz and Bruckner using slightly more descending). Minor sixths are always ascending in Berlioz and Bruckner's examples while it is primarily descending in Brahms' examples.

The consistency with which certain intervals occur in the dyadic content of these examples has been previously There are, however, certain differences among these noted. composers that may indicate certain "personal" stylistic traits. For example, Bruckner's use of the perfect octave (which occupies approximately half of the total dyadic content) is nearly twice that of Brahms and Berlioz. The use of major thirds is considerably greater in Brahms' examples than Bruckner or Berlioz. The use of dissonant intervals (major and minor seconds, major and minor sevenths, augmented fourth and fifth, and diminished fifth) is considerably greater in the examples of Berlioz as compared to Brahms and Bruckner. The above usages contribute to the general musical impression of these composers; that is, in terms of dyadic interval content, Berlioz's music may be described as of a dissonant nature, while Bruckner's is of a more open and more stagnant sound, and Brahms' more consonant.

Dyadic succession in these Romantic examples is unlike that of the Baroque and Classical stylistic periods. In the Baroque and Classical examples there is a general avoidance of successive intervals of the same size and quality. In the Romantic examples studied, however, there are found

many instances of successive perfect fifths and octaves and successive intervals of the same size and quality. Although these instances are not in the majority, they are nonetheless frequent enough to indicate that the use of successive intervals of the same size and quality is not as carefully avoided as was in the previous stylistic eras, and that these Romantic composers were not as concerned about the parallel interval motions between the two outer parts as were Baroque and Classical composers. In some instances, it would seem that Romantic composers used these successiveparallel intervals deliberately to create a different chordal color and texture to music.

Soprano Lines of the Baroque, Classical and Romantic Periods

The interval content for each historical period is obtained by averaging the occurrences of each interval in the works of the three composers in the period. The following table illustrates these "mean" percentages and may be used for a comparison of three stylistic periods in terms of the monadic content in the melody (i.e., soprano lines).

As indicated in Table XLIII, the use of repeated notes (perfect unison) is considerably greater in the Classical examples than in the Baroque or Romantic examples. This is due largely to Beethoven's frequent use of repeated notes. While the use of minor second is nearly equal among

TABLE XLIII

Intervals	Baroque Percentages	Classical Percentages	Romantic Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	21.53 22.57 33.99 6.30 4.71 5.43 0.09 0.49 2.44 $$ 0.54 0.72 0.13 0.18 0.49	30.53 20.30 25.48 6.65 4.80 5.34 0.12 0.24 2.54 $$ 0.86 0.90 0.41 0.08 1.52	26.08 22.71 27.55 7.55 5.06 5.85 0.13 0.18 2.02 0.78 0.50 0.36 0.00 0.92

THE SOPRANO INTERVALS OF BAROQUE, CLASSICAL, AND ROMANTIC MUSIC

all three style periods (only 2.41% difference from lowest to highest); the major second is used considerably more in the Baroque examples and occupies one-third of the total monadic content, as compared to only one-fourth in the Classical and Romantic periods. Upon closer examination, certain historical trends may also be noticed in soprano interval use. For example, the usage of minor and major thirds increases slightly from Baroque to Classical to Romantic, while the tritone decreases in use from Baroque to Classical to Romantic. It is also interesting to note that the frequency of usage of the perfect fourth and fifth intervals is almost equal in all three style periods (approximately half of one percent separates the lowest and highest percentage occurrence of each interval. Lastly, it is to be noted that the use of the six melodic monads is nearly equal in all three periods (94.53% Baroque, 93.10% Classical, and 94.80% Romantic.)

The direction of interval movement in the soprano lines exhibits more clearly than the monadic content the stylistic differences of these historical periods. For example, Romantic composers are more inclined to use ascending minor thirds, while Baroque and Classical composers prefer descending minor thirds (see Table XLIV). It

TABLE XLIV

THE	SOPRANO	INTERVAL	MOVEMENT	OF	BAROQUE,	CLASSICAL,
		AND	ROMANTIC	MUS	SIC	~

	Ba Perc	roque entage	Classical Percentage		Romantic Percentage	
Intervals	Up	Down	Up	Down	Up	Down
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	34.4 22.2 73.0 33.3 31.5 54.6 60.0 20.0 00.0 17.6	65.6 77.8 27.0 66.7 68.5 45.4 40.0 80.0 100.0 82.4	32.4 46.5 68.3 33.3 54.6 38.1 40.0 59.2 62.5 100.0 63.0	67.6 53.5 31.7 66.7 44.4 61.0 60.0 40.8 37.5 00.0 37.0	54.3 43.5 59.0 75.0 33.3 64.6 85.7 74.6 44.4 38.9	$\begin{array}{r} 45.7\\ 56.5\\ 41.0\\ 25.0\\ 66.7\\ 35.4\\\\ 14.3\\ 25.4\\ 55.6\\\\ 61.1 \end{array}$

is also worth notice that, while all three periods frequently use major thirds in descending motion, the Baroque period uses descending major thirds more than the Classical or Romantic period. Certain trends in interval movement can be noticed also: the use of ascending perfect fourths decreases (from the Baroque) in Classical and further in the Romantic period (73%, 68.3%, and 59% respectively). Among these three periods, the differences in the Romantic period is most noticeable with more ascending minor thirds, more descending perfect fourths, more ascending augmented fourths, and more ascending major and minor sixths.

Bass Lines of Baroque, Classical, and Romantic Periods

The intervallic usage in the bass line reveals the marked differences of not only monadic content but also the implied harmonic practices of these three historical eras. For example, the frequency of use of the repeated note (perfect unison) in the Classical and Romantic examples is far greater (twice as frequent) than that in the Baroque examples (see Table XLV). At the same time, the Baroque examples use more minor and major seconds (50.11%) of the total intervallic content than the Classical or Romantic examples (35.2% and 34.23%). These factors (e.g., more frequent use of major and minor seconds and less frequent use of perfect unisons in the Baroque bass lines) are indeed a manifestation of the more contrapuntal nature of Baroque music, as opposed to the more harmonic or homophonic nature of the Classical and Romantic periods.

TABLE XLV

Intervals	Baroque Percentages	Classical Percentages	Romantic Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	$ \begin{array}{r} 17.36\\ 21.78\\ 28.33\\ 6.25\\ 4.41\\ 9.13\\ 0.54\\ 0.44\\ 5.80\\ \\ 0.54\\ 0.59\\ 0.24\\ 0.14\\ 4.16 \end{array} $	35.33 17.01 18.81 5.11 4.23 8.17 0.12 0.16 5.23 $$ 0.50 0.41 0.29 0.12 4.23	30.19 15.04 19.19 7.14 4.71 9.57 0.20 0.30 8.71 $$ 0.75 0.70 0.35 0.10 2.33

THE BASS INTERVALS OF BAROQUE, CLASSICAL, AND ROMANTIC MUSIC

As Table XLV further reveals, the one noticeable difference in the bass line monadic contents of the three periods is the more frequent use of the perfect fifth and less frequent use of the perfect octave in the Romantic period. The increased use of the perfect fifth, particularly that in the descending motion (see Table XLVI) in these Romantic bass lines, is attributable to a greater use of subdominant function harmonies which is characteristic of Romantic harmony. These include not only the diatonic subdominant harmonies but also subdominant substitutes and altered subdominants (i.e., neopolitan sixths and augmented sixths). While interval direction of the perfect fourth in all these examples is generally ascending, the percentage occurrence of such ascending motion also indicates a steady decrease from Baroque to Classical to Romantic. It is interesting to note that while the harmonic relationships of dominant to tonic and tonic to dominant prevails throughout the entire common practice period, this relation occurs in greatest frequency in the Baroque period, less frequent in Classical, and even less so in the Romantic period. In other words, the use of interval directions of the perfect fourth and fifth coincides with the general trend of employing subdominant and dominant function harmonies in these style periods.

TABLE XLVI

	Ba Perc	roque entage	Cla Perc	ssical entage	Ron Perc	antic entage
Intervals	Up	Down	Up	Down	Up	Down
Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Major Seventh Perfect Octave	23.618.775.991.700.026.800.033.360.000.048.2	76.4 81.3 24.1 8.3 100.0 73.2 100.0 66.7 40.0 100.0 51.8	36.5 24.7 59.6 00.0 23.2 66.7 48.9 70.0 33.3 56.4	$ \begin{array}{r} 63.5\\ 75.3\\ 40.4\\ 100.0\\ 100.0\\ 76.8\\\\ 33.3\\ 51.1\\ 30.0\\ 66.7\\ 43.6\\ \end{array} $	34.2 49.8 55.5 25.0 00.0 31.2 70.4 63.5 91.7 00.0 43.8	$ \begin{array}{r} 65.8\\ 50.2\\ 44.5\\ 75.0\\ 100.0\\ 68.8\\\\ 29.6\\ 36.5\\ 8.3\\ 100.0\\ 56.2\\ \end{array} $

BASS INTERVAL MOVEMENT OF BAROQUE, CLASSICAL, AND ROMANTIC MUSIC

With regard to the direction of monadic movement in the bass lines, certain consistencies can be observed. For example, major and minor thirds are primarily used in the descending direction, minor sevenths are primarily ascending, and major sevenths are primarily descending. Perfect fourths are primarily ascending and perfect fifths descending (see above). Aside from these consistencies, there are stylistic differences and trends in interval direction that deserve mentioning. For example, the descending major thirds decrease in use from Baroque to Classical to Romantic (81.3%, 75.3%, and 50.2% respectively.) The augmented fourth is nearly always in ascending direction in the Baroque period but the practice is completely reversed (i.e., in descending motion) in the Classical and Romantic periods. The minor sixth always appears in ascending motion in the Baroque bass lines, while this interval is predominantly in ascending motion in the Classical and Romantic examples. The use of descending major sixth decreases from a substantial majority in the Baroque period (66.7%), to a slight majority in the Classical period (51.1%), to a definite minority in the Romantic period (36.5%). The use of minor seventh, while remaining mostly in the ascending motion in all three style periods, increases from the Baroque to Classical to Romantic periods (60%, 70%, and 91.7% respectively).

The Two-part Framework of Baroque, Classical, and Romantic Music

The dyadic content of examples in all three historical periods reveals certain consistencies as well as some noticeable differences. While the consistencies can be viewed as indicative of the features which bind the music of these periods into "common practice", the differences are indeed manifestations of stylistic changes in compositional practices among these periods. It should be noted, however, that most of the percentages are not extremely different between the three style periods. The degree of difference diminishes when the dyadic occurrences of all composers' examples in each stylistic period are averaged (i.e., showing mean percentages). That is, while percentage occurrences of individual composers may differ substantially among style periods, when all occurrences within each period are averaged, the resulting mean averages reduce the degree of difference.

The use of major second and perfect fourth is nearly equal in all three historical periods (see Table XLVII). The percentage occurrence of minor second shows a steady decline from the Baroque to Classical to Romantic era. The use of minor thirds also exhibits a consistent decline from the Baroque to Classical to Romantic periods, with the largest difference occurring between the Baroque and Classical periods. The use of the major third, while nearly equal

between the Baroque and Romantic period, is somewhat less in the Classical period. While the steady decline of the augmented fourth and diminished fifth (tritone) from the Baroque to Classical to Romantic periods is noteworthy, it should be pointed out that the diminished fifth is used more frequently than the augmented fourth in each of the style periods. The higher incidence of the tritone in the Baroque period is due, perhaps, to the greater frequency occurrence of tritone in Vivaldi's examples (see Table XIV, p. 28). The perfect fifth occurs more frequently in the Baroque examples than the Classical or Romantic, the latter two having nearly equal frequency of usage. The use of major and minor sixths is greatest in classical music than Baroque or Romantic. The minor seventh exhibits a steady decline of usage from Baroque to Classical to Romantic, with the Romantic period having the lowest percentage occurrence.

As Table XLVII shows, the greatest difference between the three stylistic periods is seen in the use of the perfect octave. The dyadic octave increases in frequency from the Baroque to Classical to Romantic period, the increase being approximately two-fold from the Baroque to Romantic (15.14% Baroque, 22.19% Classical, and 29.99% Romantic). It is, however, in the manners of dyadic succession that significant stylistic features of these historical periods can be observed.

TABLE XLVII

Intervals	Baroque Percentages	Classical Percentages	Romantic Percentages
Perfect Unison Minor Second Major Second Minor Third Major Third Perfect Fourth Augmented Fourth Diminished Fifth Perfect Fifth Augmented Fifth Minor Sixth Major Sixth Minor Seventh Perfect Octave	$\begin{array}{c} 0.00\\ 0.76\\ 3.46\\ 15.41\\ 15.10\\ 5.39\\ 1.75\\ 2.60\\ 16.31\\ 0.22\\ 7.95\\ 9.48\\ 4.71\\ 0.80\\ 15.14 \end{array}$	$\begin{array}{c} 0.11\\ 0.52\\ 3.09\\ 10.87\\ 13.74\\ 6.25\\ 1.63\\ 2.19\\ 13.78\\ 0.07\\ 8.30\\ 10.09\\ 4.28\\ 0.48\\ 22.19\end{array}$	$\begin{array}{c} 0.04\\ 0.22\\ 3.89\\ 9.78\\ 15.04\\ 5.21\\ 0.95\\ 1.63\\ 13.72\\ 0.36\\ 6.52\\ 7.79\\ 2.99\\ 0.90\\ 29.99\end{array}$
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THE DYAD INTERVALS OF BAROQUE, CLASSICAL, AND ROMANTIC MUSIC

In the Baroque period, intervals are rarely preceded or followed by intervals of the same size and quality: for example, perfect fifths and octaves are very seldom preceded or followed by perfect fifths and octaves respectively. In the Classical period, major and minor consonant intervals are preceded and followed by any interval including those of same size and quality (e.g., major and minor intervals). Perfect consonant intervals are generally preceded or followed by intervals of different size or quality; however, intervallic successions of the same size and quality may be occasionally found, as opposed to the obvious avoidance of such in the Baroque period. The Romantic period, on the other hand, indicates a considerable freedom with regard to dyadic successions, and intervals of the same size and quality may frequently be found preceding or following each other. Although not in the majority, perfect consonant intervals may also frequently be found to precede or follow other perfect consonant intervals. In short, the Baroque practice shows a high degree of rigidity in the employment of dyadic successions, while the Classical practice indicates a loosening of adherence to linear rules, and the Romantic practice is marked by freedom, not bound by any of the restrictions adhered to in the Baroque or Classical period with regard to dyadic successions.

Applications and Demonstrations

This study has primarily been concerned with the quantitative calculation of the frequency of occurrence of monadic and dyadic intervals and their movements. While it is not the intent of this study to replace musical analysis with quantitative information, it is believed that such information provides another perspective in the study of stylistic comparison of music. Particularly, the quantitative data of the dyadic content and succession (the "two-part framework) sheds a new insight to the understanding of harmonic-linear practices as a criterion in stylistic differentiation. That is, the quantitative information of dyadic progression further enhances the concept toward the stylistic discernment of polyphony, homophony, and anphony in the historical context, (i.e., Baroque, Classical, and Romantic respectively).

From the pedagogical point of view this offers itself as a useful vehicle in the course of teaching theory, particularly melody harmonization. For example, "how would Baroque, Classical, and Romantic composers harmonize the same melody but using different linear harmonic idioms?" should be regarded a valid question posed in a sophomore theory class. For the purpose of demonstrating the validity of the findings of this study and their practical applications, the following examples are given. Melodic materials are selected from a Bach chorale and a Beethoven piano sonata. In harmonizing these same melodies in different styles, the process of composing the various bass lines attempts to incorporate information from the three style periods regarding their bass lines and dyadic contents. Some of the percentage occurrences may not exactly correspond with the "ideal" criteria (e.g., as found in Tables XLV and XLVII), they are nontheless kept to the closest possible approximations.

"O Sacred Head Now Wounded" (passion chorale) of Bach's chorale harmonizations represents a nearly "ideal" example incorporating a very close approximation of monadic content in soprano and bass, and dyadic content, observed in the Baroque examples.

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Figure 2: The Baroque Example, Chorale #72

The following arrangements, based on the same soprano line, incorporate different bass lines and dyadic content to exemplify Classical and Romantic stylistic criteria. Different harmonic progressions are also employed to further strengthen the stylistic differences. By varying the monadic content of the bass line and the resulting dyadic content, this version manifests Classical traits of harmonization. Different bass line and the resultant dyadic progression necessitates a different harmonic progression; it is, however, not the intent of this study to make comparative study of harmonic idioms in these historical eras. This version illustrates the interval content of the vass line and dyadic content of the Classical example which are different from that of the Baroque period. The same melody can be further modified by incorporating Romantic traits with regard to the monadic content of the bass line and the dyadic content.







Figure 3: The Classical Example, Bach Chorale

As the following version illustrates, the mere change of bass line content and dyadic content bring about changes in the character of the music which differs from that of the Baroque and Classical period. It goes without saying that the Romantic harmonic language is considerably different from that of the Baroque and Classical periods.







Figure 4: The Romantic Example, Bach Chorale

The following examples are used to further illustrate the application of the procedure and demonstrate that stylistic consideration of monadic and dyadic content and their successions has a certain degree of validity whether it is vocal or instrumental music. The melody is from Beethoven's Piano Sonata, Opus 13, second movement.





Figure 5: Beethoven's Piano Sonata, Opus 13 (excerpt)

The following two versions, using the same melody with some modifications, have different bass lines and dyadic contents from the original example in order to simulate the Baroque and Romantic styles. This was done by following the interval contents of the bass line and dyad as closely as possible to the quantitative information in Tables XLV (for bass line) and XLVII (for dyadic content).








Figure 6: The Romantic Setting, Beethoven's Piano Sonata





Figure 7: The Baroque Example, Beethoven's Piano Sonata It should be added that since the soprano lines that

are used in these reharmonizations are "Baroque" and "Classical" in nature, there is an inherent problem in the process of rewriting the bass lines and dyads to simulate the Baroque, Classical, and Romantic styles. As mentioned earlier, the soprano lines differ somewhat from one style period to another and, therefore, the process of reharmonizing the same melody in different styles can not be expected to be totally cohesive. However, the pedagogical implications and benefits from such a procedure should be apparent from these demonstrations.

Epilogue

"Style" perhaps more than any other commonly used musical (and art in general) terminology, defies any attempt at a concise definition. The term has been in general use since early seventeenth century (e.g., stile antico vs. stile moderno), or even earlier if one considers the fact that early composers had attempted to distinguish the compositional "style" of the immediate era from the preceding one (e.g., ars nova vs. ars antiqua). However, in spite of its long history and wide usage, a concise definition of style is all but impossible; consider, for example, the long list of criteria for stylistic determinant as found in various works expressly addressing to the problem of style, (La Rue, Dickinson, and Ratner). This problem of defining style is further complicated by the fact that the term may connote any number of aspects, from a historical (such as Baroque style vs. Classical style), formal (e.g., Symphonic style vs. Opera style), textural (e.g., Polyphonic style vs. Homophonic style), national (German style vs. French style), to personal (Haydn vs. Mozart) or even within one composer's changes in personal style (three style periods of Beethoven).¹

It is not difficult to find in many current theory textbooks some references to style, whether or not such reference

¹Willi Apel, "Style," <u>Harvard Dictionary of Music</u> Second Edition, Harvard University Press, Cambridge, Massachusetts, 1969, pp. 811-812.

is a conscientious or implicit one. For example, in illustrating the use of "borrowed chords," one finds the majority of examples excerpted from late Classical or Romantic works, but not from the Baroque; or the augmented sixth from the same eras but seldom from the Baroque. Or, consider also, the textbook definition of non-harmonic tones; seldom are the illustrative excerpts from post-romantic works. From such observation, one may conclude that the discussion of style and its multi-faceted manifestations deal primarily in the generalization of musical practices which are seen as the prevailing norm. That is, if a certain practice is employed frequently in the majority of works of the same historical period, that practice becomes one aspect of the musical style of that particular historical era.

In this sense, the term <u>style</u> pertains, to a certain extent, to any aspect of musical practice (or the manner of employing certain musical parameters) which, due to its significant frequency of occurrence, is regarded as a norm. Or, the frequency of its occurrence is considerably great to the extent that the degree of surprise (the bits of information) is small. The inclusion of this aspect in a rigorous stylistic study entails a quantitative comparison, which is an aspect of information theory. Although this branch of study is of recent emergence, many earlier treatises foreshadowed the approach: McHose's study of harmonic vocabulary in Bach's chorales is one such work. There are indeed many

significant studies in recent years which approach the problem of stylistic study by way of quantitative analysis (Baker, 1963; Bean, 1961; Choen, 1952; Fuller, 1965).

It is imperative to remember that the quantitative analysis or the employment of information theory in a stylistic study is not intended to replace the traditional approaches. The quantitative approach is but one additional vehicle to further supplement the conventional analytic studies whereby the complexity of style can be more concisely defined and the resultant data more graphically used to support the stylistic differences.

The present study is, in essence, an examination of the monadic and dyadic practices of the common practice period by way of quantitative analysis. The data itself, however, offers little significance; particularly in the light of the fact that the material, both in terms of the number of musical works and their medium, is limited. The data could not and should not be taken as representative or revealing criteria. This study is intended only to call attention to one aspect of comparative analysis which heretofore has escaped consideration. That is, the use of intervals and the directions of their movement in the soprano and bass lines and, perhaps more importantly, the use of dyads and dyadic successions illustrate stylistic changes which occur during the common practice period. Indeed the examination of the manner of intervallic employment in stylistic study can be traced

back to medieval times, such as the manners of employing fourths, thirds, sixths, etc. The importance of intervals in the examination of music as narrated in many historical treatises from the Renaissance to the present time reflects such a concern.

Finally, it should be noted that, while the monadic/ dyadic intervals in the two-part framework are important in the determination of style, they may also be used in connection with harmonic vocabulary in stylistic analysis. In this sense, it is found that dyads and dyadic succession either control the harmony or are controlled by harmony. The musical examples used in this study reveal certain consistencies with regard to dyads and their coexisting harmonies. For example, the harmony of musical examples in the Baroque period are primarily determined by the linear motions of the melodic soprano and bass lines. The harmony, then, is controlled by the dyads and dyadic successions. In the Classical period, harmony is the controlling factor in dyadic successions, as exemplified in the great majority of examples. Because of greater freedom in dyadic succession and an expanded harmonic vocabulary in the Romantic period, it is found that dyads and harmony are of equal importance, thereby making it difficult to judge which is the prominent determinant. This aspect indeed deserves further study and is worthy of future investigation.

APPENDIX

APPENDIX A

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00093:		02 FILLER	PIC X(5)	VALUE	SPACES.
00094:		02 P8	PIC 9(4)	VALUE	ZEBGES.
00095:	01	OETAIL2.			
00096:		02 UNW	PIC 29%99	VALI	JE ZERCES.
00097:		02 FILLER	PIC X(2)	VALUE	SPACES.
00098:		02 N2W	PIC 229.99	VALUE	ZEROES
: 00099:		02 FILLER	PIC X(2)	VALUE	SPACES.
00100:		02 M24	PIC ZZ9.99	VALUE	ZEROES
00101:		02 FILLER	PIC X(2)	VALUE	SPACES -
00102:		02 N3¥	PIC 229.99	VALUE	ZEROES.
00103:		02 FILLER	PIC X(2)	VALUE	SPACES.
00104:		02 M3W	PIC 229.99	VALUE	ZEROES.
00105:		02 FILLER	PIC X(2)	VALUE	SPACES
00106:		02 244	PIC 229.99	VALLE	ZEROES.
001001		02 FTEEPR	PTC X(3)	VALUE	SPACES
001045		02 449	PTC 279.99	VALUE	ZEROES.
. 001001		02 511158	P1C X(3)	VALUE	SPACES
00110*		12 DEL	PTC 779,49	VALUE	ZEROFS.
001111		02 ETLIER	PTC X(3)	VALUE	SPACES -
00112*		02 FILLEN 02 FPRU	PTC 779_99	VALUE	ZERDES
00113*		02 504	PTC 1131	VALUE	SPACES
00110+		02 ASU	PTC 779,49	VALIE	ZERDES.
	· · · · · · ·	02 AUN AS ETILED	PIC 22/07/	VALUE	SPACES.
00110.		02 11666	Dir 776.60	VALUE	ZERGES.
200112-		02 ROW		VALOE	SPACES.
) UU117. 	·		010 779 94	VALUE	758055.
00110*		- 02 1100 - 02 511150	010 662877	VALHE	SPACES.
1 00147*		- US N7H	D10 779.09	VALUE	ZERDES.
1 UULEU.		02 ETLIED	DTP V/31		SPACES-
4 UUI212		02 FILLER 03 N711	FIL ALGI DIC 770 00	ւստեստ։ Ծնները։	758058
4 44166.		02 197W	FIL 227+77	νης. Υλιμε	SPACES.
4 001231		do par	DIP 776 66		ZERDES
· UU127.	0.1	WE FON Werden	F20 443477	17696	
001204	u r	- HEADER1. - A2 - ET(1.50	DTP XIES	VALUE	SPACES .
80127:		02 FIII50	PIC X(9)	VALUE	PERFECT.
00128:		D2 FTUER	PIC X(A)	VALUE	*MINOR* -
001291		- 02 - 5 1 C C C C C	PTC X(A)	VALUE	* MAJOR + -
- × + + · ·			· · · · · · · · · · · · · · · · · · ·		· · · · ·

		رائر بالجور معجم وروبر برز الرائر المار المالي المحمة من المحمة الم
00130:		02 FILLER PIC X(8) VALUE *HINOR*
00131:		02 FILLER PIC X(7) VALUE MAJOR.
00132:	•	02 FILLER PIC X(8) VALUE "PERFECT".
00133		A2 FILLER PIC X4101 VALUE VALUE VALUE
001004		
001341		02 FILLER PIC X(9). VALUE ULMINISH.
00135:		0.2 FILLER PIC X(8) VALUE "PERFECT".
00136:		02 FILLER PIC X(11) VALUE *AUGMENTED*.
60137:		D2 FILLER FIC X(9) VALUE *MINOR*.
001381		
001304		
00109.		UZ FILLEN FIL X(3) VALUE BIGUR.
00140:		D2 FILLER FIC X(7) VALUE *MAJOF*.
00141:		02 FILLER PIC X(7) VALUE *PERFECT*
00142:		01 HEADER2.
06145:		02 FILLER PIC X(7) VALUE SPACES.
00144		02 FTILES DTP VIRY VALUE TUNTEONE
001454		
001401		DZ FILLER FIL XXAJ VALUE SECOND.
00146:		02 FILLER PIC X(8) VALUE *SECOND*.
00147:		02 FILLER PIC X(B) VALUE *THIRD*.
00148:		02 FILLER PIC X(E) VALUE +THIRD+.
00149:		02 FILLER PIC X(9) VALUE FOURTHY
00150		
001001		
00151:		UZ FILLER MIC X(%) VALUE "FIFTH".
00152:		02 FILLER PIC X(9) VALUE *FIFTH*
00153:		02 FILLER PIC X(2) VALUE *FIFTH*.
00154:		02 FILLER PIC X(9) VALUE *SIXTH*
00155+		
001004		
001264		UZ FILLEN FIC X(5) VALUE SEVENIHY.
001571		02 FILLER FIC X(9) VALUE 'SEVENTH'.
00158:		02 FILLER PIC X(6) VALUE *OCTAVE*.
00159:		PROCEDURE DIVISION.
00160:		MAIN-PAR
00161		
001011		na an ann an an ann ann ann ann ann ann
00162:		OPEN INPUT MEL-FILE, BASS-FILE, CHORD-FILE, OUTPUT PRI-FILE,
00163:		ACCEPT CONTROL-CARD.
00164:		MOVE SPACES TO PRI-REC.
00165:		WRITE PRT-REC FROM CONTROL-CARD AFTER ADVANCING 1 LINES.
08166:		WRITE PRT-REC FROM HEADERS AFTER ADVANCING S LINES.
001/74		HOITE OUT DECENSION CLASSON AFTER ADTRICTOR E LINES
00107.		WRITE FRITRED FROM HEADER2 AFTER AUVANDING I LINES.
001681		PERFURM MEL-PAR THRU MEL-EXIT UNTIL EUF = 1.
00169:		MOVE 0 TO EOF.
00170:		PERFORM PER-CENT THRU EXIT-PAR.
00171:		PERFORM BASS-PAR THRU BAS-EXIT UNTIL EOF = 1.
00172:		MOVE 0 TO FOF
001734		DECENDAR DECLEMENT TURN EVITARA
004JUN 004745		ECENCIE EXECUTE INVERTIONE ALTERNA BEBERGE ENOR ALTE TURN DE EXTERNATIONE EXTERNATIONE
UU1/41		PERFORM CHUND-PAR HARU CHU-EXII UNTIL EOF = 1.
00172:		PERFORM PER-CENT THRU EXIT-PAR.
00176:		CLOSE MEL-FILE, BASS-FILE, CHORD-FILE, PRT-FILE.
00177:		STOP RUN.
0017B:	• •	MEL-PAR.
00179-		READ MEL-FILE AT END MOVE 1 TO SOF. BO TO MEL-CVIT
- 001774		NEW HIGH TICH AL CHU HUTE I TU CUTT UU TU MELTATI.
001801		MOVE ELKOES TO KOUNT.
00181:	•	PEMFORM MEL-PAR2 UNTIL KOUNT = 40.
00182:		EXHIBIT NAMED IN-REC.
00183\$		MOVE .MELODY. TO MUSIC.
00184:		MEL-EXIT.
00185:		FXIT.
00184		BASS - DAR -
- 001004		DEAD DACE ET ET TATE VALE A PART ANTAL A VERT
0018/1		READ DASSTILL ALEND MUYL I TU LUPY GO TO BASTEXIT.
00188:		MOVE ZEROES TO KOUNT.
001891		PERFORM BASS-PAR2 UNTIL KOUNT = 40.
00190:		EXHIBIT NAMED IN-REC.
00191:		MOVE BASS & TO MUSIC.
00192:		BAS-EXIT.
80193:	· · · · ·	EXIT
00194*		

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00196:	14 1 MAVE 250055 TO 40005 TO 1000 1000 1000 1000 1000 1000 1000 1
00197:	POTE ZERVES TU KUUNI.
00198:	FYHRT AMED THERE
00195:	MONE ICHORD & TO HUGTO
00200:	CHO-FYT.
0.0201:	
00202:	
00203:	
00204:	MOVI TO NUNIS JOINCI.
00205:	HOVE HEL-I TROUNTS TO IN-REC.
002061	F INFEC = • SUBTRACT I FROM TOT-CT.
00200.	PLATURE CALCULATE.
. 0020/.*	
100200	ADU 1 TO KOUNT, TOI-CT.
00207	MOVE BASS-I (KOUNT) TO IN-REC.
602114	IF IN-REC = • SUBTRACT 1 FROM TOT-CT.
002111	PERFORM CALCOLAIL.
002131	
00210.	ADU I TO KOUNI, TOT+CT.
00215:	HUVE CHURD-I (KOUNI) IO IN-REC.
00216	IF INAREC = V SUBTRACT 1. FROM TOT-CT.
0.0217:	CALCULATE.
: 0.0216*	
002101	IF IN REC = VUN ADD 1 TO UN ELSE.
00217.	IF IN-KLL = N2 ADD I TO N2 ELSE,
00220.	IF IN-HEC = M2 ADD 1 TO M2 ELSE
00221.	IF IN-REC = "N3" ADD 1 TO N3 ELSE,
002224	IF IN-REC = M3 ADD 1 TO M3 FLSE.
102201	IF IN-REC = P4 ADD 1 TO P4 ELSE,
00224.	IF IN-REC = *A4* AND 1 TO A4 ELSE.
002231	1F IN-REC = *D5* ADD 1 TO D5 ELSE,
00225. 00337*	IF INTREC = $P5$ ADD 1 TO P5 ELSC.
00227.	IF IN-REC = AS ADD 1 TO AS ELSE.
00226.	IF IN-REC = "NG" ADD I TO NG ELSE,
002234	IF IN-REC = M6 ADD 1 TO M6 ELSE
00200.	IF IN-REC = "N7" ADD I TO N7 ELSE,
00232.	IF IN-REC = M7 ADD 1 TO M7 ELSE.
002021	IF IN-REL # PB* ADD 1 TO P8 FLSE
002331	ADD TO THE TO THE NEXT SENTENCE ELSE.
- 80235:	
00236:	
00237:	CARIBIT NAMED UN, N2, M2, N3, M3, P4,
00238:	HT DD FD NG MG NT, M7, P8.
00239:	MOVE DETAILS TO LEET SUCC
00249:	
00241:	CONSULT FRIEREL AFTER ADVANCING 2 LINES.
00242:	MOVE REPEAT TO UNDED = (UN / TOT-CT) * 100.
00243:	
00244:	MOVE PEPERT TO NOVEL = (N2 / TOI-CT) + 108.
00245:	COMPUTE REPECT POINTED - 190 (TAT AT AT
00246:	MOVE PERCET TO MOU
00247:	COMPLETE PER-CE POINDED - AND A TAT ATA -
00248:	MOVE PERFECT TO NAU THE A THS / TOTALLY * IDD.
00249:	COMPUTE PERFOT ROMADED - 1443 / TOT OTA - 1400
00250:	MOVE PER-CT TO MOUDED - THS / IDI-CT) * 100.
00251:	COMPUTE PER-CT RAUNDED = (PA / TOT-CT) + 100
00252:	MOVE PER-CT TO PAN.
00253:	COMPUTE PER-CT ROUNDED = (A4 / TOTACTY + 100
00254:	MOVE PER-CT TO A4W.
00255:	COMPUTE PER-CT ROUNDED = (05 / TOT-CT) + 100
00256:	MOVE PER-CT TO DSW.
00257:	COMPUTE PER-CT ROUNDED = (P5 / TOT-CT1 + 100
00258:	MOVE PER-CT TO PSW.
00259:	COMPUTE PER-CT ROUNDED = (A5 / TOT-CT) + 100.
00260:	MOVE PER-CT TO ASU.
00261:	COMPUTE PER-CT ROUNDED = (N6 / TOT+CT) + 100.
	n de des also

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00265:	MOVE PER-CT TO NOW.
00263:	COMPUTE PER-CT ROUNDED = (M6 / TOT-CT - 100
00264:	MOVE PERACT TO MOUL
00265:	COMPUTE PER-CT ROUNDED = (N7 / TOT-CT) - 100
00266:	MOVE PER-CT TO N7W-
00267:	COMPUTE PERACT BOUNDED = (MT / TOTACT & ADD
00268:	MOVE PER-CT TO M7U
00265:	COMFUTE PER-CT BOUNDED T (PR / TOTACT) + 100
00270:	MOVE PERHOT TO PAW.
00271:	MOVE PERCENT TO MUSTE
00272:	MOVE SPACES TO DETATI -IN-
00273:	MOVE DETATL 2 TO DETATL IN
00274:	WRITE PRI-REC AFTER TOWNSTME 2 I THEE
00275:	EXHIBIT NAMED FRR.
00276:	NOVE ZERCES TO UN. NO. MO. NA. MA DA LA PE
00277:	M7. P5. P8. TOT-CT.
00278:	EXIT-FAR.
00279:	EXIT.
00280:	·/ ENDUP
00281:	. 🖊 🖌 an
00282:	📶 🔄 EXEC COBCLG 👘 👘 🖉 🖓 🖓 🖓 👘 👘
00283:	//COB-SYSIN DD DSN=USER2-D2002-P4181-TURNER (MUSTC)
00284:	// UNIT=2314, VOL=SER=USEPAK, DISP=(0) D. VETOI
80285:	//LKED.SYSLMOD DD DSN=USER2.D2002.P4181.THENED (MISICUL)
00286:	// UNIT=2314.VOL=SER=USRPAK.DISP=(0) D.KEED
00287:	//GO.MELODY DD *
00288:	UNN2M2N3M3P4A405P5A5N6N7M7P8M6
00289:	1.
00290:	//GO-BASS DD *
00291:	UNN2M2N3M3P4A405P5A5N6N7M7P8M6
00292	1*
00293	//GQ.CHORD DD ·
00294:	UNN 2M2N 3M 3 P 4 4 4 0 5 P 5 A 5 N 6 N 7 M 7 F 8 M 6
00295:	1.
00296:	//GD.PRINTER DD SYSOUT=A
00297	

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APPENDIX B

XX5YSUTE DD UNIT=SYSDA,SPACE=(460,(700,100)) XXSYSUTA DD UNIT=SYSDA,SPACE=(460,(700,100)) XXSYSLIA DD UNIT=SYSDA,SPACE=(460,(700,100)) XXSYSLIN DD DNN=&&LOADSET,DISP=(MOD,PASS),UNIT=SYSDA, XXSYSLIN DD DNN=&&LOADSET,DISP=(MOD,PASS),UNIT=SYSDA, XX OD000900 // UNIT=2314,VOL=SER=USRFAK,DISP=(OLD,KEEP)

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######################################	COB SYSPRINT SYSPUNCH SYSLIB	SYSUT1 SYSUT2 Sysut3 Sysuta Sysun Sysun D - cond code doan	-MACCOB LIB. LIB. 101. 101. 101. 101. 101. 101. 101. 10	101. - RV000-MIKE.LOADSET SCI. SCI. - TURNER - TURNER - TERMINATION - THE - TERMINATION	2.02002.P4181.TURNER(MUSICAL). 4K.015P=(0LD,KEEP) 3.14(RUN).01SP=(NEW.PASS). 3.150.20.1)) 3.18.01SP=SHR .P8580.NTSUBRTN.LOAD.01SP=SHR 5.P8603.SUBL18.01SP=SHR 5.P8603.SUBL18.01SP=SHR
**************************************	2361 ALLOC, FOR HIKE 2371 533 ALLOCATED TO 2371 572 ALLOCATED TO 2371 130 ALLOCATED TO 2371 130 ALLOCATED TO	23/1 332 ALLOCATED TO 2371 333 ALLOCATED TO 2371 331 ALLOCATED TO 2371 332 ALLOCATED TO 2371 323 ALLOCATED TO 2371 125 ALLOCATED TO 2371 125 ALLOCATED TO 2371 125 ALLOCATED TO 2421 - STEP WAS EXECUTER	2851 $SYS2*D0683*P85801$ 2851 VOL SER NOS = MF10 2851 VOL SER NOS = DMN1 2851 VOL SER NOS = DMN1 2851 VOL SER NOS = DMN1 2851 VOL SER NOS = SEN 2851 VOL SER NOS = SEN 2851 VOL SER NOS = MF1R 2851 VOL SER NOS = MF1R 2851 VOL SER NOS = MF1R 2851 $STS80163 \cdot 1220213 \cdot 1220213 \cdot 1280213 \cdot 1280218 \cdot $	2851 VOL SER NOS= DMN1 2851 VOL SER NOS= DMN1 2851 VOL SER NOS= SIMS 2851 VOL SER NOS= SIMS 2851 VOL SER NOS= USRP 2851 VOL SER NOS= USRP 2851 VOL SER NOS= USRP 2851 VOL SER NOS= USRP 3 * 29 SEC * 3 * 20 SEC * 4 * 20 SEC * 4 * 20 SEC * 5 *	ED.SYSLMOD DD DSN=USER2 UNIT=2314.VOL=SER=USRPA SLMOD DD DSNAME=&&GOD UNIT=SYSDA.SPACE=(1024 SLIB DO DSNAME=SYS1.COB DD DSNAME=SYS1.COB DD DSN=SYS2.DD683. DD DSN=SYSDA.SPACE SVRINT DD SN=SYSDA.SPAC SPRINT DD SYSDA.SPACE

		DATE = 80/164	TERMINATION ***********************	0.09 MIKE ********************************
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			· · ·	505 ALLGCATED TO CHORD 538 ALLOCATED TO PRINTER
			·	503 ALLOCATED TO MELODY 504 Allocated to bass
				533 ALLOCATED TO SYSPRINT 537 ALLOCATED TO SYSDUT
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	DENT	\$10		
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	2100			INT DD SYSOUT=A T DD SYSOUT=A
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				VOL SER NOS= MFTRES.
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				135 ALLOCATED TO 332 ALLOCATED TO SYSUT1
				330 ALLOCATED TO SYSLAD
				I ALLOC FOR MIKE LKED 333 ALLOCATED TO SYSLIN

Continued APPENDIX R-

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SYSIN

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ADD NAME=MUSIC.LIST=ALL
 NUMBER NEW1=10.INCR=10

NEW MASTER

IEBUPOTE LOG PAGE 0001

	the second s
IDENTIFICATION DIVISION.	
PROGRAM-ID. MUSIC.	00000010
DATE-WRITTEN, FEB 21-1980	00000020
DATE-COMPLIED.	00000030
ENVIDENTELED	00000040
CONST CIVE DIVISION.	
Sources and Section.	000000000
SUBRCE-COMPUTER. IBN-360-H50.	00000060
OBJECT-COMPUTER. IBM-360-H50.	00000070
INPUT-GUTPUT SECTION.	08000000
FILE-CONTROL.	00000090
SELECT MEL-ETLE ASSTON TO UT OTHER	00000100
SELFCT RASS-ETT FASTIN TO DI-S-MELODY.	00000110
SELECT CASSIEN TO UT-S-BASS.	0000120
SELECT LAURD-FILE ASSIGN TO UT-S-CHORD.	00000120
DATA SELECT PRI-FILE ASSIGN TO UT-S-PRINTER.	0000130
UAIA UIVISION.	00000140
FILE SECTION.	00000150
FD MEL-FILE	00000160
C LABEL RECORDS ARE STANDARD	00000170
O RECORD CONTAINS SO CHADAGE	00000180
U DATA PECOPO TO UTARACIERS	00000190
AT MELTIN	00000170
	00000200
DZ MLL-I PIC XX OCCURS 40 TIMES.	00000210
FU PRT-FILE	00000220
LABEL RECORDS ARE OMITTED	00000230
DATA RECORD IS PRI-REC.	00000240
01 PRT-REC.	00000250
C 02 FILLER PIC V	00000260
A 02 MUSIC PIC V/C	00000270
	1000000
	0000200
US FILLER I PIC. X2 In Long and A Market A Mar	0000290
US LEFT-OVER PIC X(125)	10000300
FU BASS-FILE	0000310
LABEL RECORDS ARE STANDARD	0000320
RECORD CONTAINS 80 CHARACTERS	0000330
DATA RECORD IS BASS-TH	0000340
01 BASS+IN.	0000350
02 BASSET OTO NY ADDRESS	0000340
ED CHORDETTE PIC XX OCCURS 40 TIMES	6000300
Chokutrite	0000370
LABEL RECORDS ARE STANDARD	0000380
RECORD CONTAINS 80 CHARACTERS	0000390
DATA RECORD IS CHORD-IN.	0000400
01 CHORD-IN.	0000410
02 CHORD-I PIC XX OCCUPS AN TAUE	0000420
WORKING-STORAGE SECTION.	0000430
01 KOUNT	0000440
DI TOT-CT PIC 99 VALUE ZEROES-	
01 CONTROL PIC 9(4) VALUE 2FROFS	0000700
01 CONTRUL-CANU PIC X(80) VALUE SPACES	1000460
01 EAR PIC 9(4) VALUE 7FD0	000470
PIC 9 VALUE ZERUS 01	000480
PIC 999V999 VALUE ZERUS	000490
VALUE ZERUES.	000500

NEW MA	STER			- I	EBUPDTE LOG PAGE	0002
01	IN-REC	PI	C XX	VALUE	SPACES.	00000510
01	DETAILT	• • •				00000520
	02 UN	PI	C 9(4)	VALUE	ZERGES.	00000530
	02 FIL	LER PI	C X(4)	VALUE	SPÁCES.	00000540
	02 N2	PI	C 9(4)	VALUE	ZEROES.	00000550
	02 FILI	ER PI	C X(4)	VALUE	SPACES.	00000560
•	02 M2	PI	C 9(4)	VALUE	ZEROES.	00000570
•	02 FIL	LER PI	C X(4)	VALUE	SPACES.	00000580*
	02 N3	P1	C 9(4)	VALUE	ZEROES.	00000590
	02 FILI	LER PI	C X(4)	VALUE	SPACES	000000590
	02 M3	PI	C 9(4)	VALUE	ZERGES .	00000000
	02 F1L1	ER PI	C X(4)	VALUE	SPACES.	00000010
	02 P4	P14	C 9(4)	VALUE	ZEROES	00000020
	02 FILL	ER PI	C X(5)	VALUE	SPACES.	000000000
	02 A4	PI	C 9(4)	VALUE	7FROFS	00000040
	02 FILL	ER PI	C X (5)	VALUE	SPACES	0000000000
	02 D5	PI	C 9(4)	VALUE	7EROFS	000000000
•	02 FILL	ER PT(C X(5)	VALUE	COACCO.	00000670
	02 P5	PT(2 9(4)	VALUE	7FÖAFC	00000680
	02 FILL	ER PT(X(5)	VALUE	COACEC	00000690
	02 A5	PT	- 9(4) ····	VALUE	JEDAES	00000700
	02 FILL	ER PT		**************************************	ZERUES	00000710
	02 N6		- ALUY	WALUE	SPALLS	00000720
	02 FILL	FR PT/	· /(*/	VALUE	ZERUES	00000730
· · · · · · · · · · · · · · · · · · ·	02 M6	DT(VALUE	SPALLS.	00000740
	02 FILL	FR PT/	Y Y K K K K K K K K K K K K K K K K K K	VALUE	ZERUES.	00000750
	02 N7	-SK 2.5 F 1.5 - DTF	9443	VALUE	SPACES	00000760
	02 FILL	ER PIC	Y (5)	VALUE	ZEROES	_00000770
	02 M7	B77	· ~	VALUE	SPACES.	00000780
	02 FTL1	FR DTA	· 2177	VALUE	ZERUES	00000790
and the second second	02 P8	D10	9/41	VALUE	SPACES.	00000800
01	DETAIL		, ,,,,,	VALUC.	ZEROES	00000810
	02 IINV	010	70 00 1. 1.	nigina. Sanati na na na na		00000820
	02 FTLE	FR PTC V	47+77 (je al)	VALU	E ZEROES.	00000830
	02 N2W	DT/	770 08	VALUE	SPACES.	00000840
	02 FTLL	FR DIC	· 447+77	VALUE	ZERDES.	00000850
and the second	02 M2U	-0. riv	776 00	VALUE	SPACES.	00000860
	12 ETH	FD	447477	VALUL	ZERDES	00000870
	02 N3U		X(2)	VALUE	SPACES.	00000880
and a second	02 FTLL	FP 010	229.99	VALUE	ZEROES	00000890
	02 11LL	LN F10	X(2)	VALUE	SPACES .	00000900
100 A	02 HOW	FR PIC	229.99	VALUE	ZERGES.	00000910
·	ባድ የተጨ። በን ውልሁ		X(2)	VALUE	SPACES -	00000920
	₩~ F71₩ 82 E7111	FD PIC	429.99	VALUE	ZEROES .	00000930
	96 71669 99 840	LA PIC	X(3)	VALUE	SPACES	00000940
	02 A4W	PIC	229.99	VALUE	ZEROES	00000950
	95 FILL 12 DEU	an PIC	X(3)	VALUE	SPACES.	00000960
	44 DOW 10 ETH	PIC	229.99	VALUE	ZEROES	00000970
. بود رابست مدیست د	NG FILLE	PIC	X(3)	VALUE	SPACES.	00000980
	46 PGW 89 61114	PIC	229.99	VALUE	ZERDES.	00000990
		IN PIC	X(3)	VALUE	SPACES.	00001000
	42 ADW 89 Etles	PIC	229.99	VALUE .	ZEROES.	00001010
	. ricki	an PIC	X(5)	VALUE :	SPACES.	00001020

.

APPENDIX B--Continued

NEW MASTER

a new second and the second process process and the second parts of the second parts of the second parts of the

IEBUPDTE LOG PAGE 0003

and the second sec

		ورجاب والمناجع والمتحد والمراجع والمتحاد والمحاد			
	U2 N6W	P1C 229.99	VALUE	ZEROES .	00001030
	VZ FILLER	P1C X(3)	VALUE	SPACES.	00001040
	02 M6W	PIC 229.99	VALUE	ZEROES.	00001050
·	UZ FILLER	PIC X(3)	VALUE	SPACES.	00001060
	UZ NYW	PIC 229.99	VALUE	ZEROES.	00001070
ware a started	U2 FILLER	PIC X(3)	VALUE	SPACES.	00001080
	02 M7W	PIC 229.99	VALUE	ZEROES.	00001090
	G2 FILLER	PIC X(3)	VALUE	SPACES .	00001100
	02 P8W	PIC_ZZ9.99	VALUE	ZEROES.	_00001110_
01	HEADER1.	en anno 1970 - 1970 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980 - 1980			00001120
· · · · · · · · · · · · ·	02 FILLER	PIC X(6)	VALUE	SPACES.	00001130
	02 FILLER	PIC X(9)	VALUE	*PERFECT*.	00001140
× .	02 FILLER	PIC X(8)	VALUE	*MINOR * .	00001150
	02 FILLER	PIC X(8)	VALUE	*MAJOR *	00001160
. It is a state of the second se	02 FILLER	PIC X(8)	VALUE	*MINOR *.	00001170
او داده می او مرا د داده م	02 FILLER	PIC X(7)	VALUE	*MAJOR *.	00001180
	02 FILLER	PIC X(8)	VALUE	*PERFECT*.	00001190
	02 FILLER	PIC X(10)	VALUE	*AUGMENTED*.	00001200
	02 FILLER	PIC X(9)	VALUE	*DIMINISH*.	00001210
	02 FILLER	PIC X(8)	VALUE	*PERFECT*.	00001220
an alalan kagunan panangan sayan sa sana sa sa s	02 FILLER	PIC X(11)	VALUE	*AUGMENTED**	00001230
material and the second	02 FILLER	PIC X(9)	VALUE	*MINOR*.	00001240
	12 FILLER	PIC X(9)	YALUE	*MAJOR *.	00001250
	2 FILLER	PIC X(9)	VALUE	MINOR .	00001260
	D2 FILLER	PIC X(7)	VALUE	THAJOR	00001270
	D2 FILLER	PIC X(7)	VALUE	PERFECT	00001290
01	HEADER2.				00001200
······	2 FILLER	PIC X(7)	VALUE	SPACES -	
	D2 FILLER	PIC X(8)	VALUE	THNTSONT.	00001316
·	2 FILLER	PIC X(8)	VALUE	*SECOND .	00001310
	2 FILLER	PIC X(8)	VALUE	*SECOND**	00001320
. (2 FILLER	PIC X(8)	VALUE	THIRD!	66663346
	2 FILLER	PIC X(8)	VALUE	THIRD.	00001350
	2 FILLER	PIC X(9)	VALUE	*FOURTH*.	00001350
	2 FILLER	PIC X(10)	VALUE	FOURTH .	00001370
(2 FILLER	PIC X(9)	VALUE	PETETHT.	00001370
	2 FILLER	PIC X(9)	VALUE	*FIFTH*	00001380
(2 FILLER	PIC X(8)	VALUE	*FTFTH*	0001070
	2 FILLER	PIC X(9)	VALUE	**************************************	00001400
	2 FILLER	PIC X(8)			00001420
	2 FILLER	PIC X(9)	VALUE	. 440 FULT #	00001420
	2 FILLER	PIC X(9)		**************************************	00001420
······································	2 FILLER	PIC XIEL			00001440
PROCE	DURE DIVISION-		TALUE	.APINAC	000014400
MAIN-	PAR.		generation and the		00001450
	ALL TCOBPSUT.				
	PEN INPUT MEL-F	ILE. BASS-FTIE. CL			00001480
ALL CONTRACT AND A CONTRACT	CCEPT CONTROL -C	ARD.	WOUTEILE .	UNIEUI PRIMPILLA	00001490
nennen er sen sen sen sen i sen i kan bereken i sen	OVE SPACES TO P	RT-REC.		n an	00001500
1	RITE PRT-REC FR	OM CONTROL-CAPD AS	TED INVINO	THE 1 LTHER	00001510
	RITE PRT-REC FR	OM HEADERS AFTER A	DVANCING O	TINES.	00001520
····	RITE PRT-REC FR	OM HEADERS AFTER A	DVANCING 2	LANCO	00001530
a ser and marked an and a series of a page of a gap		ere er mannen mit staft der	UTANULING 1	LINESE	U U U U I 1540

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PERFORM MEL-PAR THRU MEL-EXIT UNTIL EOF = 1.	00001550
MOVE O TO EOF.	00001550
PERFORM PER-CENT THRU EXIT-PAR.	86881570
PERFORM BASS-PAR THRU BAS-FXIT UNTIL FOF = 1	
MOVE Q TO EAF.	00023000
PERFORM PERFERIT THOM SYTTEPAD	00001390
PERFORM CHARGE AND CHARGENET INTEL FOR	
PERFORM DEPART THEN EVIT THE	00001610
CLOSE MELATICE ALCONTINUE CALLETARE	00001620
STOR BIN ILL BASS-FILLS CHURD-FILLS PRIMFILLS	00001630
	00001640
THE TARE	00001650
HOVE TENER AT END HOVE I TO EDF. GO TO MEL-EXIT.	00001660
REFERENCES TO ROUNT.	00001670
PERFORM RELEPARE UNILL KOUNT = 40.	00001680
EXHIBIT NAMED IN-REC.	00001690
HUVE "HELDDY" TO MUSIC.	00001700
MEL + EXII.	00001710
LXII.	00001720
BASS-PAR.	00001730
READ BASS-FILE AT END MOVE 1 TO EOF. GO TO BAS-EXIT.	00001740
MOVE ZEROES TO KOUNT.	00001750
PERFORM BASS-PAR2 UNTIL KOUNT = 40.	00001760
EXHIBIT NAMED IN-REC.	00001770
MOVE *BASS * TO MUSIC.	00001780
BAS→EXIT.	00001790
EXIT.	00001770
CHORD-PAR.	00001000
READ CHORD-FILE AT END MOVE 1 TO FOE. GO TO CHO-SYTT	00001000
MOVE ZERDES TO KOUNT.	00001020
PERFORM CHORD-PAR2 UNTIL KOUNT = A0.	00001010
EXHIBIT NAMED IN-REC.	00001840
MOVE CHORD & TO MUSTO	00001820
CHD-FXIT.	00001860
FYTT	00001870
NFL DARD	00001880
	00001890
HOUT BELL JUNET TO THE AR	00001900
TE THERE I TRUNKING IN INTREC.	00001910
DEPERDM CALCULAT	00001920
	00001930
	00001940
ADD 1 FU KUUNI, 10T-CT.	00001950
TUYE BASS-1 (RUUNT) TO IN-REC.	00001960
IF IN-REC = Y SUBTRACT 1 FROM TOT-CT.	00001970
PLNFURM CALCULATE.	00001980
CHURU+PAK2.	00001990
AUD 1 TO KOUNT, TOT-CT-	00002000
MOVE CHORD-I (KOUNT) TO IN-REC.	00002010
IF IN-REC = • • SUBTRACT 1 FROM TOT-CT.	00002020
PERFORM CALCULATE.	00002030
GAL CUL ATE.	00002040
IF IN-REC = 'UN' ADD 1 TO UN ELSE.	00002050
IF IN-REC = 'N2' ADD 1 TO N2 ELSE.	
and a second	00002060

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1 i i

the second s		
	IF IN-REC = "M2" ADD 1 TO M2 ELSE,	00002070
	IF IN-REC = "N3" ADD 1 TO N3 ELSE,	00002080
· · · · · · · · · · · · · · · · · · ·	IF IN-REC = •M3• ADD 1 TO M3 ELSE	00002090
	IF IN-REC = "P4" ADD 1 TO P4 ELSE,	00002100
	IF IN-REC = *A4* ADD 1 TO A4 ELSE.	00002110
the second of the second	IF IN-REC = "D5" ADD 1 TO D5 ELSE,	00002120
	IF IN-REC = +P5+ ADD 1 TO P5 ELSE.	00002130
	IF IN-REC = 'AS' ADD 1 TO AS ELSE,	00002140
Manager and an and a second second second	IF IN-REC = "NG" ADD 1 TO NG ELSE,	00002150
	IF IN-REC = *M6* ADD 1 TO M6 ELSE,	00002160
· · · ·	IF IN-REC = *N7* ADD 1 TO N7 ELSE.	00002170
	IF IN-REC = *M7* ADD 1 TO M7 FLSF.	00002110
*	IF IN-REC = PAS ADD 1 TO PA FLSF.	00002100
	IF IN-REC # . THEN NEXT SENTENCE FISE.	00002270
	ADD 1 TO ERR.	00002200
PER	-CENT -	00002210
	FXHTRIT NAMED HAS NOS NOS NOS NOS	00002220
	A4- D5- D5- N6- 44- N7, N7, D0	00002230
and the second	ATT UST FST NOT NOT NIT PA.	00002240
	HOVE SPACES IN DETAIL-IN-	00002250
,	HOVE DETAILS TO EFFICIENCE	00002260
And the second	WRITE PRI-REC AFTER ADVANCING 2 LINES.	00002270
100 C	COMPUTE PER-CT ROUNDED = (UN / TOT-CT) + 100.	00002280
	MOVE PER-CT TO UNU.	00002290
(MAR)	COMPUTE PER-CT ROUNDED = (N2 / TOT-CT) + 100.	00002300
	MOVE PER-CT TO N2W.	00002310
	COMPUTE PER-CT ROUNDED = (M2 / TOT-CT) + 100.	00002320
Management of the second second second	MOVE PER-CT TO M2W+	00002330
	COMPUTE PER-CT ROUNDED = (N3 / TOT-CT) + 100.	00002340
and the second	MOVE PER-CT TO N3W.	08802350
interprine is a set of the	COMPUTE PER-CT ROUNDED = (M3 / TOT-CT) + 100.	00002360
	HOVE PER-CT TO M3W.	00002370
	COMPUTE PER-CT ROUNDED = (P4 / TOT-CT) + 100.	00002380
-	MOVE PER-CT TO PAN.	00002500
	COMPUTE PER-CT ROUNDED = (A4 / TOT-CT) + 100-	00002390
	MOVE PER-CT TO A4W.	00002400
	COMPUTE PER-CT ROUNDED = ($D5 \neq TOT-CT$) + 100-	00002410 -
in the second	MOVE PER-CT TO D54-	00002420
,	COMPUTE PER-CT ROUNDED = (P5 / TOT-CT) - 100	00002430
	MOVE PERACT TO PSU.	00002440
	COMPLETE PERSON PERSON + (AE / TOT-CT) + 100	00002450
neers a ser a s	MAVE PERACT TA ABU.	00002460
	COMPUTE REPORT BOUNDED - ANG A TOTOTA - 100	00002470
· ····································	MAVE PERMOT TA NAL	00002480
	NOVE CLANCE IN NOTE - ANA A TAY AND A A	00002490
and the second second	HOVE DEDECT TO HELD = (H6 / IUI+CI) + 100.	00002500
-14 48	COMPUTE REPORT DOUBDED - 117 1 YOT OT	00002510
······	MAVE DEALCT TO NOU	00002520
· · · · · · · · · · · · · · · · · · ·	POTE PERMIT PERMIT AND A TAR A TAR AT A TAR A TA	00002530
	MOVE PER-CT TO HTU	00002540
and the second	NVIL FERTUI IU MINA Compute depute accurate a computer accurate	00002550
	CONFUTE PERFUT ROUNDED = (P8 / TOT-CT) + 100.	00002560
• • • • • • • • • • • • • • • • • • •	NOVE FERTURE TO HEATS THE STATE OF THE STATE	00002570
····		00002580
· · · ·	a construction of the second	

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	MOVE SPACES MOVE DETAIL: WRITE PRT-R	TO DETAIL-1 2 TO DETAIL- EC AFTER AD	.N. -LN. /ANCING	2 LINES.	,	, ,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,		00002590 00002600 00002610	
· · · · · · · · · · · · · · · · · · ·	EXHIBIT NAME MOVE ZEROES M7+ P5+ P8+	ED ERR. To UN: N2: Tot-ct.	M2. N3.	M3, P4,	A4, D5,	A5.	N6. M6	00002620 • N700002630 00002640	
EXI	T∓PAR• EXIT•	s fri rigerer e T						00002650	

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./ ENDUP

IEB817I MEMBER NAME (MUSIC) NOT FOUND IN NM DIRECTORY. STOWED WITH TTR. IEB818I HIGHEST CONDITION CODE WAS 00000000 IEB819I END OF JOB IEBUPDTE. -

C8545 V2 LVL78 01MAY72

IBM OS AMERICAN NATIONAL STANDARD COBOL

1	ne en angele and an	
00001	IDENTIFICATION DIVISION.	00000010
00002	PROGRAM-ID. MUSIC.	0000020
00003	DATE-WRITTEN. FEB 21.1980.	00000030
00004	DATE-COMPILED. JUN 12,1980	00000040
00005	ENVIRONMENT DIVISION.	00000050
00006	CONFIGURATION SECTION.	00000060
00007	SOURCE-COMPUTER . IBM-360-H50.	00000070
80000	OBJECT-COMPUTER. IBM-360-H50.	00000080
00009	INPUT-OUTPUT SECTION.	00000090
00010	FILE-CONTROL.	00000100
00011	SELECT MEL-FILE ASSIGN TO UT-S-MELODY.	00000110
00012	SELECT BASS-FILE ASSIGN TO UT-S-BASS.	00000120
00013	SELECT CHORD-FILE ASSIGN TO UT-S-CHORD.	00000130
00014	SELECT PRT-FILE ASSIGN TO UT-S-PRINTER.	00000140
00015	DATA DIVISION.	00000150
00016	FILE SECTION.	00000160
00017	FD MEL-FILE	00000170
00018	LABEL RECORDS ARE STANDARD	00000180
00019	RECORD CONTAINS BO CHARACTERS	00000196
00020	DATA RECORD IS MEL-IN-	000000000
00021		00000200
00022	A2 MELT PTC XX OCCUPS AN TIMES	00000210
00023	FD PRT-FILF	00000220
00024	LABEL RECORDS ARE OMITTED	00000230
00025	DATA RECORD 18 PPT-PEC	00000240
00025	101 PRTARCON IS FRITREE	00000250
00020		00000200
00028	02 HISTOPTC X463	00000270
00029		00000200
00030		00000270
00031		00000310
00032	FD BASS-FILF	00000010
00033	LARFI RECORDS ARE STANDARD	00000320
00034	RECORD CONTAINS AD CHARACTERS	00000300
00035	DATA RECORD IS BASSAIN.	00000340
00036		,00000300
00037	02 BASS+T PTC XX OCCURS AD TIMES	00000300
	The manual of the sub-based of the stands	

	**	64 60 0 - 6 11 F			· · ·		00000380
00038	FD	CHURU#FILL	0 ADC CTANDADD				00000390
00039		LABEL RELUKU	S ARE SIANUARU				00000409
00040		RECORD CONTA	INS BU CHARACIERS		•		0.000.041.0
00041		DATA RECORD	IS CHURD-IN.			and the second	00000420
00042	01	CHORD-IN.		••••			00000430
00043		02 CHORD-I	PIC XX OCCURS 40 TIMES.			in dial in an internet in a	000000440
00044	WORI	KING-STORAGE	SECTION.				00000440
00045	01	KOUNT	PIC 99	VALUE	ZEROES		00000435
00046	01	TOT-CT	PIC 9(4)	VALUE 3	ZEROES.		00000460
00047	01	CONTROL-CARD	PIC X(80)	VALUE	SPACES.		00000470
00048	01	ERR	· PIC 9(4)	VALUE 3	ZERO.	and the second second second	00000480
0.0.0.4.9	01	EDF	PIC 9	VALUE	ZERO.		00000490
00050	01	PFR-CT	PIC 999V999	VALUE	ZEROES.		00000500
00030	01	IN-RFC	PIC XX	VALUE	SPACES.		00000510
00001	01	DETATI 1.			-		00000520
00052	04		PTC 9(4)	VALUE .	ZEROES.		00000530
		02 011	PTC X(4)	VALUE	SPACES.		60000540
PCUUU							
00065		A2 N2	PIC 9(4)	JULAV	ZEROES.		00000550
00032		02 HL 03 ETLISR	PTC X(4)	VALUE	SPACES.		00000560
00036		AS NO	D10 0141	VALUE	ZEROES		00000570
00057		04 M2	ELC ZYTZ	VALUE	SPACES-		00000580
00058		UZ FILLER		******* VALUE	JEBOEC.		00000590
00059		UZ NO	P1C 2347	VALUE	EDACES-		00000600
00060		02 FILLER	P1C X(4)	VALUE	JEROSEC		00000610
00061		02 M3	PIC 9(4)	VALUE	ZERUES+		00000010
00062		02 FILLER	PIC X(4)	VALUE	SPACES .		00000020
00063		02 P4	PIC 9(4)	VALUE	ZERDES+		000000000 `00000640```
00064		02 FILLER	PIC X(5)	VALUE	SPACES+		000000000
00065		02 A4	PIC 9(4)	VALUE	ZEROES.		00000650
00066		02 FILLER	PIC X(5)	VALUE	SPACES		00000660
00067		02 05	PIC 9(4)	VALUE	ZEROES		00000670
00068		02 FILLER	- PIC X(5)	VALUE	SPACES.		00000680
00069		02 P5	PIC 9(4)	VALUE	ZEROES.		00000690
00070	··· · ·	02 FILLER	PIC X(5)	VALUE	SPACES.		00000700
00071		12 45	PIC 9(4)	VALUE	ZERGES -		00000710
00073		NO ETILER	PIC X(5)	VALUE	SPACES.		00000720
00072		00 11C	910 9141	VALUE	ZEROES		00000730
00073		NO CTILED	PTC 1151	VALUE	SPACES		00000740
00074		OC FILLEN	DTC 9/4)	VALUE	ZEROES	(00000750
00075			DIC 2377	VALUE	SDACES	and a second specific sector of the second specific second spe	00000760
00076		02 FILLER		VALUE	750055	• • • • • • • • • • • • • • • • • • • •	00000770
00077		02 N7	P16 7147	VALUE	CDICCS		00000780
00078		02 FILLER		" WALVE	JEDOEC	منبهه بنمه بالم المارين المرا	00000100
00079		02 M7	P16 9143	VALUE	2CRUES•		0000000000
00080		02 FILLER	PIC XCSP	VALUE	SFALLS*		000000000
00081		02 P8	P1C 9(4)	VALUE	ZERUES.		"
00082	01	DETAIL2.	an a		أحمام معروب أنعين		000000000
00083		02 UNW	PIC 29.99	VAL	UE ZERGE	.	
00084	•	02 FILLER	PIC X(2)	VALUE	SPACES		00000040
00085		02 N2W	PIC 229.99	VALUE	ZEROES.		120000000
00086		02 FILLER	PIC X(2)	VALUE	SPACES		00000860
00087		02 M2W	PIC 229.99	VALUE	ZEROES.		0780000
00088		02 FILLER	PIC X(2)	VALUE	SPACES.		00000880
00089		02 N3W	PIC 229.99	VALUE	ZEROËS.		00000890
00090	·	02 FILLER	PIC X(2)+	VALUE	SPACES.		00000900
00091	· · -	62 M3W	PIC 229.99	VALUE	ZEROES		00000910
00092		02 FILLER	PIC X(2)	VALUE	SPACES.		00000920
00093		02 P4W	PIC 229.99	VALUE	ZEROES.		00000930
00094	• •	02 FILLER	PIC X(3)	VALUE	SPACES.		00000940
00095		02 444	PIC 229.99	VALUE	ZEROES.		00000950
00096		02 FILLER	PIC X(3)	VALUE	SPACES.		00000960
00097		02 D54	PIC 229.99	VALUE	ZEROES.	A DECEMBER OF THE OTHER PROVIDENCES	00000970
00098		02 FTILER	PIC X(3)	VALUE	SPACES.	· · · ·	00000980
00020		NO PEU	PIC 229-99	VALUE	ZEROES -	2.1	00000990
00100		02 FTILFR	PIC X(3)	VALUE	SPACES .		00001000
00100		02 A5U	PTC 229-99	VALUE	ZEROES.		00001010
00103		05 AUW 05 FTIIED	PTC Y133	VALUE	SPACES -		00001020
00102		VC TILLER					

00103		02 N6 U	810 229 80			
00104		02 FTLLFR	FIL 447877 DTC 4435	VALUE	ZERUES	00001030
00105		02 M64	DIC 770 00	VALUE	SPACES.	00001040
00106	· · ····	02 FTLLFR	PIC 9(3)	VALUE		00001058
00107		02 N7V	PTC 779,99	VALUE	JFALC3.	00001060
00108		02 FILLER	PIC Y(3)	VALUE	CDACTO	00001070
00109	···· ·· ··· ·	02 H74	PTC 779,99	VALUE	JERNES.	00001080
00110		02 FILLER	PTC 2/31	VALUE		00001090
00111		02 P8V	PTC 779,99	VALUE VALUE	378663# 759055	
				TALVE	2LRVC3.	00001110
00115	01	HEADERI.				00001120
03112		02 FILLER	PIC X(6)	VALUE	SPACES.	00001130
00114		02 FILLER	PIC X(9)	VALUE	*PERFECT*.	00001140
00115		02 FILLER	PIC X(8)	VALUE	*MINOR*.	00001150
00116		02 FILLER	PIC X(8)	VALUE	*MAJOR *	00001160
00117		02 FILLER	PIC X(8)	VALUE	*MINOR * .	00001170
00118		02 FILLER	PIC X(7)	VALUE	*MAJOR *	00001180
00119		02 FILLER	PIC X(8)	VALUE	*PERFECT*.	00001190
00120	· · · · · ·	02 FILLER	PIC X(10)	VALUE	*AUGMENTED*.	00001200
00121	+	02 FILLER	PIC X(9)	VALUE	*DIMINISH*.	00001210
00122		02 FILLER	PIC X(8)	VALUE	*PERFECT*.	00001220
00125		02 FILLER	PIC X(11)	VALUE	*AUGMENTED*.	00001230
00124		02 FILLER	PIC X(9)	VALUE	*MINOR *	00001240
00125		02 FILLER	PIC X(9)	VALUE	*MAJOR*.	00001250
00126	-	02 FILLER	PIC X(9)	VALUE	*MINOR*	00001250
00127		02 FILLER	PIC X(7)	VALUE	*MAJOR * -	00001200
00128		02 FILLER	PIC X(7)	VALUE	*PERFECT*.	000012870
00129	01	HEADER 2 .				00001200
00130		02 FILLER	PIC X(7)	VALUE	SPACES.	00001200
00131		02 FILLER	PIC X(8)	VALUE	*UNISON*.	00001330
00132		02 FILLER	PIC X(8)	VALUE	*SECOND*	00001010
00133		02 FILLER	PIC X(8)	VALUE	*SECOND *.	00001320
00134		02 FILLER	PIC X(8)	VALUE	*THIRD*.	00001340
00135		. 02 FILLER	PIC X(8)	VALUE	*THIRD *.	00001350
00136		02 FILLER	PIC X(9)	VALUE	*FOURTH*.	00001350
00137		02 FILLER	PIC X(10)	VALUE	FOURTHY.	00001300
00138		02 FILLER	PIC X(9)	VALUE	FTETHT.	80681300
00139		02 FILLER	PIC X(9)	VALUE	*FIFTH*.	00001390
00140		02 FILLER	PIC X(8)	VALUE	*FIFTH*.	000001000
00141	e.	02 FILLER	PIC X(9)	VALUE	SIXTH.	0.0001400
00142		02 FILLER	PIC X(8)	VALUE	STATH .	00001410
00143		02 FILLER	PIC X(9)	YALUE	SEVENTH	00001420
00144		02 FILLER	PIC X(9)	VALUE	SEVENTHE.	00001430
00145		02 FILLER	PIC X(6)	VALUE	DCTAVE!	00001440
00146	PR O	CEDURE DIVISION	• • • • • • • • • • • • • • • • • • •		· 국전 전 전 전 전 전 전 전 전 전 전 전 전 전 전 전 전 전 전	00001440
00147	MAI	N-PAR.				00001400
00148		CALL COBPSH.			· · · · · · · · · · · · · · · · · · ·	00001710
00149		OPEN INPUT MEL	-FILE. BASS-FILE. CHOR	D-FILE.	UTPUT PRT+FTIF-	20001400 20001400
00150		ACCEPT CONTROL	-CARD.			00001420
00151		MOVE SPACES TO	PRT-REC.			00001500
00152		WRITE PRT-REC	FROM CONTROL-CARD AFTE	R ADVANCE	NG 1 LINES.	20001310
00153		WRITE PRT-REC	FROM HEADER1 AFTER ADV	ANCING 2	LINES	00001020
00154		WRITE PRT-REC	FROM HEADER2 AFTER ADV	ANCING 1	LINES	00001000
00155		PERFORM MEL-PA	R THRU MEL-EXIT UNTIL	EOF = 1	na e ra fu la la seconda e e e e e e e e e e e e e e e e e e e	00001040
00156	and a second	MOVE & TO EOF.	······			00001550
00157		PERFORM PER-CE	NT THRU EXIT-PAR.		and the second	00001500
00158		PERFORM BASS-P	AR THRU BAS-EXIT UNTIL	E0F = 1.	terren and a	00001590
00129		MOVE 0 TO EOF.	· · · · · · · · · · · · · · · · · · ·			00001590
00168		PERFORM PER-CE	NT THRU EXIT-PAR.			00001600
00161		PERFORM CHORD-	PAR THRU CHD-EXIT UNTI	L EOF = 1	•	00001610
00162		PERFORM PER-CE	T THRU EXIT-PAR.	-		00001620
00103		CLOSE MEL-FILE	BASS-FILE, CHORD-FIL	E. PRT-FI	LÊ.	00001630
VU164 88165		STOP RUN.			a anti-a contra a c	00001640
00155	MEL-	-PAR.	the second se		 A second sec second second sec	00001650
00100		KLAD MEL-FILE	T END MOVE 1 TO EOF.	GO TO MEL	-EXIT.	00001660
00149		MUVE ZERDES TO	KOUNT.			00001670
ww.au	and the second	FERFORM MEL-PAI	CZ UNTIL KOUNT = 40.			00001680

00169	FUTOT HANCO TH ACO	
00170	HAND ANT ANTED IN TELES	00001690
00171	HUVE "HELOUT" TO MUSIC.	00001700
00111	MtL+tXII.	00081710
00172	EXIT.	00001720
00175	BASS-PAR.	00001720
00174	READ BASS-FILE AT END MOVE 1 TO FOF- GO TO BAS-FUTT	00001730
00175	HOVE ZEROES TO KOUNT.	~ UUUUUI740
00176	PERFORM BASS-PAR2 UNITE KOUNT - AD	00001750
00177	EXHIBIT NAMED IN-DEC.	00001760
00178	MOVE FRASS F TO NEETC	00001770
00179	BAS-FRIT.	00001780
00180		00001790
00181		00001800
00182		00001810
70102	READ CHURD-FILE AT END MOVE 1 TO EOF, GO TO CHD-EXIT.	00001820
00100	MUVE ZERDES TO KOUNT.	00001830
00100	PERFORM CHORD-PAR2 UNTIL KOUNT = 40.	00001840
00100	EXHIBIT NAMED, IN-REC.	00001850
00186	MOVE *CHORD * TO MUSIC.	00001050
00187	CHD-EXIT.	00001000
60188	EXIT. State of the second s	00001000
00189	MEL-PAR2.	00001880
00190	ADD 1 TO KOUNT. TOT-CT.	00001890
00191	MOVE MEL-I (KOUNT) TO IN-REC.	00001900
00192	IF IN-REC = " " SUBTRACT 1 FROM TOT-CT	00001910
00193	PERFORM CALCULATE.	00001920
00194	BASS-PAR2.	00001930
00195	ADD 1 TO KOUNT. TOTOCT	00001940
00196	MOVE BASSET TO THE TOTAL	00001950
00197	TE THAPE' W & CUDALAT A FRANCE	00001960
00198	PEPERAM CALCULATE SUDIRALI 1 FROM TOT-CT.	00001970
00199	FUNCTION CALCULATE.	00001980
00200		00001990
00201	ADD I TU RUNNA TUT+CT.	00002000
00202	TO IN-REC.	00002010
00202	IF INTREL = • • SUBTRACT 1 FROM TOT-CT.	00002020
80204	PERFORM CALCULATE.	00002030
00207	CALCULATE.	00002040
40205	IF IN-REC = +UN+ ADD 1 TO UN ELSE.	00002050
00205	IF IN+REC = +N2+ ADD 1 TO N2 ELSE.	00002030
00207	IF IN-REC = M2* ADD 1 TO H2 ELSE.	00002088
00208	IF IN-REC = *N3* ADD 1 TO N3 ELSE.	00002070
00209	IF IN-REC = "H3" ADD 1 TO H3 ELSF.	00002080
00210	IF IN-REC = *P4* ADD 1 TO P4 ELSE.	00002090
00211	IF IN-REC = PA4T ADD 1 TO A4 ELSE.	00002100
00212	IF IN-REC = +DS+ ADD 1 TO D5 FISE.	00002110
00213	IF IN-REC = PST ADD 1 TO PS FLOR	00002120
00214	IF IN-REC = PAST ADD 1 TO AS FISE	00002130
00215	IF IN-REC = INGI ADD 1 TO NG FLOR	00002140
00216	IF IN-REC # THEY ADD I TO HE SLOT	00002150
00217	IF IN-REC = 100 i to N2 cice	00002160
00218	IF INTREC = INTRADO I TO NT ELSE,	00002170
00219		00002180
00220	IF IN-REC = 1 1 TUEN ADD 1 TU P8 ELSE	00002190
00221	ADD 1 TO FRE.	00002200
00222	PFR*CENT_	00092210
00223	EXHIBIT NAMEN DATE AND THE STATE AND THE STA	00002220
00224	A DE DE NATURA NA MAN NA MAN DE	00002238
00225	MOVE CRACES TO DETAIL AND MAY N7, P8.	0002240
	TOTE SPACES TO UETAIL -LN.	10000050

			N
00226		MOVE DETAILS TO LEFT-OVER.	00002260
00227		WRITE PRT-REC AFTER ADVANCING 2 LINES.	00002270
00228		COMPUTE PER-CT ROUNDED = (UN / TOT-CT) + 100.	00002280
00229	·	MOVE PER-CT TO UNW.	00002290
00230		COMPUTE PER-CT ROUNDED = (N2 / TOT-CT) * 100+	00002300
00231	•	MOVE PER-CT TO N24.	00002310
00232	• • • •	COMPUTE PER-CT ROUNDED = (M2 / TOT-CT) + 100+	00002320
00233		MOVE PER-CT TO M2V.	00002330
00234		COMPUTE PER-CT ROUNDED = (N3 / TOT-CT) + 100.	00002340
00235	· · · · ·	MOVE PER-CT TO N3W.	00002350
00236		COMPUTE PER-CT ROUNDED = (M3 / TOT-CT) * 100+	00002360
00237		MOVE PER-CT TO M3W.	00002370
00238		COMPUTE PER-CT ROUNDED = (P4 / TOT-CT) * 100+	00002380
80239		MOVE PER-CT TO PAW.	00002390
00240		COMPUTE PER-CT ROUNDED = (A4 / TOT-CT) + 100.	00002400
00241		MOVE PER-CT TO A4W.	00002410
00242		COMPUTE PER-CT ROUNDED = (D5 / TOT-CT) * 100+	00002420
00243		MOVE PER-CT TO DSW.	00002430
00244		COMPUTE PER-CT ROUNDED = (P5 / TOT-CT) * 100.	00002440
00245		MOVE PER-CT TO P5V.	00002450
00246		COMPUTE PER-CT ROUNDED = (AS / TOT-CT) + 100.	00002460
00247		MOVE PER-CT TO A5W.	00002470
00248		COMPUTE PER-CT ROUNDED = (N6 / TOT-CT) + 100+	00002480
00249		MOVE PER-CT TO NEW.	00002490
00250		COMPUTE PER-CT ROUNDED = (M6 / TOT-CT) + 100.	00002500
00251		MOVE PER-CT TO MGW.	00002510
00252		COMPUTE PER-CT ROUNDED = (N7 / TOT-CT) * 100.	00002520
00253		MOVE PER-CT TO NTW.	00002530
00254		COMPUTE PER-CT ROUNDED = (M7 / TOT-CT) + 100+	00002540
00255		MOVE PER-CT TO M7W.	00002550
00256		COMPUTE PER-CT ROUNDED = (P8 / TOT-CT) * 100+	00002560
00257		MOVE PER-CT TO P8W.	00002570
00258		MOVE *PERCENT* TO MUSIC.	00002580
00259		MOVE SPACES TO DETAIL-LN.	00002590
00260		MOVE DETAIL2 TO DETAIL-LN.	00002600
00261		WRITE PRT-REC AFTER ADVANCING 2 LINES.	00002610
00262		EXHIBIT NAMED ERR.	00002620
00263		MOVE ZEROES TO UN. N2. M2. N3. M3. P4. A4. D5. A5. N6. M6. N1	700002630
00264		M7. P5. P8. TOT-CT.	00002640
00265	E)	(IT-PAR.	00002650
00266		EXIT.	00002660

CONDENSED LISTING

RUYE	000000		152	NRITE	068000		153	URITE	000000
WRITE	000012		155	PERFORM	000C4E	•	156	MOVE	000075
PERFORM	0000084		158	PERFORM	000CA2		159	MOVE	000000
PERFORM	000008		161	PERFORM	AAAFEA		163	DEDEADM	100000
CLOSE	000044		164	STOP	000554	•	144	, READ	DADESA
MOVE	000E7A		166	6.0	000F BO				
PERFORM	000E8C		169	EXHIBIT	DDAFAC	* *** **** * * * ****	171	KOVE	000555
EXIT	000EEC	-	174	RFAD	000EE9				
60	000718		175	MOVE	10000	and a set of the set o	24.4	DEDEADU	7 C 3 C C C C
EXHIBIT	000F54		178	MOVE	000575	· · · · · · · · · · · · · · · · · · ·		FENTURA FYT	
READ	000584		100	NOVE					
MOVE	OBDFR6			DEPEDON			105	04 04	
MOVE	001016							EANIDI I	11166
MOVE	001005			1177			190	AUU	601022
DE DE COM	10100	en la sue de la constantión de la seconda de la second	124		610100	nangangan bahar	192	SUBTRACT	001086
	001100		06 F	A U U	001000		196	MOVE	001060
	211100		191	SUBTRACT	001124		198	PERFORM	001131
AUU	DULIDE		201	MOVE	001184		202	11	001180
SUBIKACI	001102		203	PERFORM	001108	a manana kaominina mpika mpika kaominina mpikampikana mpikampikana mpikampikana mpikampikana mpikampikana mpika	205	1F	0011F(
ADD	001208		205	ELSE	00121E		206		001224
ADD	001230		206	ELSE	001246		207	5	001241
ADD	001258		207	ELSE	00126E	and the second	208		00127
AOD	001280		208	ELSE	001296		209	. iL	00129
ADD	001248		209	ELSE	001285			, La. + p=	00100
ADD	001200	and the state of the second	210	ELSE	001266	a series and a series of the ser	211		8012F(
ADD	0012F8		211	ELSE	00130E	a an	212		001314
ADD	001320	:	212	ELSE	001336	And the second sec	M I G		
ADD	001348	· · · · · · · · · · · · · · · · · · ·	213	ELSE	001356	And the second state of th	214		001364
ADD	001370		214	ELSE	001386		ч Ч	id.	00100
ADD	001398	. •	215	ELSE	DOIJAF		216		001100
ADD	001300	a fee of the second sec	216	ELSE	001306	and a second	212		001300
ADD	0013E8		217	ELSE	0013FE	and the second se	218	41	
ADD	001410		218	ELSE	001426	•	219	- 141. 1 Prot	001421
ADO	001438		219	ELSE	00144E	n na ma namatin atom na thanatin nation na com	220		00145
EL SE	001460		221	ADD	00146C		223	EXHIBIT	00148
MOVE	001586		226	MOVE	001500		227	URITE	001506
COMPUTE	0015FC		229	MOVE	00164E	an ann a fhuir an ann an Anna ann an Anna Anna Anna Ann	230	COMPUTE	00167
MOVE	001664		232	COMPUTE	0016E2	and and the second s	233	HOVE	001734
COMPUTE	001752		235	MOVE	0017A4		236	COMPUTE	0017C2
NOVE	001814		23,8	COMPUTE	001832	A case of the second se	239	MOVE	00188
COMPUTE	0018A2		241	MOVE	0018F4		242	COMPUTE	10100
MOVE	001964	-	244	COMPUTE	001982		245	MOVE	06190
COMPUTE	0019F2		247	MOVE	001444	للهنا أياست بهاي معد يتم متحضي فستخصص المستخدمين مست متحض بدرعت بإراب	248	COMPUTE	001462
MOVE	001AB4		250	COMPUTE	001402	and a contract many many state of the state of the state of the	251	MOVE	001824
COMPUTE	001842		253	MOVE	001894		100	COMPUTE	001883
MOVE	001004	the state of the s	256	COMPUTE	001022		257	MOVE T	
MOVE	001092		259	MOVE	001000		0.00		
1115									141 TRA .
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PERFECT UNISON	SECOND	SECOND	THIRD	HAJOR Third	FOURTH	FOURTH	FIFTH	FLAFECI FIFTH	AUGMENTED FIFTH	HIXIS	HIXIS	MINOR	NAJOR SEVENTH	PERFECT OCTAVE
ELODY 0001	0001	1000	0001	0001	0001	0001	000	1000	0001	1000	1000	1000	1000	1000
ERCEN 6.66	6.66	6.66	6.66	6.66	6 #66	6.66	6.66	6.66	6+66	6.66	6+66	6.66	6 • 66	6.66
ASS 0001	0001	1000	1000	1000	1000	1000	1000	0001	1000	1000	0001	1000	1000	0001
CRCEN 6.66	6.66	6-66	6+66	6.66		6.66	6.66	6.66	6.66	6.66	6.66	6.66	6.66	6+66
10RD 0001	1000	0001	0001	1000	0001	0001	000	0001	1000	1000	0001	0001	1000	0001
.RCEN 6.66	6.66	6.66	6.56	6+66	6.66	6,66	6.66	6.66	6 • 6 6	6.66	6.66	6.66	6 • 6 b	6 • 66

127 · · · · · · · · · UN = 0001 N2 = 0001 M2 = 0001 N3 = 0001 M3 = 0001 P4 = 0001 A4 = 0001 05 = 0001 P5 = 0001 N6 = 0001 M6 = 0001 N7 = 0001 N7 = 0001 P8 = 0001 ERR = 0000 IN-REC = UN = 0001 M2 = 0001 M2 = 0001 M3 = 0001 P4 = 0001 A4 = 0001 D5 = 0001 P5 = 0001 N6 = 0001 M7 = 0001 M7 = 0001 P8 = 0001 ERR = 0000 IN-REC = UN = 0001 M2 = 0001 M3 = 0001 P4 = 0001 A4 = 0001 D5 = 0001 N6 = 0001 M5 = 0001 N7 = 0001 M7 = 0001 P8 = 0001 M2 = 0001 M3 = 0001 P4 = 0001 A4 = 0001 D5 = 0001 P5 = 0001 N6 = 0001 H6 = 0001 N7 = 0001 M7 = 0001 P8 = 0001 M2 = 0001 M3 = 0001 P4 = 0001 A4 = 0001 D5 = 0001 P5 = 0001 N6 = 0001 H6 = 0001 N7 = 0001 the second s The second se -----IN-REC =

APPENDIX C

PERFECT OCTAVE 0002 0024 3.32 0126 0.24 17-2 MAJQR SEVENTH 0000 00.00 0000 00.00 0008 1..08 HINDR 0000 0.00 1000 0.12 0.023 3.10 9.45. MAJOR SIXTH 0.12 0.13 0010 1000 1000 HINDR 0002 0.83 0.60 0006 0050 6.75 AUGHENTED FIFTH 0,00 0000 0.00 0000 0002 0.27 PERFECT FIFTH 0123 0012 1.44 0025 3+46 16.62 DIMINISH BAROQUE FIFTH 0005 0.60 0004 0.55 0005 0.67 AUGMENTED 0000 0.00 0002 0.27 0013 1.75 PERFECT FOURTH 0055 7.62 0038 0037 44.44 5.13. ALL PIECES OF MUSIC MAJOR THIRD 1900 5.68 0110 0042 5.04 19.86 THIRD 0066 7.93 0068 9.43 0131 MINOR 17.70 MAJOR SECOND 8264 31.73 0213 0033 4.45 29.54 MINOR Second 18+81 0157 0116 16+08 0000 0.61 P . RAMEAU PERFECT UNISON 0166 0000 0.00 MELODY 0238 PERCEN28.60 PERCEN23.02 PERCEN CHORD 6A5S ->

PERFECT 0+20 1000 0024 0084 46.4 14,53 MAJOR SEVENTH 0000 00.00 0000 00° 0 0003 0.51 MINDR 0.20 0000 1000 0.00 0038 6.57 0045 MAJOR SI XTH 6000 1.60 1000 1.44 61.1 M INOR S IXTH 1.20 0049 0000 8.47 1000 0.20 AUGMENTED DIMINISH PERFECT AUGMENTED FOURTH FIFTH FIFTH FIFTH 0000 0.00 0000 0.00 0.17 0001 0013 2 * 60 0400 8.24 5600 16.43 0004 0.80 0,20. 0024 4.15 1000 BAROQUE 0.20 1000 0008 1.64 2 100 2.07 PERFECT FOURTH 0022 4.40 10.92 0026 0053 4.49 OF MUSIC MAJOR THIRD 0.023 4.60 0013 2.68 0112 19.37 ALL PIECES MINOR THIRD <u>6+40</u>. 0032 0026 5.36 6500 10-20 MAJDR SECUND 0117 00800 23,40 0100 1.73 16.49 MINDR 0136 22.47 27,20 0109 0008 1,33 ANTONIO VIVALDI PERFECT UNISON ERC EN2 6 4 6 0 0120 0000 ELODY 0133 ERC EN24.74 ERCEN 0,00 ноко **AS S**

0125 0036 0008 13.78 16.0 *** PERFECT OCTAVE SEVENTH MAJOR 1000 0.45 0003 0.37 0001 11.0 ----ţ MINOR SEVENTH 0005 4400 0001 0.61 ₫**.**85 0.11 HAJOR SIXTH 64.0 9600 0.68 0006 0004 10.58 0.49 0078 8-59 11.0 MINOR SIXTH 1000 0004 DIMINISH PERFECT AUGMENTED FIFTH FIFTH FIFTH 0000 0.00 0.00.0 0002 0.22 0000 ÷ HIJIJ 0145 0029 0052 3.31 6.42 15.98 BARDQUE 4 FIFTH 0.49 3.19 0002 0.22 0000 0029 AUGMENTED FOURTH 0.12 1000 0001 0014 1.54 0.11 PERFECT FOURTH 0061 0076 9.39 0056 16.97 6.17 OF MUSIC MAJOR Third 0039 4.46 0035 4.32 0114 12.56 ALL PIECES MINOR THIRD 0041 4.69 0032 3.95 0153 16.86 MAJOR Second 0369 34+36 42.21 0278 0034 3.74 MINOR Second 0205 0214 26.45 0003. 0.33 23.45 IOHANN S. BACH PERFECT UNI SON ERCEN11.89 0064 7.91 0000 ELODY 0104 ERCEN 0.00 ERCEN HORD ASS

64-0 4.16 0337 0084 PERFECT OCTAVE 0011 15.14 SEVENTH MAJOR 0.18 9.14 4000 0003 0018 0.80 SEVENTH 0.13 0.24 0105 £000 4.71 0005 MINOR MAJOR SIXTH 0.72 0.59 0211 9.48 0016 0012 0.54 0.54 7.95°. **HTXIS** 0177 MINOR 0012 0011 DIMINISH PERFECT AUGMENTED FIFTH FIFTH FIFTH 0.00.0 00.00 0.22 0002 0000 0000 0363 0054 2.44 5.80 0117 16.31 BARDQUE . 64.*0 0000 44.0 0058 0011 2.60 PERFECT AUGMENTED FOURTH FOURTH . 60 ° 0 0039 0002 0.54 1.75 0011 5.39 0120 0184 0120 9.13 5-43 MUSIC ALL PIECES OF MAJOR Third 4.71⁻ 0089 0336 0104 4.41 15.10 THIRD 0139 0126 6+25 0343 6.30 15.41 MINOR SECOND 1700 0350 3.46 MAJOR 33.99 1230 28.33 ŝ SEC OND 0498 0439 21.78 0017 0.76 22.57 MINOR AROQUE COMPOSERS PERFECT UNE SON 0350 0000 LODY 0475 RCEN23.53 **. RCEN17.36** 0.00 RCEN 10RD 522

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0011 1.12 0030 3.21 0292 PERFECT 27.08 OCTAVE MAJOR SEVENTH 0.55 0.10 0000 0006 0.00 1000 SEVENTH 0006 **MINOR** 0.61 0002 0.21 0028 2.59 MAJOR Sixth 0100 0.32 1.01 0003 10.38 0112 MINOR 6005 HIXIS 0.50 0005 0.53 1690 8.99 AUGMENTED FIFTH 0000 0.00 0000 0.00 0000 00.00 DIMINISH PERFECT FIFTH FIFTH 0018 0059 6.33 1.83 0143 13.26 CLASSICAL 0003 0.30 0.10 2.87 0001 0031 PERFECT AUGHENTED FOURTH FOURTH 0000 0.00 0003 0.32 0017 1.57 0170 7.13 0074 7.93 0055 5.10 ALL PIECES OF MUSIC MAJOR Third 5.30 0052 0043 4.61 0151 14.00 M INOR THIRD 7.33 0072 6.54 0112 0061 10.38 HAJOR Second 0247 25.17 0158 16.95 0019 1.76 M I NOR Second 0232 23.64 0198 0.37 21,24 0004 PERFECT UNISON JOSEPH HAYDN , 0290 JERCEN25.68 0.091ELODY 0252 FRCEN31.11 0001 **ERCEN** CROH: IASS I

130 PERFECT 0CTAVE 6010 0003 99*0 6000 2.15 20+76 MAJOR SEVENTH 00.00 0.38 0000 0000 0.00 0002 MINDR SEVENTH 0.00 0000 0000 0.00 0018 3.42 MAJOR SIXTH 0000 0.00 0002 0.47 0100 13.33 MINOR S IXTH 0002 0.88 4000 0.47 00060 11.42 DININISH PERFECT AUGMENTED FIFTH FIFTH FIFTH 0000 0.00 0000 0.00 0002 0.38 3 - 30 0015 0017 0056 4 <u>0</u>6 10.66 CLASSICAL 44*0 0.23 0015 2.85 0002 1000 AUGMENTED FOURTH 0000 00-00 0000 00.0 00,14 2.66 PERFECT FOURTH OF MUSIC 0030 1 E 00 6.82 0032 7.65 5.71 MAJOR THIRD 0029 P LECES 6.38 9100 0.059 11.23 3+34 ALL MINUR THIRD 8.14 0072 17.61 0037 0012 2.87 MAJUR SECOND 0084 16.50 6000 1.71 0089 21.29 **WOLFGANG AMADEUS MOZART** MINOR Second 0118 25-99 21.05 0.76 0038 4000 PERFECT UNISON 0000 FRCEN28.85 *ERCEN36.36 PERCEN 0.00 0152 IELO YOUJE HORD 3455

0.023 2+30 0062 5 98 0195 PERFECT OCTAVE 18-02 MAJOR SEVENTH 6003 0.28 1000 0.10 0.46 0005 MINOR SEVENTH 0++0 0069 0005 0004 0.48 6.37 HAJOR SIXTH 0012 1.20 0005 0.48 0089 8.22 MINOR 9812 1.20 2000 0.48 0066 6.09 AUGHENTED FIFTH 0000 0.0.0 0000 0000 0.00 00.0 PERFECT FIFTH 0029 2.90 6900 4.72 1710 15.80 CLASSICAL DIMINISH 0.10 1000 1.20 0002 0.19 0013 AUGMENTED FOURTH 0003 0.30 0000 0.00 0013 1.20 ALL PIECES OF MUSIC FOURTH PERFECT 0029 0089 8.59 0083 7.67 2,90 THIRD 0036 MAJOR 3.60 10044 0159 14.69 4.24 4.72 HINOR 0053 .6400 0108 THIRD 5.31 9.98 RAJOR 19.49 0289 28,95 0202 0055 5.08 MINOR Second LUDVIG VON BEETHOVEN 9144 14 42 0120 0.55 11+58 0000 PERFECT MELOCY 0360 PERCEN36+07 0401 0002 PERCEN38.70 $0 \cdot 18$ PERCEN CHORC **BASS**

1.52 9650 4.23 PERFECT 0037 0101 22+19 OCTAVE SEVENTH 0002 0.08 0003 0.12 0013 0.48 SEVENTH MINOR 0110 0.259 0115 4.28 0.41 0007 MAJOR SIXTH 0.022 0.41 0 - 90 0010 0271 10.09 0021 0.86 0012 0.50 0223 8.30 MINOR SIXTH PERFECT AUGMENTED FIFTH FIFTH 0000 0000 0.00.0 0.00 0002 0.07 0062 2.54 0125 5.23 0370 13.78 CLASSICAL DIMINISH FIFTH 9000 0.24 0004 0.16 0059 2.19 PERFECT AUGHENTED FOURTH FOURTH 0003 0.12 0.12 0003 1.63 0044 ALL PIECES OF MUSIC 0130 0168 5.34 0195 8.17 6.25 MAJOR THIRD 0117 4.80 0369 13.74 4.23 0101 MINOR 0162 65.65 0122 0292 10.87 5.11 SECOND 0620 0449 3.09 MAJOR 25,48 5800 18.81 MINOR Second LASSICAL COMPOSERS 94 94 20.30 0014 0.52 04.06 17.01 PERFECT UNI SON IEL00Y 0743 0843 ERCEN35.33 0003 ERCEN30.53 ERCEN 0.11 HORD A SS

0.89 0.25 0173 0.0.02 0000 22.40 OCTAVE PERFECT SEVENTH MAJOR 0000 0.0 0.00 0014 0000 1.91 SEVENTH 0003 0.38 0.59 0030 3.88. 0004 HINOR 6 • 86 0003 0.89 0006 0.89 0053 MAJOR HIXIS HINOR SIXTH 0003 0.38 0.59 0.052 6.73 0004 DIMINISH PERFECT AUGMENTED FIFTH FIFTH FIFTH 0000 00.00 0.00 11.0 0000 9000 0015 4.32 1,92 0029 0104 13.47 ROHANT IC 0001 0.12 0000 0.00 0029 3+75 AUGNENTED FOURTH 0.00 0.12 0011 1,42 1000 0000 PERFECT FOURTH 9°09 0032 4.10 0041 ALL PIECES OF MUSIC 0061 5.31 MAJOR THIRD 0035 64-4 6.40 0130 16.83 0043 N I NOR THIRD 0052 £9+9 0035 5.21 0078 10,10 RLJOR Second 0;; co (;) e 4 21.05 6674 11.62 4.66 MIN OR SECOND 5119 0110 17.28 0004 22.33 0.51 ECTOR DIRLIOZ PERFECT UNISON EL00Y 6289 ERCEN37.09 0530 0000 0.00 ERCEN43.21 ERCEN HOPU 455

132 9018 2+19 0025 0340 3.31 41-11 PERFECT OCTAVE MAJOR SEVENTH 0.48 0000 00 [•] 0 0002 0.26 000 SEVENTH 0000 0.13 MINOR 0.48 1000 0021 2.53 0073 HAJOR SIXTH 2000 0 • 36 1000 3, 92 8.82 MINOR 0,85 0005 0.26 0200 1000 6.04 DIMINISH PERFECT AUGMENTED FIFTH FIFTH FIFTH 0000 0.00 0000 0.00 1000 0.12 0017 11.60 2 * 0 J 0.053 ₹0°5 9600 ROMANTIC 2000 0.*24 0.53 5000 0.60 0004 FERFECT AUGMENTED FOURTH FOURTH 6000 1,08 0002 0.24 0002 0.26 0048 5.8.5 0065 0048 5.80 8.62 NUSIC ALL FIECES OF 0.029 NAJOR Third 0328 1 **1** 1 3 84 0076 9.18 M LNOR THIRD 0043 0068 96 9 5.70 8.22 1300 þ MAJOR Second 0240 a2+62 ុទ ខេត្តទទ 8280 35.5 3195 MINOR Second 0189 6124 leigt 1000 0.12 23.04 **VION ERUCKNER** PERFECT UNI SOK 86 I 0 0001 0.12 (LODY 0201 JR CE 1124.51 **INCEN26.25** RCEN 108D 155

2.73 0015 6110 0000 0.00 24.50 PERFECT OCTAVE SEVENTH HAJOR 0000 00°0 0000 0.00 0002 0.32 SEVENTH 0015 0001 0.17 2000 0.36 2.46 MINOR 0+17 0.18 0046 7.56 HTX18 0001 0001 0.042 1.63 MINOR **HIXIS** 0007 1.22 6000 6.90 PERFECT AUGMENTED DIMINISH PERFECT AUGMENTED Fourth Fourth Fifth Fifth Fifth 0.00 0000 0.00 0000 1000 0.16 16.39 0103 0012 2.10 0600 16.94 ROMANTIC 1000 0.17 0005 0.32 0002 0.36 0000 0.00 0.36 1000 0,16 0002 PIECES OF MUSIC 0047 8.23 0063 11.47 0026 4.27 MAJOR Third 0126 0047 8.23 3.82 20.72 0021 ALL MINOR Third 0055 9.63 0063 0070 11.47 11.51 MAJOR . SECOND 33.97 0110 0194 20.03 0022 3.61 SECOND MINOR 0130 22+76 0057 0000 0.00 10.38 ER AHMS ECT SON 176 30 000 .00 0.8 ·67

0662 0020 55.0 0046 2.33 29.99 PERFECT OCTAVE SEVENTH MAJOR 06*0 0000 00.00 0.10 .0620 0002 MINOR 8000 0.36 0.35 0066 2.99 1000 HAJOR Sixth 0011 0.50 01.0 0172 61*2 **+100** 0017 0.78 0.75 6.52 SIXTH 0015 9144 MINDR DIMINISH PERFECT AUGMENTED FIFTH 0000 0008 0.00. 0.36 0000 0.00 FIFTH 0044 2.02 0172 8.71 0303 13,72 ROMANTIC FIFTH 0004 0.18 0000 0.30 0036 1.63 PERFECT AUGMENTED FOURTH 0.13 2000 0.20 0.95 0004 0021 . FOURTH ' ALL ROMANTIC MUSIC 0189 0115 0127 5.85 9.57 5.21 MAJOR Third 0110 5.06 0332 600 11.4 15.04 MINOR Third 7.55 9.78 7.14 0216 0164 0141 MAJOR Second 0598 27.55 3.89 0379 19.19 0086 TIC COMPOSERS HINOR Second 0005. 0493 0,22 22.71 0297 15.04 E C T S O N 66 08 61 0 96 10

APPENDIX D

Music Used in Tables

Baroque Period:

- J. S. Bach St. John Passion (1723) Mass in B Minor (1733) Christ Lag in Todesbanden
- A. Vivaldi Beatus Vir Kyrie Magnificat
- J. P. Rameau Motet: Gai Motet: Laboravi Motet: Vivement

Classical Period:

- F. J. Haydn Die Schöpfung (1796-1798) Agnus Dei from the Theresa Mass (1799) Te Deum Laudamus in C Major (1765)
- W. A. Mozart Gloria from Mass in C Major K-317 Dies Irae from the Requiem K-626 Ave Verum K-618
- L. V. Beethoven Last Movement of Symphony #9 Opus 125 Agnus Dei from Missa Solemnis Opus 123 Der Glorreiche Augenbluck #1 Opus 136

Romantic Period:

H. Berlioz Chorus of the Maji (1832) Agnus Dei from the Requiem (1837) Resurrexit (1824)

- J. Brahms The Hunter Requiem - 1st Movement (1857-1868) Ach Lieber Herre Jesu Christ
- A. Bruckner Agnus Dei From Mass #3 in F Minor (1868) Gloria From Mass #1 in D Major (1864) Credo From Mass #2 in E Minor (1866)

Other Works Consulted

- J. S. Bach
 Brandenburg Concertos #5 & #6
 Chorale #72 (Passion Chorale)
- L. V. Beethoven Mass in C Major Opus 86 Excerpts From Fidelio Opus 72 Symphony #7 (2nd movement) Opus 92 Piano Sonata Opus 13 (2nd movement)
- H. Berlioz Te Deum Opus 22 (1849) Damnation of Faust Opus 24 (1846)
- J. Brahms
 Ave Maria Opus 12 (1858)
 Serenade in D Major Opus 11 (1857)
 Symphony #4 Opus 98 (1885)
- A. Bruckner Missa Solemnis (1854) Requiem (1875)
- F. J. Haydn Stabat Mater (1767) Missa Brevis in F Major (1749)
- W. A. Mozart Missa Brevis Kl40 Missa Solemnis Kl39 Piano Concerto #1
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