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Thesis

Experimental Measurement of the 4-D Transverse Phase Space Map of a Heavy Ion Beam

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Experimental Measurement of the 4-D Transverse Phase Space Map of a Heavy Ion Beam

by

Harvey S. Hopkins

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M.S. (University of California, Davis) 1987

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Abstract

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The development and employment of a new diagnostic instrument for characterizing intense, heavy ion beams is reported on. This instrument, the “Gated Beam Imager” or “GBI” was designed for use on Lawrence Livermore National Laboratory Heavy Ion Fusion Project’s “Small Recirculator”, an integrated, scaled physics experiment and engineering development project for studying the transport and control of intense heavy ion beams as inertial fusion drivers in the production of electric power. The GBI allows rapid measurement and calculation of a heavy ion beam’s characteristics to include all the first and second moments of the transverse phase space distribution, transverse emittance, envelope parameters and beam centroid. The GBI, with appropriate gating produces a time history of the beam resulting in a 4-D phase-space and time “map” of the beam. A unique capability of the GBI over existing diagnostic instruments is its ability to measure the “cross” moments between the two transverse orthogonal directions. Non-zero “cross” moments in the alternating gradient lattice of the Small Recirculator are indicative of focusing element rotational misalignments

contributing to beam emittance growth. This emittance growth, while having the same effect on the ability to focus a beam as emittance growth caused by non-linear effects, is in principle removable by an appropriate number of focusing elements.

The instrument uses the pepperpot method of introducing a plate with many pinholes into the beam and observing the images of the resulting beamlets as they interact with a detector after an appropriate drift distance. In order to produce adequate optical signal and repeatability, the detector was chosen to be a microchannel plate (MCP) with a phosphor readout screen. The heavy ions in the pepperpot beamlets are stopped in the MCP's thin front metal anode and the resulting secondary electron signal is amplified and proximity-focused onto the phosphor while maintaining the spatial and intensity characteristics of the heavy ion beamlets. The MCP used in this manner is a sensitive, accurate, and long-lasting detector, resistant against signal degradation experienced by previous methods of intense heavy ion beam detection and imaging. The performance of the GBI was benchmarked against existing mechanical emittance diagnostics and the results of sophisticated beam transport numerical simulation codes to demonstrate its usefulness as a diagnostic tool.

A method of beam correction to remove the effects of quadrupole focusing element rotational misalignments is proposed using data obtainable from a GBI. An optimizing code was written to determine the parameters of the correction system elements based on input from the GBI. The results of this code for the Small Recirculator beam are reported on.

Professor Edward C. Morse
Dissertation Committee Chair

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Chapter 1

Introduction

The international search for a viable technology to employ in electric power generation from controlled fusion includes the United States' Inertial Confinement Fusion (ICF) Program. Large glass lasers including NOVA and the National Ignition Facility (NIF) at the Lawrence Livermore National Laboratory (LLNL) are being operated or built as research tools for achieving ignition and gain in a fusion target.¹ Success in achieving ignition is a major hurdle to a practical, economical, and environmentally attractive source of electric power. The National Ignition Facility, using lasers as a driver, will demonstrate ignition and the response of target chamber materials to the fusion environment, as well as contributing to national security as part of the U.S. Department of Energy's Stockpile Stewardship Program.

A nominal 1000 MWe inertial fusion energy (IFE) power plant requires a high repetition rate and high driver efficiency for economic power production.² In the U.S., several driver options are being studied to obtain the desired characteristics of high pulse rate, efficiency, reliability, and low cost. These options include the diode-pumped solid state laser, light ion accelerator, and a heavy ion accelerator based on induction accelerator technology.³ The heavy ion driver research is centered at LLNL and Lawrence Berkeley National Laboratory. The major issues being studied at these sites, using theoretical and computational methods, and experiments, include ion source design and performance, beam transport, beam acceleration and control, final

Figure 1.1: Conceptual view of an inertial fusion energy power plant.¹

focusing element design, target chamber beam transport, and fusion target design and performance. Additionally integrated power plant systems studies done to model the plant and driver design, construction, and operation are being carried out to estimate the per kilowatt-hour cost of electricity from an inertial fusion energy plant.

Existing accelerators for high-energy physics research have had long lifetimes and high availability, and it is expected that IFE drivers could share these attributes. An induction accelerator in particular is efficient, can readily transport and amplify a high-current beam, and can easily meet the pulse rate requirement of 3-10 Hz needed for energy production.⁴ Conceptual designs for IFE power plants have been studied such as the artist's conception in Figure 1.1 and the HYLIFE II reactor chamber design. The HYLIFE II design addressed issues of how to convert the output of the target to a working fluid as well as alleviating material damage from intense neutron irradiation and other critical engineering issues.⁵

The requirements for the driver are imposed by the fusion target design and to a lesser extent the geometry of the target chamber.⁵⁻⁷ Current work at LLNL has focused on indirect drive targets in which a hohlraum with radiation converters encloses a deuterium-tritium pellet. The converters are illuminated by clusters of ion beams with a narrow cone angle. To achieve a gain of about 100 such a target is required to

receive about 5 MJ in incident ion beam energy in a suitably shaped pulse of about 10 ns in duration.⁸ For an ion mass of 100-200 amu the required energy per ion is of order 5 GeV based on radiation converter stopping range of $R=0.02-0.2 \text{ g/cm}^2$.² The use of heavy ions and their high individual energies allows a relatively low beam current (compared to light ion beams) and non-neutralized ballistic focusing of the beam across a 4-10 meter radius target chamber. The ability to focus to a nominal 3 millimeter spot is governed by four major factors: beam space charge, beam emittance, transverse focusing field misalignments, and transverse focusing field aberrations. Neglecting the effects of the other three factors an estimate of the maximum permissible beam emittance at the final focus lens can be made. Assuming 6 meters from the final focusing lens to the target and a 3 millimeter spot size on target, ions can be aimed with maximum convergence angle of 0.3 milliradians. This angle represents the ratio between ion transverse energy and beam directed energy. For a 5 GeV beam, the transverse energy must remain less than 0.5 keV. The transverse emittance is the product of beam transverse dimension and velocity spread normalized to the beam's directed velocity. Uncorrected optics are limited to a focusing angle of about 15 milliradians and so for a 3 millimeter spot size, one obtains an emittance limit of 45 mm-mr.

Limiting the emittance growth from source to target of these heavy ion beams is a leading topic in the research and development of a heavy ion driver. Understanding the processes that cause emittance growth and developing the engineering to produce the necessary beam attributes in an economical way are of high priority. Theoretical, computational, and experimental work are in progress at LLNL with assistance from LBNL in the building and operating of the Small Recirculator, an integrated, scaled driver physics experiment and engineering technology development platform.⁹ Characterizing its beam of singly-charged potassium ions is crucial to verifying its design operating specifications and benchmarking sophisticated numerical beam simulation codes that will help design a full-scale power plant driver. For this purpose an improved emittance diagnostic, the Gated Beam Imager (GBI) was developed and fielded for this thesis to obtain information on the Small Recirculator beam not

previously available.

A description of the Small Recirculator experiment and its technology is presented in Chapter 2. Chapter 3 presents a review of intense ion beam transport issues relevant to the design and operation of the GBI. Chapter 4 explains the design methodology used for the GBI and data analysis algorithm. Chapter 5 presents the work conducted to select the ion detector used in the GBI, a description of the instrument, and its operation. As an application of the unique information available from the GBI, a beam correction system concept is proposed in Chapter 6. This correction system uses inputs from the GBI to remove the effects of random quadrupole focusing magnet rotation errors from a heavy ion driver beam. Chapter 7 presents the results of GBI measurements on the Small Recirculator beam using the prototype instrument developed for this thesis and validation by comparison with existing diagnostic instrumentation and code results. Also, experimental results relevant to the beam correction system are presented.

Chapter 2

Small Recirculator Experiment Overview

As achieving ignition and conducting an experimental program on the National Ignition Facility can address among many issues, fusion target physics, chamber materials issues, and give the necessary public awareness boost to inertial fusion energy research, LLNL is building a heavy ion recirculating induction accelerator (dubbed “Small Recirculator”) to study in a scaled manner the physics and engineering of producing, accelerating, transporting, and controlling an intense, space-charge-dominated heavy ion beam through multiple laps of a circular accelerator.⁹ The recirculating induction accelerator concept applied to a full-scale driver promises component construction cost reduction over a linear accelerator by re-using the same accelerating and focusing elements multiple times in a beam’s travel from source to target. The long path length available in a multi-lap recirculator lessens the required accelerating gradient through each induction cell allowing smaller (and presumably cheaper) components than those of a shorter path length “once-through” linear accelerator.¹⁰

The Small Recirculator will be the first accelerator of its kind, and with multiple lap operation will explore the physics and engineering issues of beam control needed to economically build a driver-size machine. The repeated use of accelerator elements during beam acceleration and compression on multiple laps also requires new engineering development in areas of beam control, acceleration, and diagnostics.¹² These issues are being addressed in the Small Recirculator project with the goal of an in-

tegrated, scaled system to provide experience in all aspects that apply to building and operating a driver and to provide data to benchmark computer codes to aid in the design of a power plant size induction accelerator. To date, prior to multiple lap operation, the experiment has yielded valuable data on emittance growth, and beam control of intense heavy ion beams around bends. A summary of its design is in Table 2.2 at the end of this chapter on page 22 and drawings of its completed form are shown in Figures 2.1 and 2.2.

Figure 2.1: Final configuration of the Small Recirculator ring (source and matching section not pictured).

Figure 2.2: Final configuration schematic of the Small Recirculator ring

2.1 Small Recirculator Description

The Small Recirculator is being constructed on a “build and test” schedule allowing for component testing and beam experiments on that portion available at various milestones during construction. When completed, the machine will have a circumference of 14.4 m, beam pipe radius of 3.5 cm, two beam insertion/extraction sections, and an alternate-gradient focusing half-lattice period of 38 cm, allowing 40 half-lattice periods (populated by induction acceleration modules, electrostatic bending dipoles, and permanent magnet transverse focusing quadrupoles).¹³

2.1.1 Full Ring Operation

Full ring operation is expected to include the study of intense beam dynamics over 15 laps equating to a path length of about 216 meters. Sophisticated numerical modeling of the beam using LLNL’s WARP code predicts satisfactory beam trans-

port through the 15 laps.¹⁴ Data from the full ring operation as well as partial ring operation during construction will be used to validate the code's initial beam conditions that are assumed regarding the ion distribution and gage the design operation of the accelerator system. To provide for the technology development needed for a full-scale recirculating ion driver in the areas of beam control, longitudinal confinement, induction modulator performance and energy recovery, and beam manipulation (insertion/extraction) with minimal emittance growth, the beam of singly-charged potassium ions will be accelerated from 80 to 320 keV by 34 induction modules. The beam pulse, initially at a current of 2 mA, 4 μ s in length and 1.1 cm average radius will be accelerated and longitudinally compressed over 15 laps resulting in a beam pulse with a current of 8 mA, 1 μ s in length, and average radius of 1.3 cm. The initial phase advance of the betatron motion of the ions is $\sigma_0 = 78^\circ$ in the absence of space-charge and $\sigma = 16^\circ$ in the presence of space-charge. At final beam energy, the phase advances will decrease to $\sigma_0 = 45^\circ$ and $\sigma = 12^\circ$ per lattice period.

Figure 2.3: Experimental configuration of the Small Recirculator during the initial deployment of the Gated Beam Imager

2.1.2 Partial Ring Operation

During the experiments carried out in support of this thesis the configuration of the Small Recirculator was that shown in Figure 2.3 with a 45° bend. Figure 2.4

Figure 2.4: Experimental configuration of the Small Recirculator during the deployment of the Gated Beam Imager at the end of the 90° bend.

shows the Small Recirculator with a 90° bend installed. In this initial phase of construction and testing, several designs for the ion source pulser power supply were tested in order to obtain the desired beam ion extraction voltage waveform rising from 0 to 80 keV in nominally 326 ns with a flat-top, 4 μ s long with less than 0.1% “ringing”, and a sharp cut-off at pulse end. Testing of beam transport through an electrostatic quadrupole matching section into a straight magnetic transport section was completed prior to bending the beam initially around a 45° bend in April 1997. Construction of a 90° bend in started in August 1997. Bending such an intense space-charge-dominated heavy ion beam around a curve while maintaining beam quality had never been accomplished before. Heavy ion beams are much more difficult to control than electron beams owing to their particle’s large mass (a factor of 7×10^7 for

potassium ions compared to electrons), requiring much larger applied fields and less room for error. Sophisticated particle-in-cell simulations, such as WARP, are required to accurately calculate the necessary fields and the shape of the elements that produce the fields such that higher order field components that produce emittance growth are minimized.¹⁵ The development of diagnostic instruments able to measure the subtle changes expected in the beam into and out of bends was a major effort at this stage of construction and testing. Development of the prototype GBI occurred over $2\frac{1}{2}$ years using the heavy ion beam, first in the straight magnetic transport section and then at the end of the 45° bend section. Its performance was compared with data from the mechanical 2-D emittance diagnostic known as “slit scanners” adapted from LBNL experiments to the Small Recirculator and to the moment and emittance calculations of the WARP code. For final testing, the Gated Beam Imager contained within a multi-instrument diagnostic chamber was placed at the end of the 45° bend section around which the 80 keV beam drifted without acceleration. These results are discussed in Chapter 7.

2.1.3 Potassium Ion Source

At the source end of the machine, ions are drawn from a diode source that delivers up to a 9 mA beam of singly-charged potassium ions (K^+) at 80 keV.¹⁶ The ion source tank is mounted above the source pulser power supply housed in a tank filled with diala oil to provide cooling to power supply components and to prevent high voltage breakdown between components.¹⁷ This allows a compact physical arrangement of the pulser circuitry but does cause a considerable effort in tuning the circuit to account for stray impedances that are caused by circuit geometry which become evident at the high voltages and frequency necessary to produce the desired waveform.

The ion source is a one centimeter diameter zeolite cylinder coated with potassium. During operation the source is heated to approximately 1200°F by ohmic heating causing potassium ions to form a plasma just in front of its surface. The 80 keV extraction voltage waveform that forms the beam is applied to a graphite Pierce

electrode surrounding the source shown in Figure 2.5. The 80 keV potential is dropped across a gap to a plate held at ground potential with a one centimeter round aperture centered on the beamline. The shape of the Pierce electrode provides a small focusing effect on the plasma and the aperture limits the current into the Small Recirculator to 2 mA.¹⁶ The extraction voltage waveform has a design rise time of 326 ns which can be adjusted by an RC network in the power supply circuit shown in Figure 2.6. A nominal 4 μ s long pulse is generated with its length determined by the receipt of a second timing signal from the accelerator control system which causes a spark gap to crowbar the remaining pulser energy to ground with a fall time of 326 ns.

Figure 2.5: Pierce electrode (black) surrounding the potassium source (not visible) with power supply capacitors mounted on the periphery. The one centimeter diameter aperture to the matching section is to the left of the Pierce electrode

Figure 2.6: Source pulser power supply circuit in its oil tank below the ion source assembly. (Oil not present)

2.1.4 Electrostatic Matching Section

The one centimeter aperture passes the beam into the electrostatic matching section formerly used in LBNL's Single Beam Transport Experiment shown in Figure 2.7. The matching section contains seven electrostatic quadrupoles. High voltages whose values are calculated using the WARP code are applied to the quadrupoles which "matches" the beam by inducing the proper focusing in one transverse direction (e.g., x or y , with z being the axial direction) while defocusing in the orthogonal transverse direction. The correct combination of voltages and quadrupole polarity creates a beam envelope oscillation that matches the beam envelope to the orientation and spacing of the alternating gradient focusing elements of the magnetic transport section of the Small Recirculator. A correct match results in a beam envelope that remains less than the beam pipe's aperture dimension. Table 2.1 lists a typical set

of electrostatic quadrupole voltages used during experiments to attain a matched 80 keV beam.

Figure 2.7: Electrostatic matching section. Cables supplying voltage to the electrostatic quadrupoles enter on the left side and the oil tank housing the ion source pulser circuit is shown below the ion source assembly tank to the right.

Faraday cup diagnostic instruments that measure total beam current as a function of time can be inserted into the matching section after electrostatic quadrupole numbers two and seven. Two sets of mechanical slit scanners, which can measure beam emittance in the y (vertical) direction only, are located between quadrupoles two and three and between quadrupoles six and seven. A set of electrostatic steering quadrupoles for moving the beam a limited amount in the $\pm x, y$ direction are located after quadrupoles four and five.

Table 2.1: Electrostatic quadrupole voltages used to “match” the Small Recirculator 80 keV beam to the magnetic transport section lattice.

Quadrupole #	Match Voltage (V)
1	± 1975
2	± 3836
3	± 3085
4	± 1955
5	± 1840
6	± 1655
7	± 1665

2.1.5 Straight Magnetic Transport Section

Following the matching section, during the straight magnetic transport experiments, were three magnetic transport sections, each 76.2 cm long, with two six-inch diagnostic or pumping ports and connections for capacitance probes (non-intercepting beam centroid diagnostics).¹⁸ The six-inch ports accepted a variety of diagnostic instruments including a LLNL-designed mechanical slit scanner, a rotating wire scanner for beam envelope measurements, and test assemblies used for GBI development. Small one-inch ports were used to bring out capacitance probe signals, and to accommodate GBI detector power supply leads. Each straight section consisted of two alternating gradient (or FODO, short for FOQusing/DefQusing) half-lattice periods with two permanent magnetic quadrupole focusing elements with pole tip fields of 0.295 Tesla. Successive quadrupoles are aligned such that focusing in one transverse plane is followed by defocusing in the next quadrupole in the same plane. With a matched beam, the beam waist, (where both transverse radii of the beam are equal and the beam cross-section is round), is at the center of the six-inch diagnostic ports. Figure 2.8 shows the three straight magnetic transport sections as configured during the experiments supporting this thesis.

Figure 2.8: Small Recirculator straight magnetic transport section showing the 3 six-inch diagnostic ports.

2.1.6 Electrostatic Bending Section

Figure 2.9 shows the 45° bend section that first accomplished the bending of an intense heavy ion beam with full beam transport.¹⁸ The FODO lattice of the straight transport continues in the bend with electrostatic dipole bending plates placed at the center point between successive magnetic quadrupoles. These plates are designed to bend the beam by 9° in each half-lattice period requiring 5 dipoles to bend the beam by 45° . The nominal voltage to bend the beam 9° at 80 keV is +6570 V placed on the outer plate and -6570 V on the inner plate. The shape of the faces of the bending dipoles is slightly concave on the inner electrode and convex on the outer with “ridges” along the top and bottom edges. The shape, calculated using the WARP code was optimized to minimize the energy effect which shortens/lengthens the phase advance

of particles not on the design orbit through the dipole and to minimize higher order field components.¹⁵

Figure 2.9: Small Recirculator 45° bend section consisting of five half-lattice periods with electrostatic bending dipole plates.

2.1.7 Multi-Instrument Diagnostic Tank

No induction modulators were placed on the 45° bend section at this point of the build and test schedule. They were being developed and bench tested during this time period. As such, no acceleration of the beam was accomplished during this phase of Small Recirculator operation and the beam drifted from extraction to the end of the beamline after the 45° bend with no longitudinal confinement of beam ions. Measurement of the beam distribution's transverse moments was made at the beamline end in the multi-instrument diagnostic chamber I designed and built for acquiring

data (Figure 2.10). The instruments contained in the chamber include a Faraday cup for measuring the total beam current, a mechanical slit scanner emittance diagnostic capable of 2-D phase space moment measurements, and the GBI diagnostic. This chamber will continue to be used at the end of the beamline as the Small Recirculator is built, eventually housing the final diagnostics following beam extraction after 15 lap operation.

Figure 2.10: Multi-instrument diagnostic chamber at the beamline end showing the GBI CCD camera, the slit scanners mounted vertically for y -emittance measurements, and the Faraday Cup sliding manipulator on the horizontal port. The two boxes contain the controls for the GBI CCD camera. Slit scanner measurements of the x emittance is accomplished by mounting the scanners horizontally on the chamber.

2.2 Beam Physics Scaling of the Small Recirculator

That the Small Recirculator operate in the same beam physics regime as a full-scale driver is key to benchmarking the numerical simulation codes that will be used as aids to establish confidence in predicting the performance of a driver design. A LLNL design study conducted in 1991 proposed a “C-design” recirculator driver as an option for a full-scale IFE power plant.¹⁰ A schematic is shown in Figure 2.11. Appropriate scaling of key parameters from the Low Energy Ring of the C-design driver size machine to the Small Recirculator was done to ensure the data generated in the Small Recirculator experiment would apply to a scaled-up machine.¹⁴ A comparison of the small recirculator to the C-design Low Energy Ring is shown in Table 2.3 at the end of this chapter on page 23.

2.2.1 Physical Size Scaling

Properly scaling the physical size of the Small Recirculator was the first consideration. The physical length of both the bending dipoles and focusing magnetic quadrupoles should be greater than 3 times the pipe radius or 1.5 times the aperture between the bending dipole plates.¹⁴ This condition ensures that the nonlinear fields associated with the finite length of the dipole and quadrupole are sufficiently small to minimize emittance growth. An additional length equal to the pipe radius is allotted on either end of each dipole and quadrupole yielding a ratio of L/r_{pipe} which is nearly identical to that of the C-design Low Energy Ring. A second scaling consideration is that the ratio of the beam pipe radius to the maximum beam radius be greater than 1.4.¹⁴ This rule of thumb gives adequate clearance to allow for beam motion within the beam pipe and ensures the image charge forces are unimportant.

Figure 2.11: "C-design" heavy ion driver schematic

2.2.2 Maintaining Key Dimensionless Beam Physics Parameters

Maintaining the values of three dimensionless parameters which characterize the focusing, space-charge, and inertial forces, which must balance to maintain beam equilibrium, ensures that the beam physics regime of the Small Recirculator is the same as that of a full scale driver. The first parameter, the phase advance per lattice

period, σ_0 is a measure of the strength of the focusing forces relative to an ion's inertia. A resultant focusing of the beam occurs in an alternating gradient focusing system as follows. The beam is focused in the plane of the largest transverse beam envelope size and at the same time defocused in the orthogonal transverse plane of smallest envelope size. This is accomplished with quadrupole magnet fields aligned to the $x-y$ plane. Since the quadrupolar focusing force is linearly proportional to distance from the beam pipe axis, the result is net focusing through a series of magnets with focus/defocus axes rotated 90° to one another. The ions at larger envelope dimension from the axis receive a greater inward focusing force than the outward defocusing force applied to the outer ions at smaller envelope dimension in the orthogonal plane. When the beam centroid is displaced from the axis it oscillates harmonically in the focusing field and the change in phase per lattice period is the phase advance, σ_0 . Experimental studies on Lawrence Berkeley National Laboratory's Single Beam Transport Experiment (SBTE) showed that beam instabilities formed at σ_0 greater than 80° which provides a constraint for both the driver and Small Recirculator.¹⁰

The beam perveance, κ is the second dimensionless constant and is a measure of the space-charge forces relative to inertial forces. The expression for beam perveance is:¹¹

$$\kappa = \frac{qeI_0}{2\pi\epsilon_0 m_0 (\beta\gamma c)^3} \quad (2.1)$$

where q is the charge state of beam ions, e is the proton charge, m_0 is the beam ion mass in atomic mass units, γ is the Lorentz factor, βc is the ion velocity, I_0 is the beam current, and ϵ_0 is the permittivity of free space. Scaling for the same perveance, ($\kappa = 10^{-3} - 10^{-4}$) as that in the C-Design Low Energy Ring is accomplished in the Small Recirculator by lowering the current, ion mass, and ion velocity appropriately.

The third dimensionless parameter is the depressed phase advance, σ . In intense ion beams, the externally-applied focusing forces are countered by the outward force generated by space-charge and random ion thermal motion. The random ion thermal motion results in a thermal force and is characterized by the emittance. In space-

charge-dominated ion beams of high line-charge density, the space-charge forces nearly equal the applied focusing forces. The emittance force makes up the difference. An off-axis beam particle performs quasi-harmonic oscillations in the combined external focusing and internal space-charge fields. The period of oscillation decreases as space-charge forces approach the focusing forces. The ratio σ/σ_0 must be $\ll 1$ for a driver.¹⁴ The ratio for the Small Recirculator varies from 0.21 at 80 keV to 0.27 at 320 keV.

Therefore, as the key dimensionless numbers are maintained in the scaling from a driver to the Small Recirculator, verification of the Small Recirculator's design performance will result in increased confidence in modeling a driver's performance. This along with the technology developed to successfully transport and control the beam through multiple laps will pave the way to scaling up the design to that required for a full-scale driver capable of economically delivering ion beams to a reactor chamber(s) many times a second.

Table 2.2: Small Recirculator design parameters.¹³

Ion mass (amu)	39	
Total flattop charge (C)	8×10^{-9}	
Number of laps	15	
Physical quad occupancy fraction	0.307	
Physical dipole occupancy fraction	0.291	
Pipe radius/max beam radius (x, y)	2.349, 2.348	
Pipe radius (cm)	3.493	
Circumference (m)	14.4	
Half-lattice period (cm)	36	
Half-lattice period/pipe radius	10.308	
Quad physical length/pipe radius	3.164	
Bend physical length/pipe radius	2.996	
Number of half-lattice periods	40	
Residence time (ms)	0.229	
	<u>Initial</u>	<u>Final</u>
Beam energy (keV)	80	320
Flattop pulse duration (μs)	4	1
Normalized emittance (mm-mr)	0.1	0.2
Transverse temperature (eV)	0.739	1.478
Quadrupole field (T)	0.295	0.295
Dipole electrode voltage ($\pm kV$)	6.789	27.155
σ_{0x} ($^\circ$), σ_{0y} ($^\circ$)	78, 78	44.554, 44.554
σ_0 (quadrupole only) ($^\circ$)	72	34.201
σ_x, σ_y ($^\circ$)	15.95, 15.96	11.55, 11.55
$(\sigma_x/\sigma_{0x}), (\sigma_y/\sigma_{0y})$	0.205, 0.205	0.259, 0.259
Beam velocity/ c (β)	2.1×10^{-3}	4.2×10^{-3}
Flattop bunch length (m)	2.517	1.258
Perveance	3.57×10^{-4}	1.79×10^{-4}
Peak current (mA)	2	8
Line charge ($\mu C/m$)	3.6×10^{-3}	7.21×10^{-3}
Modulator Repetition rate (kHz)	43.69	87.38
Beam radius in x (mean,max) (cm)	1.11, 1.422	1.304, 1.487
Beam radius in y (mean,max) (cm)	1.11, 1.421	1.305, 1.488
Number of betatron oscillations per lap in x, y	4.333, 4.333	2.475, 2.475
Ear rise or fall time/flattop time	0.1	0.1
$\delta v/v$ from spatial compression	1.89×10^{-2}	9.45×10^{-3}
$\delta v/v$ from ears	6.73×10^{-4}	4.7×10^{-4}
Centroid offset from compression (cm)	0.231	0.354
Centroid offset from ears (cm)	0.008	0.018

Table 2.3: Comparison between the Small Recirculator and C-design Low Energy Ring (LER) parameters.¹⁰

	<u>Small Recirculator</u>	<u>C-design LER</u>
General		
Ion energy (MeV)	0.08-0.32	3-50
Pulse Duration (μ s)	4-1	200-30
Circumference (m)	14	700
Current per beam (mA)	2-8	500-3300
No. of Beams	1	4
No. of laps	15	100
Beampipe radius (cm)	3.5	7.8
Lattice half-period (cm)	36	85
Vacuum (torr)	1×10^{-8}	5×10^{-11}
Induction modules		
Inner radius (m)	0.163	0.313
Outer radius (m)	0.211	0.455
Length (cm)	8.5	40.3
No. of cores	34	785
Cell voltage (kV)	0.50	0.60
Bends		
Effective length (cm)	13	15
No. of bends	40	2680
Maximum field	910 kv m ⁻¹	0.90 T
Quadrupoles		
Length (effective length) (cm)	10 (10)	47 (23)
No. of quads	40	3139
Maximum quad field (T)	0.3	2.0
Dimensionless parameters		
Phase advance, σ_O (degrees)	78-44	80-20
σ/σ_0	0.20-0.27	0.06-0.09
Perveance, κ	$(4.0-2.0) \times 10^{-4}$	$(9.0-0.9) \times 10^{-4}$
Tune, ν	4.3-2.5	92-22

Chapter 3

Heavy Ion Beam Transport

The production, acceleration, and transport of high-quality intense heavy ion beams for use as drivers for inertial fusion energy is one of the key issues in determining the feasibility of the energy source.⁶ The specifications for the ion beams are determined by target physics considerations. Recent simulations using the code “LASNEX” have shown that to ignite one class of indirect-drive target tailored to heavy ions, the ions need to have an energy of about 4 GeV, a total beam energy of 5.8 MJ, and a spot size on target of about a few millimeters.⁸ The ions must be extracted from an ion source and manipulated within the driver in order to produce the desired beam spot size and energy deposition rate at the target. One key aspect of this process is the drift of the beam from the final focus lens across the target chamber to the target, a distance of about 4 meters. In a HYLIFE II-type IFE power plant the target chamber is necessarily large to provide a lower neutron fluence at the chamber first wall for materials damage limitations and to accommodate adequate liquid coolant/shielding within the reactor chamber.⁵ This large target chamber drift distance with no confining fields (except perhaps that of partial neutralization from the beam passing through chamber background gas) places a considerable constraint on the final focus lens. Among the detrimental processes during the chamber drift is the defocusing effect of the beam ions’ random transverse thermal motion characterized by the beam transverse emittance. To account for this, a driver will have a transverse emittance specification at the final focus to ensure the required spot size

on target is achieved. Measuring the emittance at the final focus and most likely at various locations along the beamline will be needed to ensure that this specification is met.

3.1 Origin of Beam Emittance

At the ion source, the extracted ions have an intrinsic thermal velocity spread which remains present in the beam from the source to target. This spread is present in both magnitude and direction of the extracted ions. During beam extraction, acceleration, and final focus, the velocity vector of each ion is changed under the influence of the applied electromagnetic fields of transverse focusing elements, the axial accelerating fields of induction modules, and by beam internal space-charge forces. In fact, the existence of a beam and not a bunch of randomly moving ions is owed to the induced directed motion of the ions along the accelerator swamping this random component. Despite focusing and acceleration of a beam, the intrinsic random ion velocity component remains and cannot be removed (except by cooling, generally deemed impractical in a driver). This is a consequence of Liouville's Theorem stating the volume of a particle ensemble in phase space cannot be reduced. The random component of an ion's velocity vector in a laboratory beam will vary considerably from the ideal thermal limit due to nonlinear focusing forces (unavoidable with practical focusing fields), and instabilities in the beam particle distribution (available free energy converted to random ion motion). Sophisticated modeling of the ion beam using the WARP code has shown that transitions between straight and curved sections of an accelerator are a major cause of emittance growth.⁵⁰ Controlling this growth is dependent on the accelerator design and performance, and is a major goal of the Small Recirculator project.²⁰

In a conceptual six-dimensional Euclidean phase space, combining configuration space (x, y, z) and canonical momentum space (p_x, p_y, p_z) , a beam ion is represented by a point and all the points occupy a volume. This 6-D phase space can be reduced to a 4-D transverse phase space of (x, x', y, y') whose volume is conserved with the

assumption of no coupling between the transverse (x, y) and the axial (z) motions of the particles as the beam travels through the accelerator. The canonical momenta are replaced by their corresponding transverse angles, $x' = dx/dz$, and, $y' = dy/dz$. Also, assuming a system of non-interacting particles, the movement of the beam ions is associated with the equivalent motion of points in phase space. Assuming no ions are lost from the beam, the number of points in phase space and the occupied volume is constant. The projections of the 4-D volume onto the two 2-D, x and y phase spaces results in two areas that are conserved if there is no coupling between the x and y motions of the ions. Figure 3.1 is a 2-D visualization of the 4-D phase space and the two 2-D projections. The assumption of no coupling between the orthogonal motions of the ions in a laboratory beam is most likely a weak one. Experimental detection of the loss of directed energy from the z direction to the $x - y$ direction by making measurements on the z direction energy is unlikely. More feasible is the measurement of the longitudinal directed energy coupling by measuring the amount gained in the transverse directions. This coupling can be observed by detecting an increase in the emittance in the transverse directions. Direct detection of coupling between the transverse directions is more likely as the magnitude of any energy transfer would be a much greater relative percentage of the total transverse energy.

3.2 Small Recirculator Beam Transport

Nominally, the Small Recirculator beam consists of a distribution of 5×10^{10} ions which are initially extracted from the ion source with an energy of 80 keV. Unless accelerated by induction modules this beam “drifts” through the lattice of focusing and bending elements of the machine. The Small Recirculator lattice is a periodic focusing system with two planes of symmetry ($x - z$ and $y - z$). In the laboratory, x is horizontal, y is vertical, and z is along the beamline which curves to the left around the bend. The paraxial motion of beam particles in the lattice (neglecting bending

Figure 3.1: Representation of the beam's 4-D transverse phase space volume and the 2-D projections into the x and y planes.

and space-charge forces for now) is described by two equations:

$$x''(z) + k_x(z)x = 0 \quad y''(z) + k_y(z)y = 0 \quad (3.1)$$

where $k_x(z)$ and $k_y(z)$ are the periodic focusing functions and satisfy the periodicity relation $k(z + L) = k(z)$ where L is the length of one lattice period, 76.2 cm.

Similarly, two sets of equations are necessary to describe the ion trajectories in the two planes of symmetry with space-charge taken into account now. These two sets of equations are coupled through the beam space-charge terms. Letting $X(z)$ denote the x -envelope and $Y(z)$ denote the y -envelope, the ellipse describing the transverse beam boundary obeys the equation

$$\frac{x^2}{X^2} + \frac{y^2}{Y^2} = 1 \quad (3.2)$$

and the charge density is defined by

$$\rho(z) = \left\{ \begin{array}{ll} \rho_0 & \text{for } \frac{x^2}{X^2} + \frac{y^2}{Y^2} \leq 1, \\ 0 & \text{for } \frac{x^2}{X^2} + \frac{y^2}{Y^2} > 1. \end{array} \right. \quad (3.3)$$

where

$$\rho_0 = \rho_0(z) = \frac{I}{\pi v X(z) Y(z)} \quad (3.4)$$

is constant inside the beam at a given position z , (x, y varying) but is a function of z . The electric field for this charge distribution calculated from Poisson's Equation is:

$$E_x = \frac{I}{\pi \epsilon_0 v} \frac{x}{X(X+Y)} \quad E_y = \frac{I}{\pi \epsilon_0 v} \frac{y}{Y(X+Y)} \quad (3.5)$$

The ion trajectory equations including space-charge are:

$$x''(z) + k_x(z)x - \frac{2\kappa}{X(X+Y)}x = 0, \quad (3.6)$$

$$y''(z) + k_y(z)y - \frac{2\kappa}{Y(X+Y)}y = 0 \quad (3.7)$$

where κ is the beam perveance defined in Equation 2.1. These equations are linear in x and y , but are coupled through the space-charge terms which can be determined from the corresponding beam envelope equations.²¹ The trajectory equation solutions can be represented in phase-amplitude form:

$$x(z) = A_x \omega_x(z) \cos[\psi_x(z) + \phi_x] \quad y(z) = A_y \omega_y(z) \cos[\psi_y(z) + \phi_y] \quad (3.8)$$

where A_x , A_y , ϕ_x , and ϕ_y depend on the initial conditions (x_0, x'_0) and (y_0, y'_0) and remain constant throughout the motion. The terms, $\omega_x(z)$, and $\omega_y(z)$ give the amplitude dependence on z as the beam is transported through the alternate gradient focusing lattice. Differentiating $x(z)$ and $y(z)$ with respect to z gives

$$x' = A_x [\omega'_x \cos(\psi_x + \phi_x) - \omega_x \psi'_x \sin(\psi_x + \phi_x)] \quad (3.9)$$

$$y' = A_y [\omega'_y \cos(\psi_y + \phi_y) - \omega_y \psi'_y \sin(\psi_y + \phi_y)] \quad (3.10)$$

Eliminating ψ and ϕ using the identity $\cos^2(\psi + \phi) + \sin^2(\psi + \phi) = 1$ yields the equation of the 2-D phase space trajectories of an ion.²²

$$\hat{\gamma}x^2 + 2\hat{\alpha}xx' + \hat{\beta}x'^2 = A_x^2 \quad \hat{\gamma}y^2 + 2\hat{\alpha}yy' + \hat{\beta}y'^2 = A_y^2 \quad (3.11)$$

These are equations of ellipses whose shape and orientation are determined by the amplitude factor, A , and coefficients $\hat{\gamma}$, $\hat{\alpha}$, and $\hat{\beta}$ which are determined by $\omega(z)$, and $\omega'(z)$. All ions in the beam with the same amplitude factor but differing ϕ lie on the same ellipse. Ions with different amplitude factors lie on other ellipses scaled in size but similar in shape. The relationship between the coefficients and the ellipse dimensions are shown in Figure 3.2. For the $x - x'$ plane, and similarly for the $y - y'$ plane, the area of the largest ellipse is $A_0 = \pi\epsilon_x$ where ϵ_x is the beam emittance in the x direction. Therefore, the equation of the largest ellipse can be written as

$$\hat{\gamma}x^2 + 2\hat{\alpha}xx' + \hat{\beta}x'^2 = \epsilon_x^2 \quad (3.12)$$

Figure 3.2: Relationship between phase space ellipse coefficients and the ellipse dimensions.

As the beam drifts through the Small Recirculator lattice the emittance would be constant if the external focusing and bending fields and the space-charge fields were linear.²³ With acceleration, the emittance decreases since $x' = dx/dz$, but the normalized emittance remains constant as it includes factors which account for the increase in ion velocity. A discussion of the use of different emittance definitions follows later in this chapter. The only ion distribution that results in linear space-charge fields is the Kapchinsky-Vladimirski (K-V) distribution of the form $f(x, x', y, y') = F_0 \delta(F - F_0)$.²⁴ The point representation of this distribution is that all the points in a 4-D phase space representing ions lie on the surface of the 4-D hyperellipsoid of Figure 3.1. The projection of the hyperellipsoid onto the 2-D phase spaces results in ellipses with a uniform charge density.

A fundamental question of beam theory is to find equilibrium states where the ion distribution remains stationary (i.e., does not change with distance along the accelerator). Vlasov theory is a tool used in the absence of collisions to find equilibrium states. A stationary distribution represents a state of minimum total energy. A beam with higher total energy contains free energy which is available to be converted into random ion energy, thus increasing the emittance of the beam. This conversion is brought about by collisional processes, instabilities, and non-constant space-charge distributions and nonlinear focusing fields.²⁵

Analytical techniques using the Vlasov equation to understand the stationary state or the evolution of a non-stationary state are useful only in axisymmetric cases and in the case of the K-V distribution.²⁶ Computational particle simulations must be used for other distributions such as the constant density with a semi-gaussian spread in ion velocities used to initialize WARP simulations.¹⁵ The initial magnitudes of the velocity spreads are, to date, only estimates in the code. A result of code simulations has been to show that the transverse emittance growth of a Small Recirculator beam as a result of the insertion/extraction into the ring is very sensitive to the magnitude of the axial velocity (v_z) spread. Determining the proper spread by comparing experimental measurements to the code is of vital importance to code validation.

The results of the analytical analysis of the K-V distribution can be used on unknown (laboratory) distributions, which are likely not K-V, using the concept of “equivalent beams”.^{26,27} Treating the laboratory beam as an equivalent K-V beam has yielded valuable tools for characterizing accelerator performance and as a tool for designing and predicting accelerator performance.

3.3 Moment Description of the Ion Beam

Sophisticated heavy ion beam simulation codes, such as LLNL’s WARP, model the evolution of the beam distribution through a model recirculator using macroparticles, each representing a large number of ions.¹⁵ Choosing the appropriate parameters to use as code benchmarks involves surveying what can be measured in an experiment. The desirable (and reasonable) measurements include ion energy, beam envelope parameters, and transverse phase space first and second moments. These can be compared directly with code results or figures of merit such as the beam transverse emittance in the x and y directions. Relating the beam’s representation in the conceptual 4-D phase space as a hyperellipsoid to its moments is seen with a matrix representation in Figure 3.1.²⁸ In this context, σ is not the beam phase advance, but the hyperellipsoid’s sigma matrix. The difference between uses of the notation is apparent in context.

$$\sigma = \begin{pmatrix} \sigma_{11} & \sigma_{12} & \sigma_{13} & \sigma_{14} \\ \sigma_{21} & \sigma_{22} & \sigma_{23} & \sigma_{24} \\ \sigma_{31} & \sigma_{32} & \sigma_{33} & \sigma_{34} \\ \sigma_{41} & \sigma_{42} & \sigma_{43} & \sigma_{44} \end{pmatrix} \quad (3.13)$$

The equation of the hyperellipsoid is given by $\Gamma^T \sigma^{-1} \Gamma = 1$ where the 4-component vector, $\Gamma = (x, x', y, y')$ and the dimensions of the hyperellipsoid are related to the

matrix elements by:

$$x_{max} = \sqrt{\sigma_{11}} \quad x'_{max} = \sqrt{\sigma_{22}} \quad y_{max} = \sqrt{\sigma_{33}} \quad y'_{max} = \sqrt{\sigma_{44}} \quad (3.14)$$

Assuming a K-V beam distribution, the relationship of the matrix elements to the second moments of the beam is:

$$\sigma_{11} = 4 \langle x^2 \rangle \quad \sigma_{12} = 4 \langle xx' \rangle \equiv 4 \langle x'x \rangle = \sigma_{21} \quad \sigma_{22} = 4 \langle x'^2 \rangle \quad (3.15)$$

$$\sigma_{13} = 4 \langle xy \rangle \equiv 4 \langle yx \rangle = \sigma_{31} \quad \sigma_{23} = 4 \langle x'y \rangle \equiv 4 \langle yx' \rangle = \sigma_{32} \quad (3.16)$$

$$\sigma_{14} = 4 \langle xy' \rangle \equiv 4 \langle y'x \rangle = \sigma_{41} \quad \sigma_{24} = 4 \langle x'y' \rangle \equiv 4 \langle y'x' \rangle = \sigma_{42} \quad (3.17)$$

$$\sigma_{33} = 4 \langle y^2 \rangle \quad \sigma_{34} = 4 \langle yy' \rangle \equiv 4 \langle y'y \rangle = \sigma_{43} \quad \sigma_{44} = 4 \langle y'^2 \rangle \quad (3.18)$$

The x and y cross terms represent coupling between the motion of beam ions in the x and y planes. These elements are zero if no coupling is present or non-zero with coupling caused by, for example, a rotationally misaligned quadrupole focusing magnet. The second moments of the distribution are defined in the conventional manner, e.g.,

$$\langle x^2 \rangle = \iiint \int x^2 \rho(x, x', y, y') dx dx' dy dy' \quad (3.19)$$

with $\rho(x, x', y, y') dx dx' dy dy'$ representing the beam ion distribution and having the normalization

$$\iiint \int \rho(x, x', y, y') dx dx' dy dy' = 1 \quad (3.20)$$

Without coupling between the ions' x and y motions, the projections of the hyperellipsoid into the $x-x'$ and $y-y'$ planes in Figure 3.1 are ellipses which contain the x and y motions of the beam particles. The applicability of Liouville's Theorem to the 4-D and to these 2-D phase spaces is predicated on no coupling between the orthogonal directions of motion. The separable nature of the x and y phase space ellipses is seen in the sigma matrix with no coupling, Equation 3.21.

$$\sigma = \begin{pmatrix} \sigma_{11} & \sigma_{12} & 0 & 0 \\ \sigma_{21} & \sigma_{22} & 0 & 0 \\ 0 & 0 & \sigma_{33} & \sigma_{34} \\ 0 & 0 & \sigma_{43} & \sigma_{44} \end{pmatrix} \quad (3.21)$$

Figure 3.3 shows the relationships between the sigma matrix elements and the 2-D phase space ellipse dimensions.

Figure 3.3: Relationship between the sigma matrix elements and the 2-D phase space ellipse dimensions.

A beam's phase space distribution can be described by its first and second moments. The actual beam distribution in a laboratory beam is not known. The usefulness of gross measurements such as the beam first and second moments is in the concept of equivalent beams. Two beams can be considered equivalent if they are composed of the same particle species, current, kinetic energy, and second moments. Detailed differences in their distributions are unimportant as long as the above constraints are met. This is fortunate as it allows comparison of a laboratory beam

of unknown distribution with that of a known and probably different distribution used in a numerical simulation. The initial distribution for the WARP code that is most commonly used is one that is uniform in x, y, z , with a semi-gaussian spread in v_x , v_y , and v_z .¹⁵ MOMENT, a simpler beam moment evolution code, uses a K-V distribution.²⁹ Therefore, a simulated beam and a laboratory beam with the same second moments and other quantities at the same time and location in the accelerator can be considered equivalent, and is one basis for comparing experimental data with numerical simulation results.

3.4 Definition of Emittance

The figure of merit most commonly used to describe beam quality is the transverse emittance of the beam. Beam “brightness” is another quantity used as a figure of merit when there is concern about the amount of beam current as well as the emittance. In the Small Recirculator, with full beam transport verified with Faraday cups, the emittance is the relevant quantity. It is closely related to the area of the two-dimensional projections of the 4-D phase space hyperellipsoid. Lapostalle and Sacherer introduced rms quantities in order to compare beams with differing distributions.^{26,27} The rms beam width is given by

$$\tilde{x} = \langle x^2 \rangle^{\frac{1}{2}} \quad (3.22)$$

The rms values of other quantities ($\tilde{x}', \tilde{y}, \tilde{y}'$) are similarly calculated. Statistically, the definition of the “rms transverse emittance” in the x direction is

$$\tilde{\epsilon}_x = \left[\langle x^2 \rangle \langle x'^2 \rangle - \langle xx' \rangle^2 \right]^{\frac{1}{2}} \quad (3.23)$$

where the term $\langle xx' \rangle$ represents an $x - x'$ correlated particle flow term that occurs when the beam is converging or diverging under the influence of external focusing forces.^{26,27} It represents an inward or outward flow term in the transverse kinetic energy. The difference between the total transverse kinetic energy, $\langle x^2 \rangle \langle x'^2 \rangle$, and

the flow energy represented by $\langle xx' \rangle$ is the small random transverse kinetic energy from which the emittance rises. Correspondingly for the y direction:

$$\tilde{\epsilon}_y = \left[\langle y^2 \rangle \langle y'^2 \rangle - \langle yy' \rangle^2 \right]^{\frac{1}{2}} \quad (3.24)$$

Another common definition I will adopt for clarity is the "rms edge emittance" which is four times the rms emittance²⁶ :

$$\epsilon_x = 4\tilde{\epsilon}_x = 4 \left[\langle x^2 \rangle \langle x'^2 \rangle - \langle xx' \rangle^2 \right]^{\frac{1}{2}} \quad (3.25)$$

In terms of the hyperellipsoid sigma matrix:

$$\epsilon_x = \left[\sigma_{11}\sigma_{22} - \sigma_{12}^2 \right]^{\frac{1}{2}} \quad (3.26)$$

As x' is defined as dx/dz , the instantaneous transverse angle with respect to motion along the accelerator, it is inversely proportional to the beam energy. A correction factor of $\beta\gamma$, the usual relativistic quantities, is applied to the emittance to give the normalized rms edge emittance which is constant with beam acceleration:³⁰

$$\epsilon_n = \beta\gamma\epsilon_x \quad (3.27)$$

This is a figure of merit that can be easily used to compare the beam emittance if measurements are made at two points in an accelerator with acceleration in between.

There are ten independent transverse second moments. The existence of non-zero cross moments can be indicative of rotational misalignments of accelerator quadrupolar focusing components causing coupling between the x and y ion motions. The effects of misalignments are more fully discussed in Chapter 6. These $x - y$ cross moments cannot be measured with a slit scanner diagnostic as this instrument averages beam information along the length of its slits. A useful quantity that becomes non-zero with $x - y$ coupling is indicative of the angular momentum developed by the

beam about the z -axis. This quantity is defined by:

$$l = \beta(\langle x'y \rangle - \langle xy' \rangle) \quad (3.28)$$

Detection of beam rotation can indicate alignment problems in the accelerator which will have the ultimate effect of increasing the final spot size on target over that of a similar non-rotating beam.

The GBI measures these $x - y$ cross moments and extends the characterization of the Small Recirculator beam and understanding of possible causes of unpredicted beam behavior beyond that of previous instruments.

Chapter 4

Pepperpot Method and Image Data Analysis

The motivation to design a new diagnostic instrument for measuring the characteristics of a heavy ion beam was fostered by the limitations of previous instruments. The new instrument developed in support of this thesis is the Gated Beam Imager (GBI) and is based on the pepperpot beam diagnostic method which has previously been used to diagnose electron beams.²⁸ The diagnostics in predominant use to determine a heavy ion beam distribution's first and some of the second moments in transverse phase space have been capacitance probes and mechanical slit scanners.

4.1 Capabilities of Existing Emittance Diagnostics

Mechanical slit scanners, in which two thin slits are repositioned across the beam between successive shots are able to measure the second moments ($\langle x^2 \rangle, \langle xx' \rangle, \langle x'^2 \rangle$ or, $\langle y^2 \rangle, \langle yy' \rangle, \langle y'^2 \rangle$) in one transverse plane at a time while averaging the beam information in the orthogonal plane.³¹ Thus, only the emittance in one plane at this particular place in the beam line can be obtained without disassembling the accelerator or having a second scanner at the same location, or some other extravagant solution. As a slit averages the beam in the direction of its length, a slit scanner cannot measure any of the cross moments, ($\langle xy \rangle, \langle x'y \rangle, \langle xy' \rangle, \langle x'y' \rangle$) which are important to detecting a decrease in the accelerator performance due to a focusing field degradation, or the presence of a component physical misalignment such as

a focusing quadrupole rotation error about the beam axis. These types of problems induce coupling between the x and y motions of the ions in an alternating gradient accelerator lattice causing an “effective” emittance growth in the beam. I call this “effective” emittance growth as the growth is genuine in its effect on the focusability of the ion beam. Because it is caused by linear forces coupled in the x and y directions, it can, in principle, be removed by the appropriate application of counteracting linear forces. Normally, emittance growth is associated with nonlinear forces acting on the beam distribution which entrains unoccupied phase space into the distribution making it for practical purposes impossible to sort out the actual distribution through diagnostic measurements.²⁵ Figure 4.1 shows the entrainment of unoccupied phase space within the distribution as a result of nonlinear forces. The dotted line envelope shows the resolvable phase space ellipse.

The GBI is able to measure all the first and second phase space moments of the ion beam simultaneously, including the x – y cross moments. With appropriate time gating it can produce the information for a 4-D and time history “map” of the beam using successive beam pulses. When installed after a bending dipole such as after the 45° bend section of the Small Recirculator it was found useful as a qualitative energy analyzer to observe energy changes longitudinally along the beam pulse.

4.2 The Pepperpot Method

In the pepperpot method where a mask with small holes (the pepperpot) is introduced into the beam, the beam ions are stopped by the hole plate except where they pass through the holes forming small beamlets. These beamlets pass through a drift region where they freely expand from space-charge and emittance forces. The beamlets are intercepted by a detector which is excited and the spots are observed with a CCD camera, and digitized for analysis. Figure 4.2 is a schematic of the method.

Without the hole plate, the gross behavior of the beam in the drift space is similar

Figure 4.1: Entrainment of unoccupied space into the phase space area of the beam due to the action of nonlinear forces as the beam progresses through the accelerator. The dotted ellipses are fitted to shaded areas to illustrate how the resolvable emittance grows although the shaded areas are constant in area.

Figure 4.2: Schematic of the pepperpot method

to the beamlet but the small increase in beam dimension due to emittance forces is lost in the greater expansion due to space-charge. The small holes allow the emittance-caused transverse growth to dominate over space-charge expansion and thus be more easily measured as well as creating a known initial circular cross-section to compare to the beamlet cross-section at the detector. Creating the beamlets also allows information from the central regions of the beam to be used in determining its properties. Figure 4.3 is a simplified schematic of the Gated Beam Imager.

Figure 4.3: Simplified GBI instrument schematic

4.3 Design of the Gated Beam Imager

Several dimensions of the GBI such as pepperpot hole size, hole spacing, and beamlet drift length must be sized to achieve the goal of maximizing the beamlet's growth due to emittance while minimizing the growth from remaining space-charge forces. Additionally, adequate signal strength must be present at the CCD camera and the beamlet image spot size must be much greater than the camera system resolution so that statistical averages of the CCD pixels are valid. These requirements place constraints on the pepperpot hole size, hole spacing, and beamlet drift length. For instance, small beamlet size is desirable to limit space-charge forces but small beamlets reduce the detectable signal to the camera. Also, the hole spacing must be close enough to allow enough beamlets for sufficient statistical averaging but the spacing is limited by the requirement that the expanding beamlet image spots not overlap at the detector. The drift distance, as well, is limited by spot overlap due to the quadratic growth with distance of the beamlet from space-charge. Additionally, the drift distance must be sufficient to allow adequate beamlet spreading from emittance but prevent excessive space-charge spreading. An optimization of these competing parameters was done by developing a spread sheet to predict the performance of the GBI based on reasonable estimates of instrument dimensions and

constraints imposed by the Small Recirculator design. The results used in the design of the GBI are shown in Table 4.1. The criteria used to define an acceptable design were that beamlet spread due to space-charge be less than 10% and that no beamlet spots could overlap due to expansion. The spreadsheet also makes estimates of the amount of optical signal available to the CCD camera based on the input design parameters. A copy of the spreadsheet is contained in Appendix A and details of the calculations are available in Reference 55.

Table 4.1: Results of the GBI design optimizing spreadsheet.

Input Data			
Beam current	2 mA	Hole diameter	100 μ
Beam radius	0.5 cm	Hole spacing	2.5 mm
Beam energy	80 keV	Drift distance	15 cm
Beam length	4 μ s	Beam emittance	10 mm-mr
Beamlet Calculations			
Max acceptance angle through hole			12.34°
Beamlet spread due to space charge			8.2%/8.2 μ
Beamlet spread from emittance			214%/214 μ
Beamlet diameter at detector			322.5 μ
Distance between beamlets			1.96 mm

The optimization calculations assume that the mean direction of the beam ions is parallel with the recirculator axis (z). In general, the beam will be converging in one transverse plane while diverging in the other transverse plane through the FODO lattice. The random transverse thermal velocity of the ions will be superimposed on top of this directed transverse motion. While this directed transverse motion may not be overly significant to the design of the instrument, it is important to measure it in order to obtain an accurate calculation of the transverse emittance.

4.4 Pepperpot Method Data Analysis

A diverging beam appears in phase space as a rotation of the major axis of the phase space ellipse containing the beam ion distribution into the first and third quadrant. Figure 4.4 shows a schematic of a diverging beam's phase space ellipse and the contribution to it of two beamlets created by a pepperpot.

Figure 4.4: Determination of the phase space ellipse rotation angle.

Using some geometry and the assumption that the divergence angle is small yields the expression for the emittance ellipse rotation angle, “ θ_R ”:

$$\theta_R = \arctan \left(\frac{p - s}{L} \right) \quad (4.1)$$

The hole spacing, s , and drift distance, L , are known and the determination of the beamlet spot spacing, p , requires a calibration of the image pixel size so the image analysis software can measure the distance between spots. To improve the accuracy of the measurement the orthogonal distances between all the beamlet spots can be measured and θ_R calculated from the average image spot separation.

A schematic of a single beamlet is shown in Figure 4.5. The beamlet divergence angle is calculated based on the pepperpot hole size, spot size, and drift distance. For

the n^{th} beamlet (from a pepperpot array of N holes) the divergence angle is:

$$x'_n \equiv \frac{dx_n}{dz} = \frac{1}{L}(x_n - r_h) \quad (4.2)$$

Figure 4.5: Beamlet data needed for beam moment and emittance calculations

As seen in Figure 4.6 each beamlet from the pepperpot contributes two points, (X_{n0}, X'_{n1}) and (X_{n0}, X'_{n2}) to defining the phase space ellipse. The pepperpot hole radius is assumed small compared to the beam radius. The maximum and minimum boundaries of the phase space ellipse at a given position is given by

$$X'_{n2} = \frac{(X_n + x_n) - X_{n0}}{L} \quad X'_{n1} = \frac{(X_n - x_n) - X_{n0}}{L} \quad (4.3)$$

The points from all beamlets will roughly define the phase space ellipse. Figure 4.7 shows data plotted from a GBI measurement on the Small Recirculator where each set of two points derived from one beamlet is plotted with a vertical line connecting

Figure 4.6: Beam phase space ellipse.

them. The area of the phase space ellipse is closely related to the beam emittance as discussed in Chapter 3.

The ellipse is generated using the first and second moments of the beam distribution. The moments of the entire beam are obtained by averaging the information obtained from each of the N total beamlets. For measurements made on the Small Recirculator beam, $N \approx 70$. The moments are calculated by discretizing the moment formula:

$$\langle \phi \rangle = \iiint \phi \rho(x, x', y, y') dx dx' dy dy' \quad (4.4)$$

with the normalization

$$\iint \rho(x, x', y, y') dx dx' dy dy' = 1 \quad (4.5)$$

therefore the explicit forms for the first and second moments are obtained from the beamlet spots by the following calculations:

$$\langle x \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x_n}{I_N} \quad \langle x' \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x'_n}{I_N} \quad (4.6)$$

Figure 4.7: Phase space plot of a GBI measurement from the Small Recirculator. The ellipse rotation angles correspond to the FODO lattice focusing in the x -plane while defocusing in the y -plane at the GBI location.

$$\langle y \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n y_n}{I_N} \quad \langle y' \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n y'_n}{I_N} \quad (4.7)$$

$$\langle x^2 \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x_n^2}{I_N} \quad \langle y^2 \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n y_n^2}{I_N} \quad (4.8)$$

$$\langle x x' \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x_n x'_n}{I_N} \quad \langle y y' \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n y_n y'_n}{I_N} \quad (4.9)$$

$$\langle x'^2 \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x_n'^2}{I_N} \quad \langle y'^2 \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n y_n'^2}{I_N} \quad (4.10)$$

$$\langle xy \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x_n y_n}{I_N} \quad \langle x'y' \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x'_n y'_n}{I_N} \quad (4.11)$$

$$\langle x'y \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x'_n y_n}{I_N} \quad \langle xy' \rangle = \frac{\frac{1}{N} \sum_{n=1}^N I_n x_n y'_n}{I_N} \quad (4.12)$$

$$I_n = \frac{1}{P_n} \sum_{p=1}^{P_n} V_p \quad I_N = \frac{1}{N} \sum_{n=1}^N I_n \quad (4.13)$$

where N is the total number of beamlets, n is the beamlet index, P_n is the total number of pixels contained in the n^{th} beamlet's digitized image, V is the digitized pixel value, p is the pixel index, I_n is the average intensity of the n^{th} beamlet, and I_N is the average intensity of all N beamlets. In the above formulas for the second moments the contribution from non-zero first moments (beam centroid not on the accelerator axis) is not removed. For a beam not on axis in phase space the following calculation is used to remove this contribution:

$$\Delta x^2 = \langle x^2 \rangle - \langle x \rangle^2 \quad \Delta y^2 = \langle y^2 \rangle - \langle y \rangle^2 \quad (4.14)$$

$$\Delta x'^2 = \langle x'^2 \rangle - \langle x' \rangle^2 \quad \Delta y'^2 = \langle y'^2 \rangle - \langle y' \rangle^2 \quad (4.15)$$

$$\Delta xx' = \langle xx' \rangle - \langle x \rangle \langle x' \rangle \quad \Delta yy' = \langle yy' \rangle - \langle y \rangle \langle y' \rangle \quad (4.16)$$

$$\Delta xy = \langle xy \rangle - \langle x \rangle \langle y \rangle \quad \Delta x'y' = \langle x'y' \rangle - \langle x' \rangle \langle y' \rangle \quad (4.17)$$

$$\Delta x'y = \langle x'y \rangle - \langle x' \rangle \langle y \rangle \quad \Delta xy' = \langle xy' \rangle - \langle x \rangle \langle y' \rangle \quad (4.18)$$

where the Δ symbol introduced by Barnard will be used henceforth to indicate a second moment with the centroid contribution removed.²⁹ The equation for the ellipse fitted to the pepperpot data is

$$\gamma x^2 + 2\alpha xx' + \beta x'^2 = \epsilon_x \quad (4.19)$$

where

$$\gamma = \frac{\Delta x^2}{\epsilon_x} \quad \alpha = \frac{-\Delta x x'}{\epsilon_x} \quad \beta = \frac{\Delta x'^2}{\epsilon_x} \quad (4.20)$$

The transverse rms edge emittance, ϵ_x , is obtained from

$$\epsilon_x = 4 \left(\Delta x^2 \Delta x'^2 - (\Delta x x')^2 \right)^{\frac{1}{2}} \quad (4.21)$$

The previous discussion of measuring second moments by measuring the half-widths of the beamlet spots assumed the spots were of regular shape (ellipses or circles) and the “edges” of the spots identifiable. The beamlets originate with round cross-section at the pepperpot but become elliptical due to different focusing in the x and y directions from the FODO lattice prior to the pepperpot, which distorts them into ellipse-like shapes at the detector.

The raw data available from the GBI consists of a two-dimensional array of digitized pixel values in the field of view of the CCD camera observing the detector. Pixel values range in value from 0 to 65535 (with 16-bit digitization of the CCD well). Generally, a contour of equal pixel value identified as the beamlet image edge will not be an ellipse. To make a spot size measurement, an ellipse is fitted to the CCD display intensity contour of interest and the measurement of major and minor axes based on this.

Practically this can be done by sampling the contour of interest (most likely the contour whose value is 10% of the spot's peak pixel value), fitting an ellipse and then rotating the ellipse to its upright position such that the major and minor axes lie on the x and y axes. This is done as follows: A thin band of N points (x_j, y_j) at the 10% contour level is chosen as in Figure 4.8 on page 48. The coefficients for an elliptical approximation to this band are calculated from:

$$\bar{x}^2 = \frac{2}{N} \sum_{n=1}^N x_j^2 \quad \bar{y}^2 = \frac{2}{N} \sum_{n=1}^N y_j^2 \quad \bar{xy} = \frac{2}{N} \sum_{n=1}^N x_j y_j \quad (4.22)$$

The centroid (x_c, y_c) of the ellipse is given by:

$$(x_c, y_c) = \left(\frac{1}{N} \sum_{n=1}^N x_j, \frac{1}{N} \sum_{n=1}^N y_j \right) \quad (4.23)$$

Figure 4.8: Contour of a single beamlet from a GBI measurement

These averages, $(\bar{x}^2, \bar{y}^2, \bar{xy})$ can be equated to the elements of an ellipse's sigma matrix. The equation of the ellipse is:

$$\gamma x^2 + 2\alpha xy + \beta y^2 = 1 \quad (4.24)$$

and

$$\sigma = \begin{bmatrix} \sigma_{11} & \sigma_{21} \\ \sigma_{21} & \sigma_{22} \end{bmatrix} = \begin{bmatrix} \beta & -\alpha \\ \alpha & \gamma \end{bmatrix} = \begin{bmatrix} \bar{x}^2 & \bar{xy} \\ \bar{yx} & \bar{y}^2 \end{bmatrix} \quad (4.25)$$

thus,

$$\sigma_{11} = \bar{x}^2 \quad \sigma_{22} = \bar{y}^2 \quad \sigma_{12} = \bar{x}\bar{y} = \sigma_{21} = \bar{y}\bar{x} \quad (4.26)$$

The general rule for transforming the sigma matrix (e.g. a pure rotation) is

$$\sigma^* = R \sigma R^T \quad (4.27)$$

The transformation for a general rotation through angle, θ is

$$\sigma^* = \begin{bmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{bmatrix} \begin{bmatrix} \sigma_{11} & \sigma_{21} \\ \sigma_{21} & \sigma_{22} \end{bmatrix} \begin{bmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{bmatrix} \quad (4.28)$$

$$\sigma^* = \begin{bmatrix} \cos^2 \theta \sigma_{11} + 2 \sin \theta \cos \theta \sigma_{12} + \sin^2 \theta \sigma_{22} & -\sin \theta \cos \theta \sigma_{11} + (\cos^2 \theta - \sin^2 \theta) \sigma_{12} + \sin \theta \cos \theta \sigma_{22} & -\sin \theta \cos \theta \sigma_{11} + (\cos^2 \theta - \sin^2 \theta) \sigma_{12} + \sin \theta \cos \theta \sigma_{22} & \sin^2 \theta \sigma_{11} + 2 \sin \theta \cos \theta \sigma_{12} + \cos^2 \theta \sigma_{22} \\ -\sin \theta \cos \theta \sigma_{11} + (\cos^2 \theta - \sin^2 \theta) \sigma_{12} + \sin \theta \cos \theta \sigma_{22} & & & \end{bmatrix} \quad (4.29)$$

To find the major and minor widths of the beamlet the required transformation is one that rotates the ellipse into its upright coordinate system. The correct rotation angle that puts the ellipse upright can be solved from:

$$\sigma_{12}^* = \sigma_{21}^* = 0 \quad \Rightarrow \quad \theta = \frac{1}{2} \arctan\left(\frac{2\sigma_{12}}{\sigma_{11} - \sigma_{22}}\right) \quad (4.30)$$

therefore the upright beamlet spot ellipse sigma matrix is:

$$\sigma^* = \begin{bmatrix} A^2 & 0 \\ 0 & B^2 \end{bmatrix} \quad (4.31)$$

with major and minor axes of the fitted ellipse given by

$$A = (\cos^2 \theta \sigma_{11} + 2 \sin \theta \cos \theta \sigma_{12} + \sin^2 \theta \sigma_{22})^{1/2} \quad (4.32)$$

$$B = (\sin^2 \theta \sigma_{11} + 2 \sin \theta \cos \theta \sigma_{12} + \cos^2 \theta \sigma_{22})^{1/2} \quad (4.33)$$

These values (A, B) are the widths of the beamlet spots used in the calculation of the ion divergence angles and the ion distribution's first and second moments.

4.5 Image Capture and Image Analysis Code

To accomplish the immense task of data handling involved in capturing high resolution images, identifying and measuring beamlet spot sizes and locations, and performing the data analysis described above I used a combination of a commercial image capture software and a modified version of a pepperpot data analysis code developed at LLNL.²⁸ The image capture software, *IPLab SpectrumTM* by Signal Analytics Corporation, running on a Macintosh computer incorporates an extension allowing it to control the CCD camera and store images into the computer memory.³² It also allows other operations to be done such as focusing the camera and determining the field of view. Certain image manipulations were also accomplished with this software such as measuring distances between known points for pixel size calibration, animating a series of images of the beam into a “beam movie”, an electronic version of a flip book of sequential images, and correcting images prior to data analyses. The mechanics of acquiring and correcting data images is discussed in Chapter 5.

The pepperpot data analysis code, “PEPPERPOT” was written for analysis of pepperpot images generated by a pepperpot with holes arranged in concentric circles. It is written in Fortran-like commands of the *Interactive Data Language* (IDL) developed by Research Systems, Inc.³³ I modified the source code to optimize its use with the GBI on the Small Recirculator. Changes included the ability to do calculations based on a rectangular array of beamlets. The rectangular array is more appropriate

for diagnosing a beam with two orthogonal planes of motion produced by the FODO lattice. The original application was for solenoidal transport which produces radial symmetry, hence the circular pepperpot design. Other modifications I made included the ability to analyze different size data arrays to accommodate different CCD arrays, calculation of the x - y cross moments, and I added in the algorithm for weighting each beamlet as prescribed earlier in this chapter. This last item was done to bring the calculation in line with the method by which the data from the slit scanner diagnostics is analyzed so that direct comparisons are possible. I also added a module to the source code that fits a gaussian to a cross-section of a beamlet so fitted beamlet size data could be used for moment calculations if desired. To gather time-sequenced data as a narrow gate is stepped through successive beam shots, moment and emittance data is written to files for later display using other graphics routines as shown in Chapter 7. The Pepperpot code allows interactive analysis of the GBI images with graphical and tabular output. A copy of the PEPPERPOT IDL source code is contained in Appendix E.

4.6 Sample Output from the Data Analysis Code

The following figures are samples of the output of various analyses on an image.

722971us132.ras
integrated beam

(67 beamlets Smoothing 0)

Figure 4.9: GBI image used for analysis of beam moments. The four spots between rows surrounding the center spot allow easy identification of the center hole as a reference and are not used in the data analysis. Each spot is approximately 0.5 mm in diameter and the field-of-view is 2.07 by 3.11 cm.

Figure 4.10: Identification of which holes the beamlets in Figure 4.9 originated from.

Figure 4.11: Plot of the data analysis windows surrounding the holes through which the beamlets passed.

Figure 4.12: Plot superimposing the pepperpot holes (diamond symbols) and the centroids of the beamlet spots (asterisks) at the detector showing focusing in the x -plane and defocusing in the y -plane.

Figure 4.13: Contour plot of all data from the CCD camera field of view.

Figure 4.14: Surface plot of the intensity vs. position for the CCD camera field of view.

Figure 4.15: Surface plot of beamlet intensity vs. position limited to a 20 by 20 pixel data analysis window around one beamlet.

Figure 4.16: Surface plot of the beamlet of Figure 4.15 after a 4 by 4 pixel block averaging of the intensity values.

Figure 4.17: Beamlet cross-section plots of intensity vs. position. The width at different intensity levels can be determined by positioning a cursor.

Figure 4.18: Plot of a cut through the image at a selected row or column. Here column 211 of Figure 4.9 is displayed.

Figure 4.19: 2-D phase space plots with individual beamlet data fitted with an ellipse and emittance calculations displayed.

Figure 4.20: Plot of normalized emittance vs. pepperpot holeplate rotation angle.

Figure 4.21: The appearance of 2-D phase space plots when an incorrect holeplate rotation angle is used in calculating x' and y' . Erroneous beamlet divergence angles are calculated resulting in a “vertical” separation of beamlet data and a larger emittance value.

Figure 4.22: Plot of $x-y$ cross moments phase space with $\langle x' - y' \rangle$ and $\langle x - y \rangle$ shown. The magnitude of the axes of the $x' - y'$ ellipses are determined by the minimum and maximum divergence angles of each beamlet spot.

Figure 4.23: Plot of $x-y$ cross moments phase space with $\langle x' - y \rangle$ and $\langle x - y' \rangle$ shown.

```

0 "*.RAS" File:      =722971us132.ras (temp.dat)  VERSION(5/19/97)
1 Image(nx,ny)      =[384,576] 67 beamlets Smoothing 0
2 lmin,lmax,Backg    =[ 0,253] 0
3 X,Y (cm/pixel)     =[0.00540,0.00540]
4 Energy(MeV),betag  =[ 0.0800, 0.0021] 36262.199
5 Window(pixels)     =[ 20, 20]
6 R_Hole,Spacing(cm)=[ 0.0050, 0.2500, 0.0152] N
7 Drift(meters)      = 0.1500
8 Emittance(mm-mr)   =[ 0.000, 0.000] ave: 0.000 norm: 0.0000
9 Current,Brightness=[ 0.00( 0.000/ 67), 4.55e+08 +-2.01e+08]
10 Level(percent)    = 10
11 xr(cm),r12,rp(mr) =[ 0.8326,-0.9906, 21.07] 0.391 m
12 yr(cm),r12,rp(mr) =[ 0.7283, 0.9846, 16.22] -0.442 m
13 J(x),(y),(xy),(av)=[ 1.68e+23, 2.26e+23, 1.00e+12, 1.21e+11]
14 R(cm),RP(mr),lpass=[ 0.780, 1.562, 0.000]
19 Mask Rotation(deg)= -1.700

```

Figure 4.24: Plots of beamlet peak and total intensity statistics.

Chapter 5

Detector Selection and Equipment Description

The selection of a specific material or device to serve as the beamlet detector in the GBI was done by considering the desired performance criteria. These criteria were:

1. Detector light output to be a linear function of incident beamlet intensity.
2. Shot-to-shot repeatability.
3. Fast detector response time to allow gating the camera.
4. Simplicity in construction.

5.1 Fast Plastic Scintillator as a Heavy Ion Detector

Due to the heavy ion's short range, its energy is deposited in a very small volume of material.³⁴ Phosphors are known to damage easily necessitating their frequent replacement. They also have generally long decay constants on the order of 300 μ s, making them unsuitable for gating the camera at the desired interval of 100 ns and thus were not considered. The initial promising material considered was commercially available fast plastic scintillator. I conducted experimental studies on fast plastic scintillator, specifically BICRON Corporation BC-412. Its important characteristics are summarized in Table 5.1.

BC-412 was chosen based on its short decay constant, and good mechanical properties.

Table 5.1: BC-412 scintillator properties⁵²

Light Output % Anthracene	60
Wavelength of Maximum Emission	434 nm
Decay Constant	3.3 ns
Bulk Light Attenuation	400 cm

It was unknown whether its light output would be sufficient for small, nanosecond gated signals or if its molecular structure responsible for scintillation would be rapidly damaged from intercepting the heavy ions. Initially its response to the 80 keV potassium ion beam was characterized by placing it in the Small Recirculator beam and measuring its light output signal with a photomultiplier tube. The output signal was observed to be proportional to, and have the same features as the ion source pulser voltage waveform and Faraday cup traces. The light output closely tracked the signal produced by the ion current into the Faraday cup.

Encouraged by the initial photomultiplier tube results, I then conducted experiments to photograph the image of the beam on the scintillator with increasing ion exposure. I exposed the scintillator to repeated 4 μ s long, 80 keV pulses (368 shots) and periodically examined the image of the beam on the scintillator with a CCD camera. The images showed a rapid degradation in image quality. A plot of the sum of the CCD camera pixel intensity values in the area of the beam image versus exposure is shown in Figure 5.1. It can be seen that the light output in the area of the beam exhibits a sharp drop in level then a slower degradation. The images are shown in Figures 5.2(a)-(d). The previous photomultiplier tube measurements had not shown such a decrease in light output. It appeared from the full CCD images that there had been a lot of light reflected off the interior of the chamber that the photomultiplier tube recorded although the image in the area of interest on the scintillator degraded significantly. This reflected light is not shown in the sequence of Figure 5.2. I conducted several tests to determine whether the surface of the scintillator was charging up and deflecting ions from their trajectories by attaching an electrically grounded, fine mesh screen with an ion transmittance of 90% to the scintillator surface. No

Figure 5.1: BC-412 scintillator light output vs. exposure.

significant effect on preventing image degradation was observed. Various techniques of scintillator surface preparation were also attempted to ensure a clean surface was exposed to the beam. Visual inspection of the scintillator after exposure showed no discernible changes such as clouding or yellowing of the material that would affect its light transmission. Scintillator once exposed also exhibited no recovery after not being exposed for up to a week afterwards and then tested again. Confirmation that damage was occurring in the localized area where beam ions interacted was tested by steering the beam to unexposed portions of the scintillator after at least 357 beam pulses. From Figure 5.2(d), it can be seen that the light output increases for that portion of the scintillator not previously exposed to the beam as the beam is steered to the right at the detector on shot 358. Various schemes of introducing unexposed scintillator into the beam for each shot were considered such as a rotating wheel of scintillator or "window shade" roller assembly. Although this was a complication in the GBI design it appeared to be feasible.

The remaining question was whether sufficient optical signal would be present

with a pepperpot introduced into the beam. This would cut the number of ions on the scintillator by roughly a factor of 40,000 and gating the CCD camera at a 100 ns interval would capture about 2.5% of that signal. I performed an experiment to image 4 μ s long beamlets produced by a pepperpot with 400 micron diameter holes on unexposed scintillator. The images showed that not enough signal was produced to give confidence that accurate beamlet spot identification and analysis could be done. The ultimate pepperpot design was to have 100 micron diameter holes and to apply a 100 ns gate to the beam signal. As a result of the complications of scintillator damage and low light output in response to heavy ions, it was determined that fast plastic scintillator would be unsuitable as the detector in the GBI. Attention was now given to using a microchannel plate detector with the obvious sacrifice in simplicity and cost.

Figure 5.2: Sequence of whole beam images showing scintillator degradation with exposure. (a) First shot onto unexposed scintillator (b-c) Scintillator exposed to 80 and 200 $4 \mu\text{s}$ shots (d) Beam steered slightly right onto unexposed scintillator after 357 shots.

5.2 Microchannel Plate Detector as a Heavy Ion Detector

The response of phosphors and scintillators to intense electron beams is known to be satisfactory from the standpoint of using them as reliable and accurate particle

detectors.³⁵ The stopping power is much less for electrons than for heavy ions resulting in less energy deposited per unit volume and more interactions giving rise to photons in the visible spectrum. A device that converts the heavy ions in the pepperpot beamlets to an electron signal while maintaining the spatial orientation of original beamlets is the microchannel plate (MCP) consisting of many tiny parallel electron multiplying channels spaced tens of microns apart. Initial consideration on the use of a MCP as a detector revealed some useful advantages and some disadvantages that needed to be tested to determine whether they would limit the usefulness of the detector. The advantages which brought MCP's under initial consideration were:

1. The heavy ions could be converted to electrons which then interact with a detector material, thus side-stepping the problems seen with heavy ion damage.
2. MCP's could provide signal amplification once the heavy ions were converted to electrons while maintaining spatial resolution of the beamlet image.

Concerns regarding the MCP were:

1. Unknown damage response of the MCP due to intense exposure to heavy ions.
2. How to obtain fast gated images as commercially available MCP's use relatively slow phosphors as output screens.

A survey of commercially available devices showed that a detector with desirable characteristics could be purchased from several companies. A device purchased from Galileo Electro-Optics Corporation and used in these experiments is shown in Figure 5.3(a). A schematic of the device is shown in Figure 5.3(b) and its important characteristics shown in Table 5.2. An attractive feature of the Galileo MCP detector was the stainless steel front anode with minimum thickness of 1500-2000 Å plated onto the input side of the MCP. Its primary purpose is to allow placing a bias voltage across the channels. It is also thick enough to stop all the incident potassium ions in the Small Recirculator beam at their incident energies of 80-320 keV, thus protecting the microchannels from any damage that would affect their performance. To model the ability of the front metal anode to stop the heavy ions, the computer code TRIM (Transport of Ions in Matter) was used to calculate the ion range and statistics of their interaction with the metal anode.³⁶ Table 5.3 shows the calculated statistics of

320 keV potassium ions stopping in the MCP front metal anode.

Figure 5.3: (a) Galileo Corp. microchannel plate and phosphor readout (b) MCP biasing scheme for detection of positive ions.

Table 5.2: Galileo microchannel plate characteristics³⁷

Diameter	40 mm	Channel diameter	10 microns
Thickness	0.46 mm	Channel spacing	12 microns
Anode thickness	1500 Å	Channel bias angle	8°
Bias current	8-40 μ amps	Channel coating	MgO
Phosphor screen	P20	Min. gain @1000V	5000

During the stopping of the ions in the metal anode, secondary electrons are produced. At 80 keV it is estimated that 3-5 secondary electrons with initial energies of a few eV are produced based on the empirical data in Kaminsky.³⁸ When the MCP is biased as shown in Figure 5.3(b) the electrons are accelerated into the MCP and amplified through interactions with the walls of the microchannels. A first order calculation of the number of secondary electrons produced in the anode from a 100 ns

long, 100 micron diameter beamlet formed from the Small Recirculator beam pulse shows that about 9.4×10^4 electrons would be produced. The MCP has a minimum amplification of 5000 at 1 kV bias so there is more than adequate electron signal from a single gated beamlet to produce an optical signal in the output phosphor. From the output of the MCP, the electrons are proximity focused across a thin gap by a strong positive bias of 3 kV onto a P20 phosphor screen which produces the image of the beamlet spot. The adjustable gain of the MCP allows amplification of very fast gated signals which proved problematic in the testing of fast plastic scintillator as a detector material.

Table 5.3: Transport of Ions in Matter (TRIM code) ion stopping statistics for the front metal anode of the MCP detector

	<u>Range ($\text{\AA}$)</u>	<u>Straggle ($\text{\AA}$)</u>
Longitudinal	363	170
Lateral	124	71
Radial	194	108
Vacancies/ion	750.7	
<u>Energy loss (%)</u>	<u>Ions</u>	<u>Recoils</u>
Ionization	22.67	18.39
Vacancies	0.14	1.73
Phonons	0.71	56.35

The microchannel axes of the MCP are manufactured at an 8° angle to the surface of the MCP. This improves the efficiency of the first interaction of incident electrons with the channel walls and prevents electrons from streaming through the channels without wall interactions. This 8° angle results in a 46 micron position offset of the output of the channels from the input, thus all the beamlet images are equally shifted by this amount. The high voltage used in the proximity focusing and the short distance from the channel output to the phosphor reduces to a minimum additional offset across the output gap. This shift in the overall position of the beamlet images was considered negligible in the moment calculations discussed in Chapter 4.

The spatial resolution of the MCP is determined from the size and spacing of its

microchannels. The Galileo MCP used in the GBI has channels 10 micron in diameter with a center-to-center spacing of 12 microns. A manufacturer's plot of resolution in microns versus channel spacing is shown in Figure 5.4. Given the channel spacing of 12 microns the uncertainty in detecting a "sharp" beamlet edge is 12 microns. This is an indication of the lower limit on the "graininess" of the beamlet images. However, it is not the limiting factor in system resolution as the pixel size on the camera CCD chip is 22.4 microns square, which is the limiting spatial factor in resolution. In fact, the optical resolution achieved in the GBI camera system during data runs was 54 microns per pixel, well within the MCP and CCD limit.

Figure 5.4: Microchannel plate resolution³⁷

5.3 Obtaining Time-Resolved Beam Data by Gating the MCP

Using a MCP detector with a slow phosphor output precluded gating the CCD camera at a gate much shorter than the phosphor decay constant. To do so would include the image produced from ions arriving at the detector prior to the desired time interval. Faster gating required a different method than camera gating to be able to resolve the time history of the beam. It was necessary to gate the MCP on and off such that it was "opaque" to ions outside the desired time interval.

The attractive feature of the BC-412 fast plastic scintillator was its fast decay constant of 3.3 ns. This fast decay constant produced an image that contained the information from a 107.6 ns long slice of the beam when the camera was gated "ON" for 100 ns. The extra 7.6 ns of information results from light output corresponding to ions intercepted just prior to the camera gate. The fast decay constant easily allowed isolating narrow beam slices using the camera gate. On the other hand, the P20 phosphor of the MCP output has a decay constant of 200 μ s, thus gating the camera for the desired 100 ns with the MCP operated in the DC mode "contaminates" the image obtained with the output of any previous beam impinging the detector prior to the gate interval. To overcome this difficulty a "Pinhole Neutron Experiment (PINEX)" MCP intensifier gate circuit and power supply (Figure 5.5) was obtained on loan from the Amador Valley Operations Office of Bechtel Nevada Corporation. The PINEX gate power supply is able to bias the MCP "ON" with a -385 V pulse for 100 ns duration. An oscilloscope trace of a 100 ns and a 1 μ s gate signal is shown in Figure 5.6. The detector is effectively opaque to the secondary electrons generated by the heavy ions when not gated "ON", thus no optical output signal is produced. At these fast gates it was difficult to obtain a totally clean MCP bias signal with a rapid and smooth rise and fall. The trailing voltage spikes seen in the 100 ns trace of Figure 5.6(b) do not produce significant amplification of the beam signal due to the nonlinear response of the MCP to bias voltage, thus the gate signal is effectively 100 ns wide. Figure 5.7 is a schematic of the GBI equipment interconnections that were

necessary to obtain gated images of the beam.

Figure 5.5: PINEX MCP gate circuit and power supply.

Figure 5.6: MCP detector gate signal (a) $1\ \mu\text{s}$ gate used for image capture of a wide slice out of the beam flattop. (b) 100 ns gate used for the narrow slices to construct a time history of the beam.

Figure 5.7: GBI equipment interconnections

5.4 Camera System Description

The Gated Beam Imager uses an intensified gated CCD camera to view the MCP detector output screen and capture the image of the beamlet on the detector. The camera is mounted outside the GBI diagnostic chamber in which the pepperpot and MCP detector are housed in the beamline as shown in Figure 5.8. The MCP phosphor screen is observed through a glass viewport either directly at the end of the beamline or with a mirror arrangement if placed in an intermediate diagnostic station. The camera system used was manufactured by Princeton Instruments, Inc. Inside the camera housing, a 384 by 576 pixel CCD of dimension 8.6 by 12.9 mm is fiber-optically coupled to an image intensifier allowing the observed image to be amplified and gated

to approximately 5 ns. To reduce dark charge buildup in the CCD during exposure and readout, it is seated on a cold finger which, in turn is seated on a thermoelectric (Peltier Effect) cooler. The cooler is mounted on a heat removal block cooled by air from cooling fans in the camera housing. To maximize the light transmission from the MCP phosphor screen to the camera CCD, I chose an f/1.2 Canon lens for its low f-stop and 85 mm focal length. In order to allow close-in focusing it was necessary to use a 32 mm lens extension between the camera and lens as shown in Figure 5.8. This allowed for a sharp focus to within 8 inches of the detector, and the appropriately sized field-of-view to maximize the spatial resolution of the data images.

Figure 5.8: GBI CCD camera in position. Canon f/1.2 lens mounted on a 32 mm lens extension to provide close focusing to within 8 inches of the MCP detector.

A Princeton Instruments ST-138 CCD camera controller controls the readout of the CCD and the operation of the CCD cooler. The readout of the CCD after exposure is acquired into memory of a Macintosh computer via a serial interface card connected to the ST-138. Gating the camera intensifier on and off is accomplished with a Princeton Instruments PG-200 Programmable Pulse Generator. Both the ST-138 and PG-200 are shown in Figure 5.9. Voltage ranging from 500-1000 V can be applied to the camera intensifier to amplify light passed to the camera CCD. The PG-200 also controls the timing of the voltage to the intensifier in response to the experiment timing reference. A commercial software, IPLab *Spectrum*TM with Princeton Instruments-supplied plug-in software modules was used to both control the camera exposure and display the CCD readout of the beamlet images immediately after acquisition.

5.5 Operating the Gated Beam Imager

To acquire a gated image of the beam, a time-of-flight calculation for a given beam energy is made to estimate when ions will arrive at the detector after being transported along the Small Recirculator. The head of the beam is then searched for by adjusting the actual gate start time while observing the images. The proximity focusing voltage of 3 kV from the microchannel output to the phosphor screen is applied continuously and the MCP is biased "ON" and "OFF" by the PINEX power supply. As mentioned before, the 100 ns gate on the MCP produces an image on the phosphor screen that has a 200 μ s decay time. In order to increase the signal-to-noise ratio in the pixel voltages read out of the camera CCD it is desirable to gate the camera electronic shutter observing the MCP detector phosphor output. To accomplish this, the camera is gated on for 300 μ s starting coincident with the MCP detector gate pulse. This gate proved to be optimum for excluding stray light in the GBI diagnostic chamber while allowing adequate signal for good beamlet spot resolution. A diagram of the timing sequence for acquiring a 100 ns gated image is shown in Figure 5.10. The long readout time (4.4 seconds) from the CCD to the

Figure 5.9: Princeton Instruments ST-138 CCD camera controller(lower) and PG-200 CCD intensifier power supply (upper). The wrapped coil on the left side of the PG-200 adds inductance to the trigger input cable to prevent prematurely triggering on the rapid electrical transients picked up from the ion source pulser spark gap switches.

computer is a consequence of the camera's "slow scan mode" clock frequency of 50 kHz. A slow readout of the camera CCD is important in limiting the readout noise in the image as readout noise is proportional to the readout clock frequency.³⁹ Reading out images when not collecting data, such as focusing the camera was done at a 1 MHz clock frequency resulting in a 0.22 second readout time allowing easier lens adjustment while viewing the image. After readout, the captured image is displayed and examined for quality prior to saving by the operator. For stepping through the beam, the trigger to the PINEX power supply is then delayed the appropriate interval (e.g., from 13.2 μ s to 13.3 μ s for 100 ns slices) and another image acquired on the next beam shot.

Figure 5.10: GBI image capture timing diagram.

5.6 Applying Corrections to the GBI Images

It was necessary to apply corrections to the data images in order to account for the response of the CCD to dark charge accumulation during exposure and readout and for differing pixel sensitivities that result from manufacturing tolerances from pixel-to-pixel in the same CCD. Corrections were also made to account for the uneven response across the MCP detector to an even intensity input.

5.6.1 CCD Dark Charge Correction

Dark charge accumulation is a function of exposure and readout time, and the temperature of the CCD.⁴⁰ Several dark charge measurements with the same exposure and readout times as data images were made during the data runs to account for any change due temperature drift of the camera cooling system, although changes are small due to the camera controller's ability to maintain CCD temperature within

$\pm 0.05^\circ\text{C}$.⁴¹ Figure 5.11 shows a typical dark charge result displayed by averaging the CCD pixel rows. The dark charge buildup is fully repeatable given a constant temperature and readout time between exposures and is corrected for by individual pixel value subtraction.

Figure 5.11: Image row average of camera CCD pixel values showing dark charge buildup during the finite time taken to read out the CCD by row from left to right.

5.6.2 CCD Flat Field Response Correction

Each CCD chip is unique in its pixel-to-pixel sensitivity due to slight variations in manufacturing.⁴⁰ As well as being unique, the response to the same light level is fully repeatable from exposure to exposure. The difference in pixel sensitivity was determined with a “flat field” image which can be used to multiplicatively correct a data image. The “flat field” image was obtained using the “integrating light sphere”

shown in Figure 5.12. The interior surface of the sphere is coated with a smooth white diffusing material which provides an evenly illuminated image from a light source in the side of the sphere. A flat field image was taken using a 300 μs exposure along with a nearly concurrent dark charge image to account for the CCD temperature at the exposure time. Along with these flat field and dark charge images, a data image of the GBI beamlet spots is manipulated within the IPLab *Spectrum*TM software to correct for the dark charge buildup on the CCD during exposure and the uneven flat field response. The maximum dark charge level for a 300 μs exposure was about 1.2% of the peak spot intensity and the peak variation in the flat field measurement was $\pm 16\%$. Pixel by pixel the correction is made using the formula³² :

$$\text{Corrected Image} = \frac{\text{Mean}(\text{Flat} - \text{DarkF})(\text{Image} - \text{DarkI})}{(\text{Flat} - \text{DarkF})} \quad (5.1)$$

where “*Flat*” is a flat field image, “*DarkF*” is a dark charge image associated with the flat field image, “*Image*” is an image of the beamlet spots, and “*DarkI*” is a dark charge image associated with the beamlet spots image.

5.6.3 MCP Detector Flat Field Response Correction

The third correction made to all data images is a correction to account for the variation in response of the MCP microchannels to a flat field “illumination”.³⁷ Ideally all microchannels would give the same output for like input as would the phosphor screen. Lacking the ability to generate a detector-size flat field of heavy ions, I tested the MCP using a flat field x-ray source at LLNL. The machine shown in Figure 5.13 with the GBI attached to it generates 7.47 keV x-rays from a nickel anode. Figure 5.14 shows the field-of-view of the CCD camera just prior to x-ray illumination and Figure 5.15 shows the flat field image obtained. The response of the MCP varied by as much as 70% from one edge to the other in a gradual and even manner. Extending this response to an experiment, equivalent beamlets would be weighted more or less in moment calculations depending on their position on the MCP.

Figure 5.12: CCD camera and integrating light sphere setup for obtaining a flat field image.

Figure 5.13: GBI attached to a LLNL x-ray source to measure the spatial response of the MCP to a uniform signal.

Once an evenly illuminated MCP image is obtained, the data images can be corrected. As the field of view of the CCD camera differs from the experiment setup to the MCP flat field setup, it is impossible to match up the exact position of the two images. This is not a severe limitation as the change in MCP response is gradual across the detector. The four fiducial marks shown in Figure 5.14 around the periphery of the detector allow the orientation of the flat field and data images to be matched. The larger field of view of the flat field image is measured and the image is extrapolated to the same size as the data image using the IPLab imaging software. The data image is then corrected for the non-uniform response of the MCP using the algorithm of Equation 5.1.

Figure 5.14: Field-of-view of the CCD camera observing the MCP detector for the MCP flat field x-ray measurements.

5.6.4 Preparing the Images for Data Analysis

Using a script of IPLab imaging software commands, the image corrections are applied in a matter of seconds. The corrected image in the form of a 2-D array (384 by 576) is then saved as a text file with each array address corresponding to a CCD pixel value representing the intensity of light which fell on the pixel. The array is then sent to the DEC Alpha workstation running the IDL pepperpot data analysis code. To conserve memory the array values are linearly scaled from 16 bit digitization (0 to 65535), to 8 bit digitization (0 to 256) and read into memory. Figure 5.16 shows a small part of a text array that includes a beamlet spot. Data analysis then can be carried out in accordance with the methods discussed in Chapter 4.

Figure 5.15: View of the non-uniform response of the MCP detector to a uniform field of 7.47 keV x-rays. The field of view that matches that of the experimental measurements is selected from this image and applied as a correction for the non-uniform response.

3	3	3	5	7	7	6	4	4	4	4	4	3	3	2	2	2	1
3	3	2	3	5	5	5	4	4	5	5	5	4	3	3	2	3	1
4	4	2	3	4	5	4	4	4	5	7	6	6	5	4	3	4	2
3	3	2	2	4	4	5	7	9	12	12	11	9	7	5	3	4	2
2	3	3	3	4	5	7	11	15	19	19	17	12	10	7	4	4	3
2	2	2	3	4	5	10	18	29	39	46	42	31	22	12	7	4	2
2	3	3	4	5	7	14	27	44	60	74	69	50	34	19	11	5	3
2	2	3	4	5	8	17	35	66	98	122	116	88	58	32	18	8	4
2	3	4	5	6	11	21	45	89	137	171	165	126	83	46	26	12	6
2	3	3	4	6	12	24	50	100	160	197	190	143	95	53	30	13	7
3	4	3	5	7	14	29	56	112	185	224	217	160	108	61	34	14	8
2	4	3	4	6	13	27	52	100	159	191	184	140	91	51	28	11	7
3	4	4	4	7	13	27	48	88	135	158	152	120	75	43	22	9	6
2	3	3	3	5	10	21	39	66	97	111	106	83	53	31	17	7	5
3	2	3	3	4	9	17	30	45	61	64	60	47	33	21	12	6	4
2	2	2	2	4	7	13	22	30	41	43	40	30	22	15	10	5	3
3	3	3	3	4	7	11	15	17	22	22	20	15	13	11	8	5	3
3	3	2	3	4	6	9	12	13	16	14	13	10	8	7	6	3	2
4	4	3	4	4	6	8	10	10	10	7	7	6	5	5	4	3	2
3	3	2	3	4	5	7	8	8	7	4	5	5	4	3	3	2	2
2	2	3	3	4	4	6	7	7	5	3	4	4	4	3	2	2	2

Figure 5.16 A small sample of a beamlet spot data array file in text format encompassing one beamlet spot.

Chapter 6

A Beam Correction System

The utility of measurements possible with the GBI in the design, construction, and operation of heavy ion accelerators can be realized in several ways. Experiments such as the LLNL Small Recirculator are meant to push the state of the art in induction accelerator design and in intense heavy ion beam control. More advanced measurements of more beam parameters are essential to evaluating its performance. The Small Recirculator is intended to produce data that will benchmark a numerical simulation code such as WARP.¹⁵ One area that is ideally suited to being diagnosed by the GBI is the effect on the beam of rotationally misaligned quadrupole focusing magnets. The amount of misalignment that can be tolerated is an essential factor in quadrupole magnet design and accelerator construction costs. Measuring the effect of misalignments and removing the effect prior to final focus could increase the quadrupole magnet alignment tolerances and thus reduce accelerator construction and maintenance costs.

6.1 The Effect on the Beam of Rotationally Misaligned Quadrupoles

A magnetic quadrupole rotated about the beam axis will not cause a displacement of the beam centroid off-axis if it is initially on-axis.²⁹ However, a rotated quadrupole will create a coupling between the previously uncoupled transverse x and y motions

of beam ions. The beam control elements such as the quadrupoles, steering dipoles, insertion/extraction magnets, and beam final focus magnets are all assumed to be aligned to the laboratory frame. Barnard showed that in the presence of rotational misalignments, the beam 2-D transverse emittance is not conserved even under linear equations of motion, and the beam acquires a finite angular motion.²⁹ The detrimental effect of this on the final focus element performance is indeed a real effect as any final focus lens will be designed to be aligned for an assumed orientation of the beam (most likely, upright in the laboratory frame). As the misaligned quadrupole still exerts a linear force on the beam it is possible to “correct” its effect using a suitable number of correction elements generating the proper combination of fields. Linear forces on the beam do not result in hopelessly entrained unoccupied phase space in the beam distribution as in Figure 4.1. A conceptual beam correction system is proposed in the following discussion (see Figure 6.6) that would use as input, the moment data obtained from the GBI.

Barnard derived beam first and second moment evolution equations for a beam transported and accelerated through an alternating gradient focusing, or FODO lattice.²⁹ An outline of the derivation appears in Appendix B. He assumed that:

1. The force on the ions comes from two sources; the external focusing (defocusing) from the quadrupolar field, and the internal defocusing from space charge of the beam.
2. The space charge is distributed in a uniform ellipse as in a K-V distribution.

Stating the results obtained in Appendix B the two closed sets of coupled moment evolution equations for the first and second moments of the beam distribution are:

First Moments

$$\begin{aligned} \frac{d\langle x \rangle}{dz} &= \langle x' \rangle & \frac{d\langle x' \rangle}{dz} &= K_{qxx} \langle x \rangle + K_{qxy} \langle y \rangle - (d\ln\beta_z/dz) \langle x' \rangle \\ \frac{d\langle y \rangle}{dz} &= \langle y' \rangle & \frac{d\langle y' \rangle}{dz} &= K_{qyy} \langle y \rangle + K_{qyx} \langle x \rangle - (d\ln\beta_z/dz) \langle y' \rangle \end{aligned}$$

Second Moments

$$\frac{d\Delta x^2}{dz} = 2\Delta x x'$$

$$\frac{d\Delta x x'}{dz} = \Delta x'^2 + K_{xx}\Delta x^2 + K_{xy}\Delta xy - (d\ln\beta_z/dz)\Delta x x'$$

$$\frac{d\Delta x'^2}{dz} = 2K_{xx}\Delta x x' + 2K_{xy}\Delta x' y - 2(d\ln\beta_z/dz)\Delta x'^2$$

$$\frac{d\Delta y^2}{dz} = 2\Delta y y'$$

$$\frac{d\Delta y y'}{dz} = \Delta y'^2 + K_{yy}\Delta y^2 + K_{yx}\Delta xy - (d\ln\beta_z/dz)\Delta y y'$$

$$\frac{d\Delta y'^2}{dz} = 2K_{yy}\Delta y y' + 2K_{yx}\Delta x y' - 2(d\ln\beta_z/dz)\Delta y'^2$$

$$\frac{d\Delta xy}{dz} = \Delta x' y + \Delta x y'$$

$$\frac{d\Delta x' y}{dz} = \Delta x' y' + K_{xx}\Delta xy + K_{yx}\Delta y^2 - (d\ln\beta_z/dz)\Delta x' y$$

$$\frac{d\Delta x y'}{dz} = \Delta x' y' + K_{yy}\Delta xy + K_{xy}\Delta x^2 - (d\ln\beta_z/dz)\Delta x y'$$

$$\frac{d\Delta x' y'}{dz} = K_{xx}\Delta x y' + K_{xy}\Delta y y' + K_{yx}\Delta x' y + K_{yy}\Delta x x' - 2(d\ln\beta_z/dz)\Delta x' y'$$

where the notation $\Delta ab \equiv (\langle a^2 \rangle - \langle a \rangle^2)(\langle b^2 \rangle - \langle b \rangle^2)$ stands for a second moment with the contribution from a non-zero first moment removed. The coefficients in the evolution equations in terms of the external quadrupolar and internal space-charge forces and angles defined in Figure 6.1 are:

$$K_{qxx} = -K_{qyy} = K_{qx0} \cos 2\theta$$

$$K_{qxy} = K_{qyx} = K_{qx0} \sin 2\theta$$

$$K_{sxx} = K_{sxb} \cos 2\alpha + K_{syb} \sin 2\alpha$$

$$K_{syy} = K_{syb} \cos 2\alpha + K_{sxb} \sin 2\alpha$$

$$K_{sxy} = K_{syx} = (K_{sxb} - K_{syb}) \sin \alpha \cos \alpha$$

$$K_{qx0} = -K_{qy0} = \frac{B'}{B\rho}$$

$$K_{sxb} = \frac{\kappa}{2(\Delta x_b^2 + (\Delta x_b^2 \Delta y_b^2)^{1/2})}$$

$$K_{syb} = \frac{K}{2(\Delta y_b^2 + (\Delta x_b^2 \Delta y_b^2)^{1/2})}$$

Barnard also found two independent constants of the motion of a beam in a FODO lattice with rotated quadrupoles inducing coupled motion between x and y .²⁹ As the

Figure 6.1: Beam and laboratory coordinate system.

emittance is a constant of the motion in an aligned FODO lattice, Barnard called these constants “generalized emittances”. Their definitions are:

$$\epsilon_{ng} = \left[\frac{1}{2}\epsilon_{nx}^2 + \frac{1}{2}\epsilon_{ny}^2 + (4\beta)^2(\Delta xy \Delta x'y' - \Delta xy' \Delta x y) \right]^{1/2} \quad (6.1)$$

$$\epsilon_{nh} = \left[(\epsilon_{nx}^2 \epsilon_{ny}^2 + (4\beta)^4 ([\Delta x'y']^2 [\Delta xy]^2 - 2\Delta x'y \Delta x'y' \Delta xy \Delta xy' + [\Delta x'y]^2) \right]^{1/2} \quad (6.2)$$

where the terms ϵ_{nx} and ϵ_{ny} are the normalized transverse emittances defined in terms of the moments as:

$$\epsilon_{nx} = 4\beta\gamma \left[\Delta x^2 \Delta x'^2 - (\Delta x x')^2 \right]^{1/2} \quad (6.3)$$

$$\epsilon_{ny} = 4\beta\gamma \left[\Delta y^2 \Delta y'^2 - (\Delta y y')^2 \right]^{1/2} \quad (6.4)$$

Any other combinations of second moments that yield constants can be reduced to these transverse and generalized emittances and in fact, these quantities reduce to linear combinations of the standard transverse emittances in an aligned FODO lattice

which can be easily verified by setting the cross-moment terms to zero.⁴² To verify that the generalized emittances were indeed constants of the motion and to study the emittance growth caused by random quadrupole rotations Barnard wrote a computer code, “MOMENT” which numerically integrates the moment equations through a FODO lattice representing the C-design of a recirculator driver.²⁹

6.2 Approximate Correction for a Single Misaligned Quadrupole

I modified the MOMENT code into several versions to support calculations to show that with a set of four adjustable magnetic quadrupoles, (variable rotation angle and field strength) and the information from the Gated Beam Imager (full set of beam moments), any effect of rotation errors could be removed from the beam and the transverse emittance growth caused by these errors removed from the beam.

The first modification (FULLAG in Appendix B) of the MOMENT code was to tailor its model parameters to match those of the Small Recirculator and to allow for the placing of known rotations on specific quadrupoles or to create random rotations on all quadrupoles. Figures 6.2 and 6.3 show the effect on the beam moments of a single misaligned quadrupole rotated 5° counter-clockwise. A large error of 5° was chosen to support experimental verification of the effect of rotation errors on the Small Recirculator. The evolution of the moments from the simulation is plotted with and without the error for comparison. There is only a slight effect on the x and y moments but the $x - y$ cross moments become non-zero indicating the the motion of the ions in the two orthogonal directions becomes coupled after the misalignment. The beam acquires a rapidly changing angular momentum as it passes through subsequent quadrupoles and the 2-D transverse emittance rises above its original value. An attempt to focus the beam to a “spot” at a point past the misalignment would not be as successful as had the misalignment not been present. Note that the generalized emittances in Figure 6.3 are unaffected by the rotation error as expected.

Figure 6.2: Effect of a misaligned quadrupole on the beam moments as a function of distance along the accelerator axis. Dashed lines denote the moments with a single error, quadrupole 2 at $z=38.1$ cm rotated 5° counter-clockwise. Solid lines are without a rotation error. Output from FULLAG.

Figure 6.3: Effect of a misaligned quadrupole on the beam emittances and angular momentum. Dashed lines denote the quantities with a single error, quadrupole 2 at $z=38.1$ cm rotated 5° counter-clockwise. Solid lines are without a rotation error. Output of FULLAG.

A special case of an approximate beam correction method was noted while running the code with multiple known quadrupole rotations. With a known rotation error and beam phase advance (here 72°) that divides an integral number of times into 360° , the effect on the beam can be approximately removed by counter-rotating a quadrupole 5 half lattice periods subsequent to the misaligned quadrupole. This provided a rudimentary method of testing beam correction on the Small Recirculator. These tests are discussed in Chapter 7. Figures 6.4 and 6.5 show the results of a simulation run with quadrupole 2 rotated 5° counter-clockwise, as above, and quadrupole 7 rotated 5° clockwise. The motion between the x and y directions is mostly decoupled as shown in Figure 6.5 as the $x - y$ cross moments return to near zero. The 2-D transverse emittances return to their original values leading one to conclude that focusing the beam downstream of the quadrupoles would attain the almost the same results as if the quadrupoles were perfectly aligned. Determining how to correct for any combination of upstream rotation errors would allow quadrupole alignment tolerances to increase, presumably simplifying the design and construction process of

a driver size machine while maintaining the performance of an aligned lattice.

Figure 6.4: Correction of a known quadrupole rotation error. Quadrupole 2 at 38.1 cm rotated 5° counter-clockwise and quadrupole 7 at 228.6 cm rotated 5° clockwise. Dashed lines denote the moments with rotated quadrupoles. Solid lines are without quadrupole rotations. Output from FULLAG.

Figure 6.5: Correction of a known quadrupole rotation error. Quadrupole 2 at 38.1 cm rotated 5° counter-clockwise and quadrupole 7 at 228.6 cm rotated 5° clockwise. Dashed lines denote the quantities with rotated quadrupoles. Solid lines are without quadrupole rotations. Output from FULLAG.

6.3 Correction for Random Quadrupole Rotation Misalignments

For the more general case and one that exists in a real machine, the location and magnitude of quadrupole rotation errors is not known, only the moments of the beam can be measured at points along the beamline where a suitable diagnostic such as the GBI can be placed. Non-zero cross-moments would indicate the presence of quadrupole rotation errors causing coupling between x and y motions. Examining the second moment evolution equations one sees that they consist of a closed set of ten equations with ten independent parameters (the moments). A matrix representation of the equations at constant energy is:

$$\frac{d}{dz} \begin{pmatrix} \Delta x^2 \\ \Delta x x' \\ \Delta x'^2 \\ \Delta y^2 \\ \Delta y y' \\ \Delta y'^2 \\ \Delta x y \\ \Delta x' y \\ \Delta x y' \\ \Delta x' y' \end{pmatrix} = \begin{pmatrix} 0 & 2 & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 0 \\ K_{xx} & 0 & 1 & 0 & 0 & 0 & K_{xy} & 0 & 0 & 0 \\ 0 & 2K_{xx} & 0 & 0 & 0 & 0 & 0 & 2K_{xy} & 0 & 0 \\ 0 & 0 & 0 & 0 & 2 & 0 & 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & K_{yy} & 0 & 1 & K_{yx} & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 & 2K_{yy} & 0 & 0 & 0 & 2K_{xy} & 0 \\ 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 & 1 & 0 \\ 0 & 0 & 0 & K_{yx} & 0 & 0 & K_{xx} & 0 & 0 & 1 \\ K_{xy} & 0 & 0 & 0 & 0 & 0 & K_{yy} & 0 & 0 & 1 \\ 0 & K_{yx} & 0 & 0 & K_{xy} & 0 & 0 & K_{yy} & K_{xx} & 0 \end{pmatrix} \begin{pmatrix} \Delta x^2 \\ \Delta x x' \\ \Delta x'^2 \\ \Delta y^2 \\ \Delta y y' \\ \Delta y'^2 \\ \Delta x y \\ \Delta x' y \\ \Delta x y' \\ \Delta x' y' \end{pmatrix} \quad (6.5)$$

The beam can be manipulated to adjust these moments to the desired values. To simultaneously adjust the ten moments to desired values requires ten adjustable parameters.

A set of five quadrupole magnets with variable rotation angle and variable field strength would supply these manipulations. The generalized emittances provide relief in the engineering and cost of a beam correction system in that they provide constraints on the system of moment equations allowing the elimination of two parameters by solving explicitly for them in terms of the other parameters. Applying the two constraints and eliminating Δx^2 and Δy^2 by substituting in their explicit

solutions yields:

$$\frac{d}{dz} \begin{pmatrix} \Delta x x' \\ \Delta x'^2 \\ \Delta y y' \\ \Delta y'^2 \\ \Delta x y \\ \Delta x' y \\ \Delta x y' \\ \Delta x' y' \end{pmatrix} = \begin{pmatrix} K_{11} & K_{12} & K_{13} & K_{14} & K_{15} & K_{16} & K_{17} & K_{18} \\ 2K_{xx} & 0 & 0 & 0 & 0 & 2K_{xy} & 0 & 0 \\ K_{31} & K_{32} & K_{33} & K_{34} & K_{35} & K_{36} & K_{37} & K_{38} \\ 0 & 0 & 2K_{yy} & 0 & 0 & 0 & 2K_{xy} & 0 \\ 0 & 0 & 0 & 0 & 0 & 1 & 1 & 0 \\ K_{61} & K_{62} & K_{63} & K_{64} & K_{65} & K_{66} & K_{67} & K_{68} \\ K_{71} & K_{72} & K_{73} & K_{74} & K_{75} & K_{76} & K_{77} & K_{78} \\ K_{yx} & 0 & K_{xy} & 0 & 0 & K_{yy} & K_{xx} & 0 \end{pmatrix} \begin{pmatrix} \Delta x x' \\ \Delta x'^2 \\ \Delta y y' \\ \Delta y'^2 \\ \Delta x y \\ \Delta x' y \\ \Delta x y' \\ \Delta x' y' \end{pmatrix} \quad (6.6)$$

where the numbered coefficients are complicated functions of the second moments but are nevertheless calculable in a code, if not manually on paper. The resultant system of eight coupled equations and eight parameters allows beam correction to be accomplished by a system of four adjustable quadrupole magnets. A schematic of such a system is shown in Figure 6.6. Four adjustable magnetic quadrupoles replace four standard quadrupoles at some point in the beamline. A natural placement may be just before the final focus lens to ensure the beam enters in the best condition possible (upright, with zero angular momentum) for effective focusing. Other positions within the recirculator may be more effective in reducing the cumulative effect of quadrupole rotation errors. The difference between a regular quadrupole and these are in their ability to rotate the orientation of their magnetic fields and may have a greater degree of field strength adjustment.⁴³

6.3.1 Applying GBI Data to a Beam Correction System

A GBI-type instrument would measure the moments of the beam at the input side of the correction system providing information on the condition of the beam as in Figure 6.6. A simulation code run would provide the desired (and attainable) moments at the output of the correction system. A benchmarked and calibrated code such as WARP would provide moments that included the unavoidable effects of the

Figure 6.6: Conceptual beam correction system.

actual fields and resonances that result in nonlinear emittance growth even with a perfectly aligned model FODO lattice. This nonlinear effect on the moments cannot be removed through the application of linear fields so the desired moments calculated for the output of the correction system must be obtained from a sophisticated simulation that includes nonlinear effects. The simplest useful correction would be to correct the cross moments to zero which would deliver an upright and non-rotating beam (x and y motions de-coupled) to the final focus. This may not be the best that can be done though which is why a sophisticated code which estimates nonlinear growth in an aligned lattice is desirable. Once the input moments are measured and the output moments are calculated, an optimization of the adjustable parameters in the correction quadrupoles is calculated and set until a decrease in beam transport element performance warrants another GBI measurement. A GBI measurement at the output of the correction system would be useful in directly verifying its performance.

I modified Barnard's MOMENT code into a third version to serve as an optimizer

to calculate the field strengths and rotation angles of a correction system to remove the effect of quadrupole rotation errors. A copy of this code, "OPTIMIZE" is in Appendix C. Using the generalized emittance equations to explicitly solve for two moments proved quickly to be too difficult to do by hand. Using the simultaneous equation solving capabilities of *Mathematica*TM, a symbolic mathematics software system, allowed me to do this task and to find the simplest solution of the ten possibilities.⁴⁹ Solving explicitly for Δx^2 and Δy^2 resulted in the 8 simplest moment evolution equations with 8 adjustable parameters. Even though these solutions were the simplest obtainable, the results consist of algebraic equations of over 100 terms each. The complete explicit solutions appear in Appendix B. While doing optimization calculations it was noticed that a large number of the terms in the solutions for Δx^2 and Δy^2 were much smaller than the rest (by 10 orders of magnitude) when using nominal Small Recirculator quantities. These terms can therefore be dropped without loss of accuracy and the simplified explicit expressions are shown here:

$$\Delta x^2 = (4\beta^4(\Delta x'y')^2(\Delta xx')^2 - 8\beta^4(\Delta x'y')^3\Delta xy + 8\beta^4\Delta x'y(\Delta x'y')^2\Delta xy' \quad (6.7)$$

$$+ 8\beta^4\Delta x'y'\Delta x'^2\Delta xx'\Delta xy' - 4\beta^4(\Delta x'^2)^2(\Delta xy')^2 - 8\beta^4\Delta x'^2(\Delta xx')^2\Delta y'^2 \quad (6.8)$$

$$+ 8\beta^4\Delta x'y'\Delta x'^2\Delta xy\Delta y'^2 - 8\beta^4\Delta x'y\Delta x'^2\Delta xy'\Delta y'^2 + 4\beta^4(\Delta x'y)^2(\Delta y'^2)^2 \quad (6.9)$$

$$- 8\beta^4\Delta x'y\Delta x'y'\Delta y'^2\Delta yy' + 4\beta^4(\Delta x'y')^2(\Delta yy'^2) + 0.5\beta^2(\Delta x'y')^2\epsilon_{ng}^2 \quad (6.10)$$

$$- 0.5\beta^2\Delta x'^2\Delta y'^2\epsilon_{ng}^2)/(\beta^4\Delta x'^2(8(\Delta x'y')^2 - 8\Delta x'^2\Delta y'^2)) \quad (6.11)$$

$$\Delta y^2 = 0.5(-\beta^2(256\beta^2(\Delta x'y')^2(\Delta xx')^2 - 512\beta^2(\Delta x'y')^3\Delta xy + 512\beta^2\Delta x'y(\Delta x'y')^2\Delta xy' \quad (6.12)$$

$$- 512\beta^2\Delta x'y'\Delta x'^2\Delta xx'\Delta xy' + 256\beta^2(\Delta x'^2)^2(\Delta xy')^2 + 512\beta^2\Delta x'y'\Delta x'^2\Delta xy\Delta y'^2 \quad (6.13)$$

$$- 512\beta^2\Delta x'y\Delta x'^2\Delta xy'\Delta y'^2 - 256\beta^2(\Delta x'y)^2(\Delta y'^2)^2 + 512\beta^2\Delta x'y\Delta x'y'\Delta y'^2\Delta yy' \quad (6.14)$$

$$+ 256\beta^2(\Delta x'y')^2(\Delta yy'^2) - 512\beta^2\Delta x'^2\Delta y'^2(\Delta yy'^2) + 32(\Delta x'y')^2\epsilon_{ng}^2 \quad (6.15)$$

$$- 32\Delta x'^2\Delta y'^2\epsilon_{ng}^2)/(\beta^4\Delta y'^2(-256(\Delta x'y')^2 + 256\Delta x'^2\Delta y'^2)) \quad (6.16)$$

To verify the accuracy of these expressions the reduced set of eight moment evolution equations were used to simulate the Small Recirculator beam drifting through a

lattice of perfectly aligned magnetic quadrupoles. Two calculations were performed. The first calculation integrated the full set of ten moment equations. The second calculation integrated the reduced set of eight moment with the simplified forms of Δx^2 and Δy^2 shown above. Figure 6.7 shows the difference between these calculations and that the maximum error is $<0.1\%$.

Figure 6.7: Verification of simplified Δx^2 and Δy^2 solutions. Each line is the percent difference between the calculated moments with the full set of 10 moment evolution equations and with the reduced set of 8 equations incorporating the simplified explicit solutions for Δx^2 and Δy^2 .

6.3.2 Determining the Optimum Correction System Parameters

Modifying Barnard's MOMENT code to calculate the optimized values of the correction quadrupole rotation angle and field strength presented a challenge due to the moment evolution equations' nonlinear dependence on the two quantities (angle

and field strength) to be optimized. An elegant and efficient solution was found by adapting Spall's "Simultaneous Perturbation Stochastic Approximation" (SPSA) algorithm to the problem.⁴⁴

The SPSA algorithm has been applied successfully to many problems where the equations governing the system are unknown and therefore obtaining the gradient of the objective function with respect to the parameters being optimized is not possible.^{45, 46} These so-called model-free applications are treatable with SPSA as it is based on a highly efficient gradient approximation requiring only two objective function measurements regardless of the dimensionality of the gradient vector. In the beam correction system the parameters to be optimized are the rotation angle and magnetic field strengths of the four quadrupole magnets with the aim of adjusting the ten second moments to remove the effect of previous rotation errors. The objective function I have defined is the root sum square of the difference between the moments of the beam emerging from the correction system and the desired moments:

$$\begin{aligned}
 L(\underline{M}) = & \\
 & ((\Delta x_c^2 - \Delta x_d^2)^2 + (\Delta x x'_c - \Delta x x'_d)^2 + (\Delta x'^2_c - \Delta x'^2_d)^2 \\
 & + (\Delta y_c^2 - \Delta y_d^2)^2 + (\Delta y y'_c - \Delta y y'_d)^2 + (\Delta y'^2_c - \Delta y'^2_d)^2 \\
 & + (\Delta x y_c - \Delta x y_d)^2 + (\Delta x' y_c - \Delta x' y_d)^2 + (\Delta x y'_c - \Delta x y'_d)^2 + (\Delta x' y'_c - \Delta x' y'_d)^2)^{\frac{1}{2}} \\
 \underline{M} = & [\Delta x^2, \Delta x x', \Delta x'^2, \Delta y^2, \Delta y y', \Delta y'^2, \Delta x y, \Delta x' y, \Delta x y', \Delta x' y'] \quad (6.17)
 \end{aligned}$$

where, for example, Δx_c^2 is the calculated moment through the beam correction system using the moment evolution equations, and Δx_d^2 is the desired moment at the correction system output based on a calculation with a perfectly aligned transport lattice. Although in the set of moment evolution equations, the gradients of the objective function, $L(\underline{M})$ with respect to rotation angle and field strength could be found and applied to a standard finite difference scheme, the nonlinearity of the equations makes this difficult. The SPSA algorithm allows one to sidestep this issue with what has appeared to be no loss of accuracy and a definite improvement in computational efficiency. SPSA requires only two measurements of the objective function rather

than the 16 of the standard finite differencing scheme.⁴⁴ This is quite a saving as each measurement requires integrating the moment evolution equations through the beam correction system which is quite demanding using the reduced set of equations required for a four magnet system. The goal is to minimize the objective function resulting in the best least squares fit of the desired moment vector $\underline{M}$. The SPSA algorithm works by iterating from an initial guess of the optimal $\underline{M}$, where the iteration process depends on the “simultaneous perturbation” approximation to the gradient

$$g(\underline{M}) = \frac{\partial L(\underline{M})}{\partial \underline{\theta}} \quad (6.18)$$

where $\underline{\theta}$ is the 8-dimensional vector of quadrupole rotation angles and field strengths. It is assumed that $L(\underline{M})$ is a differentiable function of $\underline{\theta}$ and the minimum point $\underline{\theta}^*$ corresponds to the zero point of the gradient, i.e., $\underline{\theta}^*$ is such that

$$g(\underline{\theta}^*) = \frac{\partial L(\underline{M})}{\partial \underline{\theta}} \bigg|_{\underline{\theta}=\underline{\theta}^*} = 0. \quad (6.19)$$

As a consequence of the basic recursive form of the algorithm there is generally not a risk of converging to a maximum or a saddle point. Nevertheless, one is able to check for convergence to a local minimum by examining the behavior of the moments in the lattice past the correction system, particularly whether the $x - y$ cross moments remain near zero.

6.3.3 Implementing the Optimizing Algorithm

The SPSA algorithm iterates through the following steps:

1. Pick an initial guess for $\underline{\theta}$ which for lack of any better information and the desire for the least adjustment for engineering considerations is zero quadrupole rotation angle and nominal magnetic field strength.

2. Set the counter index, $k = 0$ and compute the SPSA gain sequences

$$a_k = a(A + k + 1)^{-\alpha} \quad c_k = c(k + 1)^{-\gamma} \quad (6.20)$$

Spall states that $\alpha = 0.602$ and $\gamma = 0.101$ are effective and theoretically valid and also gives guidelines for the selection of a , A , and c [footnote].

3. Generate by Monte Carlo method a p -dimensional random vector, Δ_k (p being the number of adjustable parameters, here, 8) where each component is independently generated from a zero-mean probability distribution satisfying the conditions of Spall.⁴⁴ The Bernoulli ± 1 distribution is a valid choice with probability $\frac{1}{2}$ for each ± 1 .
4. Obtain two measurements of the loss function, $L(\underline{M})$ based on a simultaneous perturbation around the current $\underline{\theta}_k$, $y(\underline{\theta}_k + c_k \Delta_k)$ and $y(\underline{\theta}_k - c_k \Delta_k)$. These measurements are computed by first adjusting the quadrupole parameters by $+c_k \Delta_k$ and integrating the input moments through the beam correction system and computing the root sum square of the difference between the output moments and the desired moments. This process is repeated with the beginning quadrupole values adjusted by $-c_k \Delta_k$. This is where the advantage of needing only two measurements rather 16 is realized as integration of the reduced set of moment evolution equations is computationally demanding.
5. Using the two measurements of the objective function obtained in the last step generate the simultaneous perturbation approximation to the 8-dimensional gradient,

$$g_k(\underline{\theta}_k) = \begin{bmatrix} \frac{L(\underline{\theta}_k + c_k \underline{\Delta}_k) - L(\underline{\theta}_k - c_k \underline{\Delta}_k)}{2c_k \Delta_{k1}} \\ \vdots \\ \frac{L(\underline{\theta}_k + c_k \underline{\Delta}_k) - L(\underline{\theta}_k - c_k \underline{\Delta}_k)}{2c_k \Delta_{k8}} \end{bmatrix} \quad (6.21)$$

where Δ_{ki} is the i^{th} component, (± 1), of the $\underline{\Delta}_k$ vector. Note the denominators change (stochastically) while the numerators are all the same, making possible only the two measurements to produce gradient approximations.

6. Update the adjustable quadrupole parameters using the standard stochastic approximation form

$$\underline{\theta}_{k+1} = \underline{\theta}_k - a_k g_k(\underline{\theta}_k) \quad (6.22)$$

7. The algorithm is terminated if there is little change in several successive iterations. If this condition is not met, the iteration counter is updated by one and the iteration is repeated from step 2. The last iterate, $\underline{\theta}_k$ is the estimate of the optimum $\underline{\theta}^*$ which corrects the beam for previous quadrupole rotation errors such that the beam is upright with zero angular momentum.

I modified Barnard's Moment code to include optimization iteration loops implementing the SPSA algorithm. This code CORRECTOR (see Appendix C) models the beam correction system previously mentioned and shown in Figure 6.6. The results of an optimization run are shown in Figures 6.8 and Table 6.1. The input moments to the beam correction system resulted from a calculation of a recirculator transport through 562 half lattice periods with maximum rotation angle error of 0.5° . The desired output moments were generated by the REDUCEDAG code, a modification of the "MOMENT" code modeling a perfectly aligned lattice which can be seen by the zero values of the $x - y$ cross moments in Table 6.1. Although the SPSA algorithm remained noisy, the desirable settings were those that produced the smallest difference between the calculated and desired beam moments. From Figure 6.8 one can see that the best parameters were not always obtained on the last iteration.

Figure 6.8: Beam correction system optimization code results plots. The best parameters occurred on iteration number 245,753 of 400,000.

Table 6.1: Results of the SPSA optimization run to determine beam correction system settings

Least Loss Function Calculated		1.629x10 ⁻⁴	
Initial Loss Function		0.1562	
Angular Momentum		3.740x10 ⁻⁴	
Initial Angular Momentum		0.126	
Nominal Quad Field (T)	0.25258	Nominal Quad Angle (°)	0
Quad Field 1 (T)	0.25692	Quad Angle 1 (°)	-3.956
Quad Field 2 (T)	0.24212	Quad Angle 2 (°)	0.621
Quad Field 3 (T)	0.25033	Quad Angle 3 (°)	-2.112
Quad Field 4 (T)	0.28685	Quad Angle 4 (°)	-3.651
Calculated Moments		Desired Moments	
Δx^2 (mm ²)	54.54	Δx^2 (mm ²)	54.54
$\Delta xx'$ (mm-mr)	102.28	$\Delta xx'$ (mm-mr)	101.66
$\Delta x'^2$ (mr ²)	179.35	$\Delta x'^2$ (mr ²)	177.19
Δy^2 (mm ²)	15.96	Δy^2 (mm ²)	15.96
$\Delta yy'$ (mm-mr)	-31.92	$\Delta yy'$ (mm-mr)	-30.51
$\Delta y'^2$ (mr ²)	66.27	$\Delta y'^2$ (mr ²)	60.78
Δxy (mm ²)	-4.13x10 ⁻³	Δxy (mm ²)	0
$\Delta x'y$ (mm-mr)	4.84x10 ⁻⁴	$\Delta x'y$ (mm-mr)	0
$\Delta xy'$ (mm-mr)	1.92x10 ⁻²	$\Delta xy'$ (mm-mr)	0
$\Delta x'y'$ (mr ²)	2.02x10 ⁻²	$\Delta x'y'$ (mr ²)	0
SPSA Parameters			
Maximum iterations	4x10 ⁵	Gain coefficient, A	2x10 ⁴
Gain coefficient, a	0.06	Gain coefficient, b	0.0033
Gain coefficient, c	5x10 ⁻⁶	Gain coefficient, d	5x10 ⁻⁶

The optimized values of the four rotation angles and field strengths are used in the simulation shown in Figures 6.9– 6.10. A system of 4 quadrupoles modeling the beam correction system accepts a beam whose input moments are obtained from a lattice of 562 quadrupoles with random errors up to $\pm 0.5^\circ$. With the optimized settings of Table 6.1 the four quadrupoles deliver a beam that is “upright” and not rotating and whose other moments are nearly returned to the desired values.

Figure 6.9: Correction of random quadrupole rotation errors of up to $\pm 0.5^\circ$ from 562 half lattice periods of a Small Recirculator lattice. The beam correction system is placed between $z=0$ and 152 cm. The dashed lines show the moments as the beam is in the correction system being “corrected” to the desired values. The solid lines are the moments from an aligned lattice and are shown to depict the convergence of the misaligned beam to the desired moment values by the end of the correction system at $z=152$ cm.

Thus, looking at these results it can be concluded that such a correction system

Figure 6.10: Correction of random quadrupole rotation errors of up to $\pm 0.5^\circ$ from 562 half lattice periods of a Small Recirculator lattice. The beam correction system is placed between $z=0$ and 152 cm. The dashed lines show the moments as the beam is in the correction system being “corrected” to the desired values. The solid lines are the moments from an aligned lattice and are shown to depict the convergence of the misaligned beam to the desired moment values by the end of the correction system at $z=152$ cm.

placed prior to the final focusing element can have a positive impact on lessening the rotational alignment tolerance on a driver’s quadrupole focusing elements. Whether or not the degree of precision required for the field strength and rotation angle of the four correction quadrupoles can be attained is not determined here. Nevertheless, for any kind of system that will correct for rotation errors, the $x - y$ cross moments will have to be measured. The GBI is well suited to do this. A test of rudimentary beam correction was carried out on the Small Recirculator using single quadrupoles and the results of these tests as measured by the GBI are discussed in Chapter 7.

Chapter 7

Experimental Results

A complete set of measurements were made on the Small Recirculator beam at the end of the 45° bend section with the Gated Beam Imager on July 22, 1997. Good results were obtained and show the effectiveness of the GBI as a diagnostic tool when combined with appropriate image analysis software. During the measurements, the beam energy was 80 keV with an initial $4\ \mu\text{s}$ long pulse length which lengthened as the beam traveled through the accelerator since no axial confinement was possible without the modulators installed. The data run consisted of gathering 100 ns long gated images stepped through successive beam shots to time-resolve the beam into approximately 40 slices. Additionally, $1\ \mu\text{s}$ long gated images were obtained during the flat-top of the beam. Images with upstream magnetic quadrupole rotation errors were taken to study the effect on the beam emittance as discussed in Chapter 6. The rudimentary beam correction system of counter-rotating one quadrupole at the appropriate distance from a known quadrupole rotation error was also studied to determine the effect on the beam. Appendix D lists the important equipment and software settings used to obtain the data images and information about each image.

As the images were obtained during the initial testing phase of the Small Recirculator 45° bend section it was necessary to determine the optimum voltage settings for the bending dipole plates in each half lattice period for a drifting 80 keV beam such that the beam centroid would be on centerline when intercepted by the GBI. This was

Figure 7.1: Faraday cup current vs. bending dipole voltage scan for determining the optimum dipole voltage to transport the 80 keV around the 45° bend.

done prior to installing the GBI by inserting a Faraday cup in the multi-diagnostic chamber such that it was centered on the beamline at the outlet of the bend. The beam current into the cup was measured while changing the bending dipole plate voltage in the half lattice periods and then plotted in Figure 7.1. The voltage values of the flattop corresponded to a beam current of 2.06 mA indicating full beam transport around the 45° bend. The 4 cm diameter of the Faraday cup is larger than the nominal diameter (2.6 cm) of the ion beam resulting in the wide plateau in the curve indicating that the cup intercepted all of the beam over a wide dipole voltage range. A first order estimate of the voltage that put the the beam on the centerline was made by taking the midpoint between the “shoulders” of the curve. This voltage of 6570 V was applied to the bending dipoles in the subsequent GBI measurements and verified as the proper bending voltage by the images obtained.

7.1 GBI Setup and Calibration

After determining the bending dipole voltage setting, the Faraday cup was withdrawn and the pepperpot and MCP detector of the GBI inserted in their centering mount within the multi-diagnostic chamber and the electrical connections supplying the detector intensifier and proximity focusing voltages made up. The camera was then positioned and focused to give a sharp image of the fiducial marks and scale on the face of the detector. Figure 7.2 shows the camera in position observing the detector through a window in the diagnostic chamber. A calibration image (Figure 7.3) of a scale mounted on the detector was then taken with the camera in place. Analysis of the calibration image with the measurement tools of the IPLAB imaging software determined the spatial resolution of the GBI to be 54 microns per CCD pixel and the field of view to be 2.07 by 3.11 cm. This resolution was used as an input to the IDL Pepperpot analysis code to determine beamlet spot sizes in the subsequent data images and as an input for estimating error bars on the analysis.

7.2 Observing the Effect of Axial Beam Expansion

Measurements at the end of the 45° bend captured a total of 56 images ranging from 4 μ s long images to gated 100 ns long images. A time-of-flight calculation predicted the beam head would arrive at the detector at 11.9 μ s after the source pulser was triggered. The beam head was measured arriving at the detector after 11.7 μ s with beam tail arriving after 16.4 μ s. Thus, the initial beam length of 4 μ s had expanded to 4.7 μ s long. This axial expansion of the beam was not unexpected as no axial confinement fields were applied. In fact, the time-resolved beam images can be viewed as a qualitative measure of the difference in ion energy axially along the beam as seen in the 3 images of Figure 7.4. These images also confirm that the timing signals gating the MCP “ON” and “OFF” are correct and discrete beam slices are being imaged by the GBI. The detector intercepts the head of the beam as it swings wide around the bend as the head is accelerated by space-charge forces within

Figure 7.2: Gated Beam Imager in position for data collection at the end of the 45° bend section

Figure 7.3: Calibration image taken to determine the CCD camera pixel size

the beam (Figure 7.4a). The center image (Figure 7.4b), at $14.0 \mu\text{s}$ representing the beam flattop is intercepted at the center of the beamline as it experiences little net longitudinal space-charge force. In the third image (Figure 7.4c), at $15.6 \mu\text{s}$, the ions have been retarded and the beam swings to the inside in the bending dipole field. A “beam movie” was made of the series of 100 ns slices that graphically illustrates the acceleration of the beam head, retardation of the beam tail and the stability of the flattop region of the beam.

Figure 7.4: 100 ns images at the end of 45° without beam axial confinement showing: a. the beam head swinging wide due to space-charge acceleration, b. the beam flattop on center, c. the beam tail swinging inside the bend due to space-charge retardation.

7.3 Data Analysis and Results at the 45° Bend Section

A total of 48, 100 ns long gated images were obtained each delayed by 100 ns from the previous image giving a time history of the beam. Additionally, three 1 μ s long gated images from the flat top of the beam were captured. These images were taken after times-of-flight of 12.2, 13.2 and 14.2 μ s to characterize the center of the beam shown as the flat top in the oscilloscope trace of the beam into the Faraday cup (Figure 7.5). Each data image was modified prior to analysis as described in Chapter 5 to account for dark charge accumulation and non-uniform response of the camera CCD and the MCP detector.

Figure 7.5: Oscilloscope traces of the source pulser (left) and the Faraday cup signal of the beam at the end of the 45° bend section. The time scale is 2 μ s per division.

7.3.1 Comparison of GBI and Slit Scanner Measurements

Using the IDL Pepperpot analysis code, each image of the beam was analyzed. The emittance and second moments of the beam during each time slice was calculated in order to obtain a time history of the beam. The calculation was carried out as described in Chapter 4. The normalized emittance versus time along the beam with the time origin referenced to the beam head is shown in Figure 7.6. The value of the emittance in the y -direction obtained with a slit scanner is also indicated on Figure 7.6 with the triangle symbol. There is essential agreement between the two methods. Figure 7.7 shows the time history of the ten second moments of the beam. These figures represent a graphical distillation of the 4-D and time phase space map of the beam. The flattop numerical values characterizing the beam are shown in Table 7.1, where the symbol “ Δ ” is the second moment minus the contribution of a non-zero first moment, following the convention of Chapter 4.

Figure 7.6: Normalized emittance vs. time from the GBI. A single data point representing the slit scanner flattop emittance measurement in the y -direction is shown with the triangle symbol.

Figure 7.7: Beam ion distribution second moments vs. time

Table 7.1: Characterization of the Small Recirculator beam after the 45° bend section using the GBI.

$\langle x \rangle$ (mm)	0.67	$\langle y \rangle$ (mm)	0.39
$\langle x' \rangle$ (mr)	1.06	$\langle y' \rangle$ (mr)	-3.35
Δx^2 (mm ²)	34.6	Δy^2 (mm ²)	27.4
$\Delta xx'$ (mm-mr)	-87.3	$\Delta yy'$ (mm-mr)	60.0
$\Delta x'^2$ (mr ²)	223.8	$\Delta y'^2$ (mr ²)	135.3
Δxy (mm ²)	0.736	$\Delta x'y'$ (mr ²)	-3.881
$\Delta x'y$ (mm-mr)	-3.814	$\Delta xy'$ (mm-mr)	0.773
ϵ_x (rms edge) (mm-mr)	22.73	ϵ_{nx} (mm-mr)	0.0484
ϵ_y (rms edge) (mm-mr)	20.06	ϵ_{ny} (mm-mr)	0.0427
x envelope (mm)	11.8	y envelope (mm)	10.5
x' envelope (mr)	-29.7	y' envelope (mr)	22.9
angular momentum (mm-mr)	4.587		

7.3.2 Error Analysis

The error bars on the emittance data points in Figure 7.6 were calculated based on known or estimated tolerances in the physical size of GBI dimensions and measurement errors that have a substantial effect on the moment calculations. Each worst case tolerance value was input into the Pepperpot analysis code. The effect on the calculation was assumed independent of the effect of the other tolerances. Like sign effects were summed to generate the high and low limits of the error bars. The tolerances that were accounted for and their contributions to the emittance are summarized in Table 7.2. Additionally the Peppperpot analysis code was run with all of the like effect tolerances applied together to calculate the result when they are allowed to interact.

Proper interpretation of the error bars is important to drawing a conclusion as to the relative magnitudes of the x and y emittances. Those errors that tend to cause the emittance to be greater or smaller than the calculated value (where the

data point falls) track each other in both the x and y directions. The conclusion drawn from this is that indeed the x emittance which is “in-plane” with the bend will remain larger than the y emittance and both values will track together up or down their respective error bars. As can be seen in Table 7.2 the calculation of the emittance is most sensitive to errors in the alignment about the z -axis of the grid of holes in the pepperpot. A misalignment of the pepperpot results in an error in the calculation of the angle from the position of the hole to the position of the beamlet spot. Additionally this error is not constant but increases with the distance from the beam axis. Empirically, it was seen with the images obtained at the 45° bend, the error introduced did not contribute equally to the error bar in both the x and y directions. An error resulting from the misalignment of the pepperpot is however applied equally to all calculations from image to image within a series where the GBI has not been moved.

Table 7.2: Pepperpot data analysis sensitivity to measurement errors, and instrument manufacturing and alignment tolerances. (Emittance units are mm-mr)

Maximum Error↓	ϵ_{nx}	$\Delta\epsilon_{nx}$	ϵ_{ny}	$\Delta\epsilon_{ny}$
Nominal Emittances	0.04838	0	0.04269	0
Hole Size + 5%	0.0409	-0.00029	0.04237	-0.00032
Hole Size - 5%	0.0487	0.00031	0.04301	0.00032
mask rot/cam. angle + 0.5°	0.04768	-0.00070	0.04461	0.00195
mask rot/cam. angle - 0.5°	0.04952	0.00114	0.04312	0.00043
w/o intensity weighting	0.05042	0.00204	0.04474	0.00206
+ 5% pixel calibration error	0.05089	0.00251	0.04496	0.00227
- 5% pixel calibration error	0.04587	-0.00251	0.04042	-0.00227
spot radius meas. error (+ 27μ)	0.05160	0.00322	0.04619	0.00350
spot radius meas. error (- 27μ)	0.04538	-0.00300	0.03928	-0.00341
change beam energy + 1%	0.04799	-0.00039	0.04234	-0.00035
change beam energy - 1%	0.04751	-0.00087	0.04192	-0.00077
space charge + 8.22% spot size	0.04363	-0.00475	0.03838	-0.00431
+ Error bar x emittance	0.00719			
- Error bar x emittance	-0.01212			
+ Error bar y emittance	0.00802			
- Error bar y emittance	-0.01107			

7.3.3 Comparison of GBI Data with WARP Numerical Simulation Code Results

Members of the LLNL HIF project staff have been developing methods to apply the numerical simulation code WARP as a tool both the theorist, and experimentalist can use to resolve questions regarding the performance of the Small Recirculator. Although this effort is in its infancy and the experimental results are meant to verify the correct values of variable initial parameters in the WARP code, it is nevertheless useful as a confidence building measure in the utility of the GBI to compare its measurements to the code results using reasonable values of the input parameters. The 6-D phase space distribution of the beam initially loaded into the WARP code is a constant density particle distribution in physical space (x,y,z) with a semi-gaussian spread in the velocities of the ions in the transverse (v_x,v_y) and axial (v_z) directions. It is the width of the semi-gaussian velocity spread in the axial direction that most influences the growth in transverse emittance caused by the transition from the straight transport section to the bend section. In the code results, the emittance growth occurs most in the “in-plane” direction (x) of the bend and to a lesser extent in the y direction until the perturbation thermalizes spreading the emittance across both directions. Figure 7.8 shows a graphical output from the WARP code with the data points from the GBI placed at their measured values. It can be seen from the sensitivity in the emittance growth that determining the proper initial value of the axial velocity spread is important. The data from the GBI and slit scanners indicates that a narrower spread is appropriate as the emittance in both the x and y directions does not grow as much as predicted using the initial velocity spreads (0.250.11 The envelope of the beam and its slope at the pepperpot location can be easily calculated from the moments measured by the GBI. A module of the WARP code (WARPenV) calculates the beam envelope parameters. Figure 7.9 shows data points calculated from GBI moments for the envelope and envelope slope along with code simulation

Figure 7.8: Experimental emittance data compared to "WARPxy" simulation.⁴⁷

output. This shows a favorable comparison between the code envelope calculations and the experimental measurements. The envelope dimensions (a , b), and envelope slopes (a' , b') were calculated from the second moments using:

$$a = 2 \sqrt{\langle (x - \langle x \rangle)^2 \rangle} \quad b = 2 \sqrt{\langle (y - \langle y \rangle)^2 \rangle} \quad (7.1)$$

and

$$a' = 2 \frac{(x - \langle x \rangle)(x' - \langle x' \rangle)}{\sqrt{\langle (x - \langle x \rangle)^2 \rangle}} \quad b' = 2 \frac{(y - \langle y \rangle)(y' - \langle y' \rangle)}{\sqrt{\langle (y - \langle y \rangle)^2 \rangle}} \quad (7.2)$$

The slope equations having been obtained by taking the derivative with respect to z of the envelope equations.

envelope radii: $a = 2\sqrt{\langle x^2 \rangle}$ ——— *

$b = 2\sqrt{\langle y^2 \rangle}$ ——— •

Figure 7.9: Experimental beam envelope data compared with “WARPxy” numerical simulation. The two asterisks show the envelope detected by the GBI at the pepperpot and the detector in the x -direction. Similarly the two dots are the data in the y -direction.⁴⁷

7.4 Observing and Measuring the Effect of Magnetic Quadrupole Rotation Errors and Applying Approximate Corrections

The effect on the beam of magnetic quadrupole rotation errors discussed in Chapter 6 was tested by imaging the beam with known quadrupole rotation errors applied to the Small Recirculator. The rudimentary correction of the beam by counter-rotation of a single quadrupole of the same field strength at the appropriate position was also tested. The proposed beam correction system of four adjustable quadrupoles

was not tested on the Small Recirculator and the construction of such a system is not yet included in project plans. Nevertheless, the results of the rudimentary tests conducted point to the utility of the more complicated system.

From Chapter 6, empirical simulation studies showed that the effects of a known single rotation error can be largely removed by counter-rotating a single, downstream quadrupole. The proper number of half-lattice periods between the adjusted quadrupoles is given by $360/\sigma_0$ when this quotient is an integer. As the GBI was positioned at the output of magnetic quadrupole 13, testing was accomplished with quadrupole 8 and 13 with 5° rotations. The limitations to the tests conducted included the fact that the actual phase advance of the Small Recirculator is 78° when the effect of the bending dipoles is added to the 72° phase advance of the magnetic quadrupoles alone. Because 360° divided by the actual phase advance is not an integer, but is 4.61, rotating the 8^{th} and 13^{th} quadrupole is a close approximation. The other limitation was the existence of unknown random quadrupole rotation errors that exist in any machine. These unknown errors are most likely a contributor to the non-zero $x - y$ cross moments obtained in the images without any intentional rotations. Nevertheless, inducing known quadrupole errors was instructive in confirming their effect on the beam which exploring the concepts of rotation error tolerances and beam correction. Figure 7.10 shows a series of images taken and analyzed for beam moment characterization. They are all $1 \mu s$ long gated images of the flat-top of the beam starting at a time-of-flight of $13.2 \mu s$, about $1 \mu s$ back from the beam head.

Figure 7.10(a) shows an image of the GBI beamlet spots with only the small existing random quadrupole rotation errors causing coupling between the x and y directions. The calculations of the second moments results in non-zero $x - y$ cross moments as listed in Table 7.3. Looking at the image, what appears like a tilt in the rows and columns of the spots, is more likely a combination of the random rotation errors and a 1.7° rotation of the pepperpot from the “laboratory frame”. The tilt in the pattern can also be identified as not solely due to the pepperpot rotation as the angle of the rows with the x -axis is greater than the angle of the columns with the y -

Figure 7.10: GBI images with quadrupole rotation errors. All images are $1 \mu\text{s}$ long from the beam flat-top at $13.2 \mu\text{s}$. a. Existing experimental rotation errors and other effects b. Quad 8 rotated 5° counter-clockwise only c. Quad 13 rotated 5° clockwise only d. "Corrected" beam with quad 8 at 5° CCW and quad 13 at 5° CW.

axis. With the pepperpot rotation angle removed during the calculation of moments, $x - y$ cross moments remained non-zero, albeit much smaller than when coupling is intentionally induced. Figures 7.11, and 7.12 show the emittance ellipses and cross moment data plots for this case.

Figure 7.11: Phase space emittance plots with "aligned" quadrupoles.

Figure 7.12: Cross moment plots with “aligned” quadrupoles.

Figure 7.10(b) shows the beamlet spot images when quadrupole 8 was rotated 5° counterclockwise. Its moment values are listed in Table 7.2 and emittance ellipses and cross moments data plots are shown in Figures 7.13, and 7.14. Not unexpectedly, the emittance in the x and y directions increases indicating the decrease in focusability of the beam due to their (more) non-zero angular momentum. This image along with Figure 7.10(c) illustrate the ease with which one can observe using the GBI that quadrupole rotation errors have caused an increase in the emittance. A slit scanner will detect the same emittance increase from Figure 7.10(a) to 7.10(b) but with the data available from the measurement the analysis would be hard-pressed to definitively indicate that the cause. As the slit scanner averages the beam information parallel to its slits, detection of the slight envelope changes even for a gross rotation error as I induced here is not likely.

Figure 7.13: Phase space emittance plots with quadrupole 8 rotated 5° counterclockwise.

Figure 7.14: Cross moment plots with quadrupole 8 rotated 5° counter-clockwise.

Figure 7.10(c) shows the image obtained when quadrupole 8 is returned to alignment and a 5° clockwise rotation is placed on quadrupole 13. Similar to the rotation of quadrupole 8, the beam's x and y emittances increase along with the cross moments because of the increased coupling. Figures 7.15, 7.4, and 7.16 show the emittance ellipse and cross moment data plots.

Figure 7.15: Phase space emittance plots with quadrupole 13 rotated 5° clockwise.

Figure 7.16: Cross moment plot with quadrupole 13 rotated 5° clockwise.

Figure 7.10(d) shows the results when quadrupole 8 and 13 are counter-rotated by 5° approximating the rudimentary beam correction for a known quadrupole rotation error. In this case the error in quadrupole 8 being corrected by quadrupole 13. Again it is an approximation to the special case simulation results shown in Figure 6.4 due to the physical limitations previously discussed. The image itself is upright and the rows and columns are parallel to the x and y axes. As all the other images indicated the 1.7° rotation of the pepperpot, this parallelism indicates that the "correction" is less than optimal as expected. The calculated moments and emittances do however substantially show values much improved over those with only one quadrupole rotated. Figures 7.17, 7.4, and 7.18 show the emittance ellipse and cross moment data plots.

Figure 7.17: Phase space emittance plots with quadrupoles 8 and 13 counter-rotated by 5° .

X-Yp (72297132Q85CCWQ13CWC.RAS) Y-Xp (72297132Q85CCWQ13CWC.RAS)

Xp-Yp (72297132Q85CCWQ13CWC.RAS) X-Y (72297132Q85CCWQ13CWC.RAS)

Figure 7.18: Cross moment plot with quadrupoles 8 and 13 counter-rotated by 5° .

Table 7.3: Summary of beam parameters with known quadrupole rotation errors. **a.** Quadrupole 8 rotated 5° counter-clockwise only **b.** Quadrupole 13 rotated 5° clockwise only **c.** Rudimentary beam correction applied by counter-rotation of quadrupoles 8 and 13 **d.** Parameters from a beam with no rotation errors.

Beam parameter	Q8 CCW	Q13 CW	"Corrected"	No Rotation
$\langle x \rangle$ (mm)	0.96	-0.52	0.084	0.67
$\langle x' \rangle$ (mr)	-0.5	0.6	0	1.1
$\langle y \rangle$ (mm)	0.40	0.63	0.83	0.39
$\langle y' \rangle$ (mr)	-4.3	-3.3	-5.2	-3.3
Δx^2 (mm ²)	32.3	35.1	32.9	34.6
$\Delta x x'$ (mm-mr)	-80.7	-83.4	-81.2	-87.3
$\Delta x'^2$ (mr ²)	208.2	218.3	204.1	223.8
Δy^2 (mm ²)	26.0	26.8	25.9	27.4
$\Delta y y'$ (mm-mr)	59.3	61.5	55.8	60.0
$\Delta y'^2$ (mr ²)	142.0	157.0	125.0	135.3
$\Delta x y$ (mm ²)	-7.7	7.2	-1.2	0.7
$\Delta x' y$ (mm-mr)	10.6	-1.9	7.3	-3.8
$\Delta x y'$ (mm-mr)	-27.6	36.5	4.5	0.8
$\Delta x' y'$ (mr ²)	52.4	-52.0	0.7	-3.9
ϵ_x (rms) (mm-mr)	29.2	53.0	23.1	22.7
ϵ_y (rms) (mm-mr)	26.6	41.2	22.8	20.1
ϵ_{nx} (mm-mr)	0.062	0.11	0.049	0.048
ϵ_{ny} (mm-mr)	0.057	0.09	0.049	0.043
x envelope (mm)	11.3	11.8	11.4	11.7
x' envelope (mr)	-28.4	-28.1	-28.2	-29.6
y envelope (mm)	10.2	10.3	10.1	10.4
y' envelope (mr)	23.3	23.7	21.9	22.9
angular momentum (mm-mr)	-38.2	38.4	-2.8	4.6

7.5 Beam Transverse Intensity Distribution Measurement

An examination of the intensity distribution in the x-y plane is also of great interest in determining the performance of the ion source. The calculations of the emittance yields a value for an equivalent K-V beam (uniform distribution in phase space) but the actual distribution may be quite different. A surface plot of the beamlet total intensity vs. x-y position with interpolation between spots is shown in Figure 7.19. As one can see the Small Recirculator beam at the end of 45° was quite different from a uniform distribution. A surface plot of this kind is very useful as the difference in intensity level is less evident looking at the image or a 1-D cut along a line of beamlet spots shown in Figure 7.21. The resulting conclusion that the intensity distribution is far from uniform across the beam was not evident (nor easily observable without a lot of effort) from previous slit scanner measurements. Using the slit scanner data the degradation of the ion source had not been detected, although a re-examination of the data shows correlation between it and the GBI intensity data. A scan of the source near its output aperture using a pair of 1 mm cross slits and a Faraday cup was performed on August 2, 1997. This scan shown in Figure 7.20 also showed a large variation in source intensity prior to beam transport through the electric and magnetic quadrupole lattice. Subsequent physical analysis of the ion source at Lawrence Berkeley Laboratory showed that the source was largely depleted of potassium.⁵⁴ The attributes of the GBI that allow it to quickly measure the 2-D intensity profile of the beam make it most useful in gaging source performance degradation once calibrated against a known good source and any anomalies in beam transport are eliminated in contributing to a changed intensity profile.

Beam Intensity After 45 Deg Bend

Figure 7.19: Small Recirculator beamlet intensity surface plot after the 45° bend showing the uneven emission of the potassium ion source.

Beam Intensity at the Ion Source Outlet

Figure 7.20: Small Recirculator ion source scan at the source indicating non-uniformity of emission.

Figure 7.21: GBI image pixel row average plot for a column of beamlets.

Chapter 8

Summary and Conclusions

The principle goal of this dissertation was to design, build, and test a new diagnostic instrument capable of rapidly, and durably measuring the four-dimensional transverse phase space characteristics of an intense space-charge-dominated heavy ion beam. The Gated Beam Imager was developed and uses the pepperpot method of analysis to statistically extract the beam ion's positions and corresponding transverse velocities. The GBI provides durable, and repeatable measurements by employing a microchannel plate as the ion beamlet detector. The GBI was successfully deployed on LLNL's Small Recirculator experiment and measured the characteristics of a 2 mA potassium ion beam. In the construction and testing of this instrument, a few of the more challenging issues included the selection of a material or device to detect the beamlets reliably with no loss of sensitivity with high exposure to the ion beam, optimizing the design of the instrument and the camera optical system, and developing software analysis tools to analyze the images and provide a convenient user interface.

A secondary goal of this work was to show the utility of the additional information available from the GBI, but not from existing diagnostic instruments. This was done by developing a conceptual design for a beam correction system addressing how to correct for rotational misalignments of quadrupoles in an accelerator's alternating gradient focusing system. A demonstration of a computational method, using the information available from a GBI, for determining the settings of such a correction system was performed. A practical use for this correction system would be to increase

the focusing quadrupole alignment tolerances during the construction of a driver-scale accelerator which would presumably lead to a decrease in construction and operating costs.

The predominant phase space diagnostic in use on heavy ion beams is the mechanical slit scanner. This diagnostic uses two parallel, narrow slits moved through the beam on successive beam shots to measure the first and second transverse moments of the beam distribution in the direction perpendicular to the slits. Averaging beam intensity information occurs in the direction parallel to the slits resulting in the measurement containing a contribution from any coupled motion between the orthogonal transverse directions (x and y). The time to scan the beam is about 15 minutes and requires about 400 beam shots. To obtain the moments in the orthogonal direction the slit scanners are rotated 90° or a second set of scanners is installed at the same position. With the GBI, one is able to obtain in a single beam shot, the first and second moments of the beam in both transverse directions and the four cross-moments between the x and y directions which are indicative of coupling between motion in the x and y directions. A cause of this coupling in an alternate gradient focusing lattice are quadrupole rotational misalignments. The transverse cross-moments cannot be measured with the existing slit scanners due to the averaging of beam information in the direction parallel to the slits. The moments are intensity-weighted as the GBI preserves the intensity characteristics of each beamlet as it is transformed to an optical signal and digitized by the CCD camera. A time history of the beam is obtainable by gating the GBI detector on for a short time and moving the gate time through the beam on successive shots. Thus, a transverse phase space time-dependent map of the beam is obtained which can be compared with detailed numerical simulations or used as input for a beam correction system.

The unique design of the GBI includes the use of a microchannel plate to detect the ion beamlets produced by the pepperpot mask, and convert this signal to an visible optical output that preserves the intensity distribution of the beamlets. The spatial orientation of the beamlets is also preserved allowing the hole in the mask, from which the beamlet originated, to be identified for moment calculations. In the

work to develop the GBI, fast plastic scintillator material was first investigated as a possible beamlet detector. Plastic scintillator was investigated based on its rapid scintillation decay constant which would allow obtaining narrow time slices from a beam by gating the observing camera rapidly "on" and "off". This would allow the construction of an inexpensive detector and take advantage of existing camera capabilities. During tests, plastic scintillator proved to be rapidly de-sensitized under repeated exposure to the ion beam. Additionally, its initial light output was too low in response to the ions to obtain accurate images of the beamlet spots. Presumably, the short range of the heavy ions precluded sufficient interaction with the scintillator to produce adequate visible output.

The microchannel plate detector eventually incorporated into the GBI has several features that allow it to produce accurate, and repeatable detection of the beamlets and produce an optical signal strong enough to be useful for transverse phase space moment analysis. To avoid the damaging effects of the heavy ions, the microchannel plate selected has a thin stainless steel coating on the front face of the microchannels. The primary purpose of this coating is to provide an anode to allow placing a voltage across the microchannels to produce amplification of an incoming signal. The anode is thick enough to stop heavy ions in the energy range of the Small Recirculator. The secondary electrons produced during ion stopping enter the microchannel plate and are amplified and detected with a phosphor screen at the output of the microchannel plate. This "shielding" of the microchannel plate from the heavy ions side steps any damage issues. Additionally the gain of the microchannel plate is linear allowing optical signal amplification while maintaining the intensity characteristics of the beamlets. The spatial resolution of the position and size of the beamlets is not significantly affected by the "discretizing" of the beamlets into channels of finite size and spacing as the resolution of CCD camera systems is less than the microchannel spacing. Obtaining narrow time slices of the beam proved more difficult with a microchannel plate detector as it was necessary to gate the bias voltage to the detector rather than use the built-in gate on a CCD camera. This was a consequence of commercially-available microchannel plates using phosphor screens which produce

an output with a long response time. Confirmed during testing, the microchannel plate detector produced accurate, repeatable, and flexible images well suited to data analysis.

GBI measurements on the Small Recirculator beam showed good agreement with mechanical slit scanner emittance data obtained in the y -direction. Similar magnitude error bars as those calculated for the GBI are applicable to the slit scanner data. Comparison of the GBI moment data with the output of the WARP code, a sophisticated particle-in-cell numerical beam simulation, shows that the assumed initial velocity spread of the ions in the axial direction should be adjusted. WARP calculation of the beam emittance at the position of the GBI shows much more growth in emittance in the x (in-plane with the bend) direction than measured. The simulation results are much greater than the data and well outside experimental error bars. It is known that the emittance growth is very sensitive to the assumed initial width of the semi-gaussian spread in the ion axial velocity. Beam moments from the GBI data, analyzed to yield the beam envelope and envelope convergence angle, agree well with the WARP calculations. These envelope calculations are insensitive to the assumed ion axial velocity spread and lead to the conclusion that the code axial velocity spread assumptions should be re-examined. These results are a measure of the validity of the Small Recirculator experimental program of which a main goal is to benchmark sophisticated codes such as WARP. This requires that those quantities not obtainable through first principles or direct measurement be empirically determined.

The usefulness of a 4-D phase space diagnostic such as the GBI is demonstrated in the conceptual beam correction system addressing quadrupole rotation errors proposed in this work. The ability to measure the $x - y$ cross-moments makes such a system possible. Extension of Barnard's work that found constants of the motion in the presence of rotation errors was necessary to demonstrate efficient design of the correction system. That such a system will decrease the construction and operating costs of a driver-scale accelerator is realizable in the ability to increase alignment tolerances of focusing components and to be able to withstand any component aging effects resulting in rotational misalignments. The "model-free" attributes of the Si-

multaneous Perturbation Stochastic Approximation (SPSA) algorithm for optimizing correction system parameters were successful due the nonlinear dependence of the beam moments on the optimized parameters. SPSA requires only two calculations of the parameter gradients regardless of the dimensionality of the system. This was very efficient, although it was noted that the difficulty in tuning the algorithm to converge quickly increased with the increasing dimensionality of the problem.

The GBI combined with user-friendly analysis software has been shown to rapidly, and efficiently provide accurate, and repeatable characterization of heavy ion beams. It provides additional information beyond that of other diagnostics. This information is useful in diagnosing the cause of beam emittance growth and allows the concept of “correcting” a beam to be further studied. The GBI developed for this work is a prototype and showed that reliable detection of an intense beam heavy ions could be accomplished in a manner allowing characterization of the beam’s 4-D transverse phase space. The further development of the basic components of this instrument will continue allowing it to be a more flexible, and capable instrument in meeting the need to supply data on the operation of heavy ion accelerators.

Appendix A

GBI Design Optimizing Spreadsheet

The following is a printout of the spreadsheet incorporating the design equations of the GBI. It allows the user to vary the beam current, average radius, energy, length, emittance, ion mass, pepperpot mask thickness, hole diameter and spacing, drift distance, and the gate interval. The effect on beamlet spread due to emittance and space charge as well as beamlet spot spacing at the detector is calculated and checked against a minimum criteria. Additionally, estimates of the signal from the detector is estimated.

Gated Beam Imager Design Calculations						
Input Data						
Beam Current (mA)		2				
Beam Radius (cm)		0.7				
Beam Energy (keV)		80				
Beam Length (usec)		4				
Ion Mass (amu)		39.1				
Beam Emittance (mm-mr)		20				
Hole Plate Thickness (μ)		457.2				
Hole Diameter (μ)		100				
Hole Spacing (mm)		2.5				
Drift Distance (cm)		15				
Gate Time (nsec)		100				
Constants						
electron charge (C)		1.60E-19				
a.m.u. (kg)		1.66E-27				
pi		3.14159				
permittivity (F/m)		8.85E-12				
Conversions						
μ /mil	25.4					
$\text{\AA}$ / μ	1.00E+04					
mm/mil	2.54E-02					
statcoul/coul	3.00E+09					

Calculated Quantities				
Main Beam				
# of ions in Beam pulse			5.00E+10	
Energy per Beam pulse (J)			6.40E-04	
current density (A/sq. m)			1.30E+01	
ion velocity (m/s)			6.28E+05	
Emittance Divergence angle (mradians)			2.86	
Aperatured Beam				
# ions thru an aperature (ungated)			2.55E+06	
Beamlet crossection (sq. μ)			7.85E+03	
Energy per beamlet (J)			3.27E-08	
# ions thru an aperature (gated)			6.38E+04	
Beamlet crossection (sq. μ)			7.85E+03	
Energy per beamlet (J)			8.16E-10	
Maximum acceptance angle through a hole (°)			12.34	OK
Beamlet spread due to space charge (%)			8.22	OK
Beamlet spread due to space charge (μ)			8.22	
Beamlet spread due to emittance growth (%)			428.57	OK
Beamlet spread due to emittance growth (μ)			428.57	
Beamlet Diameter at MCP (μ)			536.79	
Distance between beamlet images at MCP (mm)			1.53	OK

Photon Production/Detection Calculation					
MCP Detector					
# ions thru an aperture (gated)			6.38E+04		
# of secondary electrons per ion			3	(1-5)	
MCP detector gain			10.00		
# of photons produced per electron at phosphor			5	(1-5)	
# photons produced by phosphor			9.57E+06		
1/R^2 Spreading Loss					
distance from phosphor to camera lens (cm)			15.00		
diameter of camera lens (cm)			2.54		
solid angle subtended by camera lens (steradians)			0.53		
Image Intensifier					
# photons incident on image intensifier			4.04E+05		
image intensifier gain			1.00E+03		
# photoelectrons out of the image intensifier			4.04E+08		
# of photons produced per electron at phosphor			5	(1-5)	
# photons produced by phosphor			2.02E+09		
Image Inten. Resolution (μ)			33		
Image Inten. pore size (sq. μ)			855.30		
Camera CCD					
Quantum Efficiency at 420nm			0.14		
camera resolution (μ)			22.5		
Pixel area (sq. μ)			397.61		
# pixels per beamlet image			569.17		
photoelectrons per pixel			4.96E+05		

Assumptions				
1. Each ion produces between 1-10 secondary electrons at the MCP detector front electrode				
2. The gain of the MCP detector is kept very low (10-100X)				
3. Each electron incident on the detector phosphor produces 1-10 photons				
4. Assume 1:1 imaging by camera (i.e. size of beamlet image on phosphor is the same as on the image intensifier)				
5. Gain of the image intensifier is ~ 1000X				
6. Assume due to the fiber-optic coupling between the image intensifier and the CCD that 1/2 of the photons produced in the phosphor arrive at the CCD				
7. Criteria for maximum acceptance angle based on emittance of 50 mm-mr and max beam rotation angle of 1.72°				
8. Criteria for beamlet spreading: <10% from space charge & >25% from emittance				
9. Minimum beamlet separation is 0.5 mm				
Camera CCD Information				
Number of pixels X		384		
Number of pixels Y		576		
Total pixels		221184		
X length (mm)		8.6		
Y length (mm)		12.9		
μ /pixel X		22.4		
μ /pixel Y		22.4		

Appendix B

Derivation of Beam Moment Evolution Equations

This appendix follows the work of Barnard in deriving the moment evolution equations of Chapter 6 [footnote]. Barnard assumed that the force on an ion comes from two sources only, the external focusing force from a purely quadrupolar field, and an internal force from the space charge of the beam. The calculation assumes the space charge is evenly distributed in a uniform density ellipse but the semi-axes and rotation angle of the ellipse is allowed to evolve as a function of the axial coordinate, z . Quadrupoles can be rotated by an angle, θ from the x -axis, and the beam can be rotated by an angle, α from the x -axis as seen in Figure reffig:coordsyst

The relation between the coordinate in the quadrupole frame (subscript 0) and the lab frame (no subscript) are given by:

$$x = x_0 \cos \theta - y_0 \sin \theta \quad y = y_0 \cos \theta + x_0 \sin \theta \quad (\text{B.1})$$

and similarly for the beam frame:

$$x - \langle x \rangle = x_b \cos \alpha - y_b \sin \alpha \quad y - \langle y \rangle = y_b \cos \alpha + x_b \sin \alpha \quad (\text{B.2})$$

The “ $\langle \rangle$ ” indicates a statistical average over the beam ion distribution

For a non-relativistic beam, with velocity ratio β , moving along the z -axis the paraxial

Figure B.1: Beam and laboratory coordinate system

equations of motion can then be written as:

$$x'' = \frac{d^2x}{dz^2} = K_{qxx}x + K_{qxy}y + K_{sxx}(x - \langle x \rangle) + K_{sxy}(y - \langle y \rangle) \quad (\text{B.3})$$

$$y'' = \frac{d^2y}{dz^2} = \underbrace{K_{qyy}y + K_{qyx}x}_{\text{external forces}} + \underbrace{K_{syy}(y - \langle y \rangle) + K_{syx}(x - \langle x \rangle)}_{\text{internal forces}} \quad (\text{B.4})$$

$$K_{qxx} \equiv K_{qx0} \cos^2 \theta + K_{qy0} \sin^2 \theta = K_{qx0} \cos 2\theta$$

$$K_{qyy} \equiv K_{qy0} \cos^2 \theta + K_{qx0} \sin^2 \theta = -K_{qx0} \cos 2\theta$$

$$K_{qxy} \equiv K_{qyx} = (K_{qx0} - K_{qy0})(\sin \theta \cos \theta) = K_{qx0} \sin 2\theta$$

$$K_{qyy} \equiv K_{qy0} \cos^2 \theta + K_{qx0} \sin^2 \theta = -K_{qx0} \cos 2\theta$$

$$K_{sxx} = K_{sxb} \cos 2\alpha + K_{syb} \sin 2\alpha \quad K_{syy} = K_{syb} \cos 2\alpha + K_{sxb} \sin 2\alpha$$

$$K_{sxy} = K_{syx} = (K_{sxb} - K_{syb}) \sin \alpha \cos \alpha$$

$$K_{qx0} = -K_{qy0} = \frac{B'}{B\rho}$$

For instance, K_{qxx} is the proportional constant for the quadrupolar force on an ion in the x -direction caused by a displacement in the x -direction from the center of the magnetic quadrupole which corresponds with the center of the beamline. K_{sxy} is the proportional constant for the space-charge force on an ion in the x -direction caused by a displacement in the y -direction from the centroid of the beam. In the rotated beam frame:

$$K_{sxb} = \frac{\kappa}{2(\Delta x_b^2 + (\Delta x_b^2 \Delta y_b^2)^{1/2})} \quad K_{syb} = \frac{\kappa}{2(\Delta y_b^2 + (\Delta x_b^2 \Delta y_b^2)^{1/2})}$$

and Δx_b and Δy_b are the moments in the rotated beam frame:

$$\Delta x_b^2 = \Delta x^2 \cos 2\alpha + \Delta y^2 \sin 2\alpha + 2\Delta xy \cos \alpha \sin \alpha \quad (\text{B.5})$$

$$\Delta y_b^2 = \Delta y^2 \cos 2\alpha + \Delta x^2 \sin 2\alpha - 2\Delta xy \cos \alpha \sin \alpha \quad (\text{B.6})$$

Here κ is the beam perveance and is a measure of the space charge forces relative to inertial forces.

$$\kappa = \frac{qeI_0}{2\pi\epsilon_0 m_0 (\beta\gamma c)^3} \quad (\text{B.7})$$

where q is the charge state of beam ions, e is the proton charge, m_0 is the beam ion mass in atomic mass units, γ is the Lorentz factor, βc is the ion velocity, I_0 is the beam current, and ϵ_0 is the permittivity of free space. The symbol, Δ is shorthand for the second moment of the distribution with the contribution from non-zero first moments removed, (i.e., $\Delta ab \equiv \langle ab \rangle - \langle a \rangle \langle b \rangle$).

The beam rotation angle may be expressed in terms of the second order moments by

$$\tan 2\alpha = \frac{2\Delta xy}{\Delta x^2 - \Delta y^2} \quad (\text{B.8})$$

Let the beam distribution function f , be the number of particles dN per unit transverse phase space volume:

$$f(x, x', y, y') = \frac{dN}{dx dx' dy dy'} \quad (\text{B.9})$$

Since the beam can be described as a collision-less non-neutral plasma the evolution

of f can be described by the Vlasov/Collisionless Boltzman Equation

$$\frac{\partial f}{\partial z} + x' \frac{\partial f}{\partial x} + x'' \frac{\partial f}{\partial x'} + y' \frac{\partial f}{\partial y} + y'' \frac{\partial f}{\partial y'} + \left(\frac{\partial x''}{\partial x'} + \frac{\partial y''}{\partial y'} \right) f = 0 \quad (\text{B.10})$$

where x'' and y'' are determined by the equations of motion. The average of a variable over a continuous distribution is given by:

$$\langle \phi \rangle (z) \equiv \frac{1}{N} \iiint \phi f(x, x', y, y') dx dx' dy dy' \quad (\text{B.11})$$

substituting the moments into the above equation and integrating by parts yields the moment evolution equations:

$$\frac{d\Delta x^2}{dz} = 2\Delta x x'$$

$$\frac{d\Delta x x'}{dz} = \Delta x'^2 + K_{xx}\Delta x^2 + K_{xy}\Delta x y - (d\ln\beta_z/dz)\Delta x x'$$

$$\frac{d\Delta x'^2}{dz} = 2K_{xx}\Delta x x' + 2K_{xy}\Delta x' y - 2(d\ln\beta_z/dz)\Delta x'^2$$

$$\frac{d\Delta y^2}{dz} = 2\Delta y y'$$

$$\frac{d\Delta y y'}{dz} = \Delta y'^2 + K_{yy}\Delta y^2 + K_{yx}\Delta x y - (d\ln\beta_z/dz)\Delta y y'$$

$$\frac{d\Delta y'^2}{dz} = 2K_{yy}\Delta y y' + 2K_{xy}\Delta x y' - 2(d\ln\beta_z/dz)\Delta y'^2$$

$$\frac{d\Delta x y}{dz} = \Delta x' y + \Delta x y'$$

$$\frac{d\Delta x' y}{dz} = \Delta x' y' + K_{xx}\Delta x y + K_{yx}\Delta y^2 - (d\ln\beta_z/dz)\Delta x' y$$

$$\frac{d\Delta x y'}{dz} = \Delta x' y' + K_{yy}\Delta x y + K_{xy}\Delta x^2 - (d\ln\beta_z/dz)\Delta x y'$$

$$\frac{d\Delta x' y'}{dz} = K_{xx}\Delta x y' + K_{xy}\Delta y y' + K_{yy}\Delta x' y + K_{yx}\Delta x x' - 2(d\ln\beta_z/dz)\Delta x' y'$$

where

$$K_{xx} \equiv K_{qxx} + K_{sxx}$$

$$K_{yy} \equiv K_{qyy} + K_{syy}$$

$$K_{xy} \equiv K_{qxy} + K_{sxy} = K_{yx}$$

and similarly the first moment evolution equations are given by

$$\begin{aligned}\frac{d\langle x \rangle}{dz} &= \langle x' \rangle & \frac{d\langle x' \rangle}{dz} &= K_{qxx} \langle x \rangle + K_{qxy} \langle y \rangle - (d\ln\beta_z/dz) \langle x' \rangle \\ \frac{d\langle y \rangle}{dz} &= \langle y' \rangle & \frac{d\langle y' \rangle}{dz} &= K_{qyy} \langle y \rangle + K_{qyx} \langle x \rangle - (d\ln\beta_z/dz) \langle y' \rangle\end{aligned}$$

Appendix C

Explicit Solutions for Δx^2 and Δy^2

From an engineering and cost point of view it is desirable to reduce the number of independent adjustable parameters necessary to correct the beam for random quadrupole rotational misalignments. Using Barnard's generalized emittances the matrix of ten moment evolution equations may be reduced to eight by explicitly solving the expressions for the generalized emittances for two of the moments in terms of the remaining eight moments. It was found helpful to use the capabilities of *Mathematica* to do this and it was found that solving for Δx^2 and Δy^2 yielded the "simplest" result. The *Mathematica* command for doing this was:

$$\text{Solve}[\langle\langle \text{constraints.m} \rangle\rangle, \{dx2, dy2\}] \quad (\text{C.1})$$

where the file "constraints.m" contained the generalized emittance expressions and "dx2,dy2" are $\Delta x^2, \Delta y^2$ in a form readable by *Mathematica*. The explicit solutions are very long and as discussed in Chapter 6 they were able to be simplified when the numerical values for the beam moments corresponding to the Small Recirculator were used in the formulas. The terms that were dropped from the following explicit solutions to obtain the results of Equations 6.11 and 6.16 appear in a lighter shade. The numerical value of the terms that were dropped was about 20 orders of magnitude smaller than those terms kept. These solutions are then substituted anywhere $\Delta x^2, \Delta y^2$ appear in the ten moment equations and the eight independent moment evolution equations of the reduced matrix of Equation 6.6 are the result. All the

complications are contained in the numbered coefficients.

$$\begin{aligned}
\Delta x^2 = & [4\beta^4 \Delta x' y'^2 \Delta x x'^2 - 8\beta^4 \Delta x' y'^3 \Delta x y + 8\beta^4 \Delta x' y \Delta x' y'^2 \Delta x y' + \\
& 8\beta^4 \Delta x' y' (\Delta x'^2) \Delta x x' \Delta x y' - 4\beta^4 (\Delta x'^2)^2 \Delta x y'^2 - \\
& 8\beta^4 (\Delta x'^2) \Delta x x'^2 (\Delta y'^2) + 8\beta^4 \Delta x' y' (\Delta x'^2) \Delta x y (\Delta y'^2) - \\
& 8\beta^4 \Delta x' y (\Delta x'^2) \Delta x y' (\Delta y'^2) + 4\beta^4 \Delta x' y^2 (\Delta y'^2)^2 - \\
& 8\beta^4 \Delta x' y \Delta x' y' (\Delta y'^2) \Delta y y' + 4\beta^4 \Delta x' y'^2 \Delta y y'^2 + \\
& 0.5\beta^2 \Delta x' y'^2 \epsilon_g^2 - 0.5\beta^2 (\Delta x'^2) (\Delta y'^2) \epsilon_g^2 - \\
& 0.015625 [65536 \beta^8 \Delta x' y'^4 \Delta x x'^4 - 262144 \beta^8 \Delta x' y'^5 \Delta x x'^2 \Delta x y + \\
& 262144 \beta^8 \Delta x' y'^6 \Delta x y^2 + \\
& 262144 \beta^8 \Delta x' y \Delta x' y'^4 \Delta x x'^2 \Delta x y' - \\
& 262144 \beta^8 \Delta x' y'^3 (\Delta x'^2) \Delta x x'^3 \Delta x y' - \\
& 524288 \beta^8 \Delta x' y \Delta x' y'^5 \Delta x y \Delta x y' + 524288 \beta^8 \Delta x' y'^4 (\Delta x'^2) \Delta x x' \Delta x y \Delta x y' + \\
& 262144 \beta^8 \Delta x' y^2 \Delta x' y'^4 \Delta x y'^2 - 524288 \beta^8 \Delta x' y \Delta x' y'^3 (\Delta x'^2) \Delta x x' \Delta x y'^2 + \\
& 393216 \beta^8 \Delta x' y'^2 (\Delta x'^2)^2 \Delta x x'^2 \Delta x y'^2 - \\
& 262144 \beta^8 \Delta x' y'^3 (\Delta x'^2)^2 \Delta x y \Delta x y'^2 + \\
& 262144 \beta^8 \Delta x' y \Delta x' y'^2 (\Delta x'^2)^2 \Delta x y'^3 - \\
& 262144 \beta^8 \Delta x' y' (\Delta x'^2)^3 \Delta x x' \Delta x y'^3 + 65536 \beta^8 (\Delta x'^2)^4 \Delta x y'^4 + \\
& 262144 \beta^8 \Delta x' y'^3 (\Delta x'^2) \Delta x x'^2 \Delta x y (\Delta y'^2) - \\
& 786432 \beta^8 \Delta x' y'^4 (\Delta x'^2) \Delta x y^2 (\Delta y'^2) - \\
& 262144 \beta^8 \Delta x' y \Delta x' y'^2 (\Delta x'^2) \Delta x x'^2 \Delta x y' (\Delta y'^2) + \\
& 1.57286 \cdot 10^6 \beta^8 \Delta x' y \Delta x' y'^3 (\Delta x'^2) \Delta x y \Delta x y' (\Delta y'^2) - \\
& 524288 \beta^8 \Delta x' y'^2 (\Delta x'^2)^2 \Delta x x' \Delta x y \Delta x y' (\Delta y'^2) - \\
& 786432 \beta^8 \Delta x' y^2 \Delta x' y'^2 (\Delta x'^2) \Delta x y'^2 (\Delta y'^2) + \\
& 524288 \beta^8 \Delta x' y \Delta x' y' (\Delta x'^2)^2 \Delta x x' \Delta x y'^2 (\Delta y'^2) + \\
& 262144 \beta^8 \Delta x' y' (\Delta x'^2)^3 \Delta x y \Delta x y'^2 (\Delta y'^2) -
\end{aligned}$$

$$\begin{aligned}
& 262144 \beta^8 \Delta x' y (\Delta x'^2)^3 \Delta x y'^3 (\Delta y'^2) + \\
& 131072 \beta^8 \Delta x' y^2 \Delta x' y'^2 \Delta x x'^2 (\Delta y'^2)^2 - \\
& 262144 \beta^8 \Delta x' y^2 \Delta x' y'^3 \Delta x y (\Delta y'^2)^2 - \\
& 524288 \beta^8 \Delta x' y \Delta x' y'^2 (\Delta x'^2) \Delta x x' \Delta x y (\Delta y'^2)^2 + \\
& 786432 \beta^8 \Delta x' y'^2 (\Delta x'^2)^2 \Delta x y^2 (\Delta y'^2)^2 + \\
& 262144 \beta^8 \Delta x' y^3 \Delta x' y'^2 \Delta x y' (\Delta y'^2)^2 + \\
& 262144 \beta^8 \Delta x' y^2 \Delta x' y' (\Delta x'^2) \Delta x x' \Delta x y' (\Delta y'^2)^2 - \\
& 1.04858 \cdot 10^6 \beta^8 \Delta x' y \Delta x' y' (\Delta x'^2)^2 \Delta x y \Delta x y' (\Delta y'^2)^2 + \\
& 393216 \beta^8 \Delta x' y^2 (\Delta x'^2)^2 \Delta x y'^2 (\Delta y'^2)^2 - \\
& 262144 \beta^8 \Delta x' y^2 (\Delta x'^2) \Delta x x'^2 (\Delta y'^2)^3 + \\
& 262144 \beta^8 \Delta x' y^2 \Delta x' y' (\Delta x'^2) \Delta x y (\Delta y'^2)^3 + \\
& 524288 \beta^8 \Delta x' y (\Delta x'^2)^2 \Delta x x' \Delta x y (\Delta y'^2)^3 - \\
& 262144 \beta^8 (\Delta x'^2)^3 \Delta x y^2 (\Delta y'^2)^3 - 262144 \beta^8 \Delta x' y^3 (\Delta x'^2) \Delta x y' (\Delta y'^2)^3 + \\
& 65536 \beta^8 \Delta x' y^4 (\Delta y'^2)^4 - 262144 \beta^8 \Delta x' y \Delta x' y'^3 \Delta x x'^2 (\Delta y'^2) \Delta y y' + \\
& 524288 \beta^8 \Delta x' y \Delta x' y'^4 \Delta x y (\Delta y'^2) \Delta y y' + \\
& 524288 \beta^8 \Delta x' y'^3 (\Delta x'^2) \Delta x x' \Delta x y (\Delta y'^2) \Delta y y' - \\
& 524288 \beta^8 \Delta x' y^2 \Delta x' y'^3 \Delta x y' (\Delta y'^2) \Delta y y' - \\
& 524288 \beta^8 \Delta x' y'^2 (\Delta x'^2)^2 \Delta x y \Delta x y' (\Delta y'^2) \Delta y y' + \\
& 262144 \beta^8 \Delta x' y \Delta x' y' (\Delta x'^2)^2 \Delta x y'^2 (\Delta y'^2) \Delta y y' + \\
& 524288 \beta^8 \Delta x' y \Delta x' y' (\Delta x'^2) \Delta x x'^2 (\Delta y'^2)^2 \Delta y y' - \\
& 524288 \beta^8 \Delta x' y \Delta x' y'^2 (\Delta x'^2) \Delta x y (\Delta y'^2)^2 \Delta y y' - \\
& 524288 \beta^8 \Delta x' y' (\Delta x'^2)^2 \Delta x x' \Delta x y (\Delta y'^2)^2 \Delta y y' + \\
& 524288 \beta^8 \Delta x' y^2 \Delta x' y' (\Delta x'^2) \Delta x y' (\Delta y'^2)^2 \Delta y y' - \\
& 524288 \beta^8 \Delta x' y (\Delta x'^2)^2 \Delta x x' \Delta x y' (\Delta y'^2)^2 \Delta y y' + \\
& 524288 \beta^8 (\Delta x'^2)^3 \Delta x y \Delta x y' (\Delta y'^2)^2 \Delta y y' - \\
& 262144 \beta^8 \Delta x' y^3 \Delta x' y' (\Delta y'^2)^3 \Delta y y' + \\
& 131072 \beta^8 \Delta x' y'^4 \Delta x x'^2 \Delta y y'^2 - 262144 \beta^8 \Delta x' y'^5 \Delta x y \Delta y y'^2 +
\end{aligned}$$

$$\begin{aligned}
& 262144 \beta^8 \Delta x' y \Delta x' y'^4 \Delta x y' \Delta y y'^2 - 262144 \beta^8 \Delta x' y'^3 (\Delta x'^2) \Delta x x' \Delta x y' \Delta y y'^2 + \\
& 131072 \beta^8 \Delta x' y'^2 (\Delta x'^2)^2 \Delta x y'^2 \Delta y y'^2 - \\
& 262144 \beta^8 \Delta x' y'^2 (\Delta x'^2) \Delta x x'^2 (\Delta y'^2) \Delta y y'^2 + \\
& 262144 \beta^8 \Delta x' y'^3 (\Delta x'^2) \Delta x y (\Delta y'^2) \Delta y y'^2 - \\
& 262144 \beta^8 \Delta x' y \Delta x' y'^2 (\Delta x'^2) \Delta x y' (\Delta y'^2) \Delta y y'^2 + \\
& 524288 \beta^8 \Delta x' y' (\Delta x'^2)^2 \Delta x x' \Delta x y' (\Delta y'^2) \Delta y y'^2 - \\
& 262144 \beta^8 (\Delta x'^2)^3 \Delta x y'^2 (\Delta y'^2) \Delta y y'^2 + \\
& 393216 \beta^8 \Delta x' y^2 \Delta x' y'^2 (\Delta y'^2)^2 \Delta y y'^2 - \\
& 262144 \beta^8 \Delta x' y \Delta x' y'^3 (\Delta y'^2) \Delta y y'^3 + 65536 \beta^8 \Delta x' y'^4 \Delta y y'^4 + \\
& 16384 \beta^6 \Delta x' y'^4 \Delta x x'^2 \epsilon_g^2 - 32768 \beta^6 \Delta x' y'^5 \Delta x y \epsilon_g^2 + \\
& 32768 \beta^6 \Delta x' y \Delta x' y'^4 \Delta x y' \epsilon_g^2 - \\
& 32768 \beta^6 \Delta x' y'^3 (\Delta x'^2) \Delta x x' \Delta x y' \epsilon_g^2 + \\
& 16384 \beta^6 \Delta x' y'^2 (\Delta x'^2)^2 \Delta x y'^2 \epsilon_g^2 - \\
& 16384 \beta^6 \Delta x' y'^2 (\Delta x'^2) \Delta x x'^2 (\Delta y'^2) \epsilon_g^2 + \\
& 65536 \beta^6 \Delta x' y'^3 (\Delta x'^2) \Delta x y (\Delta y'^2) \epsilon_g^2 - \\
& 65536 \beta^6 \Delta x' y \Delta x' y'^2 (\Delta x'^2) \Delta x y' (\Delta y'^2) \epsilon_g^2 + \\
& 32768 \beta^6 \Delta x' y' (\Delta x'^2)^2 \Delta x x' \Delta x y' (\Delta y'^2) \epsilon_g^2 - \\
& 16384 \beta^6 (\Delta x'^2)^3 \Delta x y'^2 (\Delta y'^2) \epsilon_g^2 + \\
& 16384 \beta^6 \Delta x' y^2 \Delta x' y'^2 (\Delta y'^2)^2 \epsilon_g^2 - \\
& 32768 \beta^6 \Delta x' y' (\Delta x'^2)^2 \Delta x y (\Delta y'^2)^2 \epsilon_g^2 + \\
& 32768 \beta^6 \Delta x' y (\Delta x'^2)^2 \Delta x y' (\Delta y'^2)^2 \epsilon_g^2 - \\
& 16384 \beta^6 \Delta x' y^2 (\Delta x'^2) (\Delta y'^2)^3 \epsilon_g^2 - \\
& 32768 \beta^6 \Delta x' y \Delta x' y'^3 (\Delta y'^2) \Delta y y' \epsilon_g^2 + \\
& 32768 \beta^6 \Delta x' y \Delta x' y' (\Delta x'^2) (\Delta y'^2)^2 \Delta y y' \epsilon_g^2 + \\
& 16384 \beta^6 \Delta x' y'^4 \Delta y y'^2 \epsilon_g^2 - 16384 \beta^6 \Delta x' y'^2 (\Delta x'^2) (\Delta y'^2) \Delta y y'^2 \epsilon_g^2 + \\
& 1024 \beta^4 \Delta x' y'^4 (\epsilon_g)^4 - \\
& 2048 \beta^4 \Delta x' y'^2 (\Delta x'^2) (\Delta y'^2) (\epsilon_g^2)^2 + 1024 \beta^4 (\Delta x'^2)^2 (\Delta y'^2)^2 (\epsilon_g)^4 +
\end{aligned}$$

$$\frac{1024 \beta^4 \Delta x' y'^2 (\Delta x'^2) (\Delta y'^2) (\epsilon_h)^4 - 1024 \beta^4 (\Delta x'^2)^2 (\Delta y'^2)^2 (\epsilon_h)^4]^{0.5}}{[\beta^4 \Delta x'^2 (8 \Delta x' y'^2 - 8 \Delta x'^2 \Delta y'^2)]}$$

(C.3)

$$\begin{aligned} \Delta y^2 = & 0.5 [\beta^2 [256 \beta^2 \Delta x' y'^2 \Delta x x'^2 - \\ & 512 \beta^2 \Delta x' y'^3 \Delta x y + \\ & 512 \beta^2 \Delta x' y \Delta x' y'^2 \Delta x y' - 512 \beta^2 \Delta x' y' \Delta x'^2 \Delta x x' \Delta x y' + \\ & 256 \beta^2 (\Delta x'^2)^2 \Delta x y'^2 + \\ & 512 \beta^2 \Delta x' y' \Delta x'^2 \Delta x y \Delta y'^2 - 512 \beta^2 \Delta x' y \Delta x'^2 \Delta x y' \Delta y'^2 - \\ & 256 \beta^2 \Delta x' y^2 (\Delta y'^2)^2 + 512 \beta^2 \Delta x' y \Delta x' y' \Delta y'^2 \Delta y y' + \\ & 256 \beta^2 \Delta x' y'^2 \Delta y y'^2 - 512 \beta^2 \Delta x'^2 \Delta y'^2 \Delta y y'^2 + \\ & 32 \Delta x' y'^2 \epsilon_g^2 - 32 \Delta x'^2 \Delta y'^2 \epsilon_g^2] - \\ & [\beta^4 [256 \beta^2 \Delta x' y'^2 \Delta x x'^2 - 512 \beta^2 \Delta x' y'^3 \Delta x y + 512 \beta^2 \Delta x' y \Delta x' y'^2 \Delta x y' - \\ & 512 \beta^2 \Delta x' y' \Delta x'^2 \Delta x x' \Delta x y' + \\ & 256 \beta^2 (\Delta x'^2)^2 \Delta x y'^2 + 512 \beta^2 \Delta x' y' \Delta x'^2 \Delta x y \Delta y'^2 - 512 \beta^2 \Delta x' y \Delta x'^2 \Delta x y' \Delta y'^2 - \\ & 256 \beta^2 \Delta x' y^2 (\Delta y'^2)^2 + 512 \beta^2 \Delta x' y \Delta x' y' \Delta y'^2 \Delta y y' + \\ & 256 \beta^2 \Delta x' y'^2 \Delta y y'^2 - 512 \beta^2 \Delta x'^2 \Delta y'^2 \Delta y y'^2 + 32 \Delta x' y'^2 \epsilon_g^2 - 32 \Delta x'^2 \Delta y'^2 \epsilon_g^2]]^2 - \end{aligned}$$

$$\begin{aligned}
& 4 \beta^4 \Delta y'^2 [-256 \Delta x' y'^2 + 256 \Delta x'^2 \Delta y'^2] [-256 \beta^4 \Delta x' y'^2 \Delta x'^2 \Delta x y^2 + \\
& 512 \beta^4 \Delta x' y \Delta x' y' \Delta x'^2 \Delta x y \Delta x y' - 256 \beta^4 \Delta x' y^2 \Delta x'^2 \Delta x y'^2 + \\
& 256 \beta^4 \Delta x' y^2 \Delta x x'^2 \Delta y'^2 - 512 \beta^4 \Delta x' y^2 \Delta x' y' \Delta x y \Delta y'^2 - \\
& 512 \beta^4 \Delta x' y \Delta x'^2 \Delta x x' \Delta x y \Delta y'^2 + 256 \beta^4 (\Delta x'^2)^2 \Delta x y^2 \Delta y'^2 + \\
& 512 \beta^4 \Delta x' y^3 \Delta x y' \Delta y'^2 - \\
& 512 \beta^4 \Delta x' y \Delta x' y' \Delta x x'^2 \Delta y y' + 1024 \beta^4 \Delta x' y \Delta x' y'^2 \Delta x y \Delta y y' + \\
& 512 \beta^4 \Delta x' y' \Delta x'^2 \Delta x x' \Delta x y \Delta y y' - \\
& 1024 \beta^4 \Delta x' y^2 \Delta x' y' \Delta x y' \Delta y y' + 512 \beta^4 \Delta x' y \Delta x'^2 \Delta x x' \Delta x y' \Delta y y' - \\
& 512 \beta^4 (\Delta x'^2)^2 \Delta x y \Delta x y' \Delta y y' - 512 \beta^4 \Delta x' y' \Delta x'^2 \Delta x y \Delta y y'^2 + \\
& 512 \beta^4 \Delta x' y \Delta x'^2 \Delta x y' \Delta y y'^2 + \\
& 256 \beta^4 \Delta x' y^2 \Delta y'^2 \Delta y y'^2 - 512 \beta^4 \Delta x' y \Delta x' y' \Delta y y'^3 + \\
& 256 \beta^4 \Delta x'^2 \Delta y y'^4 + \\
& 32 \beta^2 \Delta x' y^2 \Delta y'^2 \epsilon_g^2 - 64 \beta^2 \Delta x' y \Delta x' y' \Delta y y' \epsilon_g^2 + \\
& 32 \beta^2 \Delta x'^2 \Delta y y'^2 \epsilon_g^2 + \Delta x'^2 \epsilon_h^4]^{0.5} / \\
& (\beta^4 \Delta y'^2 [-256 \Delta x' y'^2 + 256 \Delta x'^2 \Delta y'^2])
\end{aligned}$$

Appendix D

GBI Equipment Settings for Acquiring Gated Images

Table D.1: GBI Equipment and Software Settings for GBI Measurements at 45°

CCD camera settings	Lens aperature	f/1.4
ST-138 Controller	CCD temperature	-30°C
PG-200 Voltage P/S	Gate width	200 μ s
	Voltage for 100 ns/1 μ s gates	900/700 V
	Mode	"Gate"
	Brightness Control	"Off"
GBI Settings	Gate width	100 ns /1 μ s
	Int. Voltage	-350 V
	Proximity focusing voltage	3000 V
IPLAB Settings	Mode	"Synchronous"
	Exposure	200 μ s
	Timing	"Ext. Sync"
	Cleans	"Continuous"
	Region	384 x 576 pixels
	A/D Converter	"16 bit 50 kHz readout"
	CCD Selected	"Electronic 3 ph"
Small Recirculator	Bending dipole volt.	$\pm$ 6570 V
	Vacuum	4E-7 torr

Table D.2: GBI Measurement Parameters at 45°

Date of Measurement	7/22/97
GBI Position (descriptive)	after 45° bend
GBI Position (cm along beamline)	670 cm
Measured after Quad No.	13
Beamlet drift distance	15 cm
Camera field of view	2.07 by 3.11 cm
Lens Extension needed	32 mm

Table D.3: 45° Integrated image file information

Image File name	Gate start time (μ s)	Comments
"72297.ras"	no gate	integrated image
"722971us132.ras"	13.2	flattop image
"722971us142.ras"	14.2	flattop image
"722971us152.ras"	15.2	flattop image
"Q8CCWQ13CW132.ras"	13.2	rotated quadrupole error
"Q13CW132.ras"	13.2	rotated quadrupole error
"Q13CCW132.ras"	13.2	rotated quadrupole error
"Q8CCW132.ras"	13.2	rotated quadrupole error

Table D.4: 45° 100 ns gated image file information

Image Filename	Gate start (μ s)	Image Filename	Gate start (μ s)	Image Filename	Gate start
"72297117.ras"	11.7	"72297133.ras"	13.3	"72297149.ras"	14.9
"72297118.ras"	11.8	"72297134.ras"	13.4	"72297150.ras"	15.0
"72297119.ras"	11.9	"72297135.ras"	13.5	"72297151.ras"	15.1
"72297120.ras"	12.0	"72297136.ras"	13.6	"72297152.ras"	15.2
"72297121.ras"	12.1	"72297137.ras"	13.7	"72297153.ras"	15.3
"72297122.ras"	12.2	"72297138.ras"	13.8	"72297154.ras"	15.4
"72297123.ras"	12.3	"72297139.ras"	13.9	"72297155.ras"	15.5
"72297124.ras"	12.4	"72297140.ras"	14.0	"72297156.ras"	15.6
"72297125.ras"	12.5	"72297141.ras"	14.1	"72297157.ras"	15.7
"72297126.ras"	12.6	"72297142.ras"	14.2	"72297158.ras"	15.8
"72297127.ras"	12.7	"72297143.ras"	14.3	"72297159.ras"	15.9
"72297128.ras"	12.8	"72297144.ras"	14.4	"72297160.ras"	16.0
"72297129.ras"	12.9	"72297145.ras"	14.5	"72297161.ras"	16.1
"72297130.ras"	13.0	"72297146.ras"	14.6	"72297162.ras"	16.2
"72297131.ras"	13.1	"72297147.ras"	14.7	"72297163.ras"	16.3
"72297132.ras"	13.2	"72297148.ras"	14.8	"72297164.ras"	16.4

Appendix E

Simulation and Data Analysis Codes

The following are the codes used in the course of this work, to simulate the Small Recirculator beam using the moment evolution equations, to find the optimized values of the strength and rotation angle of the quadrupoles in the beam correction system, and to perform the GBI image analysis.

E.1 “FULLAG”

“FULLAG” is a FORTRAN 77 code modified from J. Barnard’s MOMENT code. Its algorithm incorporates the full set of 10 second moment evolution equations and allows the setting of either random quadrupole rotation errors or discrete errors of the user’s choice. It was used to produce moment data to compare against that produced by the reduced set of 8 second moment evolution equations in their approximate form. This comparison is shown in Figure 6.7.


```

147      dxyp0=(dxpb0-dyypb0)*DSIN(dalpa0)*BCOS(dalpa0)
148      dxpy0=(dxpb0-dyypb0)*DSIN(dalpa0)*BCOS(dalpa0)
149      dx1=dx20
150      dxyp=dxyp0
151      dxp2=dxp20
152      dy1=dy20
153      dyyp=dyyp0
154      dyp2=dyp20
155      dxy=dxy0
156      dxpy=dxpy0
157      dxyp=dxyp0
158      dxyp=dxyp0
159      c === Setup fodo stuff =====
160      c === Initial dx*2*k_beta*2(including space charge) =====
161      r=a
162      dz=dz0
163      IF (jfodo.EQ.1) THEN
164      c jfend is the value of j at end of focusing magnet
165      c focusing magnet has values of j between 0 and jfend
166      c first drift      jfend and jdbeg
167      c defocusing magnet      jdbeg and jdend
168      c second drift      jdend and jlatt
169      jfend=AINT(etaq*flattic/dz0+.5)
170      IF (jfend.LT.1) jfend=1
171      dzmag=etaq*flattic/jfend
172      jdrift=AINT((1.0d0-etaq)*flattic/dz0+.5)
173      IF (jdrift.LT.1) jdrift=1
174      dzdrift=(1.0d0-etaq)*flattic/jdrift
175      jdbeg=jfend+jdrift
176      jdend=jdbeg+jfend
177      jlatt=jdend+jdrift
178      nz=jdbeg*nhip/nlaga
179      sigma0rad=sigma0*(1./180.)
180      fkbet2=DSQRT(2.*(1.-DCOS(sigma0rad)))/(1.-2.*etaq/3.)/
181      (etaq*flattic**2)
182      print *, 'nz=',nz, ' fkbet2=',fkbet2
183      fxfodo=fkbet2**(.5)
184      fkbtx02=fkbet2
185      fkbty02=-fkbet2
186      ENDIF
187      c
188      c === write headings of emitout files =====
189      c
190      c === Initialize and write down beginning values =====
191      z=z0
192      q0(1,1)=dx2
193      q0(2,1)=dxxp
194      q0(3,1)=dxxp2
195      q0(4,1)=dy2
196      q0(5,1)=dyyp
197      q0(6,1)=dyp2
198      q0(7,1)=dxy
199      q0(8,1)=dxpy
200      q0(9,1)=dxyp
201      q0(10,1)=dxypyp
202      c === Call print here to get the first line with z=z0 =====
203      CALL prntsub(xsum,ysum,xpsum,ypsum,z,npart)
204      nprintsum=nprintsum+1
205      lprint=1
206      lnsap=1
207      jstep=0
208      c =====
209      c ===== MAIN Z-LOOP =====
210      c =====
211      do 1000 iz=1,nz
212      IF (jfodo.EQ.1)CALL fodoSTEP
213      c === Advance all particles =====
214      CALL dfdzsub(z,q0,dfdzw0)
215      CALL fint(q0,q1,z,dz,dfdzaub,dfdzw0)
216      z=z+dz
217      dx2=q1(1,1)
218      dxxp=q1(2,1)
219      dxxp2=q1(3,1)

```

```

220      dy2=q1(4,1)
221      dyyp=q1(5,1)
222      dyp2=q1(6,1)
223      dxy=q1(7,1)
224      dxpy=q1(8,1)
225      dxyp=q1(9,1)
226      dxypyp=q1(10,1)
227      c
228      do 400 icoord=1,10
229      q0(icoord,1)=q1(icoord,1)
230      400 continue
231      c === Printing loop =====
232      IF (lprint.EQ.nprint) THEN
233      c
234      CALL prntsub(z)
235      nprintsum=nprintsum+1
236      lprint=1
237      ENDIF
238      1000 CONTINUE
239      c
240      print *, 'dthetarms=',dthetarms, ' thetaavg=',thetaavg
241      print *, 'dthetarmstheory=',dthetarmstheory,
242      ' thetaavgtheory=',thetaavgtheory,
243      print *, 'nprintsum=',nprintsum, ' points in z in each history plot.'
244      c
245      CLOSE(21)
246      CLOSE(50)
247      CLOSE(51)
248      CALL EXIT(1)
249      END
250      c =====
251      c === Printing routine =====
252      c =====
253      c
254      SUBROUTINE prntsub(z)
255      PARAMETER (nprimex=1, nthet=100000)
256      IMPLICIT DOUBLE PRECISION (a-h,o-z)
257      DIMENSION dthetatab(nthet)
258      common/blk1/dx2,dxxp,dxp2,dy2,dyyp,dyp2,dxy,dxpy,dxyp,dxypyp
259      common/blk2/fkbet2,fkbtx02,fkbty02,pervo,betao,pervpower
260      common/blk3/betacon1,halfbetacon1,betaovbetao,dbdzovb
261      common/blk11/jstep,jphase,jfend,jdbeg,jdend,jlatt,dzmag,dzdrift
262      common/blk12/dz,dz0,dzpra
263      common/blk10/dtheta,costwotheta,sintwotheta,thetamax,thetarms,
264      .llattno,dthetatab
265      xav=0.
266      yav=0.
267      xpav=0.
268      ypav=0.
269      call betavals(z)
270      beta=betao*betaovbetao
271      dalpha=.5*DATAH(2*dxy/(dx2-dy2))
272      cosalpha=DCOS(dalpha)
273      sinalpha=DSIN(dalpha)
274      cosalpha2=cosalpha**2
275      sinalpha2=sinalpha**2
276      costwoalpha=DCOS(2.*dalpha)
277      sintwoalpha=DSIN(2.*dalpha)
278      transenergy=.5*(dxxp2+dyp2
279      - fkbet2*(dx2-dy2)*costwotheta +
280      2.0d0*dxy*sintwotheta )
281      - pervo*BLOG(
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293      emitnx2=16.0d0*beta**2*(dx2*dx2-dxyp**2)
294      emitnx=SQRT(emitnx2)
295      emitny2=16.0d0*beta**2*(dy2*dyp2-dyyp**2)
296      emitny=SQRT(emitny2)
297      emitng2=.5*(emitnx2+emitny2)+
298      16.*beta**2*(dxy*dxyp-dxyp*dxyp)
299      emitng=SQRT(emitng2)
300      emitnh=(emitnx2+emitny2+(4.0d0*beta)**4*(dxyp**2*dxy**2-
301      2*dxyp*dxyp*dxy*dxyp+
302      dxyp**2*dxy**2+2*dxy*dxyp*dxy*dyp2-
303      dxp2*dxy**2*dyp2-dxyp**2*dx2*dyp2-
304      2*dxy*dxy*dxy*dyp2-2*dxy*dxy*dxy*dyp2+
305      2*dyp2*dxy*dxy*dyp2+
306      2*dxy*dxy*dxy*dyp2+2*dxy*dxy*dxy*dyp2-
307      dxp2*dxy**2*dyp2-dxyp**2*dx2*dyp2)**0.25
308      fnp=1.0d0
309      dum=1.0d-8
310      IF (z .GE. 21412.0 .AND. z .LE. 21412.4) then
311      WRITE(50,*) 'z=',z,dx2,dxyp,dyp2,dxy,dxy,dxy,dxy,
312      dxyp
313      ELSEIF (z .GE. 21564.2) then
314      WRITE(50,*) 'z=',z,dx2,dxyp,dyp2,dxy,dxy,dxy,dxy,
315      dxyp
316
317      c      WRITE(51,*) dx2,dxyp,dyp2,dxy,dxy,dxy,dxy,dxy
318      c      print *, 'z=',z,dx2,dxyp,dyp2,dxy,dxy,dxy,dxy,dxy
319      c      ENDDIF
320      711      FORMAT(2(Ix,Ip11.4))
321      715      FORMAT(11(Ix,I2.8))
322      ddx2=dx2**le2
323      ddxyp=dxyp**le4
324      ddxp2=dxp2**le6
325      ddy2=dy2**le2
326      ddyyp=dyp2**le4
327      ddy2=dyp2**le6
328      ddxyp=dxyp**le2
329      ddxyp=dxyp**le4
330      ddxyp=dxyp**le4
331      ddxyp=dxyp**le6
332      eemitnx=emitnx**le4
333      eemitny=emitny**le4
334      aangmom=angmom**le4
335      eemitng=emitng**le4
336      eemitnh=emitnh**le4
337      WRITE(21,*) z,ddx2,ddxyp,ddxp2,ddy2,ddyyp,ddyp2,ddxy,
338      ddxyp,ddxyp,ddxyp,eemitnx,eemitny,aangmom,eemitng,eemitnh
339      RETURN
340      END
341
342      c
343      c
344      c == Integration routine ==
345      c
346      c == This subroutine is adapted from the subroutine RK4 from ==
347      c == Numerical Recipes by Press et al. The main difference is the ==
348      c == use of two dimensional arrays rather than linear arrays. ==
349      c == Input variables: ==
350      c == Y(leqn,lt): The 2-D array of dependent variables ==
351      c == DYDX(leqn,lt): Initial derivatives calculated in calling ==
352      c == subroutine. ==
353      c == leqnm, nprtmx: Maximum dimensions of the arrays ==
354      c == X: The independent variable ==
355      c == H: The step size in X. ==
356      c == DERIVS: The name of the subroutine with the derivatives. ==
357      c == Output variables: ==
358      c == YOUT(leqn,lt): The new values of Y at X+H ==
359      c
360      SUBROUTINE fnt(Y,YOUT,X,H,DERIVS,DYDX)
361      IMPLICIT DOUBLE PRECISION (a-h,o-z)
362      PARAMETER(leqn=10,nprtmx=1)
363      EXTERNAL DERIVS
364      DIMENSION Y(leqn,lt),DYDX(leqn,lt),
365      YOUT(leqn,lt)

```

```

366      DIMENSION YT(leqn,lt),DYT(leqn,lt),
367      DYH(leqn,lt),
368      leqnm=10
369      itmax=nprtmx
370      HH=H*0.5
371      H6=H/6.
372      XH=X+HH
373      XF=X+H
374      do 110 lt=1,ltmax
375      do 11 leqn=1,leqnm
376      YT(leqn,lt)=Y(leqn,lt)+HH*DYDX(leqn,lt)
377      11 CONTINUE
378      110 CONTINUE
379      CALL DERIVS(XH,YT,DYT)
380      do 120 lt=1,ltmax
381      do 12 leqn=1,leqnm
382      YT(leqn,lt)=Y(leqn,lt)+HH*DYT(leqn,lt)
383      12 CONTINUE
384      120 CONTINUE
385      CALL DERIVS(XH,YT,DYH)
386      do 130 lt=1,ltmax
387      do 13 leqn=1,leqnm
388      YT(leqn,lt)=Y(leqn,lt)+H*DYH(leqn,lt)
389      DYH(leqn,lt)=DYT(leqn,lt)+DYH(leqn,lt)
390      13 CONTINUE
391      130 CONTINUE
392      CALL DERIVS(XF,YT,DYT)
393      do 140 lt=1,ltmax
394      do 14 leqn=1,leqnm
395      YOUT(leqn,lt)=Y(leqn,lt)
396      +H6*(DYDX(leqn,lt)+DYT(leqn,lt)+2.*DYH(leqn,lt))
397      14 CONTINUE
398      140 CONTINUE
399      RETURN
400      END
401
402      c
403      c
404      c == Runge-kutta integration routine ==
405      c
406      c
407      SUBROUTINE dfdzsub(zw,fw,dfdzw)
408      IMPLICIT DOUBLE PRECISION (a-h,o-z)
409      PARAMETER(nprtmx=1,nhet=100000)
410      DIMENSION fw(10,nprtmx),dfdzw(10,nprtmx)
411      DIMENSION dthetatab(nhet)
412      common/blk1/dx2,dxyp,dyp2,dy2,dyyp,dyp2,dxy,dxy,dxy,dxy
413      common/blk2/fkbt2,fkbt2,fkbt2,pervo,betao,pervpower
414      common/blk1/betacon1,halfbetacon1,betaovbetao,dbdzovb
415      COMMON/blk1/jstep,jphase,jfend,jdbeg,jdend,jlatt,dzmag,dzdrift
416      COMMON/blk12/dz,dz0,dzpre
417      COMMON/blk10/dtheta,coastwotheta,sintwotheta,thetamax,thetarms,
418      llattno,dthetatab
419      dx2=fw(1,1)
420      dxy=fw(2,1)
421      dyp2=fw(3,1)
422      dy2=fw(4,1)
423      dxy=fw(5,1)
424      dyp2=fw(6,1)
425      dxy=fw(7,1)
426      dxy=fw(8,1)
427      dxy=fw(9,1)
428      dxy=fw(10,1)
429      call betavals(zw)
430      perv=pervo/(betaovbetao**2) (constant bunchlength)
431      perv=pervo*betaovbetao**pervpower
432      alpha=.5*ATAN(2*dxy/(dx2-dy2))
433      cosalph=DCOS(alpha)
434      sinalph=DSIN(alpha)
435      cos2alph=cosalph**2
436      sin2alph=sinalph**2
437      sinalphcosalph=sinalph*cosalph
438      dx2=dx2*cos2alph+dy2*sin2alph+2*dxy*sinalphcosalph

```

```

439      dyb2=dy2*cos2alpha+dx2*sin2alpha-2*dyx*ainalphacosalph
440      dxbdyb=SQRT(dx2+dyb2)
441      fksxb=.5*perv/(dx2+dxbdyb)
442      fksyb=.5*perv/(dy2+dxbdyb)
443      fksxx=fksxb*cos2alpha+fksyb*ain2alpha
444      fksxy=(fksxb-fksyb)*ainalphacosalph
445      fksyy=fksyb*cos2alpha-fksxb*ain2alpha
446      fkqxx=fkbeta02x(zw)*costwotheta/betaovbetao
447      fkqyy=fkbeta02y(zw)*costwotheta/betaovbetao
448      fkqyx=fkbeta02x(zw)*sintwotheta/betaovbetao
449      fkqxy=fkbeta02y(zw)*sintwotheta/betaovbetao
450      fkqxx=fkqxy
451      fksxx=fkqxx+fksxx
452      fksxy=fkqxy+fksxy
453      fkyx=fkqyx+fksyx
454      fkyy=fkqyy+fksyy
455      c dx2=
456          dfdzw(1,1)= 2*fw(2,1)
457      c dxyp'=
458          dfdzw(2,1)=fw(3,1) + (fksx*fw(1,1) +
459              fksy*fw(7,1) - dbdzovb*fw(2,1))
460      c dxp2'=
461          dfdzw(3,1)= 2.0d0*fksx*fw(2,1)+
462              2.0d0*fksy*fw(8,1) - 2.0d0*dbdzovb*fw(3,1)
463      c dy2'=
464          dfdzw(4,1)= 2*fw(5,1)
465      c dyyp'=
466          dfdzw(5,1)= fw(6,1)+ fksy*fw(4,1) +
467              fkyx*fw(7,1) - dbdzovb*fw(5,1)
468      c dyp2'=
469          dfdzw(6,1)= 2.0d0*fksy*fw(5,1)+
470              2.0d0*fksy*fw(9,1) - 2.0d0*dbdzovb*fw(6,1)
471      c dxy'=
472          dfdzw(7,1)= fw(8,1)+fw(9,1)
473      c dxpy'=
474          dfdzw(8,1)= fw(10,1)+fksx*fw(7,1)+
475              fksy*fw(4,1) - dbdzovb*fw(8,1)
476      c dxyp'a
477          dfdzw(9,1)= fw(10,1)+fksy*fw(7,1)+
478              fkyx*fw(1,1) - dbdzovb*fw(9,1)
479      c dxpyyp'a
480          dfdzw(10,1)= fksx*fw(9,1) + fksy*fw(5,1) +
481              fkyy*fw(8,1) + fkyx*fw(2,1)
482              - 2.0d0*dbdzovb*fw(10,1)
483      c
484          RETURN
485      c
486      c
487      c
488      c
489      c=====
490      c *** fodo routine =====
491      c=====
492      SUBROUTINE fodoSTEP
493      IMPLICIT DOUBLE PRECISION (a-h,o-z)
494      PARAMETER(nthet=100000)
495      DIMENSION dthetatab(nthet)
496      common/blk1/fkbeta2,fkbt02,fkbt02,pervo,betao,pervpower
497      common/blk3/betacon1,halfbetacon1,betaovbetao,dbdzovb
498      common/blk11/jstep,jphase,jfend,jdbeg,jdend,jlatt,dzmag,dzdrift
499      common/blk12/dz,dz0,dzpre
500      common/blk30/dtheta,costwotheta,sintwotheta,thetamax,thetamin,
501      ,ilattno,dthetatab
502      common/blk31/lprint,nprint
503      IF (j0.LE.jstep.and.jstep.LT.jfend) THEN
504          dz=dzmag
505          fkbt02=fkbeta2
506          fkbt02=fkbeta2
507          jstep=jstep+1
508          RETURN
509      ENDIF
510      IF (jstep.EQ.jdbeg) THEN
511          ilattno=ilattno+1

```

```

512      dtheta=dthetatab(ilattno)
513      costwotheta=DCOS(2.*dtheta)
514      sintwotheta=DSIN(2.*dtheta)
515      l1(lprint,eq,nprint)
516      print ' ', 'Quad no.', ilattno, ' dtheta=', dtheta
517      ENDIF
518      IF (jdbeg.LE.jstep.and.jstep.LT.jfend) THEN
519          dz=dzmag
520          fkbt02=fkbeta2
521          fkbt02=fkbeta2
522          jstep=jstep+1
523          RETURN
524      ENDIF
525      IF (jstep.GE.jlatt) THEN
526          dz=dzmag
527          fkbt02=fkbeta2
528          fkbt02=fkbeta2
529          jstep=1
530          ilattno=ilattno+1
531          dtheta=dthetatab(ilattno)
532          costwotheta=DCOS(2.*dtheta)
533          sintwotheta=DSIN(2.*dtheta)
534          l1(lprint,eq,nprint)
535          print ' ', 'Quad no.', ilattno, ' dtheta=', dtheta
536          RETURN
537      ENDIF
538      dz=dzdrift
539      fkbt02=0.0d0
540      fkbt02=0.0d0
541      jstep=jstep+1
542      RETURN
543      c
544      c
545      c
546      c
547      FUNCTION fkbeta02x(z)
548      IMPLICIT DOUBLE PRECISION (a-h,o-z)
549      common/blk1/dx2,dxyp,dxp2,dy2,dyyp,dyp2,dxy,dxpy,dxyp,dxypyp
550      common/blk2/fkbeta2,fkbt02,fkbt02,pervo,betao,pervpower
551      fkbeta02x=fkbt02
552      RETURN
553      c
554      c
555      c
556      c
557      FUNCTION fkbeta02y(z)
558      IMPLICIT DOUBLE PRECISION (a-h,o-z)
559      common/blk1/dx2,dxyp,dxp2,dy2,dyyp,dyp2,dxy,dxpy,dxyp,dxypyp
560      common/blk2/fkbeta2,fkbt02,fkbt02,pervo,betao,pervpower
561      fkbeta02y=fkbt02
562      RETURN
563      c
564      c
565      c
566      c
567      SUBROUTINE betaval(z)
568      IMPLICIT DOUBLE PRECISION (a-h,o-z)
569      common/blk3/betacon1,halfbetacon1,betaovbetao,dbdzovb
570      c betacon1=(energyf/energyo-1.0d0)/(nlaps*length)
571      c halfbetacon1=.5*betacon1
572      betaovbetao=DSQRT(1.0d0 + betacon1**2)
573      dbdzovb=halfbetacon1/(1.0d0 + betacon1**2)
574      return
575      end

```

E.2 “REDUCEDAG”

“REDUCEDAG” is a FORTRAN 77 code modified from J. Barnard’s MOMENT code. Its algorithm incorporates the reduced set of 8 second moment evolution equations by substituting in the approximate explicit solutions for Δx^2 and Δy^2 (Equations 6.11 and 6.16) wherever they occur in the moment evolution equations. The code allows the setting of either random quadrupole rotation errors or discrete errors of the user’s choice. It was used to produce moment data to compare against that produced by the set of 10 second moment evolution equations of “FULLAG”. This comparison is shown in Figure 6.7.


```

      dalpha0=dthetatab(1)
      dz0=flattic/float(nstepsperhlp)
      epsdyinit=0.0d-5
      dx2b0=a0**2/4.0d0
      dy2b0=b0**2/4.0d0
      dxspb0=ap0*a0/4.0d0
      dyypb0=bp0*b0/4.0d0
      dyp2b0=(emitx0**2/16.0d0+ dxspb0**2)/dx2b0
      dyp2b0=(emity0**2/16.0d0+ dyypb0**2)/dy2b0
      dx20=(1.0d0+epsdyinit)*(dx2b0*DCOS(dalpha0)**2+
        dy2b0*DSIN(dalpha0)**2)
      dxsp0=dxspb0*DCOS(dalpha0)**2+dyypb0*DSIN(dalpha0)**2
      dyp20=(dxp2b0*PCOS(dalpha0)**2+dyp2b0**2*DSIN(dalpha0)**2)
      dy20=(1.0d0+epsdyinit)*(dy2b0*DCOS(dalpha0)**2+
        dx2b0*DSIN(dalpha0)**2)
      dyyp0=dyypb0*DCOS(dalpha0)**2+dxspb0*DSIN(dalpha0)**2
      dyp20=(dyp2b0*PCOS(dalpha0)**2+dxp2b0**2*DSIN(dalpha0)**2)
      dxy0=(dx2b0-dy2b0)*DSIN(dalpha0)*DCOS(dalpha0)
      dxyp0=(dxp2b0-dyp2b0)*DSIN(dalpha0)*PCOS(dalpha0)
      dxyp0=(dxspb0-dyypb0)*DSIN(dalpha0)*DCOS(dalpha0)
      dxyp0=(dxspb0-dyypb0)*DSIN(dalpha0)*PCOS(dalpha0)
      dx2=dx20
      dxsp=dxsp0
      dyp2=dyp20
      dy2=dy20
      dyp=dyyp0
      dyp2=dyp20
      dxy=dxy0
      dxpy=dxpy0
      dxyp=dxyp0
      dxyp=dxyp0
      write(50,*) z, dx2, dxsp, dyp2, dy2, dyyp, dyp2, dxy, dxpy, dxyp, dxyp
c =====
c *** Calculate the generalized emittances based on the above=====
c *** generalized emittance constraint equations
c
      emitg2=EQ(dx2, dxsp, dyp2, dy2, dyyp, dyp2, dxy, dxpy, dxyp, dxyp)
      emith2=ER(dx2, dxsp, dyp2, dy2, dyyp, dyp2, dxy, dxpy, dxyp, dxyp)
c =====
c *** Setup fodo stuff =====
c *** Initial dx**2*k_beta**2(including space charge) =====
      r=a
      dz=dz0
      IF (jfodo.EQ.1) THEN
c jfend is the value of j at end of focusing magnet
c focusing magnet has values of j between 0 and jfend
c first drift                      jfend and jdbeg
c defocusing magnet                jdbeg and jdend
c second drift                      jdend and jlatt
      jfend=AINIT(etaq*flattic/dz0+.5)
      IF (jfend.LT.1) jfend=1
      dzmag=etaq*flattic/jfend
      jdrift=AINIT((1.0d0-etaq)*flattic/dz0+.5)
      IF (jdrift.LT.1) jdrift=1
      dzdrift=(1.0d0-etaq)*flattic/jdrift
      jdbeg=jfend+jdrift
      jdend=jdbeg+jfend
      jlatt=jdend+jdrift
      nz=(3.*etaq)*nstepsperhlp+1
      nz=jdbeg*nhlp+nlaps
      nz=113200
      PRINT *, 'nz=',nz
      sigma0rad=sigma0*(fpl/180.)
      DO j=1,nhlp
        fkbet2(j)=quadfld(j)/(rpipe*brho)
        fkdof(j)=fkbet2(j)**(.5)
      ENDDO
      print *, 'nz=',nz, ' fkbet2=',fkbet2
      fkbet0=fkbet2
      fkbty02=fkbet2
c
      ENDIF

```

```

c
c *** initialize and write down beginning values =====
      z=z0
      g0(1,1)=dx2
      g0(2,1)=dxsp
      g0(3,1)=dyp2
      g0(4,1)=dy2
      g0(5,1)=dyyp
      g0(6,1)=dyp2
      g0(7,1)=dxy
      g0(8,1)=dxpy
      g0(9,1)=dxyp
      g0(10,1)=dxyp
c *** Call print here to get the first line with z=z0 =====
      CALL prntsub(xsum,ysum,xpsum,ypsum,z,npart)
      nprintsum=nprintsum+1
      lprint=1
      lsnap=1
      jstep=0
      print *, z, dx2, dxsp, dyp2, dy2, dyyp, dyp2, dxy, dxpy, dxyp, dxyp
c =====
c *** MAIN Z-LOOP =====
c =====
      do 1000 iz=1,nz
c
      print *,iz
      IF (jfodo.EQ.1)CALL fodoSTEP
c *** Advance all particles =====
      CALL dfrsub(z,g0,dfdz0)
      CALL fint(g0,g1,z,dz,dfdzsub,dfdz0)
      dxsp=g1(2,1)
      dyp2=g1(3,1)
      dyyp=g1(5,1)
      dyp2=g1(6,1)
      dxy=g1(7,1)
      dxpy=g1(8,1)
      dxyp=g1(9,1)
      dxyp=g1(10,1)
      dx2=DEEX2(dxsp,dyp2,dyyp,dyp2,dxy,dxpy,dxyp,dxyp)
      dy2=DEEV2(dxsp,dyp2,dyyp,dyp2,dxy,dxpy,dxyp,dxyp)
      IF (z.GE. 21412 .and. z.LE. 21412.4) then
        WRITE(50,*) "z=", z, dx2, dxsp, dyp2, dy2, dyyp, dyp2, dxy, dxpy, dxyp,
          dxyp
      ENDIF
      IF (z.GE. 21564.4 .and. z.LE. 21564.8) then
        WRITE(50,*) "z=", z, dx2, dxsp, dyp2, dy2, dyyp, dyp2, dxy, dxpy, dxyp,
          dxyp
      ENDIF
      z=z+dz
      g1(1,1)=dx2
      g1(4,1)=dy2
      do 400 icoord=1,10
        g0(icoord,1)=g1(icoord,1)
      continue
c 400
c *** Printing loop =====
c
      CALL prntsub(z)
      1000 CONTINUE
      print *, 'dthetarms=',dthetarms, ' thetaavg=',thetaavg
      print *, 'dthetarmstheory=',dthetarmstheory,
        ' thetaavgtheory=',0.0d0
      print *, nprintsum, ' points in z in each history plot.'
      CLOSE(20)
      CLOSE(21)
      CLOSE(50)
      CALL EXIT(1)
      END
c =====
c *** Printing routine =====
c =====
c
      SUBROUTINE prntsub(z)
      PARAMETER (nprntmax=1, ntheta=1000)

```


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```

SUBROUTINE dfdzsub(zw,fw,dfdzw)
IMPLICIT DOUBLE PRECISION (a-h,o-z)
PARAMETER (nprtmx=1,nthet=1000)
DIMENSION fw(10,nprtmx),dfdzw(10,nprtmx)
common/b1k1/dx2,dxpp,dxp2,dy2,dypp,dyp2,dxy,dxpy,dxpyy,dxpypp
common/b1k2/fkbt2(566),fkbtX02,fkbtY02,pervo,betao,
      ,pervpower
common/b1k3/betacon1,half(betacon1,betaovbetao,dbdzovb
COMMON/b1k11/jatwp,jphase,jfend,jddeg,jdend,jlatt,dimag,dsdrit
COMMON/b1k12/dz,d0,dzpr
COMMON/b1k30/dtheta,costwotheta,sintwotheta,thetamax,thetarms,
      ,llatno,dthetatab(566)
      dx2=fw(2,1)
      dxpp=fw(2,1)
      dxp2=fw(3,1)
      dy2=fw(4,1)
      dypp=fw(5,1)
      dyp2=fw(6,1)
      dxy=fw(7,1)
      dxpy=fw(8,1)
      dxpyy=fw(9,1)
      dxpypp=fw(10,1)
      call betavala(zw)
      pervo=pervo/(betaovbetao**2) (constant bunchlength)
      pervo=pervo/betaovbetao*pervpower
      alpha=.5*DATA1(dx2/dx2/dy2)
      cosalph=DCOS(alpha)
      sinalph=DSIN(alpha)
      cos2alph=cosalph**2
      sin2alph=sinalph**2
      sinalphcosalph=sinalph*cosalph
      dxb2=dx2*cos2alph+dy2*sin2alph+2*dxy*sinalphcosalph
      dyb2=dy2*cos2alph+dx2*sin2alph-2*dxy*sinalphcosalph
      dxbdyb=SQRt(dxb2*dyb2)
      fkxb=.5*perv/(dxb2*dxbdyb)
      fkyb=.5*perv/(dyb2*dxbdyb)
      fkxxx=fkxb*cos2alph+fkyb*sin2alph
      fkyxy=(fkxb-fkyb)*sinalphcosalph
      fksxy=fkxy
      fksyy=fkxy*cos2alph+fksb*sin2alph
      fkqxx=fkbeta02x(zw)*costwotheta/betaovbetao
      fkqyy=fkbeta02y(zw)*costwotheta/betaovbetao
      fkqyx=fkbeta02x(zw)*sintwotheta/betaovbetao
      fkqyx=fkqyx
      kxxx=fkqxx*fksxx
      kxy=fkqxy*fksxy
      kyx=fkqyx*fksyx
      kyy=fkqyy*fksyy
c dx2=
      dfdz(1,1)= 2*fw(2,1)
c dxpp=
      dfdz(2,1)=fw(1,1) + fkxx*fw(1,1) +
      fky*fw(7,1) - dbdzovb*fw(2,1)
c dxp2=
      dfdz(3,1)= 2.0d0*fksx*fw(2,1)+
      2.0d0*fksy*fw(8,1) - 2.0d0*dbdzovb*fw(3,1)
c dy2=
      dfdz(4,1)= 2*fw(5,1)
c dypp=
      dfdz(5,1)= fw(6,1) + fkyy*fw(4,1) +
      fkyx*fw(7,1) - dbdzovb*fw(5,1)
c dyp2=
      dfdz(6,1)= 2.0d0*fkyx*fw(5,1)+
      2.0d0*fkyy*fw(1,1) - 2.0d0*dbdzovb*fw(6,1)
c dxy=
      dfdz(7,1)= fw(8,1)+fw(9,1)
c dxpy=
      dfdz(8,1)= fw(10,1)+fkxx*fw(7,1)+
      fkyx*fw(4,1) - dbdzovb*fw(8,1)
c dxpy=
      dfdz(9,1)= fw(10,1)+fkyy*fw(7,1),

```

```

c dexpyr='          fkyx*fw(1,1)- dbdzovb*fw(9,1) +
                        dfdzv(10,1)= fkxx*fw(9,1) + fkyx*fw(5,1) +
                        fkyy*fw(8,1) + fkyx*fw(2,1)
                        - 2.0d0*dbdzovb*fw(10,1)

C
RETURN
END

C
C
C
C-----
C == fodo routine -----
C-----
SUBROUTINE fodostep
IMPLICIT DOUBLE PRECISION (a-h,o-z)
PARAMETER(nthet=1000)
C DIMENSION dthetatab(nthet)
common/blkl(fkbt2(566),fkbtX02,fkby02,pervo,betao,
      pervpower
      common/blkl3(betaconl,halfbetaconl,betaovbetao,dbdzovb
COMMON/blkl1/jstep,jphase,jfend,jdbeg,jdend,jlatt,dzmag,dzdrift
COMMON/blkl2/dz,dso,dapre
COMMON/blkl0(dtheta,costwotheta,sintwotheta,thetamax,theatrms,
      ilattno,dthetatab(566))
COMMON/blkl1/lprint,nprint,quadfld(566)
IF (.O.LE.jstep.and.jstep.LT.jfend) THEN
    dz=dzmag
    dtheta=dthetatab(ilattno)
    costwotheta=DCOS(2.*dtheta)
    sintwotheta=DSIN(2.*dtheta)
    fkbtX02=fkbt2(ilattno)
    fkby02=-fkbt2(ilattno)
    jstep=jstep+1
    RETURN
ENDIF
IF {jstep.EQ.jdbeg}THEN
    ilattno=ilattno+1
    dtheta=dthetatab(ilattno)
    costwotheta=DCOS(2.*dtheta)
    sintwotheta=DSIN(2.*dtheta)
    if(lprint.eq.nprint)
        print *, "Quad no.",ilattno," dtheta=",dtheta,
            , " B Field=",quadfld(ilattno)
ENDIF
IF {jdbeg.LE.jstep.and.jstep.LT.jdend} THEN
    dz=dzmag
    fkbtX02=-fkbt2(ilattno)
    fkby02=fkbt2(ilattno)
    jstep=jstep+1
    RETURN
ENDIF
IF {jstep.GE.jlatt} THEN
    dz=dzmag
    jstep=1
    ilattno=ilattno+1
    dtheta=dthetatab(ilattno)
    costwotheta=DCOS(2.*dtheta)
    sintwotheta=DSIN(2.*dtheta)
    fkbtX02=fkbt2(ilattno)
    fkby02=-fkbt2(ilattno)
    if(lprint.eq.nprint)
        print *, "Quad no.",ilattno," dtheta=",dtheta,
            , " B Field=",quadfld(ilattno)
    RETURN
ENDIF
dz=dzdrift
fkbtX02=0.0d0
fkby02=0.0d0
jstep=jstep+1
RETURN
END

```

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RETURN
END

E.3 “CORRECTOR”

“CORRECTOR” is a FORTRAN 77 code modified from J. Barnard’s MOMENT code. It implements the SPSA algorithm to optimize the settings of the adjustable magnetic quadrupoles of the beam correction system based on a desired set of beam second moments. The code allows the user to determine the initial settings of the quadrupole field strengths and rotation angles. “CORRECTOR’s” algorithm incorporates the reduced set of 8 second moment evolution equations by substituting in the approximate explicit solutions for Δx^2 and Δy^2 (Equations 6.11 and 6.16) wherever they occur in the moment evolution equations.

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```

      ENDDO
    ENDDIF
    c =====
      thetasum=0.0d0
      theta2sum=0.0d0
      nlatt=nlip*nlaps
      DO j=1,nlatt
        thetasum=thetasum+ dthetatab(j)
        theta2sum=theta2sum+ dthetatab(j)**2
      ENDDO
      thetaavg=thetasum/nlatt
      theta2avg=theta2sum/nlatt
      dthetarms=DSQRT(theta2avg-thetaavg**2)
      dthetarms=theory*2.*thetamax/3.
      llattno=1
      costwotheta=1.0d0
      sintwotheta=0.0d0
      dz0=flattic/float(nstepsperhip)
      epydinit=0.0d-5
    c =====
    c random rotations to max of 0.5 deg. for 562 HLP, calculated at
    c z=21412.2 cm
    c =====
    c Input to Quad 0 cm =====
    c the moments after 562 hlp with
    c random rotation errors up to 0.5 deg. z=21412.2
      dx2=.8117015616058228
      dxxp=1.442077282077043E-02
      dyp2=2.610347813560520E-04
      dy2=.2100116409152491
      dyypp=-5.210377682372111E-03
      dyp2=1.728112964400602E-04
      dxy=-5.480955980645722E-02
      dxpy=-2.421687546361204E-03
      dxxpy=-4.475017712971694E-03
      dxpyy=-3.816892533347671E-05
      dalp=0.5*DATAH(1*dxy/(dx2-dy2))
    c =====
    c Calculate the generalized emittances based on the above=====
    c =====
    c generalized emittance constraint equations
    c
      emltg2=EG(dx2,dxxp,dyp2,dy2,dyypp,dyp2,dxy,dxpy,dxpyy,dxpyy)
      emltg2=EH(dx2,dxxp,dyp2,dy2,dyypp,dyp2,dxy,dxpy,dxpyy,dxpyy)
    c
    c =====
    c Setup fodo stuff =====
    c Initial dx^2*k_beta^2(including space charge) =====
      raa
      dz=dz0
      IF (jfodo.EQ.1) THEN
    c jfend is the value of j at end of focusing magnet
    c focusing magnet has values of j between 0 and jfend
    c first drift jfend and jdbeg
    c defocusing magnet jdbeg and jdend
    c second drift jdend and jlatt
      jfend=AIHT(etaaq*flattic/dz0+.5)
      IF (jfend.LT.1) jfend=1
      dzmag=etaaq*flattic/jfend
      jdrift=AIHT((1.0d0-etaaq)*flattic/dz0+.5)
      IF (jdrift.LT.1) jdrift=1
      dzdrift=(1.0d0-etaaq)*flattic/jdrift
      jdbeg=jfend+jdrift
      jdend=jdbeg+jfend
      jlatt=jdend+jdrift
      nz=4*nstepsperhip
      nz=(3.*etaaq)*nstepsperhip+1
    DO j=1,4
      kbet2(j)=quadfld(j)/rpipe*brho
      fktodo(j)=fbket2(j)**(.5)
    ENDDO
  ENDDIF
c

```

```

c === Initialize and write down beginning values =====
      z=z0
      g0(1,1)=dx2
      g0(2,1)=dxxp
      g0(3,1)=dyp2
      g0(4,1)=dy2
      g0(5,1)=dyypp
      g0(6,1)=dyp2
      g0(7,1)=dxy
      g0(8,1)=dxpy
      g0(9,1)=dxpy
      g0(10,1)=dxpyy
c =====
c ===== MAIN Z-LOOP =====
c =====
      DO 2000 iz=1,nz
        IF (jfodo.EQ.1)CALL fodostep
c === Advance all particles =====
      CALL dtdzsubiz,g0,dfdzw0)
c
      CALL flnt(g0,g1,z,dz,dfdzsub,dfdzw0)
c
      z=z+dz
      dxxp=g1(2,1)
      dyp2=g1(3,1)
      dyypp=g1(5,1)
      dyp2=g1(6,1)
      dxy=g1(7,1)
      dxpy=g1(8,1)
      dxpyy=g1(9,1)
      dxpyy=g1(10,1)
c
      dx2=DEEX2(dxxp,dyp2,dyypp,dyp2,dxy,dxpy,dxpy,dxpyy)
      dy2=DEEY2(dxxp,dyp2,dyypp,dyp2,dxy,dxpy,dxpy,dxpyy)
c
      g1(1,1)=dx2
      g1(4,1)=dy2
c
      DO 400 icoord=1,10
        g0(icoord,1)=g1(icoord,1)
      CONTINUE
c The following puts everything in terms of mm and mr vice cm and rads
      zee(1)=z
      ddx2(iz)=dx2*1e2
      ddxp(iz)=dxxp*1e4
      ddxp2(iz)=dyp2*1e6
      ddy2(iz)=dy2*1e2
      ddypp(iz)=dyypp*1e4
      ddypp2(iz)=dyp2*1e6
      ddxpy(iz)=dxy*1e2
      ddxpy(iz)=dxpy*1e4
      ddxpy(iz)=dxpy*1e4
      ddxpyy(iz)=dxpyy*1e6
c
      2000 CONTINUE
c
      CALL lossfunc(g1,ysqr,yloss)
      y(kounter)=ysqr
      Angmom=(dxy-dxpy)*1e4
      1000 CONTINUE
c
c =====
c Compute the gradient approximation, calculate the new Quad
c angles and check that they are significantly different from the
c last iteration and that the maximum iterations allowed has not
c been exceeded. If not, iterate again starting at flag 50.
c =====
c
      ydif=y(1)-ylast
      ysqrnum=y(1)-y(2)
      ylast=y(1)
      DO I=1,4

```

```

j=1+4
geet(1)=ysqrnum/(2*caubk*kdelta(1))
geeb(1)=ysqrnum/(2*daubk*kdelta(1))
thetanew(1)=dthetatab(1)-(asubk*geet(1))
quadfldnew(1)=quadfld(1)-(bsubk*geeb(1))
ENDDO

c
IF (ysqr .LT. ysqrmin) THEN
  OPEN(101, file='best1')
  OPEN(102, file='zcorr1.dat')
  ysqrmin=ysqr
  WRITE(101,*) 'Least Loss Function was ', ysqr
  WRITE(101,*) 'Angmom was ', angmom
  WRITE(101,*) 'Iteration Number was ', k1, ' k=', k
  WRITE(101,*) 'smalla=', smalla, 'kbiga=', kbiga
  WRITE(101,*) 'smallb=', smallb, 'maxit=', maxit
  WRITE(101,*) 'smallc=', smallc, 'smalld=', smalld
  DO i=1,4
    WRITE(101,*) 'Quad Field ', i, ' was ', quadfld(i)
  ENDDO
  WRITE(101,*) 'Quad 1 Angle was ', dthetatab(1)
  WRITE(101,*) 'Quad 2 Angle was ', dthetatab(2)
  WRITE(101,*) 'Quad 3 Angle was ', dthetatab(3)
  WRITE(101,*) 'Quad 4 Angle was ', dthetatab(4)
  WRITE(101,*) 'dx2= ', dx2, good(1)
  WRITE(101,*) 'dxxp= ', dxxp, good(2)
  WRITE(101,*) 'dyp2= ', dyp2, good(3)
  WRITE(101,*) 'dy2= ', dy2, good(4)
  WRITE(101,*) 'dyp2= ', dyp2, good(5)
  WRITE(101,*) 'dyp2= ', dyp2, good(6)
  WRITE(101,*) 'dyp2= ', dyp2, good(7)
  WRITE(101,*) 'dyp2= ', dyp2, good(8)
  WRITE(101,*) 'dyp2= ', dyp2, good(9)
  WRITE(101,*) 'dyp2= ', dyp2, good(10)
  WRITE(101,*) 'beta=', beta
c
DO i=1,800
  aangmom(1)=ddxyp(1)-ddxyp(1)
  eemltmx2=16.0d0*beta**2*(ddx2(1)*ddxp2(1)-ddxyp(1)**2)
  eemltmx(1)=SQRT(eemltmx2)
  eemltmy2=16.0d0*beta**2*(ddy2(1)*ddyp2(1)-ddyyp(1)**2)
  eemltmy(1)=SQRT(eemltmy2)
  eemltng2=.5*(eemltmx2+eemltmy2)
  eemltng(1)=SQRT(eemltng2)
c 3456789012345678901234567890123456789012345678901234567890123456789012
  eemltmh(1)=(eemltmx2*eemltmy2)
  (4.0d0*beta)**4*(ddxyp(1)**2*ddxy(1)**2-
  2*ddxyp(1)*ddxyp(1)*ddxy(1)*ddxyp(1)+
  ddxyp(1)**2*ddxyp(1)**2*2*ddxyp(1)*ddxyp(1)*ddxy(1)*ddyp2(1)-
  ddxp2(1)*ddxy(1)**2*ddyp2(1)-ddxyp(1)**2*ddx2(1)*ddyp2(1)-
  2*ddxyp(1)*ddxyp(1)*ddxy(1)*ddyp2(1)-
  2*ddxyp(1)*ddxyp(1)*ddxyp(1)*ddyp2(1)+
  2*ddxp2(1)*ddxy(1)*ddxyp(1)*ddyp2(1)+
  2*ddxyp(1)*ddxyp(1)*ddx2(1)*ddyp2(1)+
  2*ddxyp(1)*ddxyp(1)*ddxyp(1)*ddyp2(1)-
  ddxp2(1)*ddxyp(1)**2*ddyp2(1)-
  ddxyp(1)**2*ddx2(1)*ddyp2(1))**0.25
  WRITE(102,*) 'see(1), ddx2(1), ddxyp(1), ddxp2(1), ddy2(1), ddyyp(1),
  ddy2(1), ddxyp(1), ddxyp(1), ddxyp(1), aangmom(1),
  eemltmx(1), eemltmy(1), eemltng(1), eemltmh(1), k
  ENDDO
  CLOSE(101)
  CLOSE(102)

ENDIF
IF (abs(angmom) .LT. abs(angmommin)) THEN
  OPEN(103, file='best2')
  OPEN(104, file='zcorr2.dat')
  angmommin=angmom
  WRITE(103,*) 'Least Angmom was ', angmom
  WRITE(103,*) 'Loss Function was ', ysqr

```

```

WRITE(101,*) 'Iteration Number was ', k1, ' k=', k
WRITE(103,*) 'smalla=', smalla, 'kbiga=', kbiga
WRITE(103,*) 'smallb=', smallb, 'maxit=', maxit
DO i=1,4
  WRITE(103,*) 'Quad Field ', i, ' was ', quadfld(i)
ENDDO
WRITE(103,*) 'Quad 1 Angle was ', dthetatab(1)
WRITE(103,*) 'Quad 2 Angle was ', dthetatab(2)
WRITE(103,*) 'Quad 3 Angle was ', dthetatab(3)
WRITE(103,*) 'Quad 4 Angle was ', dthetatab(4)
WRITE(103,*) 'dx2= ', dx2, good(1)
WRITE(103,*) 'dxxp= ', dxxp, good(2)
WRITE(103,*) 'dyp2= ', dyp2, good(3)
WRITE(103,*) 'dy2= ', dy2, good(4)
WRITE(103,*) 'dyp2= ', dyp2, good(5)
WRITE(103,*) 'dyp2= ', dyp2, good(6)
WRITE(103,*) 'dyp2= ', dyp2, good(7)
WRITE(103,*) 'dyp2= ', dyp2, good(8)
WRITE(103,*) 'dyp2= ', dyp2, good(9)
WRITE(103,*) 'dyp2= ', dyp2, good(10)
WRITE(103,*) 'beta=', beta
c
DO i=1,800
  aangmom(1)=ddxyp(1)-ddxyp(1)
  eemltmx2=16.0d0*beta**2*(ddx2(1)*ddxp2(1)-ddxyp(1)**2)
  eemltmx(1)=SQRT(eemltmx2)
  eemltmy2=16.0d0*beta**2*(ddy2(1)*ddyp2(1)-ddyyp(1)**2)
  eemltmy(1)=SQRT(eemltmy2)
  eemltng2=.5*(eemltmx2+eemltmy2)
  eemltng(1)=SQRT(eemltng2)
c 3456789012345678901234567890123456789012345678901234567890123456789012
  eemltmh(1)=(eemltmx2*eemltmy2)
  (4.0d0*beta)**4*(ddxyp(1)**2*ddxy(1)**2-
  2*ddxyp(1)*ddxyp(1)*ddxy(1)*ddxyp(1)+
  ddxyp(1)**2*ddxyp(1)**2*2*ddxyp(1)*ddxyp(1)*ddxy(1)*ddyp2(1)-
  ddxp2(1)*ddxy(1)**2*ddyp2(1)-ddxyp(1)**2*ddx2(1)*ddyp2(1)-
  2*ddxyp(1)*ddxyp(1)*ddxy(1)*ddyp2(1)-
  2*ddxyp(1)*ddxyp(1)*ddxyp(1)*ddyp2(1)+
  2*ddxp2(1)*ddxy(1)*ddxyp(1)*ddyp2(1)+
  2*ddxyp(1)*ddxyp(1)*ddx2(1)*ddyp2(1)+
  2*ddxyp(1)*ddxyp(1)*ddxyp(1)*ddyp2(1)-
  ddxp2(1)*ddxyp(1)**2*ddyp2(1)-
  ddxyp(1)**2*ddx2(1)*ddyp2(1))**0.25
  WRITE(104,*) 'see(1), ddx2(1), ddxyp(1), ddxp2(1), ddy2(1), ddyyp(1),
  ddy2(1), ddxyp(1), ddxyp(1), ddxyp(1), aangmom(1),
  eemltmx(1), eemltmy(1), eemltng(1), eemltmh(1), k
  ENDDO
  CLOSE(103)
  CLOSE(104)

ENDIF
one=dthetatab(1)*1000
two=dthetatab(2)*1000
three=dthetatab(3)*1000
four=dthetatab(4)*1000
angmom=(dxxp-dxyp)*1e4
c
WRITE(70,*) k, one, two, three, four, quadfldnew(1), quadfldnew(2),
quadfldnew(3), quadfldnew(4), ysqr, angmom
111 FORMAT(1x,1p,11.4)
112 FORMAT(5(1x,1p,11.4))
c
c===== Stopping Criteria =====
c=====
IF (k1 .GT. maxit) THEN
  PRINT *, 'SPSA exceeded maximum iterations limit'
  WRITE(80,*) 'SPSA exceeded maximum iterations limit of ', k1
ELSE
  allmit=0.0000001

```



```

      IF (ysqr .GT. slimit) THEN
        DO i=1,4
          dthetatab(i)=thetaneu(i)
          quadfld(i)=quadfldneu(i)
        ENDDO
        g=asubk*gee(1)
        PRINT *,k," ",ysqr,angmom
        k=k+1
        kl=k+1
        kflag=0
        GO TO 50
      ELSE
        kflag=kflag+1
        IF (kflag .LT. 1) THEN
          DO i=1,4
            dthetatab(i)=thetaneu(i)
            quadfld(i)=quadfldneu(i)
          ENDDO
          k=k+1
          kl=k+1
          PRINT *,k," ", angles="dthetatab(1),dthetatab(2),
            dthetatab(3),dthetatab(4)," /lag=",kflag
          GO TO 50
        ENDDIF
      ENDDIF
    ENDIF
  ENDIF
ENDIF
c *** Printing loop *****
c
  CALL prntsub(z)
  PRINT *, 'dx2=',dx2,' dxxp=',dxxp,' dyp2=',dyp2
  PRINT *, 'dy2=',dy2,' dyyp=',dyyp,' dyp2=',dyp2
  PRINT *, 'dxy=',dxy,' dxyy=',dxyy,' dxyy=',dxyy,' dxypp=',dxypp

c
  DO i=1,4
    angle=thetaneu(i)*(160/(2*pi))
    PRINT *, 'Correct angle for Quad',i, 'is',angle
    WRITE (80,*) 'Correct angle for Quad',i, 'is',angle
  ENDDO
  DO i=1,4
    PRINT *, 'Quad Field',i,'is',quadfld(i),'Tesla'
    WRITE (80,*) 'Quad Field',i,'is',quadfld(i),'Tesla'
  ENDDO
  WRITE (80,*) 'dx2=',dx2,' dxxp=',dxxp,' dyp2=',dyp2
  WRITE (80,*) 'dy2=',dy2,' dyyp=',dyyp,' dyp2=',dyp2
  WRITE (80,*) 'dxy=',dxy,' dxyy=',dxyy,' dxyy=',dxyy,' dxypp=',dxypp
  WRITE (80,*) 'dxypp=',dxypp
  WRITE (80,*) 'Final angmom=',angmom
  WRITE (80,*) 'Final Loss Function=', ysqr
  WRITE (80,*) 'Desired momenta were:'
  WRITE (80,*) 'dx2=0.25491'
  WRITE (80,*) 'dxxp=5.79943d-03'
  WRITE (80,*) 'dyp2=1.33493d-04'
  WRITE (80,*) 'dy2=.67851'
  WRITE (80,*) 'dyyp=-1.16665d-02'
  WRITE (80,*) 'dyp2=1.94344d-04'
  WRITE (80,*) 'dxy= 0, dxyy=0, dxypp=0, dxypp=0'
  WRITE (80,*) 'smalla=',smalla,' smallb=',smallb
  WRITE (80,*) 'smallc=',smallc,' smalld=',smalld
c
  CLOSE(10)
  CALL EXIT(1)
  END
c *****
c *** Least Square Calculation Routine *****
c *****
  SUBROUTINE lossfunc(q2,ysqr,yloss)
    IMPLICIT DOUBLE PRECISION (a-h,o-z)
    COMMON/blk35/good
    DIMENSION good(10),q2(10,1)

```

```

      dx2=q2(1,1)
      dxxp=q2(2,1)
      dyp2=q2(3,1)
      dy2=q2(4,1)
      dyyp=q2(5,1)
      dyp2=q2(6,1)
      dxy=q2(7,1)
      dxyy=q2(8,1)
      dxypp=q2(9,1)
      dxypp=q2(10,1)
c
  ysqr=DSQRT((dx2-good(1))**2+(dxxp-good(2))**2+
    (dyp2-good(3))**2+(dy2-good(4))**2+(dyyp-good(5))**2+
    (dyp2-good(6))**2+dxy**2+dxyy**2+dxypp**2)
c
  yloss=DSQRT((1e2*(dx2-good(1))**2+(1e4*(dxxp-good(2))**2+
    (1e6*(dyp2-good(3))**2+(1e2*(dy2-good(4))**2+
    (1e4*(dyyp-good(5))**2+(1e6*(dyp2-good(6))**2+
    (1e4*dxy)**2+(1e4*dxyy)**2+(1e4*dxypp)**2+(1e6*dxypp)**2)
c
  RETURN
  END
c *****
c *****
c *** Printing routine *****
c *****
  SUBROUTINE prntsub(z)
    PARAMETER (nprntmax=1, ntheta=100000)
    IMPLICIT DOUBLE PRECISION (a-h,o-z)
    DIMENSION dthetatab(ntheta)
    COMMON/blk1/emitt2, emitt2, beta
    COMMON/blk2/fkbt2(10), fkbt2(10), fkbt2(10), fkbt2(10)
    COMMON/blk3/betacon1, halfbetacon1, betaovbetao, dbdzoovb
    COMMON/blk11/jstep, jphase, jfend, jdbeg, jkend, jldet, dzmag, dzdrift
    COMMON/blk12/dz, dz0, dzpre
    COMMON/blk30/dtheta, costwotheta, sintwotheta, thetamax, thetarmx,
    flattno, dthetatab
    xav=0
    yav=0
    xpav=0
    ypav=0
    call betavals(z)
    beta=betao*betaovbetao
    dalpha=.5*DATAH(2*dxy/(dx2-dy2))
    cosalpha=DCOS(dalpha)
    sinalpha=DSIN(dalpha)
    cosalpha2=cosalpha**2
    sinalpha2=sinalpha**2
    sintwoalpha=DCOS(2.*dalpha)
    sintwoalpha=DSIN(2.*dalpha)
    transenergy=.5*(dyp2 + dyp2
    - fkbt2(2)*z)*(dx2-dy2)*costwotheta +
    2.0d0*dxy*sintwotheta )
    - perov'DLOG(
    DSQRT(dx2*cosalpha2 +
    dy2*sinalpha2 +
    dxy*sintwoalpha ) +
    DSQRT(dy2*cosalpha2 +
    dx2*sinalpha2 -
    dxy*sintwoalpha ) )
    dxb2=dx2*cosalpha2+dy2*sinalpha2+2*dxy*sinalpha*cosalpha
    dyb2=dy2*cosalpha2+dx2*sinalpha2-2*dxy*sinalpha*cosalpha
    aheam=2*DSQRT(dxb2)
    bheam=2*DSQRT(dyb2)
    angmom=dxy-dxy
    emittx2=16.0d0*beta**2*(dx2*dyp2-dxxp**2)
    emittx=SQRT(emittx2)
    emittny2=16.0d0*beta**2*(dy2*dyp2-dyyp**2)
    emittny=SQRT(emittny2)
    emittng2=.5*(emittx2+emittny2)
    16.*beta**2*(dxy*dxypp-dxypp*dxypp)
    emittng=SQRT(emittng2)

```

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```

Inp=1.0d0
dum=1.0d-8
RETURN
END

c
c *** Integration routine ***
c *** This subroutine is adapted from the subroutine RK4 from ***
c *** Numerical Recipes by Press et al. The main difference is the ***
c *** use of two dimensional arrays rather than linear arrays. ***
c *** Input variables: ***
c *** Y(ieqn,lt): The 2-D array of dependent variables ***
c *** DYDX(ieqn,lt): Initial derivatives calculated in calling ***
c *** subroutine ***
c *** leqnm, nprtmx: Maximum dimensions of the arrays ***
c *** X: The independent variable ***
c *** H: The step size in X ***
c *** DERIVS: The name of the subroutine with the derivatives ***
c *** Output variables: ***
c *** YOUT(ieqn,lt): The new values of Y at X+H ***
c
SUBROUTINE f1st(Y, YOUT, X, H, DERIVS, DYDX)
IMPLICIT DOUBLE PRECISION (a-h,o-z)
PARAMETER (leqn=10, nprtmx=1, idir=8)
EXTERNAL DERIVS
DIMENSION Y(leqn, nprtmx), DYDX(idir, nprtmx),
          YOUT(leqn, nprtmx)
DIMENSION YT(leqn, nprtmx), DYT(idir, nprtmx),
          DYH(idir, nprtmx)
leqnmax=10
itmax=nprtmx
HH=H*0.5
H6=H/6.
XH=X+HH
XF=X+H

c
DO 110 lt=1, itmax
  YT(2,lt)=Y(2,lt)+HH*DYDX(1,lt)
  YT(3,lt)=Y(3,lt)+HH*DYDX(2,lt)
  YT(5,lt)=Y(5,lt)+HH*DYDX(3,lt)
  YT(6,lt)=Y(6,lt)+HH*DYDX(4,lt)
  YT(7,lt)=Y(7,lt)+HH*DYDX(5,lt)
  YT(8,lt)=Y(8,lt)+HH*DYDX(6,lt)
  YT(9,lt)=Y(9,lt)+HH*DYDX(7,lt)
  YT(10,lt)=Y(10,lt)+HH*DYDX(8,lt)
110 CONTINUE

c
CALL DERIVS(XH, YT, DYT)
DO 120 lt=1, itmax
  YT(2,lt)=Y(2,lt)+HH*DYT(1,lt)
  YT(3,lt)=Y(3,lt)+HH*DYT(2,lt)
  YT(5,lt)=Y(5,lt)+HH*DYT(3,lt)
  YT(6,lt)=Y(6,lt)+HH*DYT(4,lt)
  YT(7,lt)=Y(7,lt)+HH*DYT(5,lt)
  YT(8,lt)=Y(8,lt)+HH*DYT(6,lt)
  YT(9,lt)=Y(9,lt)+HH*DYT(7,lt)
  YT(10,lt)=Y(10,lt)+HH*DYT(8,lt)
120 CONTINUE

c
CALL DERIVS(XH, YT, DYH)
DO 130 lt=1, itmax
  Y(2,lt)=Y(2,lt)+H*DYH(1,lt)
  Y(3,lt)=Y(3,lt)+H*DYH(2,lt)
  Y(5,lt)=Y(5,lt)+H*DYH(3,lt)
  Y(6,lt)=Y(6,lt)+H*DYH(4,lt)
  Y(7,lt)=Y(7,lt)+H*DYH(5,lt)
  Y(8,lt)=Y(8,lt)+H*DYH(6,lt)
  Y(9,lt)=Y(9,lt)+H*DYH(7,lt)
  Y(10,lt)=Y(10,lt)+H*DYH(8,lt)
130 CONTINUE

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DYH(6,lt)=DYT(6,lt)+DYH(6,lt)
YT(9,lt)=Y(9,lt)+H*DYH(7,lt)
DYH(7,lt)=DYT(7,lt)+DYH(7,lt)
YT(10,lt)=Y(10,lt)+H*DYH(8,lt)
DYH(8,lt)=DYT(8,lt)+DYH(8,lt)

110 CONTINUE

c
CALL DERIVS(XF, YT, DYT)
DO 140 lt=1, itmax
  YOUT(2,lt)=Y(2,lt)
  +H6*(DYDX(1,lt)+DYT(1,lt)+2.*DYH(1,lt))

  YOUT(3,lt)=Y(3,lt)
  +H6*(DYDX(2,lt)+DYT(2,lt)+2.*DYH(2,lt))

  YOUT(5,lt)=Y(5,lt)
  +H6*(DYDX(3,lt)+DYT(3,lt)+2.*DYH(3,lt))

  YOUT(6,lt)=Y(6,lt)
  +H6*(DYDX(4,lt)+DYT(4,lt)+2.*DYH(4,lt))

  YOUT(7,lt)=Y(7,lt)
  +H6*(DYDX(5,lt)+DYT(5,lt)+2.*DYH(5,lt))

  YOUT(8,lt)=Y(8,lt)
  +H6*(DYDX(6,lt)+DYT(6,lt)+2.*DYH(6,lt))

  YOUT(9,lt)=Y(9,lt)
  +H6*(DYDX(7,lt)+DYT(7,lt)+2.*DYH(7,lt))

  YOUT(10,lt)=Y(10,lt)
  +H6*(DYDX(8,lt)+DYT(8,lt)+2.*DYH(8,lt))
140 CONTINUE
RETURN
END

c
c *** Runge-kutta integration routine ***
c
SUBROUTINE dfdsab(zw, fw, dfdz)
IMPLICIT DOUBLE PRECISION (a-h,o-z)
PARAMETER (nprtmx=1, nhet=100000)
DIMENSION fw(10, nprtmx), dfdz(8, nprtmx)
DIMENSION dthetatab(nhet)
COMMON/blkl/emltg2, emltg2, beta
COMMON/blk2/fkbt2(10), fkbt2(2), fkbt2(2), perva, betao,
          pervpower, quadfld(10), fkfodo(10)
COMMON/blk3/betacn1, halfbetacn1, betao, betao, dbdzo,
COMMON/blkl/jatp, jphase, jfend, jdbeg, jdend, jlatt, dzmag, dzdrift
COMMON/blk12/dz, dz0, dzpre
COMMON/blk30/dtheta, costwotheta, sintwotheta, thetamax, thetarma,
          lattno, dthetatab

c
dxp=fw(2,1)
dyp=fw(3,1)
dypp=fw(5,1)
dyp2=fw(6,1)
dxy=fw(7,1)
dxdy=fw(8,1)
dxdp=fw(9,1)
dxdyp=fw(10,1)

c
dx2=DEEX2(dxp, dyp2, dypp, dyp2, dxy, dxdy, dxdp, dxdyp)
dy2=DEEY2(dxp, dyp2, dypp, dyp2, dxy, dxdy, dxdp, dxdyp)

c
fw(1,1)=dx2
fw(4,1)=dy2

c
CALL betavals(zw)
perv=perva*betaovbetao*+pervpower
alpha=.5*ATAN2(dxy/(dx2-dy2))
cosalph=DCOS(alpha)
sinalph=DSIN(alpha)
cos2alpha=cosalph**2
sin2alpha=sinalph**2

```


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E.4 “PEPPERPOT”

“PEPPERPOT” is a code written in IDL. It was modified from A. Paul’s IDL pepperpot image analysis code used with images of electron beams from the ETA-II accelerator. It was modified to analyze ion beams passed through a rectangular pattern pepperpot mask more suitable to the analysis of a beam produced by an alternating gradient focusing lattice. A modification was made to calculate the transverse cross-moments and display these correlations. The ability to fit a gaussian curve to beamlet spot cross-sections was also added.

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pepperpot.pro

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1  : GBI.PRO
2  :
3  : -----
4  : center (1..nbeam,6) == xpix,ypix,xmin,xmax,ymin,ymax
5  : bradius(0..nbeam-1) == radius of beamlet, center of beamlet=0
6  : jradius(0..nbeam-1) == radial position of beamlet on mask
7  : data (1..nbeam,9) == peak,x1,x2,xabs,y1,y2,yabs,totalint,background
8  : phase (1..nbeam,6) == xabs,xp1,xp2,yabs,yp1,yp2
9  :
10 : -3 / 0,0,xav,xpav,yav,ypav (centroid of phase space)
11 : -2 / r12,r34,xs,xps,ys,yps (phase space plot scales)
12 : -1 / s11,s12,s22,s33,s34,s44
13 : emitn (1..nbeam) == emitx,emity for each beamlet
14 : mask(0..J) == x,y,radius / 1:nbeam are for beamlets, mask(0,2)=input radius
15 : mask(0,0) not used, mask(0,1)=mask rotation angle
16 : plot_lets(1..nbeam) == beamlets_number_plotted, beamlet_ignor_flag
17 : / (nbeam+1),1=label_ellipse_flag
18 : prange(50) == (0..3)=profile(xmin,xmax,ymin,ymax), (4)=nsave, (5..49)overplots
19 :
20 : Modified from Pepperpot.pro, A.C.Paul, 5/9/90
21 : Read *.RAS files with pepper pot images
22 : plot C)ontour, S)surface, B)eamlets, E)llipse, P)rofiles, J)ness
23 : Calculate beam brightness and phase space occupied by the beamlets.
24 :
25 : -----
26 :
27 : 1) analyze, 4352 / Take x,y cuts of beamlets, prints half size
28 : 2) adjust_centers, 3223 / TV, surface, and contour plots of many files
29 : 3) data_input, 1724 / Interactive data input, change parameters
30 : 4) decode, 1339 / Input string ss, returns array of numbers
31 : 5) default_data, 4772 / Set initial parameters
32 : 6) do_levels, 283 / calculate emittance for levels 10..90%
33 : 7) do_profiles, 4559 / Cuts in x and y
34 : 8) dplots, 5052 / plot beamlets, contour, surface, mask, window, ....
35 : 9) dump_image, 3459 / Prints actual IMAGE sub area in pixels, raw data
36 : 10) dumpfile, 567 / saves and restores parameters 1/4/91
37 : 11) fit_gauss, 4240 /
38 : 12) fix_data, 833 / Fix window, image and mask arrays
39 : 13) fix_beam, 963 / Fix beam centers, add or delete beamlet windows on
40 : mask
41 : 14) fix_image, 1078 / Fixes the image array, subtract background, etc.
42 : 15) fix_mask, 893 / fix mask
43 : 16) gen_rectangular, 2794 / generates cartesian mask
44 : 17) gen_round, 2659 / generates round mask pattern
45 : 18) gen_mask, 3155 / generates mask hole pattern (x,y) at t=0, mask(*)
46 : 19) get_centers, 3289 / Finds beamlet center(*) and sub_window in pixels
47 : 20) get_beamlets, 1453 / Finds beamlet width at level in sub_window, data(*)
48 : 21) get_emittance, 1673 / Calculates emittance of beamlets, phase(*) emitn(*)
49 : 22) get_halo, 383 /
50 : 23) get_rebin, 1428 /
51 : 24) get_scale, 5024 /
52 : 25) get_sigma, 1569 /
53 : 26) function get_word, 269 / returns word from string
54 : 27) greetings, 234 / Print initial information on help
55 : 28) hlpme, 137 / Online help package
56 : 29) list_data, 3886 / List beamlet centers, and data() array to screen
57 : 30) move_cursor, 3836 / Move cursor on contour or window plot, set surface 1
58 : 31) movie, 1870 / Movie of cuts every 5 pixels in the x or y directio
59 : 32) next_file, 3571 / Gets next sequential file
60 : 33) function odd_n / n=5 x=5.00 xh=2 x-2nh-1 / n=6 x=6.00 xh=3 x-2xh=0
61 : 34) output, 1214 / Writes file printname with beamlet data
62 : 35) pepperpot, 5274 / Main program
63 : 36) plot_all_beam, 2437 /
64 : 37) plot_6d_space, 2049 / Plots xy', yx', x'y', and xy of beamlets
65 : 38) plot_beamlet, 2478 / Plot surface plot of given beamlet
66 : 39) plot_brightness, 3643 / Plots beamlet brightness vs radius
67 : 40) plot_ellipse, 1984 / Plot phase ellipse on data plot from sigma matrix
68 : 41) plot_mask, 2586 / plot mask hole pattern on contour, center plot
69 : 42) plot_phase_space, 2218 / Plots x and y phase space

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70 : 35) plot_tv_frame, 1158 / Plots 'TV' of image, overlay windows
71 : 36) plot_window, 3517 / Plots location and beamlet number on pixel grid
72 : 37) read_titles, 4979 / Reads the title lines for a sequence of files
73 : 38) readdata, 3593 / Reads initial data, window, level, filenames etc.
74 : 39) readfile, 1363 / Reads image.RAS file
75 : 40) readme, 197 / Reads help file 'pepperpot.readme'
76 : 41) rotate_mask, 862 /
77 : 42) set_contour, 4584 / Finds center for contour plot from mouse position
78 : 43) set_path_name, 4962 / Sets directory path name for Save and Ras files'
79 : 44) set_surface, 4707 / Finds center for surface plot from mouse position
80 : 45) show_list, 4882 / List to screen plots that will be generated by ...
81 : 46) smooth_data, 4736 / Use sliding box car smooth on image
82 : 47) summary, 4146 /
83 : 48) summaryr, 4058 / Plots Peak.Total beamlet intensity, x,y and radius
84 : 49) toggle_windows, 4935 / Shows and hides windows 0, 2 and 4
85 : 50) very_mask, 3049 /
86 : 51) write_scales, 2205 /
87 : 52) zero_image, 3424 / Allows 'zeroing' of a bad area of the image
88 :
89 : -----
90 :
91 : save 'dumpfile' consists of
92 : print(1,filename
93 : print(1,title
94 : print(1,imin,imax,background,xdim,ydim
95 : print(1,xcmplx,ycmplx,drift,rhole,separation,thickness
96 : print(1>window,x>window,y>window,level
97 : print(1,current,energy,betagamma,restm,brightness,emitx,emity
98 : print(1,lpass,nholes,emit_scl(4),briht_scl(4)
99 : print(1,nbeam,nmask,typemask
100 : print(1,'DATA{')
101 : print(1,data(0:nbeam*2,*) 0..
102 : print(1,'CENTER{')
103 : print(1,center(0:nbeam*2,*) 0..
104 : print(1,'MASK{')
105 : print(1,nx,ny,junk,junk
106 : print(1,mask(1:nmask,*) 0..
107 :
108 : -----
109 :
110 : pro helpme
111 : common com1,filename,dumpname,printname,dataname,title
112 : for k=1,9 do print, '
113 : print, '
114 : print, '< ===== GBI pepperpot.pro (5/14/97) ===== >'
115 : print, '
116 : print, 'ETAJR LOS calibrations x,y(cm/pixel) are:'
117 : print, '1320(0.0157,0.0130), 1726(0.0272,0.0185), 1806(0.0150,0.0119)'
118 : print, 'analyze Do cuts in x and y of given beamlet'
119 : print, 'Autoview Hardcopy of TV, Surface, and Contour plots, many files'
120 : print, 'beamlet Plot given beamlet 1..max'
121 : print, 'B) Regenerates beamlets, Background subtraction'
122 : print, 'c)ontour Plot contours of image. Enter ix1 ix2 iy1 iy2, cs auto scales'
123 : print, 'd)ata Input E(MeV), current, mask, pixels, window, image, and level'
124 : print, 'e)llipse Plot x-xp and y-yp phase space, ss input fix scales for a plot
125 : print, '
126 : e6 plots (x-yp), (y-xp), (xp-yp), (xy), e26,e46 to windows 2 and
127 : 4
128 : print, 'el plot emittance vs level 10..90%, ele 5,10,20,...90,95%'
129 : print, 'e-wids> plot beamlets transformed to location of waist, image, distance'
130 : print, 'Enhance Scales image() array to 0..254 pixels'
131 : print, 'fix c)enter(), mask(), i)mage() arrays'
132 : print, 'g)et_halo Remove beamlets from image, leaves background halo.'
133 : print, 'help 'h' this online help, 'H' will read file pepperpot.readme'
134 : print, 'i)nit Mask hole pattern, iw maskiwindow centers superimposed'
135 : print, 'ic)rossover, is)ift by given x,y, iv)ary_mask'
136 : print, 'ig)enerate click on holes, igx generate mask of nx*ny holes'
137 : print, 'ik)enerate round mask of nbeam holes, ik)rotate mask pattern'
138 : print, 'j)ness Plot brightness, js input fix scales for all J plots'
139 : print, 'l)ist List data, intensity of beamlets, x,y,centroid etc.'
140 : print, 'm)ove Move cursor, left button returns x,y, right button returns'
141 : print, 'N)ovie x,y profiles every x=5,xdim in steps of 5, N,Mx,My, Mxa adds'
142 : print, 'next File, new image'

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141 print,'output Writes cent.bright,emit file ''printname'' '0' forces new'
142 print,'pprofile Cut in image, e.g., x104 (xcut 0 y104) y55 (ycut 0 x55), plo'
143 print,' polverplot profiles, pr)overplot range profiles, kmin,max,step
144
144 print,'Plath Set file directory path, e.g., *.ras files 'R355/'
145 print,' Ps set path for 'save' files'
146 print,'qult Exits this program after allowing for 'saving' of files.'
147 print,'R' ???
148 print,'s!urface Surface plot of sub_window region. Enter ---> ix1 ix2 iy1 iy2'
149 print,'S!mooth Smooth image, if smooth<1 then regenerate centers etc'
150 print,'Sa Adjust beamlet centers'
151 print,'t!V Produce a TV image of frame, e2,l2,j2,t2,v2,or w2 ==> window 2
152
152 print,' ts scales image to 0..255, e2,l2,j2,t2,v2,or w2 ==> window 4
153
153 print,'T!itles Reads title lines for a sequence of files'
154 print,'u!abort abort in get_beamlet at beamlet=labort'
155 print,'v!iew Summary of all beamlets, radius, intensity, peak, vr vs radius
156
156 print,'w!indows Plot window of beamlets and centers with indices, w!entimeters
157
157 print,' w!no frames, just center and index number into window 2.'
158 print,'W Toggles show and hide of windows 2 and 4, Ws2,Ws4,Wb2,Wb4'
159 print,'x!ecute runs beamlet and emittance procedures.'
160 print,'y!dump sub region of image to ''dumpname'' W0!verplot c'
161 print,'z!ero sub region of image
162 print,') Print plots now and return to program, '' purges all plots'
163 print,' *! show to screen plot that will be generated by ''
164 print,'
165 return
166 end
167
168 -----
169
170 pro readme
171 common com3,ssin,pview,ch2
172
172 ss='' & ch'' & line=0
173
174 openr,1,'pepperpot.readme'
175 if ch2 ne '' then $
176 begin
177 lxx=strlen(ssin)-1
178 schk=strmid(ssin,1,lxx)
179 while not eof(1) do begin
180 readf,1,ss
181 if (strmid(ss,0,1) eq '0') then $
182 if (strmid(ss,1,lxx) eq schk) then goto,1listit
183 if (strmid(ss,1,1) eq '0') then goto,exit
184 end
185 listit: readf,1,ss
186 while (strmid(ss,0,1) ne '0') do $
187 begin
188 print,ss & readf,1,ss
189 line=line+1
190 if line gt 40 then begin
191 line=0 & read,'Continue <n> ',ch & if ch eq 'n' then goto,exit
192 end
193 end
194 goto,exit
195 end $
196 else while not eof(1) do begin & wshow,0,0
197 readf,1,ss & print,ss & line=line+1
198 if line eq 43 then begin
199 line=0 & read,'Continue <n> ',ch & if (ch eq 'n') then goto,exit & end
200 end
201 exit: close,1
202 return
203 end
204
205 -----
206
207 pro greetings,error
208 common com3,ssin,pview,ch2

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209 common com15,version,comhead,comdata,moments
210
211 ss=strarr(12)
212 li=strpos(comdata(0),'VERSION') & li=strlen(comdata(0))
213 ss(0)=''
214 ss(1)= Program to process *.RAS files and calculate from the TV image'
215 ss(2)= the beam emittance and brightness for 'PEPPER_POT' beamlets.'
216 ss(3)=
217 ss(4)= Greetings / pepperpot.pro
218 ss(5)= Enter Capital H for 'pepperpot.readme'
219 ss(6)= Enter Capital Wx for help on subject x -command character..
220 ss(7)= any other entry starts program
221 ss(8)=
222 ss(9)= ''strmid(comdata(0),li,li-li)
223 ss(10)=
224 ss(11)=''
225 yxx=0.9
226 for k=0,11 do begin
227 xyyouts,0.12,yxx,ss(k),color=0,size=1.25,/norm & yxx=yxx-0.06
228 end
229 ss='' & read,'Your entry please <H>ELP, R)restart, LF> ==> ',ss
230 ch=strmid(ss,0,1)
231 if ch eq 'H' then begin
232 if strlen(ss) gt 1 then ch2=strmid(ss,1,1) else ch2= '' & readme
233 end else if ch eq 'R' or ch eq 'r' then begin
234 print,'RESTART from file'
235 error='R'
236 end else helpme
237 return
238 end
239
240 -----
241
242 function get_word,ss,nword
243
244 i=strpos(ss,' ')
245 if i lt 0 then read,' ',word $
246 else begin
247 while strmid(ss,i,1) eq ' ' do i=i+1
248 word=strmid(ss,i,strlen(ss)-i)
249 end
250
251 return,word
252 end
253
254 -----
255
256 pro do_levels,ntime
257 common com1,filename,dumpname,printname,dataname,title
258 common com3,ssin,pview,ch2
259 common com4,data,nspcj,phase,maxdata,mask,rmask,typemask
260 common com5,plot_lets,center,maxb,nbeam
261 common com8>window,xwindow,ywindow,chwin2,level
262 common com9,current,energy,betagamma,restm,brightness,emitx,emity,emitt,nemit
263 common com15,version,comhead,comdata,moments
264 common com17,chsiv,have_done,maxptype,ptype,chellipse,che16d,che1aci
265
266 if rmask eq 0 then begin & print,'Must generate mask.' & return & end
267 if strmid(ssin,2,1) eq 's' then begin
268 k1=0 & k2=10 & lev=10*indgen(11) & emt=flarr(11)
269 lev(0)=5 & lev(10)=95
270 end else begin
271 k1=1 & k2=9 & lev=10*indgen(10) & emt=flarr(10)
272 end
273
274 emx=emt & emy=emt
275 for k=k1,k2 do begin
276 level=lev(k)
277 get_beamlets,0
278 get_emittance,
279 xemav=0 & yemav=0
280 for i=1,nbeam do begin
281 xemav=xemav+le6*emitt(i,0)

```

```

282 yemav=yemav*1e6*emitt(1,1)
283 end
284 xemav=xemav/nbeam & yemav=yemav/nbeam
285 ave=0.5*(xemav+yemav)
286 emx(k)=xemav & emy(k)=yemav & emt(k)=ave
287 if ntime eq 0 then $
288   print, 'level', level, 'string(level, format="(f10.0)")', 'comdata(8)'
289 end
290 plot, lev(k1:k2), emt(k1:k2), xrange=[0,100], psym=4, $
291   xtitle='Percent Level', ytitle='Beam Emittance (mm-mr)', $
292   title=title, 'filename'
293 oplot, lev(k1:k2), emt(k1:k2)
294 oplot, lev(k1:k2), emx(k1:k2), psym=4
295 oplot, lev(k1:k2), emy(k1:k2), psym=4
296 xx=fltarr(2) & yy=xx
297 for k=k1,k2 do begin
298   xx(0)=lev(k) & xx(1)=xx(0) & yy(0)=emt(k) & yy(1)=emy(k)
299   oplot, xx, yy
300 end
301 if emx(5) gt emy(5) then ix=5 else ix=-5
302 xyouts, lev(5)+ix, emx(5), 'X'
303 xyouts, lev(5)-ix, emy(5), 'Y'
304
305 if ntime eq 0 then begin & xx=0.4 & yy=0.93 & end $
306   else begin & xx=0.1 & yy=-0.03 & end
307 yy=yy-0.03 & xyouts, xx, yy, comdata(1), /norm
308 yy=yy-0.01 & xyouts, xx, yy, comdata(4), /norm
309 yy=yy-0.03 & xyouts, xx, yy, comdata(6), /norm
310 yy=yy-0.03 & xyouts, xx, yy, comdata(9), /norm
311 yy=yy-0.03
312 if mask(0,1) ne 0 then xyouts, xx, yy, 'Mask rotation', comdata(19), /norm
313
314 level=10
315 get_beamlets, 0
316 get_emittance, '
317 return
318 end
319
320 -----
321
322 pro label_frames, ntime, pixsum, heysum, imsum, ssize
323
324 common com1, filename, dumpname, printname, dataname, title
325 common com4, data, nspc, phase, maxdata, mask, nmask, typemask
326 common com5, plot_lets, center, maxb, nbeam
327
328 itot=0 & for k=1,nbeam do itot=itot+data(k,7)
329 if ntime eq 6 then begin
330   print, 'image      halo      pixsum      itotal(beam)>bg'
331   print, '-----'
332   print, 'Totals: '$
333   ' 'string(imsum, format="(f10.0)")+$
334   ' 'string(heysum, format="(f10.0)")+$
335   ' 'string(pixsum, format="(f10.0)")+$
336   ' 'string(itot, format="(f10.0)")+$
337   ' 'im-ha='string(imsum-heysum, format="(f10.0)")
338   return
339 end
340
341 if ntime eq 1 then iy=-0.07 else iy=0.90
342 d1=imsum-heysum
343 d2=heysum-pixsum
344 xyouts, 0.18, iy, filename, /norm
345 xyouts, 0.52, iy, ssize, /norm
346 xyouts, 0.18, iy-0.03, 'Total pixels in image', '$
347   'string(imsum, format="(f10.0)")', /norm '$
348 xyouts, 0.18, iy-0.05, 'Total pixels in halo', '$
349   'string(heysum, format="(f10.0)")', '$
350   'string(d1, format="(f10.0)")', /norm '$
351 xyouts, 0.18, iy-0.09, 'Total pixels in halo above background: '$
352   'string(pixsum, format="(f10.0)")', '$
353   'string(d2, format="(f10.0)")', /norm '$
354 xyouts, 0.18, iy-0.12, 'Total pixels in beamlets above backg : '$

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```

355   string(itot, format="(f10.0)")', /norm
356
357 return
358 end
359
360 -----
361
362 pro get_halo, ntime
363
364 common com1, filename, dumpname, printname, dataname, title
365 common com2, xdim, ydim, imswch, image, iobject
366 common com3, ssin, pview, ch2
367 common com4, data, nspc, phase, maxdata, mask, nmask, typemask
368 common com5, plot_lets, center, maxb, nbeam
369 common com7, xcplx, ycplx, drift, rho, separation, thickness
370 common com8, window, xwindow, ywindow, chwin2, level
371
372 if strpos('24', ch2) lt 0 then is0=1 else begin : g2 g2l etc.
373   is0=0 & ch2=strcmp(ssin, 2, 1)
374 end
375 ssa='y'
376 halo=image
377
378 for k=1,nbeam do begin
379   nx1=center(k,2) & nx2=center(k,3) & ny1=center(k,4) & ny2=center(k,5)
380   bg1=total(halo(nx1:nx2, ny1))/(nx2-nx1+1)
381   bg2=total(halo(nx1:nx2, ny2))/(nx2-nx1+1)
382   bg3=total(halo(nx1, ny1:ny2))/(ny2-ny1+1)
383   bg4=total(halo(nx2, ny1:ny2))/(ny2-ny1+1)
384   bg=0.25*(bg1+bg2+bg3+bg4)
385   halo(nx1:nx2, ny1:ny2)=bg
386   if ch2 eq '1' then $
387     print, 'beamlet: 'string(k, format="(f10.0)")$
388     ' 'string(bg1, format="(f10.0)")$ 'string(bg2, format="(f10.0)")$
389     ' 'string(bg3, format="(f10.0)")$ 'string(bg4, format="(f10.0)")$
390     ' average: 'string(bg, format="(f10.0)")
391
392   floor=fltarr(nx2-nx1+1, ny2-ny1+1)
393   halo(nx1:nx2, ny1:ny2)=byte(floor)
394
395 end
396
397 xx=indgen(512)
398 k=size(halo) & kxmax=k(1) & kymax=k(2)
399 isx=500 & isy=450
400 if kxmax lt isx then begin & isx=400 & isy=440 & end
401 halo=smooth(halo(0:isx-1, 0:isy-1), 5)
402 k=size(halo) & kxmax=k(1) & kymax=k(2)
403 nx1=min(center(1:nbeam, 2))-20
404 nx2=max(center(1:nbeam, 3))+20
405 ny1=min(center(1:nbeam, 4))-20
406 ny2=max(center(1:nbeam, 5))+20
407 ssize=' 'string(nx1, format="(f10.0)")$ 'string(nx2, format="(f10.0)")$
408   'string(ny1, format="(f10.0)")$ 'string(ny2, format="(f10.0)")$
409 if nx1 lt 0 then nx1=0 & if ny1 lt 0 then ny1=0
410 if nx2 gt kxmax then nx2=kxmax & if ny2 gt kymax then ny2=kymax
411
412 SURFACE PLOT OF HALO
413
414 iz=max(image)
415 il=rebin(halo, isx/5, isy/5)
416 ax=nx2-nx1+1.0 & ay=ny2-ny1+1.0
417 py=0.5*(total(halo(nx1, ny1:ny2))+total(halo(nx2, ny1:ny2)))
418 px=0.5*(total(halo(nx1:nx2, ny1))+total(halo(nx1:nx2, ny2)))
419 p0=0.5*(px*ay+py*ax)
420 p1=min(halo(nx1:nx2, ny1:ny2))
421 p2=max(halo(nx1:nx2, ny1:ny2))
422 p3=total(halo(nx1:nx2, ny1:ny2))
423 p4=p3/(ax*ay) & p5=p0/(ax*ay)
424 my=1.2*p2
425 surface, il
426 xyouts, 0.1, 0.90, filename, /norm
427 xyouts, 0.1, 0.87, $
428   'Halo min,max: 'string(p1, format="(f10.0)")$ 'string(p2, format="(f10.0)")$

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428      total+ssize=''+string(p).format='(f10.0)')+
429      ave+string(p4,format='(f5.1)'),/norm
430      xyouts,0.1,0.84,$
431      'Background'+size+total+string(p0,format='(f10.0)')+
432      ave+string(p5,format='(f5.1)'),/norm
433
434 : CONTOUR PLOT OF HALO
435 : -----
436 if ntime eq 0 then begin
437   ss=' ' & read,'Contour plot <y,n,q>{u}a)abort ',ss
438   if ss eq 'a' then abort
439   if ss eq 'q' then return
440 end
441 if ss ne 'n' then begin
442   contour,halo(nx1:nx2,ny1:ny2),nlevels=20,xstyle=1,ystyle=1
443   xyouts,0.1,0.90,filename,/norm
444   xyouts,0.1,0.87,$
445   'Halo min,max:'>string(p1,format='(i3)')+string(p2,format='(i4)'),/norm
446   if ntime eq 0 then wset,2
447   contour,image(nx1:nx2,ny1:ny2),nlevels=20,xstyle=1,ystyle=1
448 end
449 if ntime eq 0 then begin & wshow,2 & wshow,4 & end
450
451 : TV PLOT OF HALO
452 : -----
453 if ntime eq 0 then begin
454   ss=' ' & read,'TV plot of halo <y,n,q>{u}a) ',ss
455   if ss eq 'q' then return
456 end
457 if ss ne 'n' then begin
458   if ntime eq 0 then wset,2
459   tvscl,halo(nx1:nx2,ny1:ny2)
460 end
461
462 : Vertical slices through halo
463 : -----
464 if ntime eq 0 then begin
465   wset,0
466   ss=' ' & read,'Vertical slices <y,n,q>{u}a)abort ',ss
467   if ss eq 'a' then abort
468   if ss eq 'q' then return
469 end
470 hey=float(halo)
471 if ss ne 'n' then begin
472   get average background
473   bg=filter(kxmax)
474   for k=5,ny1 do bg=bg+hey(*,k)
475   for k=ny2,kymax-5 do bg=bg+hey(*,k)
476   bg=byte(bg/(ny1+kymax-ny2))
477   pixsum=0
478   heysum=total(hey(nx1:nx2,ny1:ny2)) & imsum=total(image(nx1:nx2,ny1:ny2))
479   for k=ny1,ny2 do pixsum=pixsum+total(hey(nx1:nx2,k)-bg(nx1:nx2))
480   if ntime eq 0 then label_frames,6,pixsum,heysum,imsum,ssize
481
482   if is0 eq 1 then begin
483     if ntime eq 0 then wset,0
484     plot,xx,halof*(ny1:ny2)/2,xstyle=1,xrange=[0,xdim],yrange=[0,my],/nodata
485     for k=ny1,ny2,5 do oplot,xx,halof(*,k)
486     label_frames,ntime,pixsum,heysum,imsum,ssize
487   end
488
489   if ntime eq 0 then wset,2
490   plot,xx,halof*(ny1:ny2)/2,xstyle=1,xrange=[0,xdim],yrange=[0,my]
491   for k=5,ny1,5 do oplot,xx,halof(*,k)
492   for k=ny2,kymax-5,5 do oplot,xx,halof(*,k)
493   label_frames,ntime,pixsum,heysum,imsum,ssize
494   plots,[nx1,nx1],[0,0.5*my] & plots,[nx2,nx2],[0,0.5*my]
495
496   if ntime eq 0 then wset,4
497   plot,xx,hey(*,[ny1:ny2]/2)-bg,xrange=[0,xdim],yrange=[0,my],xstyle=1
498   for k=ny1,ny2,5 do oplot,xx,hey(*,k)-bg
499   label_frames,ntime,pixsum,heysum,imsum,ssize
500   plots,[nx1,nx1],[0,0.5*my] & plots,[nx2,nx2],[0,0.5*my]

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501 end
502
503 : Horizontal slices through halo
504 : -----
505 if ntime eq 0 then begin
506   ss=' ' & read,'Horizontal slices <y,n,q>{u}a)abort ',ss & if ss eq 'a' then abort
507 end
508 if ss ne 'n' then begin
509   get average background
510   bg=filter(kymax)
511   for k=5,nx1 do bg=bg+hey(k,*)
512   for k=nx2,kxmax-5 do bg=bg+hey(k,*)
513   bg=byte(bg/(nx1+kxmax-nx2))
514   pixsum=0
515   heysum=total(hey(nx1:nx2,ny1:ny2)) & imsum=total(image(nx1:nx2,ny1:ny2))
516   for k=nx1,nx2 do pixsum=pixsum+total(hey(k,ny1:ny2)-bg(ny1:ny2))
517   if ntime eq 0 then label_frames,6,pixsum,heysum,imsum,ssize
518
519   if is0 eq 1 then begin
520     if ntime eq 0 then wset,0
521     plot,xx,hey([nx1:nx2]/2,*),xstyle=1,xrange=[0,ydim],yrange=[0,my],/nodata
522     for k=nx1,nx2,5 do oplot,xx,hey(k,*)
523     label_frames,ntime,pixsum,heysum,imsum,ssize
524   end
525
526   if ntime eq 0 then wset,2
527   plot,xx,hey([nx1:nx2]/2,*),xstyle=1,xrange=[0,ydim],yrange=[0,my]
528   for k=5,nx1,5 do oplot,xx,hey(k,*)
529   for k=nx2,kxmax-5,5 do oplot,xx,hey(k,*)
530   label_frames,ntime,pixsum,heysum,imsum,ssize
531   plots,[ny1,ny1],[0,0.5*my] & plots,[ny2,ny2],[0,0.5*my]
532
533   if ntime eq 0 then wset,4
534   plot,xx,hey(*,[nx1:nx2]/2)-bg,xrange=[0,ydim],yrange=[0,my],xstyle=1
535   for k=nx1,nx2,5 do oplot,xx,hey(k,*)-bg
536   label_frames,ntime,pixsum,heysum,imsum,ssize
537   plots,[ny1,ny1],[0,0.5*my] & plots,[ny2,ny2],[0,0.5*my]
538 end
539
540 if ntime eq 0 then wset,0
541 return
542 end
543 : -----
544
545 :
546 pro dumpfile,fname,csw
547 :
548 common com1,filename,dumpname,printname,dataname,title
549 common com2,xdim,ydim,imswch,image,iobject
550 common com3,ssin,pview,ch2
551 common com4,data,nspcf,phase,maxdata,mask,nmask,typemask
552 common com5,plot_lets,center,maxb,nbeam
553 common com7,xcmpix,ycmpix,drift,shole,separation,thickness
554 common com8>window,xwindow,ywindow,chwint,level
555 common com9,current,energy,betagamma,restm,brightness,emitx,emity,emitn,nemit
556 common com10,xcent,ycent,nxcent,nycent,lmin,lmax,background
557 common com11,ipass,bradius,xave,yave,lbeam,radius,bj
558 common com12,nb,type_slics,xslics,yslics,prange,chsavel,chsavel2,chsavel3
559 common com15,version,conhead,comdata,moments
560 common com16,xwcent,ywcent,xpix0,ypix0,pixsize
561 common com17,chsav,have_done,maxptype,ptype,chellipse,che16d,che1acl
562 common com20,scales
563 common com21,nmax,masklist
564 :
565 if strlen(fname) eq 0 then begin
566   read,'Enter dump filename: ',fname
567   if strlen(fname) eq 0 then return
568   if fname eq 'q' then return
569 end
570 if (strlen(fname,'/') eq -1) and $
571 (strlen(comdata(16)) gt 1) then fname=comdata(16)+fname
572
573 if csw eq 'a' then begin & ss=' ' ; SAVE file fname for restart

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574 junk=0
575 openw,1,filename,/variable
576 printf,1,filename
577 printf,1,comdata(17)
578 ss=string(lmin,format='(15)')+string(lmax,format='(15)')+
579 string(background,format='(15)')+
580 string(xdim,format='(15)')+string(ydim,format='(15)')
581 printf,1,compress(ss)+$
582
583 ss=string(xcmplx)+string(ycmplx)+string(drift)+$
584 string(rhole)+string(separation)+string(thickness)
585 printf,1,compress(ss)+' \ x,ycmplx,drift,rhole,sep'
586 ss=string(window)+string(xwindow)+string(ywindow)+string(level)
587 printf,1,compress(ss)+$
588
589 ss=string(current)+string(energy)+string(betagamma)+$
590 string(crest)+string(brightness)+string(emity)+string(emity)
591 printf,1,compress(ss)+' \ Amps,MeV,betag,xyemit'
592 ss=string(lpass(0),format='(15.2)')+string(lpass(1),format='(15.2)')
593 for k=0,7 do ss=ss+string(scales(k),format='(15.2)')
594 printf,1,compress(ss)+' \ lpass(1),scales(8)'
595 ss=string(nbeam)+string(nmask)+string(typemask)
596 printf,1,compress(ss)+$
597
598 printf,1,'DATA()' \ nbeam,nmask,typemask'
599 printf,1,data(0:nbeam+2,*)
600 printf,1,'CENTER()'
601 printf,1,center(0:nbeam+2,*)
602 printf,1,'MASK()'
603 printf,1,masklist(0,0),masklist(0,1),junk,junk
604 printf,1,mask(0:nbeam,*)
605 close,1 & print,'File '+filename+' written' & return
606 end else $
607
608 if csw eq 'r' then begin & ss=''; RESTART from saved file
609 num=flarr(20)
610 dataname=filename
611 openr,1,filename
612 print,'-----'
613 readf,1,filename & print,filename
614 readf,1,title & print,title
615 readf,1,ss & decode,ss,num,n & print,ss
616 lmin=fix(num(0)) & lmax=fix(num(1)) & background=num(2)
617 xdim=fix(num(3)) & ydim=fix(num(4))
618 readf,1,ss & decode,ss,num,n & print,ss
619 xcmplx=num(0) & ycmplx=num(1) & drift=num(2)
620 rhole=num(3) & separation=num(4) & thickness=num(5)
621 readf,1,ss & decode,ss,num,n & print,ss
622 window=fix(num(0))
623 xwindow=fix(num(1)) & ywindow=fix(num(2)) & level=fix(num(3))
624 readf,1,ss & decode,ss,num,n & print,ss
625 current=num(0) & energy=num(1) & betagamma=num(2) & rest=num(3)
626 brightness=num(4) & emity=num(5) & emity=num(6)
627 readf,1,ss & decode,ss,num,n & print,ss ' n'+string(n)
628 lpass(0)=num(0) & lpass(1)=num(1)
629 if n ge 6 then begin
630 for j=0,1 do scales(j)=num(j+2)
631 if n eq 10 then for j=4,7 do scales(j)=num(j+2)
632 end
633 readf,1,ss & decode,ss,num,n & print,ss
634 nbeam=fix(num(0)) & nmask=fix(num(1)) & typemask=fix(num(2))
635
636 maxb=0
637 plot LETS(*,1)=1
638
639 readf,1,ss & print,ss ; DATA()
640 line=flarr(nbeam+1)
641 for k=0,8 do begin & readf,1,line & data(0:nbeam+2,k)=line & end
642 readf,1,ss & print,ss ; CENTER()
643 line=flarr(nbeam+1)
644 for k=0,5 do begin & readf,1,line & center(0:nbeam+2,k)=line & end
645 readf,1,ss & print,ss ; MASK()
646 readf,1,nx,ny,junk1,junk2

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647 line=flarr(nbeam+1)
648 for k=0,2 do begin & readf,1,line & mask(0:nbeam,k)=line & end
649 close,1
650 masklist(0,0)=nx & masklist(0,1)=ny
651 for k=1,nmask do mask(k,2)=sqrt(mask(k,0)^2+mask(k,1)^2)
652 for k=0,maxptyp do ptype(k)=0
653
654 comdata(0)=filename+' ('+dataname+') '+version
655 comdata(1)='('+string(xdim,format='(13)')+','+string(ydim,format='(13)')+','+
656 comdata(2)='('+string(lmin,format='(13)')+','+string(lmax,format='(13)')+','+string(background,format='(13)')+
657 comdata(3)='('+string(xcmplx,format='(17.5)')+','+string(ycmplx,format='(17.5)')+','+
658 comdata(4)='('+string(energy,format='(18.4)')+','+string(crest,format='(18.4)')+','+
659 comdata(5)='('+string(2*xwindow,format='(13)')+','+string(2*ywindow,format='(13)')+','+
660 comdata(6)='('+string(rhole,format='(18.4)')+','+string(separation,format='(18.4)')+','+
661 comdata(7)=string(drift,format='(18.4)')+','+string(thickness,format='(18.4)')+','+
662 comdata(8)=(11),(12), and comdata(13) will be set in get_emittance
663 ave=0.5*(emity+emity)
664 comdata(8)='('+string(emity,format='(18.3)')+','+string(emity,format='(18.3)')+','+
665 comdata(9)='('+string(ave,format='(18.3)')+','+string(norm,format='(18.4)')+','+
666 sdj=0
667 comdata(9)='('+string(current,format='(18.2)')+','+string(lpass(0),format='(16.3)')+','+
668 string(lpass(1),format='(14)')+','+string(brightness,format='(16.2)')+','+
669 string(sadj,format='(18.2)')+','+
670 comdata(10)=string(level,format='(14)')
671 comdata(17)=title
672 comdata(19)=string(mask(0,1),format='(18.3)')
673 end
674
675 return
676 end
677
678
679
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719     end else return
720     read, 'Automatic, Manual mode' <a,m> ==> 'ch
721     if ch eq 'm' then auto=0 else auto=1
722     read, 'TV_image, Surface, Contour' <t,s,c> ==> 'itype
723     read, 'Smooth image' <y,n,3..9> ==> 'ss
724     ch=string(ss,0,1) & smooth=0
725     if strpos('0123456789',ch) ge 0 then begin
726         smooth=byte(ch)-byte('0')
727         if (strlen(ss) gt 1 then smooth=10*smooth+byte(string(ss,1,1))-byte('0'))
728         and else if ch eq 'y' then read, 'Enter smoothing width <3..9>' ,smooth
729     read, 'Hard copy' <y,n> ==> 'prsw
730     if (auto eq 1) and (prsw eq 'y') then $
731     read, 'Enter number of files to print before timeout <1..4>' ==> 'maxfile
732     print, '-----'
733     nfile=0 & if ftype eq 'l' then openr, 1, filelist
734     next: nfile=nfile+1
735     if ftype eq 'l' then begin
736         read, 1, ss & if ss eq 'end' then goto, myexit else filename=ss & end $
737     else if (ftype eq 'f') and (nfile gt 1) then next, file
738     restart= ' ' & ioerror= 'A' & readfile, ioerror, restart
739     if smooth ge 3 then image=smooth(image, smooth)
740     fix_image, 'r'
741     slen=strlen(title) & if slen gt 30 then slen=30
742     short= ' ' & string(ss,0,1) & if slen gt 30 then slen=30
743     print, string(nfile, format= '(i2)') , ' ' & filename & ' ' & short
744     itype=string(ss,0,1) & if itype eq 'f' then $
745     itype=string(ss,0,1) & if itype eq 'f' then $
746     itype=string(ss,0,1) & if itype eq 'f' then $
747     plotit:
748     if ftype eq 't' then begin & tv, image & xyouts, 0.35, 1.00, filename, /norm
749     if (ntime eq 1) then begin
750         xyouts, 0.10, -0.03, filename, /norm & xyouts, 0.10, -0.06, title, /norm & end
751     end else $
752     if ftype eq 's' then begin & get_rebin, simage, cx, cy
753     surface, simage, xtitle='x', ytitle='y'
754     xyouts, 0.14, 0.90, filename, /norm & xyouts, 0.14, 0.87, title, /norm
755     simage=0
756     end else $
757     if ftype eq 'c' then begin
758     step=fix(0.05*(imax-background)) & levels=fix(background)+step*indgen(20)
759     sa='Grid(x1:x2,y1:y2) ' & 'levels=' & levels & '$
760     string(levels,0), format= '(i3)') & ' ' & string(levels,19), format= '(i3)') & $
761     ' ' & 'in steps of ' & string(step, format= '(i3)') & $
762     contour, simage, cx, cy, xstyle=8, ystyle=8, levels=levels, $
763     xmargin=[6,8], ymargin=[4,4], xtitle='x(cm)', ytitle='y(cm)', subtitle=ss
764     axis, xaxis=1, xrange=[0,xdim-1], xstyle=1, xtitle='x(pixels)', ticklen=-0.02
765     axis, yaxis=1, yrange=[0,ydim-1], ystyle=1, ytitle='y(pixels)', ticklen=-0.02
766     xyouts, 0.14, 0.85, filename, /norm & xyouts, 0.14, 0.82, title, /norm
767     simage=0
768     end
769     if smooth ge 3 then begin
770     if ntime eq 0 then ypx=0.90 else ypx=-0.10
771     xyouts, 0.20, ypx, 'Smoothing' & string(smooth, format= '(i2)') , /norm
772     end
773     if (ntime eq 0) then begin
774     if auto eq 1 then wait, 10 else begin
775     read, 'Next plot <y,n>' ,ch & if ch eq 'n' then goto, myexit & end
776     end
777     if (prsw eq 'y') then $
778     if (ntime eq 0) then begin & ntime=1 & root='idl.ps'
779     set_plot, 'ps' & device, filename=root
780     print, 'Hold on , generating printed output ' & root & goto, plotit
781     end else begin & ntime=0
782     device, /close
783     spawn, 'lpr ' & root & lprfiles=lprfiles+1
784     if lprfiles eq maxfile then $
785     begin & time=0 & lastfile= ' ' & chf= ' '
786     message= 'Waiting 3 minutes for print "QUE" to empty'
787     print, ' '
788     pause: wait, 180 & spawn, 'lpq > temp.lpq' & time=time+3 & nlpq=1
789     end
790     end
791     end

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792     openr, 2, 'temp.lpq' & readf, 2, message & message=stringcompress(message)
793     while not eof(2) do begin & readf, 2, lastfile & nlpq=nlpq+1 & end
794     close, 2
795     ss= ' ' & string(time, format= '(i2)') & ' minutes, '
796     chf=string(lastfile,0,1) & if chf eq 'a' then nlpq=1
797     ss=string(nlpq, format= '(i2)') & ' files in QUE'
798     print, ' ' & ss & message=ss
799     if (nlpq le 1) then goto, continue
800     if (message ne 'no entries') then goto, pause
801     continue: lprfiles=0
802     end
803     set_plot, 'sun' & ip, color=0 & ip.background=16777215 & end else wait, 15
804     if (ftype eq 'l') or ((ftype eq 'f') and (nfile lt nfiles)) then goto, next
805     myexit: if ftype eq 'l' then close, 1
806     return
807     end
808     -----
809     -----
810     -----
811     -----
812     pro fix_data
813     -----
814     common com4, data, nspcj, phase, maxdata, mask, nmask, typemask
815     common com5, plot_lets, center, maxb, nbeam
816     common com7, xcplx, ycplx, drift, rho, separation, thickness
817     common com8, window, xwindow, ywindow, chwin2, level
818     common com10, xcent, ycent, nxcent, nycent, lmin, lmax, background
819     common com21, nmask, masklist
820     -----
821     ch= ' ' & fitype= ' '
822     print, '-----'
823     print, ch
824     read, 'fix clnters, limage, mmask <c,l,m,q>' , fitype
825     if strpos('clm', fitype) lt 0 then return
826     -----
827     if fitype eq 'l' then fix_image, 'i' else $
828     if fitype eq 'c' then fix_beam, ch else $
829     if fitype eq 'm' then fix_mask, ch, 0
830     if ch eq 'q' then return
831     -----
832     ch= 'x'
833     get_beamlets, 0
834     get_eaistance, ch
835     -----
836     return
837     end
838     -----
839     -----
840     -----
841     pro rotate_mask, ch
842     -----
843     common com1, filename, dumpname, printname, dataname, title
844     common com3, asin, pview, ch2
845     common com4, data, nspcj, phase, maxdata, mask, nmask, typemask
846     common com5, plot_lets, center, maxb, nbeam
847     common com7, xcplx, ycplx, drift, rho, separation, thickness
848     common com15, version, comhead, comdata, moments
849     -----
850     if ch eq 'l' then begin
851     print, 'Mask rotation of ' & comdata(19) & ' removed.'
852     ang=mask(0,1)
853     end else begin : ch2 eq 'k'
854     if nmask lt 1 then begin & print, 'First generate the mask' & return & end
855     print, 'Enter change in mask rotation angle (deg) ' & $
856     sa=get_word(ssin) & ang=float(ssa)
857     end
858     -----
859     mask(0,1)=mask(0,1)+ang & comdata(19)=string(mask(0,1), format= '(f8.3)')
860     pi=3.141592653589793 & ang=ang*pi/180.0 & sn=sin(ang) & cs=cos(ang)
861     for k=1, nmask do begin
862     x=mask(k,0) & y=mask(k,1) & mask(k,0)=x*cs-y*sn & mask(k,1)=x*sn+y*cs
863     end
864     end

```

```

865 if ch eq 'k' then get_maintenance, ' '
866 :
867 return
868 end
869 :
870 -----
871 :
872 pro fix_mask, ctype, newbeam
873 :
874 common com4, data, nspc, phase, maxdata, mask, nmask, typemask
875 common com5, plot, lets, center, mask, nbeam
876 common com7, xcplx, ycplx, drift, rho, separation, thickness
877 common com8, window, xwindow, ywindow, chwin2, level
878 common com10, xcent, ycent, nxcent, nycent, imin, imax, background
879 common com15, version, comhead, comdata, moments
880 common com21, nmax, masklist
881 :
882 list = '' & ch = 's'
883 : must un-rotate mask before fixing.
884 if mask(0,1) ne 0 then rotate_mask, 'f'
885 if typemask eq 2 then gen_round, ch $ ; <----- show rings and holes in use
886 else gen_rectangular, ch
887 :
888 num = intarr(nbeam)
889 if newbeam eq 0 then begin
890 print, 'fix mask'
891 print, ' a) enter list of beamlets to be re-associated with mask:'
892 print, ' b) enter range to be shift e.g. '23-32 -3' shifts 23-32 left 3:'
893 print, '-----'
894 read, list
895 if strpos(list, '-') gt 0 then begin ; range of beamlets to shift left-right
896 dolist = 0
897 m = strpos(list, '-') & blk = strpos(list, ' ')
898 n1 = fix(strmid(list, 0, m))
899 n2 = fix(strmid(list, m+1, blk-m))
900 nshift = fix(get_word(list, 1))
901 end else begin
902 dolist = 1 & decode, list, num, nn
903 end
904 end else begin ; call from fix_beam, add newbeam mask
905 dolist = 1 & nn = newbeam
906 for k=0, nn-1 do num(k) = nbeam-k
907 end
908 :
909 xx = fltarr(5) & yy = xx & dx = 0.3 * separation & dy = dx
910 xx(0) = -dx & xx(1) = dx & xx(2) = -dx & xx(3) = dx & xx(4) = -dx
911 yy(0) = -dy & yy(1) = dy & yy(2) = -dy & yy(3) = dy & yy(4) = -dy
912 :
913 if dolist eq 1 then goto, dolist
914 :
915 for k=ns, n2 do begin
916 oplot, mask(k, 0) + xx, mask(k, 1) + yy, color = 16777214
917 mask(k, 0) = mask(k, 0) + nshift * separation
918 mask(k, 2) = sqrt(mask(k, 0) ^ 2 + mask(k, 1) ^ 2)
919 oplot, mask(k, 0) + xx, mask(k, 1) + yy
920 xyouts, mask(k, 0) - dx/2, mask(k, 1) - dy/2, string(i, format = '(13)')
921 end
922 return
923 :
924 dolist:
925 for k=0, nn-1 do begin
926 i = num(k)
927 read, 'Enter mask hole number for beamlet ' + string(i, format = '(13)') + ' --> ', j
928 oplot, mask(i, 0) + xx, mask(i, 1) + yy, color = 16777214
929 mask(i, 0) = masklist(j, 0)
930 mask(i, 1) = masklist(j, 1)
931 mask(i, 2) = masklist(j, 2)
932 oplot, mask(i, 0) + xx, mask(i, 1) + yy
933 xyouts, mask(i, 0) - dx/2, mask(i, 1) - dy/2, string(i, format = '(13)')
934 end
935 :
936 ctype = 'q'
937 return

```

```

938 end
939 :
940 -----
941 :
942 pro fix_beam, chi
943 :
944 common com2, xdim, ydim, lmsvch, image, iobject
945 common com3, asin, pview, ch2
946 common com4, data, nspc, phase, maxdata, mask, nmask, typemask
947 common com5, plot, lets, center, mask, nbeam
948 common com7, xcplx, ycplx, drift, rho, separation, thickness
949 common com8, window, xwindow, ywindow, chwin2, level
950 common com10, xcent, ycent, nxcent, nycent, imin, imax, background
951 common com11, sub_range
952 common com15, version, comhead, comdata, moments
953 common com17, chbav, have_done, maxptype, ptype, chellipse, chellfd, chellscl
954 common com21, nmax, masklist
955 :
956 ch = ' '
957 if chi ne '1' then begin
958 read, 'Add, Delete beamlets <a,d,q>ults> ', ch
959 if strpos('ad', ch) lt 0 then begin chi = 'q' & return & end
960 chi = ch
961 end
962 :
963 if chi eq 'a' or chi eq '1' then begin ; add beamlets from contour plot
964 :
965 chi1 = ' ' & chi2 = 'a' & ss = ' ' & ptype(1) = 1 & ntime = 73
966 if ch eq 'a' then $
967 get_scale, ' ' ; set contour scales to significant region of image
968 doplots, chi, ss, ntime ; plot contour of image
969 ptype(1) = 0 ; suppress contour plot on return to main routine
970 tvctr, 150, 150 ; move cursor into image window
971 print, 'Click LEFT mouse button on beamlet to add, RIGHT quits.'
972 :
973 xi = 0 & yi = 0 & nadd = 0
974 scloc = sub_range, scloc
975 ix0 = fix(strmid(scloc, 1, 3)) & iy0 = fix(strmid(scloc, 9, 3))
976 while tarr ne 4 do begin
977 cursor, x, y, /data
978 if x ne xi and y ne yi then begin
979 xi = x & yi = y & ix = ix0 + fix(x/xcmplx) & iy = iy0 + fix(y/ycmplx)
980 nadd = nadd + 1
981 nbeam = nbeam + 1
982 :
983 adjust ix, iy so that it is at the max value within this beamlet
984 ixmin = ix - 5 & ixmax = ix + 5 & iymn = iy - 5 & iymax = iy + 5
985 jmax = max(image(ixmin:ixmax, iymn:iymax))
986 icc = where(image(ixmin:ixmax, iymn:iymax) eq jmax)
987 ix = ixmin + icc
988 nx = ixmax - ixmin + 1
989 iyc = ic - iyc * nx
990 iyc = iymn + iyc
991 ix = ixmin + ix
992 :
993 center(nbeam, 0) = ix & center(nbeam, 1) = iyc
994 center(nbeam, 2) = ix - xwindow & center(nbeam, 3) = ix + xwindow
995 center(nbeam, 4) = iyc - ywindow & center(nbeam, 5) = iyc + ywindow
996 plot, lets(nbeam, 1) = 1
997 print, 'Adding beamlet ' + string(nbeam, format = '(13)') + $
998 ' ix, iyc = ' + string(ix, format = '(13)') + ', ' + string(iyc, format = '(13)')
999 :
1000 k = nbeam
1001 iobject(center(k, 2), center(k, 3), center(k, 4), center(k, 5)) = 0
1002 mask(nbeam, 0) = mask(nmask, 0)
1003 mask(nbeam, 1) = mask(nmask, 1)
1004 mask(nbeam, 2) = mask(nmask, 2)
1005 nmask = nmask + 1
1006 end ; if x, y point
1007 end ; while
1008 adjust_centers
1009 ssin = 't2x' & plot_tv_frame, 0 & wset, 0 & ssin = ' '

```

```

1010  li=strpos(comdata(1),' beamlets')-3 & li=strlen(comdata(1))
1011  comdata(1)=strmid(comdata(1),0,li)+$
1012  string(nbeam,format='(i3)')+strmid(comdata(1),li+3,li-1i)
1013  if chl eq 'i' then return
1014  fix_mask.'a',nadd
1015  ;
1016  end else begin ;
1017  ntime=0 & chw=' ' & ss=' ' delete beamlets
1018  plot_window,chw,ntime
1019  print,'Enter list of beamlet numbers to delete.'
1020  read,' ' ,ss
1021  if strlen(ss) eq 0 or ss eq 'q' then return
1022  num=ntarr(nbeam)
1023  decode,ss,num,nn
1024  ;
1025  nk=nn
1026  for k=0,nk-1 do $
1027  if num(k) lt 1 or num(k) gt nbeam then begin
1028  nn=nn-1 & for j=k,nn-1 do num(j)=num(j+1)
1029  end
1030  ;
1031  for k=0,nn-1 do $
1032  for j=k+1,nn-1 do $
1033  if num(j) lt num(k) then begin
1034  ien=num(k) & num(k)=num(j) & num(j)=ien
1035  end
1036  ;
1037  for k=0,nn-1 do begin
1038  ib=num(k)
1039  if ib lt nbeam then begin
1040  for j=ib,nbeam-1 do center(j,*)=center(j+1,*)
1041  for j=ib,nbeam-1 do mask(j,*)=mask(j+1,*)
1042  end
1043  print,'Deleting beamlet '+string(ib,format='(i3)')+ ' ',nbeam,nmask
1044  nbeam=nbeam-1
1045  nmask=nmask-1
1046  end
1047  li=strpos(comdata(1),' beamlets')-3 & li=strlen(comdata(1))
1048  comdata(1)=strmid(comdata(1),0,li)+$
1049  string(nbeam,format='(i3)')+strmid(comdata(1),li+3,li-1i)
1050  end
1051  ;
1052  return
1053  end
1054  ;
1055  -----
1056  ;
1057  pro fix_image.csw
1058  ;
1059  common com2,xdim,ydim,lmswch,image,iobject
1060  common com3,ssin,pview,ch2
1061  common com10,xcent,ycent,nxcent,nycent,imin,imax,background
1062  common com15,version,comhead,comdata,moments
1063  ;
1064  ; csw='b' called from main 'Ba' and smooth_data for background subtraction
1065  ; csw='E' called from main 'E' for image enhancement
1066  ; cse='i' called from fix??_data for removal of dead pixels
1067  ; cse='r' called from readfile to set iain,imax and background
1068  ; cse='a' alternate pixels are zero, set equal to ave of neighbors
1069  ;
1070  chw=' ' & ss=' '
1071  if csw eq 'a' then begin
1072  evens=0 & odds=0
1073  for k=0,ydim-2,2 do evens=evens+image(xdim/2,k)
1074  for k=1,ydim-2,2 do odds=odds+image(xdim/2,k)
1075  print,'Sum of evens = ',evens,' pixels at x=',xdim/2
1076  print,'Sum of odds = ',odds,' pixels at x=',xdim/2
1077  read,'Fix R!return,Elven,Odd vert.pixels (Chose small value) <e,o,r> ',ss
1078  if (ss eq 'i') or (strlen(ss) lt 1) then return
1079  if ss eq 'e' then k0=2 else k0=1
1080  for k=k0,ydim-2,2 do image(*,k)=(image(*,k-1)/2)+(image(*,k+1)/2)
1081  end else $
1082  if csw eq 'b' then begin

```

```

1083  if (ch2 eq 'a') and (imin(image) gt 0) then $
1084  begin & image=image-min(image) & wset,2 & tv,image & wset,0 & end
1085  get_beamlets,0 & get_emittance.' '
1086  end else $
1087  if (csw eq 'e') or (csw eq 'E') then begin
1088  imin=min(image) & imax=max(image)
1089  if imax ge 254 then begin & print,'image already expanded.' & return & end
1090  scale=254.0/(imax-imin)
1091  if csw eq 'E' then begin
1092  read,'This will scale image(*) by '+string(scale,format='(f6.3)')+ '$
1093  ' for range of 0..254 pixels, continue <y,n> ',ch
1094  if ch ne 'y' then return
1095  end
1096  image=byte!scale*(image-imin)
1097  if csw eq 'E' then begin & get_beamlets,0 & get_emittance.' ' & end
1098  wset,2 & tv,image & wset,0
1099  end else $
1100  if csw eq 'i' then begin & chw=' ' & imx=' '
1101  print,'-----
1102  print,'If image has dead pixels, then image(*)=0 and we can not subtract'
1103  print,'background, this fix sets image(*)=imin so that the 'Ba' works'
1104  print,'You may also set the image floor to zero, i.e., image(*)<floor=0'
1105  print,'and image(*)>0=image(*)-floor'
1106  read,'Fix D!dead pixels, Z!zero_floor <d,z,q!uit> ==> ',ch
1107  if ch eq 'q' then return
1108  read,'Enter level, LF uses '+string(imin,format='(i3)')+ ' ==> ',imx
1109  if strlen(imx) lt 1 then imx=imin & imx=byte!(fix!imx)
1110  if ch eq 'd' then begin
1111  index=where(image lt imx,count)
1112  if count gt 0 then image(index)=imx
1113  end
1114  if ch eq 's' then begin
1115  index=where(image lt imx,count)
1116  print,'Number of locations to be zeroed is '+string(count)
1117  if count gt 0 then begin
1118  image(index)=0 & index=where(image gt 0)
1119  image(index)=image(index)-imx
1120  end else image=image-imx
1121  end
1122  end
1123  ;
1124  backx=total(image(*,0))/xdim+total(image(*,ydim-1))/xdim
1125  backy=total(image(0,*))/ydim+total(image(xdim-1,*))/ydim
1126  background=fix((backx+backy)/4.0)
1127  imin=min(image) & imax=max(image)
1128  comdata(2)=''+string(imin,format='(i3)')+ ',$
1129  string(imax,format='(i3)')+ ' '+string(background,format='(i3)')
1130  print,comhead(2)+comdata(2)
1131  ;
1132  return
1133  end
1134  ;
1135  -----
1136  ;
1137  pro plot_tv_frame,ntime
1138  ;
1139  common com1,filename,dumpname,printname,dataname,title
1140  common com2,xdim,ydim,lmswch,image,iobject
1141  common com3,ssin,pview,ch2
1142  common com5,plot_lets,center,maxb,nbeam
1143  common com6>window,xwindow,ywindow,chwint2,level
1144  common com15,version,comhead,comdata,moments
1145  ;
1146  chl=' '
1147  if ntime eq 0 then begin
1148  cc=0 & ch=strmid(ssin,1,1)
1149  if strlen(ssin) eq 3 then chl=strmid(ssin,2,1)
1150  if strpos('024',chl) ge 0 then begin & cc=fix(ch)
1151  wset,cc & wshow,cc,1
1152  end
1153  end
1154  ;
1155  erase

```

```

1156 if ntime eq 0 then begin
1157   if ch2 eq 'o' then imswch='i' else $
1158   if ch2 eq 'h' then imswch='h' else imswch=' '
1159 end
1160
1161 if imswch eq 'i' then tvscl,lobject,/device else $
1162 if imswch eq 'h' then begin
1163   halo=image
1164   for k=1,nbeam do begin
1165     nx1=center(k,2) & nx2=center(k,3) & ny1=center(k,4) & ny2=center(k,5)
1166     bg1=total(halo[nx1:nx2,ny1]/(nx2-nx1+1))
1167     bg2=total(halo[nx1:nx2,ny2]/(nx2-nx1+1))
1168     bg3=total(halo[nx1,ny1:ny2]/(ny2-ny1+1))
1169     bg4=total(halo[nx2,ny1:ny2]/(ny2-ny1+1))
1170     bg=0.25*(bg1+bg2+bg3+bg4)
1171     halo[nx1:nx2,ny1:ny2]=bg
1172   end
1173   tvscl,halo,/device
1174 end else tv,image,/device
1175
1176 ss='' & n=strlen(comdata[1])-10
1177 if n gt 1 then ss=' (' & strmid(comdata[1],10,n) & ')'
1178 xyouts,0.1,0.95,filename,/norm
1179 xyouts,0.1,-0.07,filename,iss,/norm
1180 xyouts,0.1,-0.10,title,/norm
1181 if ch1 ne ' ' then $
1182   for k=1,nbeam do begin
1183     lx=center(k,2)-5
1184     ly=center(k,4)+center(k,5)/2
1185     xyouts,lx,ly,string(k,format='%12i').color=16777215,/device
1186   end
1187
1188 return
1189 end
1190
1191 -----
1192
1193 pro output_have_done,chk
1194 common com1,filename,dumpname,printname,dataname,title
1195 common com2,xdim,ydim,imswch,image,lobject
1196 common com4,data,nspecj,phase,maxdata,mask,nmask,typemask
1197 common com5,plot_lets,center,maxb,nbeam
1198 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1199 common com8>window,xwindow,ywindow,chwln2,level
1200 common com9,current,energy,betagamma,restm,brightness,emltx,emity,emltn,nemit
1201 common com11,lpass,bradius,xave,yave,lbeamn,jradius,bjj
1202 common com15,version,comhead,comdata,moments
1203
1204 ss='' & ch=' ' & maxl=45
1205 if have_done eq 't' then goto,printit
1206 openw,1,printname,/variable
1207 print,'Writing beam and window data'
1208 ss=atrcompress(strtrim(title,2)) & len=strlen(ss)-1
1209 k=0 & km=72
1210 repeat begin
1211   if k*km gt len then km=len-k
1212   printf,1,strmid(ss,k,km)
1213   k=k+72
1214 endrep until k ge len
1215 printf,1,' '
1216 for k=0,14 do printf,1,string(k,format='%12i') & 'comhead(k):comdata(k)'
1217 k=19 & printf,1,string(k,format='%12i') & 'comhead(k):comdata(k)'
1218 printf,1,atrcompress(filename) & '==> ' & atrcompress(printname)
1219 k=0
1220 print,' @CENTERS(*)'
1221 printf,1,' @CENTERS(*)'
1222 printf,1,$
1223   n xpix ypix   n xpix ypix   n xpix ypix   n xpix ypix   n xpix ypix
1224 repeat begin & ss=''
1225   for n=1.5 do begin
1226     k=k+1
1227     if k gt nbeam then goto,done
1228     ss=ss+string(k,format='%16i')&$

```

```

1229   string(center(k,0),format='%14i')+string(center(k,1),format='%14i')
1230 end
1231 done: printf,1,ss
1232 endrep until k ge nbeam
1233 printf,1,'Beamlet centers and x,y range (pixels) center(1..nbeam,0..5)'
1234 printf,1,' k xcen ycen xmin xmax ymin ymax'&$
1235   k xcen ycen xmin xmax ymin ymax'
1236 nbn=nbeam/2
1237 for k=1,nbh do begin
1238   if plot_lets(k,1) eq 1 then kaw=k else kaw=k
1239   if plot_lets(k+nbh,1) eq 1 then jaw=k+nbh else jaw=k+nbh
1240   printf,1,format='(14,1x,3(2x,214),2x,14,1x,3(2x,214))'&$
1241     kaw,center(k,0),center(k,1)$
1242     center(k,2),center(k,3),center(k,4),center(k,5)$
1243     jaw,center(k+nbh,0),center(k+nbh,1)$
1244     center(k+nbh,2),center(k+nbh,3),center(k+nbh,4),center(k+nbh,5)
1245 end
1246
1247 print,' @DATA(*)'
1248 printf,1,' @DATA(*)'
1249 printf,1,' n peak xmin xmax xcent ymin ymax ycent ' &$
1250   'total_int backg'
1251   'pixels (cm) (cm) (cm) (cm) (cm) (cm)' &$
1252   'pixels pixels'
1253 for k=1,nbeam do begin
1254   ss=string(data(k,0),format='%15i')&' '
1255   for j=1,6 do ss=ss+string(data(k,j),format='%17.3i')
1256   ss=ss+' '+string(data(k,7),format='%10.0i')&$
1257   ' '+string(data(k,8),format='%16.2i')
1258   printf,1,string(k,format='%13i')&' '+ss
1259 end
1260 print,' @PHASE(*)'
1261 printf,1,' @PHASE(*) at location of image'
1262 printf,1,' n xg-ave xpmn xpmx yg-ave ypmn ypmx'
1263 for k=1,nbeam do begin
1264   ss='' & for j=0.5 do ss=ss+string(phase(k,j),format='%19.5i')
1265   printf,1,string(k,format='%13i')&' '+ss
1266 end
1267 printf,1,'.....'
1268 ss='' & for j=0.1 do ss=ss+string(phase(maxdata-2,j),format='%19.5i')
1269 for j=2.5 do ss=ss+string(phase(maxdata-3,j),format='%19.5i')
1270 printf,1,string(maxdata-3,format='%13i')&' '+ss
1271 ss='' & for j=0.5 do ss=ss+string(phase(maxdata-1,j),format='%19.5i')
1272 printf,1,string(maxdata-1,format='%13i')&' '+ss
1273
1274 print,' @EMIT_BRIGHTNESS(*) nspecj=+string(nspecj)
1275 printf,1,' @EMIT_BRIGHTNESS(*) nspecj=+string(nspecj)
1276 printf,1,$
1277   k Emity Emity Radius Current Brightness SPC_Corrected'
1278 printf,1,$
1279   ' k Emity Emity Radius Current Brightness SPC_Corrected'
1280 for k=1,nbeam do begin
1281   ss=''
1282   ss=string(k,format='%13i')&$
1283   string(emltn(k,0),format='%10.3i')&$
1284   string(emltn(k,1),format='%10.3i')&$
1285   string(jradius(k-1),format='%19.4i')&$
1286   string(lbeamn(k-1),format='%19.4i')&$
1287   string(bjj(k-1,0),format='%15.3i')&$
1288   string(bjj(k-1,1),format='%15.3i')&$
1289   printf,1,ss
1290 end
1291 print,' @MASK'
1292 printf,1,' @MASK nmask=,nmask, typemask=,typemask'
1293 printf,1,' k x(cm) y(cm)'
1294 for k=1,nmask do $
1295   printf,1,string(k,format='%14i')&$
1296   string(mask(k,0),format='%19.4i')&string(mask(k,1),format='%19.4i')
1297 printf,1,'-----'
1298 print,'FILE ' & printname & ' written and locked.'
1299 close,1
1300 have_done='t'
1301 printit:

```

```

1302 if chx eq 'E' then return
1303 openr,l,printrname & lines=0
1304 while not eof(l) do $
1305   begin & readf,l,ss & print,ss
1306   if strpos(ss,'0') ge 0 then begin
1307     read,'Continue < ,n> ',ch
1308     if ch eq 'n' then goto,close & lines=0 & end
1309     lines=lines+1 & if lines ge maxl then begin & lines=0
1310     read,'Continue < ,n> ',ch & if ch eq 'n' then goto,close & end
1311   end
1312 close: close,l
1313 return
1314 end
1315 ;
1316 ;-----
1317 ;
1318 pro decode,ss,num,n
1319 ; input string ss, return num(0,...)=numbers, n entries
1320 ; ss='125 160 240 275' then num(125,160,240,275) and n=4
1321 ;
1322 n=size(num) & kmax=ns(i) & temp=''
1323 n=0 & sn=' ' & nbk=0 & nstart=0 & numbers='0123456789+-.e'
1324 if strpos(ss,'\') lt 0 then temp=ss else temp=atrmid(ss,0,strpos(ss,'\')-1)
1325 aslen=strlen(temp) & if aslen eq 0 then return
1326 temp=atrmid(temp,1,aslen)
1327 for k=1,kmax do begin
1328   if nstart ge aslen then return
1329   nbk=strpos(temp,' ',nstart)
1330   sn=atrmid(temp,nstart,nbk-nstart) & nstart=nbk+1
1331   for j=0,strlen(sn)-1 do $
1332     if strpos(numbers,atrmid(sn,j,1)) eq -1 then goto,skiplt
1333     if strpos(sn,'.') ge 0 then num(n)=float(sn) else num(n)=fix(sn)
1334   n=n+1
1335   skipit:
1336 end
1337 return
1338 end
1339 ;
1340 ;-----
1341 ;
1342 pro readfile,loerror,restart
1343 common com1,filename,dumpname,printrname,dataname,title
1344 common com2,xdim,ydim,imswch,image,iobject
1345 common com15,version,comhead,comdata,moments
1346 ;
1347 if loerror eq 'F' then begin & ss='' & kmax=0 & goto,skip & end
1348 path=comdata(15)
1349 on,loerror,error
1350 openr,unit,path,filename,/GET,LUN
1351 hdr=assoc(unit,bytarr(512)) & h=hdr(0)
1352 xdim=h(4)+256*h(5)
1353 ydim=h(6)+256*h(7)
1354 print,'xdim=',xdim,'ydim=',ydim
1355 npic=float(xdim)/float(ydim)
1356 block=fix(npic/512.0)
1357 nstart=fix(npic-512.0*block)
1358 aa=assoc(unit,bytarr(xdim,ydim,512.0) & image=aa(0)
1359 ; tail=assoc(unit,bytarr(18*nstart),512.0*(1+block)) & t=tail(0)
1360 goto,done
1361 error: print,'IO ERROR ',loerror_string & loerror='t' & return
1362 ;
1363 done: free_lun,unit
1364 title='' & ss=''
1365 kmax=256 & while h(kmax) eq 32 do kmax=kmax+1
1366 if kmax-1 lt 80 then for k=10,kmax do ss=ss+string(h(k)) else $
1367   begin
1368     for k=10,25 do ss=ss+string(h(k)) ; first 20 characters
1369     for k=kmax-57,kmax do ss=ss+string(h(k)) ; last 60 characters
1370   end
1371 skip: title=atrmid(ss,0,kmax)
1372 if loerror eq 'A' then return ; called from autoview
1373 ;
1374 comdata(1)='{'+string(xdim,format='{33}')+','+string(ydim,format='{13}')}'+'
```

```

1375 ; even odd error fix
1376 ;
1377 ;-----
1378 imin=min(image) & imax=max(image) & scale=254.0/(imax-imin)
1379 image=byte(scale*(image-imin))
1380 for k=1,ydim-2,2 do image(k)=(image('k-1)/2)+(image('k+1)/2)
1381 ;
1382 ; boarder reflections
1383 ;
1384 for k=0,-1 do begin
1385   image(k)=image(k+1)
1386   image(xdim-k-1)=image(xdim-k-2)
1387   image('k)=image('k+1)
1388   image('ydim-k-1)=image('ydim-k-2)
1389 end
1390 ;
1391 fix_image,'r' ; sets imin,imax, and background
1392 ;
1393 comdata(17)=title
1394 print,'IMAGE',comdata(1)
1395 read,'Smooth image with sliding "box car" <y,n> ==> ',ss
1396 print,'ch='
1397 ;
1398 if ss eq 'y' then smooth_data,ch
1399 wset,2 & tv,image & wset,0
1400 get_centers,restart
1401 tvsci,iobject
1402 ;
1403 return
1404 end
1405 ;
1406 ;-----
1407 ;
1408 pro get_rebin,new_image,cx,cy ; Finds index for rebin (512/8,480/8)(510/6,478/2)
1409 ; called from autoview and doplot
1410 ;
1411 common com2,xdim,ydim,imswch,image,iobject
1412 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1413 ;
1414 nx=10 & ny=nx & nml=nx-1
1415 nx=9 & ny=nx & nml=nx-1
1416 xr=float(xdim) & yr=float(ydim)
1417 for k=1,nml do begin
1418   rem=xr-fix(xr/nx)*nx & if (rem eq 0) then goto,next else nx=nx-1 & end
1419 next:
1420 for k=1,nml do begin
1421   rem=yr-fix(yr/ny)*ny & if (rem eq 0) then goto,done else ny=ny-1 & end
1422 done:
1423 nbx=xdim/nx & nby=ydim/ny
1424 new_image=rebin(image,nbx,nby)
1425 cx=nx*xcmplx+indgen(xdim/nx)-xcmplx*xdim/2
1426 cy=ny*ycmplx+indgen(ydim/ny)-ycmplx*ydim/2
1427 ;
1428 return
1429 end
1430 ;
1431 ;-----
1432 ;
1433 pro get_beamlets,iabort
1434 ;
1435 common com2,xdim,ydim,imswch,image,iobject
1436 common com4,data,npcj,phase,maxdata,mask,rmask,typemask
1437 common com5,plot_lats,center,naxb,nbeam
1438 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1439 common com8>window,xwindow,ywindow,chw12,level
1440 common com10,xcent,ycent,nxcent,nycent,imin,imax,background
1441 common com11,ipass,bradius,xave,yave,ibeam,iradius,bij
1442 common com15,version,comhead,comdata,moments
1443 ;
1444 ch=' '
1445 itotal=0 & xmin=0 & xmax=0 & ymin=0 & ymax=0 & pmax=0 & sum=0 & nd=0 & back=0
1446 ;
```

```

1447 for beamlet=1,nbeam do begin
1448   err=0
1449   nx=center(beamlet,0) & ny=center(beamlet,1)
1450   if (nx lt xwindow) or (ny lt ywindow) or $
1451     (xdim-nx lt xwindow) or (ydim-ny lt ywindow) then err=1
1452   if (err ne 0) then goto,bypass
1453
1454   nx1=nx-xwindow & if nx1 lt 1 then nx1=1
1455   nx2=nx+xwindow & if nx2 ge xdim then nx2=xdim-1
1456   ny1=ny-ywindow & if ny1 lt 1 then ny1=1
1457   ny2=ny+ywindow & if ny2 ge ydim then ny2=ydim-1
1458   back=(total(image(nx1:nx2,ny1))+total(image(nx1:nx2,ny2)))/(nx2-nx1+1)+$
1459     (total(image(nx1,ny1:ny2))+total(image(nx2,ny1:ny2)))/(ny2-ny1+1)
1460   back=0.25*back
1461
1462   TEST 4/21/97 subtract tilted local background, then calculate cut
1463
1464   lline=Image(nx1:nx2,ny1) & maxline=nx2-nx1 & xwinmax=maxline-1
1465   lxa=where(lline eq max(lline)) & lxa=lxa(0)
1466   l1x=float(min(lline(0:l1)))
1467   l2x=float(min(lline(l1x:maxline)))
1468   l1xa=where(lline(0:l1) eq l1x)
1469   l2xa=where(lline(l1x:maxline) eq l2x)
1470   l1l=float(l1xa(0)) & l2l=float(l2xa(0))
1471   if l2l eq l1l then xas=0 else xas=(l2x-l1x)/(l2l-l1l)
1472   xback=l1x*xas*(lndgen(nx2-nx1))
1473   lline=lline-xback
1474   cutx=fix(0.01*level*max(lline)+0.5)
1475   for k=1,x-1 do if lline(k) lt cutx then goto,gotx1
1476   gotx1: if k lt ge maxline then goto,bypass
1477   if k lt 0 then k=0
1478   if (lline(k+1)-lline(k) eq 0) then xmin=(k-lx)*xcmplx else $
1479     xmin=(k-lx)*(cutx-lline(k))/(lline(k+1)-lline(k))*xcmplx
1480   for k=lx,xwinmax do if lline(k) lt cutx then goto,gotx2
1481   k=k-1
1482   gotx2: if (lline(k+1)-lline(k) eq 0) then xmax=(k-lx)*xcmplx else $
1483     xmax=(k-lx)*(cutx-lline(k))/(lline(k+1)-lline(k))*xcmplx
1484
1485   lline=Image(nx,ny1:ny2) & maxline=ny2-ny1 & ywinmax=maxline-1
1486   l1y=where(lline eq max(lline)) & l1y=l1y(0)
1487   l1y=float(min(lline(0:l1)))
1488   l2y=float(min(lline(l1y:maxline)))
1489   l1ya=where(lline(0:l1) eq l1y)
1490   l2ya=where(lline(l1y:maxline) eq l2y)
1491   l1l=float(l1ya(0)) & l2l=float(l2ya(0))
1492   if l2l eq l1l then yas=0 else yas=(l2y-l1y)/(l2l-l1l)
1493   yback=l1y*yas*(lndgen(ny2-ny1))
1494   lline=lline-yback
1495
1496   cuty=fix(0.01*level*max(lline)+0.5)
1497   for k=1,y-1 do if lline(k) lt cuty then goto,goty1
1498   goty1: if k lt ge maxline then goto,bypass
1499   if k lt 0 then k=0
1500   if (lline(k+1)-lline(k) eq 0) then ymin=(k-ly)*ycmplx else $
1501     ymin=(k-ly)*(cuty-lline(k))/(lline(k+1)-lline(k))*ycmplx
1502   for k=ly,ywinmax do if lline(k) lt cuty then goto,goty2
1503   k=k-1
1504   goty2: if (lline(k+1)-lline(k) eq 0) then ymax=(k-ly)*ycmplx else $
1505     ymax=(k-ly)*(cuty-lline(k))/(lline(k+1)-lline(k))*ycmplx
1506
1507   peak=max(Image(nx1:nx2,ny1:ny2)) & if peak gt pmax then pmax=peak
1508   ltotal=total(Image(nx1:nx2,ny1:ny2))-back*(nx2-nx1+1)*(ny2-ny1+1)
1509   sum=sum+ltotal
1510
1511   bypass:
1512   nd=nd+1
1513   data(nd,0)=Image(nx,ny) ; peak amplitude
1514   data(nd,1)=xmin & data(nd,2)=xmax & data(nd,3)=nx*xcmplx
1515   data(nd,4)=ymin & data(nd,5)=ymax & data(nd,6)=ny*ycmplx
1516   data(nd,7)=ltotal ; total int above background for beamlet.
1517   data(nd,8)=back
1518   for j=1,6 do if data(nd,j) gt 50.0 then err=1
1519   if err eq 1 then begin & plot_lets(nd,1)=0

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1520   data(nd,1)=0 & data(nd,2)=0 & data(nd,4)=0 & data(nd,5)=0 & end
1521   if beamlet eq labort then abort ; TEST debug ACP
1522   end
1523   data(0,0)=pmax & data(0,7)=sum
1524
1525   xave=total(data(1:nbeam,3))/nbeam
1526   yave=total(data(1:nbeam,6))/nbeam
1527
1528   for k=1,nbeam do $
1529     Radius(k-1)=0.25*sqrt((data(k,2)-data(k,1))^2+(data(k,5)-data(k,4))^2)
1530
1531   return
1532 end
1533
1534 -----
1535
1536 pro get_sigma,xx1,xx2,yy1,yy2
1537
1538 common com4,data,nspec,phase,maxdata,mask,nmask,typemask
1539 common com5,plot_lets,center,maxb,nbeam
1540 common com9,current,energy,betgamma,restm,brightness,emitx,emity,emltn,nemit
1541 common com11,lpasa,bradius,xave,yave,lbeamn,lradius,bj
1542 common com14,s11,s12,s22,s33,s34,s44,xcn,ycn,xpcn,ypcn,r12,r34,lx,ly,ld,ldx,ldy
1543 common com15,version,comhead,comdata,moments
1544
1545   xx1=fltrr(nbeam+1) & xx2=xx1 & yy1=xx1 & yy2=xx1
1546   count=0 & xcn=0 & ycn=0 & xpcn=0 & ypcn=0 & xemitav=0 & yemitav=0
1547   avgbeamlet=0
1548   for k=1,nbeam do if plot_lets(k,1) eq 1 then begin
1549     count=count+1
1550     xemitav=xemitav+emltn(k,0)
1551     yemitav=yemitav+emltn(k,1)
1552   end
1553   beamave=data(0,7)/nbeam
1554   xemitav=le6*xemitav/(nbeam*beamave)
1555   yemitav=le6*yemitav/(nbeam*beamave)
1556
1557   for k=1,nbeam do if plot_lets(k,1) eq 1 then begin
1558     xcn=xcn+mask(k,0)*data(k,7)/beamave
1559     xpcn=xpcn+0.5*(phase(k,1)+phase(k,2))*data(k,7)/beamave
1560     ycn=ycn+mask(k,1)*data(k,7)/beamave
1561     ypcn=ypcn+0.5*(phase(k,4)+phase(k,5))*data(k,7)/beamave
1562   end
1563
1564   if count eq 0 then return
1565   nl=1.0/count
1566   xc=xcn*nl & yc=ycn*nl & xpc=xpcn*nl & ypc=ypcn*nl
1567
1568   print,'xc,xpc ',xc,xpc
1569   print,'yc,ypc ',yc,ypc
1570
1571   s11=0 & s22=0 & s33=0 & s44=0 & s12=0 & s14=0 & s16=0
1572   s13=0 & s23=0 & s14=0 & s24=0
1573   a=0 & b=0 & ap=0 & bp=0 & x11=0 & x22=0 & y11=0 & y44=0
1574
1575   for k=1,nbeam do if plot_lets(k,1) eq 1 then begin
1576     x=0.01*(mask(k,0)-xc) & xpl=phase(k,1)-xpc & xp2=phase(k,2)-xpc
1577     y=0.01*(mask(k,1)-yc) & ypl=phase(k,4)-ypc & yp2=phase(k,5)-ypc
1578
1579     x1=x*ldx*xpl & x2=x*ldx*xp2 & x1l(k)=x1 & x2l(k)=x2
1580     y1=y*ldy*ypl & y2=y*ldy*yp2 & y1l(k)=y1 & y2l(k)=y2
1581
1582     s11=s11+(x1^2+x2^2)*data(k,7)/beamave
1583     s12=s12+(x1*xpl+x2*xp2)*data(k,7)/beamave
1584     s22=s22+(xpl^2+xp2^2)*data(k,7)/beamave
1585     s33=s33+(y1^2+y2^2)*data(k,7)/beamave
1586     s14=s14+(y1*ypl+y2*yp2)*data(k,7)/beamave
1587     s44=s44+(ypl^2+yp2^2)*data(k,7)/beamave
1588
1589     cross moments
1590     s13=s13+(x1*y1+x2*y2)*data(k,7)/beamave
1591     s23=s23+(xpl*y1+xp2*y2)*data(k,7)/beamave
1592     s16=s16+(x1*ypl+x2*yp2)*data(k,7)/beamave

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1591      s24=s24+(xpl*yp1*xp2*yp2)*data(k,7)/beamave
1592      -----
1593      end
1594      -----
1595      xcn=xcn*ni & ycn=ycn*ni
1596      xpcn=1000.0*xpcn*ni & ypcn=1000.0*ypcn*ni
1597      xcpave=xcpave*ni & ycpave=ypcpave*ni
1598      -----
1599      --- meters^2 --- rad^2      --- meter*rad      --- mm-mr
1600      s11=1.0e6*s11*ni & s22=1.0e6*s22*ni & s12=1.0e6*s12*ni
1601      emitx=sqrt(s11*s22*(s12)^2)
1602      s33=1.0e6*s33*ni & s44=1.0e6*s44*ni & s34=1.0e6*s34*ni
1603      emitx=sqrt(s33*s44*(s34)^2)
1604      s13=1.0e6*s13*ni & s23=1.0e6*s23*ni & s14=1.0e6*s14*ni & s24=1.0e6*s24*ni
1605      print,'s11,s12,s22',s11,s12,s22
1606      print,'s33,s34,s44',s33,s34,s44
1607      -----
1608      a=sqrt(1.0e-6*s11/2) & b=sqrt(1.0e-6*s33/2)
1609      ap=2.0e-6*a12/2/(sqrt(1.0e-6*s11/2)) & bp=2.0e-6*b12/2/(sqrt(1.0e-6*s33/2))
1610      tx=0.5*atan(2*s12/(s11-s22))*180/3.14159
1611      ty=0.5*atan(2*s34/(s33-s44))*180/3.14159
1612      print,'a',a,'b',b,'ap',ap,'bp',bp
1613      print,'tx',tx,'ty',ty
1614      moments(0)=s11/2 & moments(1)=s12/2 & moments(2)=s22/2
1615      moments(3)=s33/2 & moments(4)=s34/2 & moments(5)=s44/2
1616      moments(6)=s13/2 & moments(7)=s23/2 & moments(8)=s14/2 & moments(9)=s24/2
1617      print,'x2,xp,xp2',moments(0),moments(1),moments(2)
1618      print,'y2,yp,yp2',moments(3),moments(4),moments(5)
1619      print,'xy,xpy,xpy2',moments(6),moments(7),moments(8),moments(9)
1620      -----
1621      : moments are divided by a factor of 4 to get the 'expectation values' from
1622      : the sigma matrix values (emittance ellipse coefficients). The sigma values
1623      : differ from the 'expectation values' because they are summed in pairs to
1624      : accommodate the array indices but only divided by the number of beamlets whic
1625      :
1626      : is one-half the number of data points summed giving 1 factor of 2. The othe
1627      :
1628      : factor of 2 comes from the sigma value calculation with the 2/N in front
1629      : instead of 1/N which gives the other factor of 2.
1630      -----
1631      print,'emitx,emity',emitx,emity
1632      print,'angmom',betagamma*(moments(8)-moments(7))
1633      :
1634      nex=betagamma*emitx & ney=betagamma*emity
1635      print,'norm x emit',nex,' norm y emit',ney
1636      eng=sqrt(0.5*nex^2+0.5*ney^2)*16*betagamma^2*(s13*s24-s14*s23))
1637      :
1638      enh=sqrt(256*betagamma^4*(s24^2*s13^2 - 2*s23*s24*s11*s14 + s23^2*s14^2 + 2*s23
1639      *s12*s13*s44 - s22*s13^2*s44 - s23^2*s11*s44 - 2*s24*s12*s13*s34 - 2*s23*s12*s14
1640      *s34 + 2*s22*s13*s14*s34 + 2*s23*s24*s11*s34 + 2*s24*s12*s14*s33 - s22*s14^2*s33
1641      + - s24^2*s11*s33) + 256*betagamma^4*(-s12^2 + s22*s11*(-s34^2 + s44*s33))
1642      :
1643      print,'eng',eng
1644      print,'enh',enh
1645      if s11*s22 > 0 then r12=s12/sqrt(s11*s22) else r12=0
1646      if s33*s44 > 0 then r34=s34/sqrt(s33*s44) else r34=0
1647      :
1648      : Distance to waist: lx=-s12/s22 and ly=-s34/s44
1649      :
1650      s11=1.0e-6*s11 & s22=1.0e-6*s22 & s12=1.0e-6*s12
1651      emitx=1.0e-6*emitx
1652      s33=1.0e-6*s33 & s44=1.0e-6*s44 & s34=1.0e-6*s34
1653      emity=1.0e-6*emity
1654      return
1655      end
1656      -----
1657      :
1658      pro get_emittance,chw

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1659      :
1660      common com2,xdim,ydim,imsvch,image,iobject
1661      common com4,data,npcj,phase,maxdata,mask,nmask,typemask
1662      common com5,plot,lets,center,maxb,nbeam
1663      common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1664      common com8>window,xwindow,ywindow,chw1n2,level
1665      common com9,current,energy,betagamma,restm,brightness,emitx,emity,emitn,nemit
1666      common com11,ipass,bradius,xave,yave,ibeamn,jradius,bj
1667      common com14,s11,s12,s22,s33,s34,s44,xcn,ycn,xpcn,ypcn,r12,r34,lx,ly,ld,ldx,ldy
1668      common com15,version,comthead,comdata,moments
1669      common com17,chwsv,have_done,maxtype,ptype,chellipse,chelld,chelscl
1670      :
1671      : 0 1 2 3 4 5 6 7 8
1672      : data ( .,)=pixel,xmin,xmax,xave,ymin,ymax,yave,sum,backg
1673      : phase( .,)=xabs,xpmin,xpmax,yabs,ypmin,ypmax
1674      : phase(m-1,)=s11,s12,s22,s33,s34,s44 / m=maxdata+400
1675      : phase(m-2,)=r12,r34,xscl,xpscl,yscl,ypsc1
1676      : phase(m-3,)=0.0,xave,xpave,yave,ypave / center of phase space
1677      : phase(m-4,)=xmin,xmax,xpmin,xpmax,0.0 / fix scales of brightness plots
1678      : phase(m-5,)=xmin,xmax,xpmin,xpmax,0.0 / fix scales of emittance plots
1679      :
1680      if data(0,0) > 0 and chw eq 'n' then goto,regenerate
1681      if data(0,0) eq 0 then get_beamlets,0
1682      :
1683      nemit=0
1684      zero=0.000001
1685      phase=fltarr(maxdata,6) : phase(maxdata-1,6)=s11,s12,s22,s33,s34,s44
1686      if rhole eq 0 then $
1687      begin & phase( .,)=0 & emitn( .,)=0 & goto,regenerate & end
1688      if drift > 0 then dcml=1/(100*drift) else dcml=0
1689      :
1690      openw,13,'hemitx.dat'
1691      openw,14,'hemity.dat'
1692      for k=1,nbeam do begin
1693      rx=0.5*(data(k,2)-data(k,1))
1694      if (rx lt rhole) then rp=0 else rp=dcml*(rx-rhole)
1695      emitn(k,0)=0.01*mask(k,0)*rp
1696      print,f13,mask(k,0),1e6*emitn(k,0)
1697      emitn(k,0)=0.01*rhole*rp
1698      phase(k,0)=data(k,3)-xave
1699      rp0=(phase(k,0)-mask(k,0))*dcml
1700      phase(k,1)=rp0-rp & phase(k,2)=rp0*rp
1701      ry=0.5*(data(k,5)-data(k,4))
1702      if (ry lt rhole) then rp=0 else rp=dcml*(ry-rhole)
1703      emitn(k,1)=0.01*rhole*rp
1704      emitn(k,1)=0.01*mask(k,1)*rp
1705      print,f14,mask(k,1),1e6*emitn(k,0)
1706      phase(k,1)=data(k,6)-yave
1707      rp0=(phase(k,1)-mask(k,1))*dcml
1708      phase(k,4)=rp0-rp & phase(k,5)=rp0*rp
1709      end
1710      close,13
1711      close,14
1712      :
1713      emitn(0,2)=nbeam
1714      :
1715      regenerate: pi=tpi : pi=3.14159
1716      :
1717      : at mask, ldx=ldy=0
1718      ldx=0 & ldy=0 & get_sigma,xx1,xx2,yy1,yy2
1719      ix=-s12/s22
1720      iy=-s34/s44
1721      jradius=fltarr(nbeam) & jbeamn=jradius & bj=fltarr(nbeam,2)
1722      phase(maxdata-1,0)=s11 & phase(maxdata-1,1)=s12 & phase(maxdata-1,2)=s22
1723      phase(maxdata-1,3)=s33 & phase(maxdata-1,4)=s34 & phase(maxdata-1,5)=s44
1724      phase(maxdata-2,0)=r12 & phase(maxdata-2,1)=r34
1725      phase(maxdata-3,2)=xcn & phase(maxdata-3,3)=xpcn
1726      phase(maxdata-3,4)=ycn & phase(maxdata-3,5)=ypcn
1727      :
1728      ngood=0 & theta=0
1729      for k=1,nbeam do $
1730      if (phase(k,1) ne 0) and (phase(k,2) ne 0) and $
1731      (phase(k,1) ne 0) and (phase(k,2) ne 0) then begin

```

```

1732 theta=theta+0.25*(phase(k,2)-phase(k,1)+phase(k,5)-phase(k,4))
1733 ngood=ngood+1
1734 end
1735 if ngood gt 0 then theta=1000.0*theta/ngood
1736 for k=1,nbeam do jradius(k-1)=mask(k,2)*rhole
1737 if mask(0,2) gt 0 then radius=mask(0,2) else radius=max(jradius)
1738
1739 ave=0.5*(emitx+emity)
1740 comdata(8)=''+string(emitx,format='(f8.3)')+','+$
1741 string(emity,format='(f8.3)')+','+$
1742 ave=string(ave,format='(f8.3)')+','+$
1743 norm=string(ave*betagamma,format='(f9.4)')+','+$
1744 comdata(11)=''+string(100.0*sqrt(s11),format='(f7.4)')+','+$
1745 string(r12,format='(f7.4)')+','+$
1746 string(1000.0*sqrt(s22),format='(f7.2)')+','+$
1747 string(1x,format='(f7.3)')+','+$
1748 comdata(12)=''+string(100.0*sqrt(s33),format='(f7.4)')+','+$
1749 string(r34,format='(f7.4)')+','+$
1750 string(1000.0*sqrt(s44),format='(f7.2)')+','+$
1751 string(1y,format='(f7.3)')+','+$
1752
1753 -----
1754
1755 if emitx eq 0 or emity eq 0 then return
1756 jx=2.0*current/(pi*le-6*emitx*betagamma)^2
1757 jy=2.0*current/(pi*le-6*emity*betagamma)^2
1758 print,'jx,jy',jx,jy
1759 jxy=le12
1760 jxy=sqrt(jx*jy)
1761 if radius*theta eq 0 then jwb=0 else $
1762 jwb=current/(pi*le-5*radius*theta*betagamma)^2
1763 comdata(13)=''+string(jx,format='(e10.2)')+','+$
1764 string(jy,format='(e10.2)')+','+$
1765 string(jxy,format='(e10.2)')+','+$
1766 string(jwb,format='(e10.2)')+','+$
1767
1768 calculate brightness j=1/(pi*emit*betagamm)^2
1769 in=(IBEAM*nbeamlets*hole^2/RBEAM^2)*sum(pix n)/sum(all pix in image)
1770
1771 ----- then we have inputted the measured passed current
1772
1773 if ipass(1) gt 0 then nbpass=ipass(1) else nbpass=nbeam
1774 radius=50.0*(sqrt(s11)+sqrt(s33))
1775 amps=current*nbpass*(rhole/radius)^2 & imask=amps
1776
1777 -----
1778 TEST 4/28/97 ACP
1779 if chaw ne 'x' then goto,skiplt
1780 print,'TEST:get_emptance current'+string(current,format='(f7.1)')+','+$
1781 nbpass=string(nbpass,format='(i3)')+','+$
1782 r(cm)=string(radius,format='(f8.3)')+','+$
1783 amps=string(amps,format='(f8.3)')+','+$
1784
1785 ipave=0
1786 for k=1,nbeam do ipave=ipave+data(k,0) & ipave=ipave/nbeam ; ave peak
1787 incident whole beam pixels = pi*r^2*ipave
1788 flux=pi*radius^2*ipave ; pixels
1789 iave=current/flux
1790
1791 for k=1,nbeam do iapx=iapx+data(k,7) & iapx=iapx/nbeam
1792 iave=0
1793 itax=0
1794 iapb=0
1795 itay=0
1796 print,' Average incident flux '+string(ipave,format='(f8.1)')+','+$
1797 print,' Average impingent flux on mask(A/p) '+string(iave,format='(f8.2)')+','+$
1798
1799 print,' Average pixels per beamlet '+string(iapx,format='(f8.2)')+','+$
1800 print,' Average current per beamlet '+string(iapb,format='(f8.2)')+','+$
1801 print,' Total passed current '+string(itax,format='(f8.2)')+','+$
1802
1803 skiplt:
1804 TEST 4/28/97 ACP
1805 -----
1806 if (ipass(0) gt 0) and (ipass(1) gt 0) then begin

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1804 amps=ipass(0)*nbeam/ipass(1) & imask=ipass(0) & end
1805
1806 amps=amps/data(0,7) ; data(0,7)=sum of all pixels -- all beamlets total
1807 as=0
1808 aa=2/pi & cutoff=0.02*rhole/thickness
1809 for k=1,nbeam do begin
1810 rp=sqrt((phase(k,2)-phase(k,1))^2+(phase(k,5)-phase(k,4))^2)
1811 if rp lt cutoff then {1.0 else $
1812 begin ; reff^2 = rhole^2 * (1-(2t/pi) - (2/pi)*sin(t)*cos(t))
1813 thatal=thickness*tan(rp)/(2.0*rhole)
1814 {1.0-aa*thatal-aa*sin(thatal)*cos(thatal)
1815 end
1816 ibeamn(k-1)=amps*f*data(k,7) ; current carried by this beamlet
1817 as=as+ibeamn(k-1)
1818 end
1819
1820 ----- diff between imask and as is non waist angle correction effect.
1821 if ipass(0) gt 0 then begin ; scale current to measured value
1822 as=imask/as
1823 for k=1,nbeam do ibeamn(k-1)=as*ibeamn(k-1)
1824 end else imask=as
1825 if mask(0,2) gt 0 then $
1826 comdata(14)=''+string(mask(0,2),format='(f8.3)')+','+$
1827 comdata(14)=''+string(radius,format='(f8.3)')+','+$
1828 comdata(14)=comdata(14)+','+string(theta,format='(f7.3)')+','+$
1829 string(imask,format='(f7.3)')+','+$
1830
1831 const=(betagamma*pi)^2
1832 correction=(0.02*pi*rhole)^2/(17000*betagamma)
1833 for k=1,nbeam do begin
1834 if (emitn(k,0) eq 0) or (emitn(k,1) eq 0) then jn=0 else $
1835 jn=ibeamn(k-1)/(const*emitn(k,0)*emitn(k,1))
1836 bjj(k-1,0)=jn & rb=radius(k-1)
1837 if rb gt 0 then jn=jn*(1-(rhole/rb)^2)/(1-jn*correction*log(rb/rhole))
1838 jradius(k-1)=mask(k,2)*rhole
1839 bjj(k-1,1)=jn
1840 end
1841 brightness=0 & nb=0
1842 for k=0,nbeam-1 do $
1843 if (bjj(k,nspc)) gt 0 then $
1844 if plot_lets(k,1) eq 1 then $
1845 begin & nb=nb+1 & brightness=brightness+bjj(k,nspc) & end
1846 if nb gt 0 then brightness=brightness/nb
1847 adj=0
1848 for k=0,nbeam-1 do $
1849 if (bjj(k,nspc)) gt 0 then if plot_lets(k,1) eq 1 then $
1850 adj=adj+(bjj(k,nspc)-brightness)^2
1851 adj=sqrt(adj)/(nb+1)
1852 comdata(9)=''+string(current,format='(f8.2)')+','+$
1853 string(imask,format='(f6.3)')+','+$
1854 string(nbpass,format='(i4)')+','+$
1855 string(brightness,format='(e10.2)')+','+$
1856 string(adj,format='(e8.2)')+','+$
1857
1858 return
1859 end
1860 -----
1861 pro movie,ntime
1862
1863 common com1,filename,dumpname,printname,daname,title
1864 common com2,xdim,ydim,imswch,image,iobject
1865 common com3,ssin,pview,ch2
1866 common com4,xcent,ycent,nxcent,nycent,lmn,lmax,background
1867 common com5,version,comhead,comdata,moments
1868 common com6,kmovie,nalics,slices
1869
1870 add=0 & kmin=5 & kmax=0 & kstep=5 & ss=' ' & smw=0 & num=ntime(4)
1871 if ntime eq 0 then begin
1872 itime=1
1873 if (strlen(ssin) eq 3) then if (strlen(ssin,2,1) eq 'a') then add=1
1874 if ch2 eq 'a' then add=1
1875 print,'Enter kmin,kmax,kstep,smooth (LF uses 5,480,5,0) ' & read,ss
1876

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1877 if strlen(ss) gt 1 then begin & decode,ss,num,n
1878 kmin=fix(num(0)) & kmax=fix(num(1)) & kstep=fix(num(2))
1879 if n ge 4 then smw=fix(num(3))
1880 if n ge 5 then ltimex=fix(num(4))
1881 end
1882 kmovie(0)=kmin & kmovie(1)=kmax & kmovie(2)=kstep & kmovie(3)=smw
1883 if ch2 eq 'x' then kmovie(4)=1 else kmovie(4)=3
1884 end else begin
1885 kmin=kmovie(0) & kmax=kmovie(1) & kstep=kmovie(2) & smw=kmovie(3)
1886 if kmovie(4) eq 1 then ch2='x' else ch2='y'
1887 end
1888
1889 heading=filename
1890 n=strlen(comdata(1))-10
1891 if n gt 1 then heading=heading+' '+strmid(comdata(1),10,n)
1892 smhead='Cut smoothing '+string(smw,format='(I2)')+ '$
1893 ' Horizontal line = background level'
1894 if ch2 eq 'x' then begin ; horizontal slices
1895 if kmax eq 0 then kmax=5*fix(0.2*ydim)-5
1896 if smw ge 3 then line=smooth(image(k,*),smw) else line=image(k,min)
1897 line=indgen(xdim-1)
1898 plot,xaxis(5:xdim-5),line(5:xdim-5),color=0,$
1899 xrange=[0,xdim],yrange=[0,lmax+10],xstyle=1,ystyle=1,$
1900 xtitle='X(pixels)',ytitle='Intensity',title=heading,/nodata
1901 xyouts,0.15,0.90,smhead,color=0,/norm
1902 plots,{0,xdim-1},{background,background},color=0
1903
1904 if ntime eq 1 then $
1905 for k=kmin,kmax,kstep do begin
1906 ss='Y cut '+string(k,format='(I3)')
1907 xyouts,0.15,0.87,ss,color=0,/norm
1908 if smw ge 3 then line=smooth(image(k,*),smw) else line=image(k,*),
1909 plot,xaxis(5:xdim-5),line(5:xdim-5),color=0,$
1910 xrange=[0,xdim],yrange=[0,lmax+10],xstyle=1,ystyle=1,$
1911 xtitle='X(pixels)',ytitle='Intensity',title=heading,/nodata
1912 xyouts,0.15,0.90,smhead,color=0,/norm
1913 plots,{0,xdim-1},{background,background}
1914 line=line
1915 end $
1916 else $
1917 for k=kmin,kmax,kstep do begin & ss='Y cut '+string(k,format='(I3)')
1918 xyouts,400,background+6,ss,color=0
1919 if smw ge 3 then line=smooth(image(k,*),smw) else line=image(k,*),
1920 oplot,xaxis(5:xdim-5),line(5:xdim-5),color=0
1921 if add eq 0 then begin
1922 oplot,xaxis(5:xdim-5),line(5:xdim-5),color=16777215
1923 oplot,xaxis(5:xdim-5),line(5:xdim-5),color=0
1924 plots,{0,xdim-1},{background,background},color=0
1925 line=line
1926 end
1927 wait,ltimex
1928 xyouts,400,background+6,ss,color=16777215
1929 end
1930 end $
1931
1932 else begin ; verticle slices
1933 if kmax eq 0 then kmax=5*fix(0.2*xdim)-5
1934 if smw ge 3 then line=smooth(image(kmin,*),smw) else line=image(kmin,*),
1935 line=indgen(ydim-1)
1936 plot,xaxis(5:ydim-5),line(5:ydim-5),color=0,$
1937 xrange=[0,ydim],yrange=[0,lmax+10],xstyle=1,ystyle=1,$
1938 xtitle='Y(pixels)',ytitle='Intensity',title=heading,/nodata
1939 xyouts,0.15,0.90,smhead,color=0,/norm
1940 plots,{0,ydim-1},{background,background},color=0
1941
1942 if ntime eq 1 then $
1943 for k=kmin,kmax,kstep do begin
1944 ss='X cut '+string(k,format='(I3)')
1945 xyouts,0.15,0.87,ss,color=0,/norm
1946 if smw ge 3 then line=smooth(image(k,*),smw) else line=image(k,*),
1947 plot,xaxis(5:ydim-5),line(5:ydim-5),color=0,$
1948 xrange=[0,ydim],yrange=[0,lmax+10],xstyle=1,ystyle=1,$
1949 xtitle='Y(pixels)',ytitle='Intensity',title=heading

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1950 xyouts,0.15,0.90,smhead,color=0,/norm
1951 plots,{0,ydim-1},{background,background}
1952 line=line
1953 end $
1954 else $
1955 for k=kmin,kmax,kstep do begin & ss='X cut '+string(k,format='(I3)')
1956 xyouts,400,background+6,ss,color=0
1957 if smw ge 3 then line=smooth(image(k,*),smw) else line=image(k,*),
1958 oplot,xaxis(5:ydim-5),line(5:ydim-5),color=0
1959 if add eq 0 then begin
1960 oplot,xaxis(5:ydim-5),line(5:ydim-5),color=16777215
1961 oplot,xaxis(5:ydim-5),line(5:ydim-5),color=0
1962 plots,{0,ydim-1},{background,background},color=0
1963 line=line
1964 end
1965 wait,ltimex
1966 xyouts,400,background+6,ss,color=16777215
1967 end
1968 end
1969 xyouts,400,background+6,ss,color=0
1970
1971 return
1972 end
1973
1974 -----
1975
1976 pro plot_ellipse,plane,ellipse
1977
1978 common com4,data,nspec,phase,maxdata,mask,nmask,typemask
1979 common com9,current,energy,betagamma,restm,brightness,emitx,emity,emitn,nemit
1980 common com14,s11,s12,s22,s33,s34,s44,xcn,ycn,xpcn,ypcn,r12,r34,lx,ly,ld,ldx,ldy
1981 common com15,version,comhead,comdata,moments
1982 common com17,chsav,have_done,maxtype,ptype,chellipse,chel6d,chelscl
1983
1984 if plane eq 'x' then goto,xmask else $
1985 if plane eq 'y' then goto,ymask else $
1986 if plane eq 'l' then goto,xvalst else $
1987 if plane eq 'j' then goto,yvalst else $
1988 if plane eq 'c' then goto,ximage else $
1989 if plane eq 'd' then goto,yimage else return
1990
1991 xvalst:
1992 t=0 & a=1.0e-12*emitx^2/s22 & b=s22
1993 xc=xcn & xcp=xpcn
1994 goto,generate
1995
1996 yvalst:
1997 t=0 & a=1.0e-12*emity^2/s44 & b=s44
1998 xc=ycn & xcp=ypcn
1999 goto,generate
2000
2001 ximage:
2002 xc=xcn & xcp=xpcn
2003 goto,xplane
2004
2005 yimage:
2006 xc=ycn & xcp=ypcn
2007 goto,yplane
2008
2009 xmask:
2010 s11=phase(maxdata-1,0) & s12=phase(maxdata-1,1) & s22=phase(maxdata-1,2)
2011 xc=phase(maxdata-3,2) & xcp=phase(maxdata-3,3)
2012 xplane:
2013 t=0.5*atan(2*s12/(s11-s22))
2014 a=cos(t)^2*s11+2*cos(t)*sin(t)*s12+sin(t)^2*s22
2015 b=sin(t)^2*s11-2*cos(t)*sin(t)*s12+cos(t)^2*s22
2016 goto,generate
2017
2018 ymask:
2019 s33=phase(maxdata-1,3) & s34=phase(maxdata-1,4) & s44=phase(maxdata-1,5)
2020 xc=phase(maxdata-3,4) & xcp=phase(maxdata-3,5)
2021 yplane:
2022 t=0.5*atan(2*s34/(s33-s44))
2023 a=cos(t)^2*s33+2*cos(t)*sin(t)*s34+sin(t)^2*s44
2024 b=sin(t)^2*s33-2*cos(t)*sin(t)*s34+cos(t)^2*s44
2025
2026

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2023 generate:
2024 a=sqrt(a) & b=sqrt(b)
2025 ac=a*cos(t) & as=a*sin(t) & bc=b*cos(t) & bs=b*sin(t)
2026 npoints=36 & ellipse=flarr(2,npoints)
2027 t=0 & dt=2*pi/(npoints-1)
2028 for k=0,npoints-1 do $
2029   begin
2030     x=cos(t) & y=sin(t)
2031     xx=ac*x-bs*y & yy=as*x+bc*y & xx=100*xx+xc & yy=1000*yy+ycp
2032     ellipse(0,k)xx & ellipse(1,k)yy
2033     t=t+dt
2034   end
2035 :
2036 : return
2037 : end
2038 : -----
2039 :
2040 :
2041 pro plot_6d_space,ntime
2042 :
2043 common com1,filename,dumpname,printname,dataname,title
2044 common com4,data,nspc,phase,maxdata,mask,runmask,typemask
2045 common com5,plot_lets,center,maxb,nbeam
2046 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
2047 common com8>window,xwindow,ywindow,chain2,level
2048 common com9,current,energy,betaganma,resta,brightness,emitx,emity,emitn,nemit
2049 common com14,s11,s12,s22,s33,s44,xcn,ycn,xpcn,ypcn,r12,r34,ix,ly,ld,ldx,ldy
2050 common com15,version,comhead,comdata,moments
2051 common com17,chlsv,have_done,maxtype,ptype,chellipse,chel6d,chelcsl
2052 :
2053 ch= ' ' & fp.multi=[0,2]
2054 :
2055 if nmask eq 0 then begin & print,'Must generate mask.' & return & end
2056 if ntime eq 0 then read,'Plot beamlet labels <y,n>' ,chel6d
2057 :
2058 t1s=strarr(4) & axis=strarr(8) & as=flarr(6,2)
2059 xym1n=flarr(2) & xymax=xym1n & xpm1n=flarr(2) & xpmmax=xpm1n
2060 t1t=[0,' X-Yp ('+filename+')' & t1t=[1,' Y-Xp ('+filename+')'
2061 t1t=[2,' Xp-Yp ('+filename+')' & t1t=[3,' X-Y ('+filename+')'
2062 axis(0)= 'x(nm)' & axis(1)= 'yp(mm)' & axis(2)= 'y(nm)' & axis(3)= 'xp(mm)'
2063 axis(4)= 'xp(mm)' & axis(5)= 'yp(mm)' & axis(6)= 'x(nm)' & axis(7)= 'y(nm)'
2064 as(0,0)=0 & as(1,0)=0 & as(2,0)=0 & as(3,0)=0 & as(4,0)=0 & as(5,0)=0
2065 :
2066 phase(0,0)=xabs, phase(0,1)=xpl, phase(0,2)=xp2
2067 phase(0,3)=yabs, phase(0,4)=ypl, phase(0,5)=yp2
2068 :
2069 rad=atan(1)/4.5 : 10 degrees
2070 circle=flarr(37,2)
2071 circle(0,0)=sin(indgen(37)*rad) & circle(1,1)=cos(indgen(37)*rad)
2072 index=flarr(4,6)
2073 index(0,0)=0 & index(0,1)=0 & index(0,2)=4 & index(0,3)=5
2074 index(1,0)=1 & index(1,1)=1 & index(1,2)=1 & index(1,3)=2
2075 index(2,0)=1 & index(2,1)=2 & index(2,2)=4 & index(2,3)=5
2076 index(3,0)=0 & index(3,1)=0 & index(3,2)=3 & index(3,3)=3
2077 :
2078 ps=1000.0
2079 index(0,4)=1.0 & index(0,5)=ps
2080 index(1,4)=1.0 & index(1,5)=ps
2081 index(2,4)=ps & index(2,5)=ps
2082 index(3,4)=1.0 & index(3,5)=1.0
2083 :
2084 Calculate the cross correlation sums xy, x-yp, xp-yp, and xp-yp
2085 xy=0
2086 avebeamlet=0
2087 for k=1,nbeam do begin
2088   avebeamlet=avebeamlet+data(k,7)/nbeam
2089 end
2090 for k=1,nbeam do if plot_lets(k,1) eq 1 then $
2091   xy=xy+(mask(k,0)*mask(k,1))*data(k,7)/
2092   xyp=0
2093   for k=1,nbeam do $
2094     if plot_lets(k,1) eq 1 then $
2095       xyp=xyp+(mask(k,0)*phase(k,4)*mask(k,0)*phase(k,5))

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```

2096 xyp=0
2097 for k=1,nbeam do $
2098   if plot_lets(k,1) eq 1 then $
2099     xyp=xyp+(mask(k,1)*phase(k,1)*mask(k,1)*phase(k,2))
2100 xyp=0
2101 for k=1,nbeam do $
2102   if plot_lets(k,1) eq 1 then $
2103     xyp=xyp+(phase(k,1)*phase(k,4)*phase(k,2)*phase(k,5))
2104 xy=100*xy/nbeam & xyp=1e4*xyp/nbeam
2105 xpy=1e4*xpy/nbeam & xyp=1e6*xyp/nbeam
2106 angmom=xyp-xyp
2107 print,'xy,xyp,xyp,xyp,angmom'
2108 print,'xy,xyp,xyp,xyp,angmom'
2109 moments(6)=xy & moments(7)=xyp
2110 moments(8)=xyp & moments(9)=xyp
2111 xyp=sqrt(s11/4*s44/4) : mm*mr
2112 xyp=sqrt(s33/4*s22/4) : mm*mc
2113 xyp=sqrt(s22/4*s44/4) : mr^2
2114 xyp=sqrt(s11/4*s33/4) : mm^2
2115 print,' '
2116 print,'xy,xyp,xyp,xyp'
2117 print,'xy,xyp,xyp,xyp'
2118 print,' '
2119 s1b=strarr(4,4)
2120 s1b(0,0)=xyp,xyp,xyp/xyp
2121 s1b(0,1)= 'x'yp'yp' & string(moments(8),format='(f8.2)')+ ' mm-mr'
2122 s1b(0,2)= 'sum ' & string(xyp,format='(e10.2)')
2123 s1b(0,3)= 'S/x'yp' & string(moments(8)/xyp,format='(e10.2)')
2124 s1b(1,0)=xyp,xyp,xyp/xyp
2125 s1b(1,1)= 'y'yp'yp' & string(moments(7),format='(f8.2)')+ ' mm-mr'
2126 s1b(1,2)= 'sum ' & string(xyp,format='(e10.2)')
2127 s1b(1,3)= 'S/y'yp' & string(moments(7)/xyp,format='(e10.2)')
2128 s1b(2,0)=xyp,xyp,xyp/xyp
2129 s1b(2,1)= 'xp'yp'yp' & string(moments(9),format='(f8.2)')+ ' mr^2'
2130 s1b(2,2)= 'sum ' & string(xyp,format='(e10.2)')
2131 s1b(2,3)= 'S/xpyp' & string(moments(9)/xyp,format='(e10.2)')
2132 s1b(3,0)=xyp,xyp,xyp/xyp
2133 s1b(3,1)= 'x'yp'yp' & string(moments(6),format='(f8.2)')+ ' mm^2'
2134 s1b(3,2)= 'sum ' & string(xyp,format='(e10.2)')
2135 s1b(3,3)= 'S/y'yp' & string(moments(6)/xyp,format='(e10.2)')
2136 :
2137 for plane=0,3 do begin
2138   ix=2*plane & iy=ix+1 & expnd=1.5
2139   ix0=index(plane,0) & ix1=index(plane,1) & xscl=index(plane,4)
2140   ix2=index(plane,2) & ix3=index(plane,3) & pscl=index(plane,5)
2141   xym1n(0)=xscl*min(phase(where(plot_lets(1:nbeam,1) gt 0),ix0))
2142   xymax(0)=xscl*max(phase(where(plot_lets(1:nbeam,1) gt 0),ix0))
2143   xym1n(1)=xscl*min(phase(where(plot_lets(1:nbeam,1) gt 0),ix1))
2144   xymax(1)=xscl*max(phase(where(plot_lets(1:nbeam,1) gt 0),ix1))
2145   xym1n(0)=xscl*min(mask(where(plot_lets(1:nbeam,1) gt 0),ix0))
2146   xymax(0)=xscl*max(mask(where(plot_lets(1:nbeam,1) gt 0),ix0))
2147   xym1n(1)=xscl*min(mask(where(plot_lets(1:nbeam,1) gt 0),ix1))
2148   xymax(1)=xscl*max(mask(where(plot_lets(1:nbeam,1) gt 0),ix1))
2149   xpm1n(0)=pscl*min(phase(where(plot_lets(1:nbeam,1) gt 0),ix2))
2150   xpmmax(0)=pscl*max(phase(where(plot_lets(1:nbeam,1) gt 0),ix2))
2151   xpm1n(1)=pscl*min(phase(where(plot_lets(1:nbeam,1) gt 0),ix3))
2152   xpmmax(1)=pscl*max(phase(where(plot_lets(1:nbeam,1) gt 0),ix3))
2153   xmlnp=expnd*min(xym1n) & xmaxp=expnd*max(xymax)
2154   xmln=expnd*min(xym1n) & xmax=expnd*max(xymax)
2155   as(0,0)=xmln & as(5,0)=xmax & as(2,1)=xmaxp & as(3,1)=xmlnp
2156 :
2157 plot,as(0,0),as(1,1),$
2158   xrange=[xmln,xmax],yrange=[xmlnp,xmaxp],xstyle=1,ystyle=1,$
2159   xtitle=axis(ix),ytitle=axis(iy),title=axis(plane),/nodata
2160   plots,[0,0],[xmlnp,xmaxp] & plots,[xmln,xmax],[0,0]
2161 if plane eq 0 or plane eq 2 then ix1=0.1 else ix1=0.6
2162 write_scales,ix1
2163 if plane eq 2 then begin : Xp-Yp plot circles
2164   for k=1,nbeam do $
2165     if (plot_lets(k,1) eq 1) then begin
2166       xxax=0.5*xscl*(mask(k,ix0)*mask(k,ix1))
2167       xxax=0.5*xscl*(phase(k,ix0)*phase(k,ix1))
2168       xps=0.5*xscl*(phase(k,ix1)-phase(k,ix0))

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2169 :      yyax=0.5*xsc1*(mask(k,ix2)+mask(k,ix3))
2170 :      yyax=0.5*xsc1*(phase(k,ix2)+phase(k,ix3))
2171 :      yps=0.5*xsc1*(phase(k,ix3)-phase(k,ix2))
2172 :      oplot,circle('o')*xps*xxax,circle('o')*yps*yyax
2173 :      plots,[xxax,xxax],[yyax-0.5,yyax+0.5]
2174 :      plots,[xxax-0.5,xxax+0.5],[yyax,yyax]
2175 :      end
2176 :      end else $
2177 :      for k=1,nbeam do $
2178 :      if (plot_lets(k,1) eq 1) then begin
2179 :      xxax=[xsc1*phase(k,ix0),xsc1*phase(k,ix1)]
2180 :      yyax=[pscl*phase(k,ix2),pscl*phase(k,ix3)]
2181 :      plots,xxax,yyax & oplot,xxax,yyax,psym=6
2182 :      end
2183 :      if chel6d eq 'y' then begin
2184 :      for k=1,nbeam do if plot_lets(k,1) eq 1 then $
2185 :      xyouts,xsc1*phase(k,ix0),pscl*phase(k,ix2),string(k,format='(13)')
2186 :      end
2187 :      if ntime eq 1 then iyl=-0.07 else iyl=0.95
2188 :      if (plane eq 1) or (plane eq 2) then begin
2189 :      if mask(0,1) ne 0 then begin
2190 :      iyl=iyl-0.025
2191 :      xyouts,0.18,iyl,'Mask rotation '+comdata(19)+' deg.',/norm
2192 :      end
2193 :      end
2194 :      for j=1,3 do begin & iyl=iyl-0.022
2195 :      xyouts,ix1+0.02,iyl,sslb(plane,j),/norm & end
2196 :      if (plane eq 1) and (ntime eq 0) then begin
2197 :      read,'Continue <y,n> ','ch & if ch eq 'n' then goto,myexit & end
2198 :      end
2199 :      iyl=iyl-0.022
2200 :      xyouts,ix1+0.02,iyl,sslb(plane,1),/norm
2201 :      if (plane eq 1) and (ntime eq 0) then begin
2202 :      read,'Continue <y,n> ','ch & if ch eq 'n' then goto,myexit & end
2203 :      end
2204 :      end
2205 :      myexit: !p.multi=0
2206 :      return
2207 :      end
2208 :      :-----
2209 :      :
2210 :      :
2211 :      :
2212 :      :
2213 :      :
2214 :      :
2215 :      :
2216 :      :
2217 :      :
2218 :      :
2219 :      :
2220 :      :
2221 :      :
2222 :      :
2223 :      :
2224 :      :
2225 :      :
2226 :      :
2227 :      :
2228 :      :
2229 :      :
2230 :      :
2231 :      :
2232 :      :
2233 :      :
2234 :      :
2235 :      :
2236 :      :
2237 :      :
2238 :      :
2239 :      :
2240 :      :
2241 :      :

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2242 :      end
2243 :      if nmask eq 0 then begin & print,'Must generate mask.' & return & end
2244 :      if (nbeam eq 0) then begin & print,'RAW MODE' & return & end
2245 :      if ch2 eq ' ' then begin
2246 :      xplane='x' & yplane='y' & ldx=0 & ldy=0 & sloc='mask' & end $
2247 :      else if ch2 eq 'w' then begin
2248 :      xplane='x' & yplane='y' & ldx=1x & ldy=1y & sloc='waist' & end $
2249 :      else if ch2 eq 'm' then begin
2250 :      xplane='x' & yplane='y' & ldx=0 & ldy=0 & sloc='mask' & end $
2251 :      else if ch2 eq 'l' then begin
2252 :      xplane='c' & yplane='d' & ldx=drift & ldy=drift
2253 :      sloc='TV image' & end $
2254 :      else if ch2 eq 'd' then begin
2255 :      xplane='c' & yplane='d' & ldx=ld & ldy=ld
2256 :      sloc='L'+string(ld,format='(f7.3)')+ ' m' & end $
2257 :      else return
2258 :      end
2259 :      ss=' ' & ssi=' ' & sss=' ' & sssy=' '
2260 :      (lag=0 & xacepl=-100 & xacep2=100 & yacepl=-100 & yacep2=100
2261 :      label=plot_lets(nbeam,1,1))
2262 :      :
2263 :      :
2264 :      :
2265 :      :
2266 :      :
2267 :      :
2268 :      :
2269 :      :
2270 :      :
2271 :      :
2272 :      :
2273 :      :
2274 :      :
2275 :      :
2276 :      :
2277 :      :
2278 :      :
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2294 :      :
2295 :      :
2296 :      :
2297 :      :
2298 :      :
2299 :      :
2300 :      :
2301 :      :
2302 :      :
2303 :      :
2304 :      :
2305 :      :
2306 :      :
2307 :      :
2308 :      :
2309 :      :
2310 :      :
2311 :      :
2312 :      :
2313 :      :
2314 :      :

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2315 as(0,1)=0 & as(1,1)=0 & as(2,1)=xmaxp & as(3,1)=xminp & as(4,1)=0 & as(5,1)=0
2316 plot,as(0,1),as(1,1),xrange=[xmin,xmax],yrange=[ymin,ymax],$
2317 xstyle=1,ystyle=1,xtitle=tits(0),ytitle=tits(1),title=tits(2),/nodata
2318 ; write_scales,0.10
2319 for k=1,nbeam do $
2320   if ((phase(k,3) gt yacep1) and (phase(k,3) lt yacep2)) and $
2321     (plot_lets(k,1) eq 1) then begin
2322       xxax=[xx1(k),xx2(k)] & yyax=[p'phase(k,1),p'phase(k,2)]
2323       plots,xxax,yyax & oplot,xxax,yyax,psym=6
2324       if (flag eq 1) and (label eq 2) then $
2325         xyouts,xx1(k),dxlab,p'phase(k,1),string(k,format='(13)')
2326     end
2327   if ntime eq 1 then begin
2328     ss=strmid(comdata(8),1,8)+' mm-mr'
2329     xyouts,0.15,0.90,ss,/norm
2330     ss=comhead(10)+comdata(10) & xyouts,0.15,0.87,ss,/norm
2331   end
2332   plots,[0,0],[xminp,xmaxp] & plots,[0,0]
2333   if (label eq 2) and (flag eq 0) then $
2334     for k=1,nbeam do if (plot_lets(k,1) eq 1) then $
2335       xyouts,xx1(k),dxlab,p'phase(k,1),string(k,format='(13)')
2336   if chellipse eq 'y' then begin
2337     plot_ellipse,xplane,ellipse & oplot,ellipse(0,1),ellipse(1,1) & end
2338 ;
2339 ; y-yp phase space
2340 planes'y'
2341 as(0,0)=ymin & as(1,0)=0 & as(2,0)=0 & as(3,0)=0 & as(4,0)=0 & as(5,0)=ymax
2342 as(0,1)=0 & as(1,1)=0 & as(2,1)=xmaxp & as(3,1)=xminp & as(4,1)=0 & as(5,1)=0
2343 plot,as(0,1),as(1,1),xrange=[ymin,ymax],yrange=[yminp,ymaxp],$
2344 xstyle=1,ystyle=1,xtitle=tits(3),ytitle=tits(4),title=tits(5),/nodata
2345 ; write_scales,0.60
2346 for k=1,nbeam do $
2347   if ((phase(k,0) gt xacep1) and (phase(k,0) lt xacep2)) and $
2348     (plot_lets(k,1) eq 1) then begin
2349     xxax=[yy1(k),yy2(k)] & yyax=[p'phase(k,4),p'phase(k,5)]
2350     plots,xxax,yyax & oplot,xxax,yyax,psym=6
2351     if (flag eq 1) and (label eq 2) then $
2352       xyouts,yy1(k),dylab,p'phase(k,4),string(k,format='(13)')
2353   end
2354   plots,[0,0],[yminp,ymaxp] & plots,[ymin,ymax],[0,0]
2355   if ntime eq 1 then begin
2356     ss=strmid(comdata(8),10,8)+' mm-mr'
2357     xyouts,0.65,0.90,ss,/norm
2358   end
2359   if (label eq 2) and (flag eq 0) then $
2360     for k=1,nbeam do if (plot_lets(k,1) eq 1) then $
2361       xyouts,yy1(k),dylab,p'phase(k,4),string(k,format='(13)')
2362   if chellipse eq 'y' then begin
2363     plot_ellipse,yplane,ellipse & oplot,ellipse(0,1),ellipse(1,1) & end
2364 ;
2365 ; plot labels
2366 -----
2367 if ntime eq 0 then $
2368   begin & yy=0.96 & dy=0.021 & end else begin & yy=0.05 & dy=0.030 & end
2369   ss='rms edge x' & emittance 'string(1.0e6'emitx,format='(f8.2)')' mm-mr'
2370   yy=yy-dy & xyouts,0.12,yy,ss,/norm
2371   ss='rms edge y' & emittance 'string(1.0e6'emity,format='(f8.2)')' mm-mr'
2372   xyouts,0.62,yy,ss,/norm
2373   ss='norm. x' & emittance 'string(1.0e6'betagamma'emitx,format='(f8.3)')' mm-mr'
2374   yy=yy-dy & xyouts,0.12,yy,ss,/norm
2375   ss='norm. y' & emittance 'string(1.0e6'betagamma'emity,format='(f8.3)')' mm-mr'
2376   xyouts,0.62,yy,ss,/norm
2377   ss='x,r12,xp' & string(100'sqrt(a11),format='(f7.3)')+$
2378     string(12,format='(f7.4)') & string(1000'sqrt(a22),format='(f7.3)')
2379   yy=yy-dy & xyouts,0.12,yy,ss,/norm
2380   ss='y,r14,yp' & string(100'sqrt(a33),format='(f7.3)')+$
2381     string(14,format='(f7.4)') & string(1000'sqrt(a44),format='(f7.3)')
2382   xyouts,0.62,yy,ss,/norm
2383   ss=comhead(10)+comdata(10)+' at ' & sloc
2384   yy=yy-dy & xyouts,0.12,yy,ss,/norm
2385   n2=strlen(comdata(11))

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2386   if n2 gt 10 then ss=strmid(comdata(11),10,n2-10)
2387   xyouts,0.62,yy,ss,/norm
2388 ; nbeam smoothing
2389 if mask(0,1) ne 0 then begin
2390   yy=yy-0.03 & xyouts,0.65,yy,'Mask '+comdata(19)+' deg.',/norm & end
2391 ;
2392 if ntime ne 0 then goto,myexit
2393 if as1 eq '1' then goto,myexit
2394 as1=' '
2395 read,'Plot at given X(cm).Y(cm)slice, Sscale, Ellipse, Label, Nlabel'
2396 ;
2397 ;
2398 if strlen(as1) eq 0 then goto,myexit
2399 ;
2400 if as1 eq 'a' then begin
2401   plot_ellipse,xplane,ellipse
2402   plot_ellipse(0,1),ellipse(1,1),$
2403   xrange=[xmin,xmax],yrange=[xminp,xmaxp],$
2404   xstyle=1,ystyle=1,xtitle=tits(0),ytitle=tits(1),title=tits(2)
2405   plots,[xmin,xmax],[0,0] & plots,[0,0],[xminp,xmaxp]
2406   plot_ellipse,yplane,ellipse
2407   plot_ellipse(0,1),ellipse(1,1),$
2408   xrange=[ymin,ymax],yrange=[yminp,ymaxp],$
2409   xstyle=1,ystyle=1,xtitle=tits(3),ytitle=tits(4),title=tits(5)
2410   plots,[ymin,ymax],[0,0] & plots,[0,0],[yminp,ymaxp]
2411   cc=' ' & read,'Plot ellipse on "data phase space" <y,n>' ,cc
2412   if strlen(cc) gt 0 then begin
2413     if cc eq 'y' then chellipse='y' else chellipse='n' & end
2414   goto,myexit
2415 end
2416 else if as1 eq 'a' then begin
2417   read,'Enter phase space scales rmax(cm),rpxmax(mm) LF(autoscale) ==>' ,ss
2418   if strlen(ss) eq 0 then begin & chelscl=' ' & goto,myexit & end
2419   num=fltarr(2) & decode,ss,num,n & x=1.0*num(0) & xp=1.0*num(1)
2420   m=maxdata-2
2421   phase(m,2)=-x & phase(m,3)=x & phase(m,4)=-xp & phase(m,5)=xp
2422   chelscl='s'
2423   goto,fixscale
2424 end
2425 else if as1 eq 'n' then begin
2426   label=0 & plot_lets(nbeam+1,1)=label & end
2427 else if as1 eq 'l' then begin
2428   label=2 & plot_lets(nbeam+1,1)=label & goto,twoplots
2429 end
2430 ;
2431 if strpos('abcdefghijklmnopqrstuvwxyz',ss1) ge 0 then goto,myexit
2432 nx=strpos(ss1,' ') & sx=atrmid(ss1,0,nx) & x=float(sx)
2433 ny=strlen(ss1)-nx & sy=atrmid(ss1,nx+1,ny) & y=float(sy)
2434 flag=1 & deltax=xcmplx*xwindow & deltay=ycmplx*ywindow
2435 xacep1=x-deltax & xacep2=x+deltax & yacep1=y-deltay & yacep2=y+deltay
2436 sax='x' & string(y,format='(f8.3)')' cm'
2437 ssy='y' & string(x,format='(f8.3)')' cm'
2438 goto,twoplots
2439 ;
2440 myexit: lp, multi=0
2441 return
2442 end
2443 ;
2444 ;
2445 ;
2446 pro plot_all_beam,ntime
2447 ;
2448 common com1,filename,dumpname,printname,dataname,title
2449 common com2,xdim,ydim,imszuch,image,lobject
2450 common com3,asin,psview,ch1
2451 common com4,data,nspcj,phase,maxdata,mask,nmask,typemask
2452 common com5,plot_lets,center,maxb,nbeam
2453 common com6>window,xwindow,ywindow,chw1n2,level
2454 common com15,version,comhead,comdata,moments
2455 common com17,cbhav,have_done,maxptype,ptype,chellipse,chelscl
2456 ;

```

```

2457 xx=ltarr(4) & yy=xx
2458 xx(0)=0.07 & xx(1)=0.32 & xx(2)=0.55 & xx(3)=0.82
2459 yy(0)=0.96 & yy(1)=0.70 & yy(2)=0.46 & yy(3)=0.20
2460 ip=multi=[0,4,4]
2461 ip=0
2462 for k=1,nbeam do begin
2463   nx1=center(k,2) & nx2=center(k,3) & ny1=center(k,4) & ny2=center(k,5)
2464   iy=center(k,1)
2465   plot,image[nx1:nx2,iy].yrange=[0,256],xstyle=1,ystyle=1
2466   for j=ny1,ny2 do oplot,image[nx1:nx2,j]
2467   xyouts,xx(ip mod 4),yy(ip/4),'0'+string(k,format='(I3)'),/norm
2468   if ip eq 0 then xyouts,0,1,0.98,filename,/norm
2469   ip=ip+1
2470   if k mod 16 eq 0 then begin
2471     ip=0
2472     if ntime eq 0 then begin
2473       cc=' ' & read,'Continue <y,n,s>abort> ',cc
2474       if cc eq 'n' then goto,byebye
2475       if cc eq 's' then abort
2476     end
2477   end
2478 end
2479 :
2480 byebye:
2481 ip=multi=0
2482 return
2483 end
2484 :
2485 -----
2486 :
2487 pro plot_beamlet,ntime
2488 :
2489 common com1,filename,dumpname,printname,dataname,title
2490 common com2,xdim,ydim,imawch,image,iobject
2491 common com3,ssin,pview,ch2
2492 common com4,data,nspcf,phase,maxdata,mask,nmask,typemask
2493 common com5,plot_lets,center,maxb,nbeam
2494 common com6,window,xwindow,ywindow,chwln2,level
2495 common com15,version,comhead,comdata,moments
2496 common com7,chbsv,have_done,maxptype,ptype,chelipse,chel6d,chelaci
2497 :
2498 nbs=0 & ss=' ' & ss_window=' ' & Window='comdata(5)
2499 num=ntime(nbeam)
2500 if ntime eq 0 then $
2501 begin
2502   if ch2 eq 'n' then $
2503     begin & decode,ssin,num,n & nb=num(0) & goto,nextb & end
2504     read,'Which beamlet, <1...'+string(nbeam,format='(I3)')+> $
2505     ' > Delete Purge Restore Multiple <LF next one > ',ss
2506     if strlen(ss) eq 0 then nb=plot_lets(maxb,0)+1 else $
2507     if (ss eq 'd') then begin
2508       read,'Enter beamlets to be ignored' All1 ==> ',ss
2509       if (ss eq 's') then begin & plot_lets(1,1)=0 & goto,myexit & end
2510       decode,ss,num,n
2511       for k=0,n-1 do begin & kb=num(k)
2512         if (kb gt 0) and (kb le nbeam) then plot_lets(kb,1)=0
2513       end
2514       goto,myexit
2515     end else $
2516     if (ss eq 'p') then begin
2517       print,'Enter beamlets to be PERMANENTLY DESTROYED'
2518       read,'>>> ',ss
2519       decode,ss,num,n
2520       for k=0,n-1 do begin & kb=num(k)
2521         if (kb gt 0) and (kb le nbeam) then begin
2522           data(kb:nbeam-1,1)=data(kb:1:nbeam,1)
2523           mask(kb:nbeam-1,1)=mask(kb:1:nbeam,1)
2524           center(kb:nbeam-1,1)=center(kb:1:nbeam,1)
2525           plot_lets(kb:nbeam-1,1)=plot_lets(kb:1:nbeam,1)
2526           nmask=nmask-1 & nbeam=nbeam-1
2527         end else if kb ge nbeam then begin
2528           nbeam=nbeam-1 & nmask=nmask-1 & end
2529         end

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```

2530   for k=nbeam+1,nbeam+2 do begin
2531     for j=0,0 do data(k,j)=0
2532     for j=0,1 do center(k,j)=0
2533   end
2534   goto,myexit
2535 end else $
2536 if (ss eq 'r') then begin
2537   read,'Enter beamlets to be restored' All1 ==> ',ss
2538   if (ss eq 'a') then begin & plot_lets(1,1)=1 & goto,myexit & end
2539   decode,ss,num,n
2540   for k=0,n-1 do begin & kb=num(k)
2541     if (kb gt 0) and (kb le nbeam) then plot_lets(kb,1)=1
2542   end
2543   goto,myexit
2544 end else $
2545 if (ss eq 'm') then begin
2546   read,'Enter list of beamlet ==> ',ss
2547   decode,ss,plot_lets,nbm
2548   if nbm gt 2 then ip=multi=[0,2,nbm/2]
2549   np=1 & goto,next
2550 end $
2551 else nb=fix(ss)
2552 nextb:
2553 if (nb lt 1) or (nb gt nbeam) then begin
2554   print,'Sorry, not that many beamlets' & goto,myexit & end
2555   have=0 & for k=1,maxb do if nb eq plot_lets(k,0) then $
2556     begin & have=1 & np=k & end
2557   if have eq 0 then $
2558     begin & maxb=maxb+1 & plot_lets(maxb,0)=nb & np=maxb & end
2559   end else begin & np=1 & nb=0 & end
2560 :
2561 next:
2562 ch=' '
2563 nb=plot_lets(np,0)
2564 if ntime eq 1 then print,' beamlet '+string(nb,format='(I3)')
2565 if (ss eq 'm') and (np mod 2 eq 0) then read,'Continue <y,n> ',ch
2566 if ch eq 'n' then return
2567 nx1=center(nb,0)-xwindow & if nx1 lt 0 then nx1=0
2568 nx2=nx1+xwindow+xwindow & if nx2 ge xdim then nx2=xdim-1
2569 ny1=center(nb,1)-ywindow & if ny1 lt 0 then ny1=0
2570 ny2=ny1+ywindow+ywindow & if ny2 ge ydim then ny2=ydim-1
2571 surface,image[nx1:nx2,ny1:ny2]
2572 xyouts,0,2,0.87,1,1,1a,/norm
2573 xyouts,0,2,0.84,'beamlet '+string(nb,format='(I3)')+> ']+$
2574 string(center(nb,0),format='(I3)')+> ']+$
2575 string(center(nb,1),format='(I3)')+> ']+$
2576 string(nx1,format='(I3)')+> ']+$
2577 string(ny1,format='(I3)')+> ']+$
2578 xyouts,0,2,0.81,'Peak '+string(data(nb,0),format='(I3)')+> ']+$
2579 ' Sum'+string(data(nb,1),format='(E10.3)')+> ']+$
2580 ' '+filename,/norm
2581 n2=strlen(comdata(1))-10
2582 if n2 gt 1 then xyouts,0,2,0.78,strcmp(comdata(1),10,n2),/norm
2583 if ntime eq 1 then begin
2584   np=np+1 & if np le maxb then goto,next & maxb=0 & end
2585   if nbm gt 0 then begin & nbm=nbm-1 & np=np+1 & goto,next & end
2586 :
2587 ip=multi=0
2588 return
2589 myexit: ptype(4)=0 & ip=multi=0
2590 return
2591 end
2592 :
2593 -----
2594 :
2595 pro plot_mask,ss
2596 :
2597 common com1,filename,dumpname,printname,dataname,title
2598 common com3,ssin,pview,ch2
2599 common com4,data,nspcf,phase,maxdata,mask,nmask,typemask
2600 common com5,plot_lets,center,maxb,nbeam
2601 common com7,xcplx,ycplx,drift,rhola,separation,thickness
2602 common com15,version,comhead,comdata,moments

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2603 ; pview=window, clontour, ssurface, pprofile, elmit, bbeamlet, B)rightness
2604 ; lg, lgy, lgr generate mask
2605 ;
2606 ;
2607 if nbeam eq 0 then return
2608 if strpos('gsr',ch2) ge 0 then $
2609   begin & ch=ch2
2610     if strlen(ss) ge 3 then ch=string(ss,2,1)
2611     gen_mask, ch ; get_emittance, ' '
2612   end
2613 ;
2614 if (nmask gt nbeam) or (nmask eq 0) then begin
2615   print, 'Must generate mask' & return & end
2616 ;
2617 if ch2 eq 'w' then begin
2618   ch2='c' & chw=' ' & ntime=0
2619   plot_window, chw, ntime
2620   oplot, mask(1:nmask, 0), mask(1:nmask, 1), psym=4
2621 end else begin & s=2*separation
2622   plot, mask(1:nmask, 0), mask(1:nmask, 1), paym=4, xstyle=1, ystyle=1, $
2623     xrange=[min(mask(1:nmask, 0))-s, max(mask(1:nmask, 0))+s], $
2624     yrange=[min(mask(1:nmask, 1))-s, max(mask(1:nmask, 1))+s], $
2625     xtitle='x(cm)', ytitle='y(cm)', title='MASK'+ ' for '+ filename
2626 end
2627 dx=8*xcmplx & dy=2*ycmplx
2628 for k=1, nmask do xyouts, mask(k, 0)-dx, mask(k, 1)+dy, string(k, format='(I3)')
2629 if mask(0, 1) ne 0 then xyouts, 0.20, 0.90, 'Mask rotation '+comdata(19), /norm
2630 ;
2631 return
2632 end
2633 ;
2634 -----
2635 ;
2636 function odd, n ; n=5 x=5.00 xh=2 x-2nh=1 / n=6 x=6.00 xh=3 x-2xh=0
2637 x=1.0*n
2638 xh=fix(x/2)
2639 if abs(x-2.0*xh) gt 0.5 then odd=1 else odd=0
2640 return, odd
2641 end
2642 ;
2643 -----
2644 ;
2645 function atan9, xc, yc ; ang=atan(x,y) where tan(ang)=y/x
2646 ;
2647 ;
2648 abx=abs(xc)
2649 if abx lt 1.e-10 then begin
2650   if yc eq 0 then return, 0
2651   if yc lt 0 then return, 1.5*pi
2652   else return, 0.5*pi
2653 end
2654 val=atan(abs(yc)/abx)
2655 if xc lt 0 then begin
2656   if yc eq 0 then return, pi
2657   if yc lt 0 then return, val+pi
2658   else return, pi-val
2659 end else begin
2660   if yc eq 0 then return, 0
2661   if yc lt 0 then return, 2*pi-val
2662   else return, val
2663 end
2664 end
2665 ;
2666 -----
2667 ;
2668 pro gen_round, ctype
2669 ;
2670 common com1, filename, dumpname, printname, dataname, title
2671 common com4, data, nspc, phase, maxdata, mask, nmask, typemask
2672 common com5, plot_lets, center, maxb, nbeam
2673 common com7, xcplx, ycmplx, drift, rho, separation, thickness
2674 common com15, version, comhead, comdata, moments
2675 common com21, nmax, masklist

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2676 ;
2677 if typemask eq 1 then begin
2678   print, 'typemask cartesian.'
2679   ch=' ' & read, ' Do you want to generate a round mask <y,n,q>ults>', ch
2680   if ch ne 'y' then return
2681 end
2682 ;
2683 typemask=2
2684 xc=0 & yc=0 & rr=0
2685 nask=1 & masklist(nask, 0)=xc & masklist(nask, 1)=yc
2686 maxr=5 & dth=fix(tarr(maxr+1)) & nth=ntarr(maxr+1) & nsum=nth
2687 pi=4.0*atan(1.0) & dt=0.25*pi
2688 dth(0)=1.0
2689 dth(1)=dt & dth(2)=0.5*dt & dth(3)=0.5*dt & dth(4)=0.5*dt & dth(5)=0.25*dt
2690 nth(0)=0 & nth(1)=8 & nth(2)=16 & nth(3)=16 & nth(4)=16 & nth(5)=32
2691 nsum(0)=1 & for kr=1, maxr do nsum(kr)=nsum(kr-1)+nth(kr)
2692 for kr=1, maxr do begin
2693   rrr=separation & theta=0 & dt=dth(kr) & tmax=nth(kr)
2694   for kt=1, tmax do begin & nask=nask+1
2695     masklist(nask, 2)=rr
2696     masklist(nask, 0)=rr*cos(theta) & masklist(nask, 1)=rr*sin(theta)
2697     theta=theta+dt
2698   end
2699 end
2700 plot, masklist(1:nask, 0), masklist(1:nask, 1), paym=4, $
2701   xtitle='x(cm)', ytitle='y(cm)', title='ROUND MASK'
2702 ;
2703 dx=0.4*separation
2704 for k=1, nask do xyouts, masklist(k, 0)-dx, masklist(k, 1), string(k, format='(I2)')
2705 xx=fixarr(2) & yy=xx & kl=1
2706 for kr=1, maxr do begin
2707   kl=nth(kr-1)
2708   for j=1, nth(kr)-1 do begin
2709     xx(0)=masklist(kl+j, 0) & xx(1)=masklist(kl+j+1, 0)
2710     yy(0)=masklist(kl+j, 1) & yy(1)=masklist(kl+j+1, 1)
2711     oplot, xx, yy
2712   end
2713   xx(0)=xx(1) & yy(0)=yy(1) & xx(1)=masklist(kl+1, 0) & yy(1)=masklist(kl+1, 1)
2714   oplot, xx, yy
2715 end
2716 ;
2717 find order of beam images to mask layout
2718 ;
2719 if ctype eq 's' then goto, doshow
2720 ch=' '
2721 read, 'Autogen, N)numericallist, S)how, <q>ults>', ch
2722 if ch eq 'Q' or ch eq 'q' then begin & ctype='q' & return & end
2723 if ch eq 'A' or ch eq 'a' then goto, autogen
2724 if ch eq 'N' or ch eq 'n' then goto, numlist
2725 if ch eq 'S' or ch eq 's' then goto, doshow
2726 return
2727 ;
2728 -----
2729 numlist,
2730 print, 'Input for each beamlet the "mask" number printed.'
2731 print, 'The beamlet number is shown for the window or tlvx data.'
2732 print, 'If you make an error, enter ???HELP and the new value.'
2733 print, ' Good Luck'
2734 print, '-----'
2735 nmask=0 ; csa='a'
2736 xx=fixarr(5) & yy=xx & dx=0.3*separation & dy=dx
2737 xx(0)=-dx & xx(1)=dx & xx(2)=dx & xx(3)=-dx & xx(4)=-dx
2738 yy(0)=dy & yy(1)=dy & yy(2)=-dy & yy(3)=-dy & yy(4)=dy
2739 for k=1, nbeam do begin
2740   read, 'beamlet '+string(k, format='(I3, $)')+ ' --> ', csa
2741   kl=fix(csa)
2742   nmask=nmask+1
2743   mask(nmask, 0)=masklist(kl, 0)
2744   mask(nmask, 1)=masklist(kl, 1)
2745   oplot, xx, masklist(kl, 0), yy, masklist(kl, 1)
2746 end
2747 return
2748 ;
2749 -----

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2749 doshow:
2750   xx=flarr(5) & yy=xx & dx=0.3*separation & dy=dx
2751   xx(0)=dx & xx(1)=dx & xx(2)=dx & xx(3)=dx & xx(4)=dx
2752   yy(0)=dy & yy(1)=dy & yy(2)=dy & yy(3)=dy & yy(4)=dy
2753   for k=1,nbeam do begin
2754     oplot,xx=mask(k,0),yy=mask(k,1)
2755     xyouts,mask(k,0)-0.9*dx,mask(k,1)-0.9*dy,string(k,format='(1)')
2756   end
2757   xyouts,0.1,0.98,filename+' ('+dataname+')',/norm
2758   if mask(0,1) ne 0 then xyouts,0.70,0.98,'Mask rotation '+comdata(19),/norm
2759   ctype='q'
2760   return
2761 ;
2762 autogen:
2763 ; -----
2764   mdex=ntarr(nbeam)
2765   ordx=flarr(nbeam) & ordy=ordr & ordz=ordr & ordt=ordr
2766   lck=' ' & read,'Which beamlet is the center beamlet (q quits) --> ',lck
2767   if lck eq 'q' then return
2768   lck=fix(lck) & lcx=center(lck,0) & lcy=center(lck,1)
2769   for k=1,nbeam do begin
2770     x=xcplx*center(k,0)-lcx & y=ycplx*center(k,1)-lcy
2771     ordx(k)=x & ordy(k)=y & ordz(k)=sqrt(x*x+y*y) & ordt(k)=atan2(y,x)
2772   end
2773   ordx(0)=999.0 ; 0th point is not used, make big
2774   l0=where(ordx eq min(ordx)) ; l0 is center where x approx 0
2775   ordx(l0)=999.0 ; make a big number
2776   dr=1/min(ordx) ; smallest value is the first radial step
2777   for k=1,nbeam do begin
2778     lr=fix(ordx(k)/dr) ; radial index counter
2779     if lr gt maxr then begin & lr=0 & l0=0 & end else lr=lr-1
2780     l=fix(0.5*(ordt(k)/dth(lr))) ; theta index counter
2781     if l eq nth(lr) then l=0 ; 360 degrees is also 0
2782     ii=nsum(l)+l+1 ; mask index value
2783     mdex(k)=ii
2784   end
2785   mdex(l0)=1 ; x=0 center is first mask point
2786 ;
2787   if typemask eq 2 then begin
2788     nmask=0
2789     for k=0,nbeam-1 do begin
2790       nmask=nmask+1
2791       idx=mdex(k)
2792       mask(nmask,0)=masklist(idx,0)
2793       mask(nmask,1)=masklist(idx,1)
2794       mask(nmask,2)=masklist(idx,2)
2795     end
2796     terr=0
2797   end
2798   return
2799 end
2800 ;
2801 ; -----
2802 ;
2803 pro gen_rectangular,ctype
2804 ; ctype=show
2805 common com1,filename,dumpname,printname,dataname,title
2806 common com4,data,nspc,phase,maxdata,mask,nmask,typemask
2807 common com5,plot_lets,center,maxb,nbeam
2808 common com7,xcplx,ycplx,drift,thole,separation,thickness
2809 common com8>window,xwindow,ywindow,chwint,level
2810 common com10,xcent,ycent,nxcent,nycent,lmin,lmax,background
2811 common com15,version,comhead,comdata,moments
2812 common com21,nmax,masklist
2813 ;
2814   if typemask eq 2 then begin
2815     print,'typemask is for round mask.'
2816     ch=' ' & read,'Do you want to generate a rectangular <y,n,q quits> ',ch
2817     if ch ne 'y' then return
2818   end
2819 ;
2820   typemask=1
2821   if ctype eq 'a' then begin

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2822   nx=masklist(0,0) & ny=masklist(0,1)
2823   end else begin
2824     if masklist(0,0) eq 0 then begin
2825       num=flarr(4)
2826       ss=' ' & read,'Enter nx,ny for rectangular mask q quits --> ',ss
2827       if strlen(ss) eq 0 or ss eq 'q' then return
2828       decode,ss,num,n
2829       nx=fix(num(0)) & ny=fix(num(1))
2830       masklist(0,0)=nx & masklist(0,1)=ny
2831     end else begin & nx=masklist(0,0) & ny=masklist(0,1) & end
2832   end
2833 ;
2834   nask=0
2835   yci=fix(ny/2)*separation & yc=ycl
2836   xci=fix(nx/2)*separation & xc=xcl
2837   for ky=1,ny do begin
2838     for kx=1,nx do begin
2839       nask=nask+1 & masklist(nask,0)=xc & masklist(nask,1)=yc
2840       xc=xc+separation
2841     end
2842     xc=xcl & yc=yc+separation
2843   end
2844   plot,masklist(1:nask,0),masklist(1:nask,1),psym=4,xstyle=1,ystyle=1,$
2845     xrange=(xcl-separation,xcl+(nx+1)*separation),$
2846     yrange=(ycl-separation,ycl+(ny+1)*separation),$
2847     xtitle='x(cm)',ytitle='y(cm)',title='RECTANGULAR MASK'
2848   dx=0.4*separation & dy=0.18*separation
2849   for k=1,nask do $
2850     xyouts,masklist(k,0)-dx,masklist(k,1)+dy,string(k,format='(1)')
2851   if ctype eq 's' then goto,doshowx
2852 ;
2853 ; -----
2854   ch=' '
2855   read,'Autogen, H)numerical list, S)how, <q quits> ',ch
2856   if ch eq 'Q' or ch eq 'q' then begin & ctype='q' & return & end
2857   if ch eq 'A' or ch eq 'a' then goto,autogenx
2858   if ch eq 'N' or ch eq 'n' then goto,numlistx
2859   if ch eq 'S' or ch eq 's' then goto,doshowx
2860   return
2861 ;
2862 ; -----
2863   autogenx:
2864   ss=' ' & read,'Which beamlet is center <1..'+string(nbeam)+'> q quits ',ss
2865   if ss eq 'q' then return
2866   center(nbeam,0)=0 & center(nbeam,1)=0
2867   lcn=fix(ss) & lcx=center(lcn,0) & lcy=center(lcn,1)
2868   print,'lcx, lcy',lcx,lcy
2869   lxlne=fix((nx/4)*separation/xcplx) ; calc big number advance y
2870   ldx=abs(center(lcn,0)-center(lcn,1,0))/2 ; approx horizontal spacing
2871   ldy=ldx ; approx vertical spacing
2872   print,'ldx, ldy',ldx,ldy
2873 ;
2874   generate list of beamlets at x=0. Number of such beamlets is number of
2875   horizontal lines in mask.
2876 ;
2877   nxline=ntarr(nbeam+1) & ldo=0
2878   dododo:
2879     nni=0
2880     for k=1,nbeam do begin
2881       if abs(center(k,0)-lcx) lt ldx then begin
2882         nni=nni+1 & nxline(nni)=k
2883       end
2884     end
2885     eliminate duplicate entries in nxline (tv image can be slightly rotated)
2886     k=1
2887     while k lt nni do begin
2888       l=nxline(k) & j=nxline(k+1)
2889       if abs(center(l,1)-center(j,1)) lt ldy/2 then begin
2890         if abs(center(j,0)-lcx) lt abs(center(l,0)-lcx) then $ ; save k+1 in x
2891         begin & l=1 & nxline(k)=nxline(k+1) & end else l=j
2892         for n=k+1,nni-1 do nxline(n)=nxline(n+1) & nni=nni-1 ; eliminate
2893       end else k=k+1
2894     end

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2895 ;
2896 ; ido=ido+1
2897 ; if ido eq 2 then goto,from_dodo
2898 ;
2899 ; nxc1=1 & while nxline(nxc1) ne icn do nxc1=nxc1+1
2900 ; print,'Central beamlet is in line '+string(nxc1,format='(i2)')+
2901 ; print,'Mask illuminated by '+string(nnl,format='(i2)')+
2902 ; print,'horizontal lines of beamlets.'
2903 ; print,format='(Central line beamlets: ',i2i4)',nxline(1:nnl)
2904 ;
2905 ; Order beamlets left to right, bottom to top
2906 ;
2907 ; idy=abs(center(nxline(nxc1+1),1)-center(nxline(nxc1-1),1))/4
2908 ; lslne=ntarr(nnl+1) & nslne=lslne ; line start and 1 of beamlets per line
2909 ; for k=1,nnl do begin
2910 ;   il=nxline(k) & if il eq 1 then il=2
2911 ;   ir=nxline(k)-1 & if ir eq 0 then ir=1
2912 ;   while abs(center(il,0)-center(il-1,0)) lt ixline and $
2913 ;     abs(center(il,1)-center(il-1,1)) lt idy do il=il+1
2914 ;   while abs(center(ir,0)-center(ir,0)) lt ixline and $
2915 ;     abs(center(ir,1)-center(ir,1)) lt idy do ir=ir-1
2916 ;   nbs=il-ir-1
2917 ;   if il lt ir then lbs=il-1 else lbs=ir+1
2918 ;   if k eq 1 and nxline(1) eq 1 and il eq 2 then begin & lbs=1 & nbs=1 & end
2919 ;   lslne(k)=lbs & nslne(k)=nbs
2920 ;   print,'Line'+string(k,format='(i2)')+
2921 ;     ' starts with beamlet '+string(lbs,format='(i2)')+
2922 ;     ' and has '+string(nbs,format='(i2)')+ ' beamlets.',il,ir
2923 ; end
2924 ;
2925 ; print,'Total beamlets: ',fix(total(nslne))
2926 ; print,'Now re-ordering beamlets .....
2927 ;
2928 ; for k1=1,nnl do begin ; for each line of mask
2929 ;   is=slne(k1) & nb=nslne(k1) & nm=1+nbs-1
2930 ;   for j=1,nm do $
2931 ;     for k=j,nnl do $
2932 ;       if center(k,0) lt center(j,0) then begin ; swap j,k
2933 ;         lxs=center(k,0) & lxs=center(j,0)
2934 ;         center(k,0)=center(j,0) & center(j,0)=lxs
2935 ;         center(k,1)=center(j,1) & center(j,1)=lxs
2936 ;       end
2937 ; end
2938 ;
2939 ; goto,dododo ; find new beamlet numbers for horizontally central beamlets
2940 ;
2941 ; from_dodo:
2942 ; icn=nxline(nxc1)
2943 ; print,'Central beamlet new index:',icn
2944 ; print,format='(Line centers: ',i6i4)',nxline(1:nnl)
2945 ; for k=1,nbeam do begin
2946 ;   center(k,2)=center(k,0)*xwindow & center(k,3)=center(k,0)*xwindow
2947 ;   center(k,4)=center(k,1)*ywindow & center(k,5)=center(k,1)*ywindow
2948 ; end
2949 ; ssin='t2x' & plot_tv_frame,0 & wset,0
2950 ;
2951 ; look for missing beamlets
2952 ; nbeam=ntarr(nbeam+1) & nob=0 & lxx=fix(1.6*idx)
2953 ; print,'lxx',lxx
2954 ; for k1=1,nnl do $
2955 ;   for k=slne(k1),lslne(k1),nslne(k1)-2 do $
2956 ;     if center(k+1,0)-center(k,0) gt lxx then begin
2957 ;       dummy=center(k+1,0)-center(k,0) & print,'dummy',dummy, ' k',k
2958 ;       nob=nob+1 & nbeam(k)=1 & end
2959 ;     if nob gt 0 then begin
2960 ;       print,format='(Beamlets preceding missing beamlets: ',i2i4)',
2961 ;       where(nbeam gt 0)
2962 ;     end
2963 ;   print,'-----
2964 ;
2965 ; ; ---- calc the mask index for the center hole
2966 ; imask=nx*fix(ny/2)+fix(nx/2)+1
2967 ; mask(0,0)=0 & mask(0,1)=0 & mask(0,2)=0 ; zero out rotation angle

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2968 ;
2969 ; for center of mask upward, advance y
2970 ; layout the mask id numbers for the beamlets. Start at central beamlet
2971 ;
2972 ; for k1=nxc1,nnl do begin ; from center of beam upward.
2973 ;   k=nxline(k1) & nmask=imask ; ----- from center of lines to left
2974 ;   while abs(center(k+1,0)-center(k,0)) lt ixline and $
2975 ;     abs(center(k+1,1)-center(k,1)) lt idy do begin
2976 ;     mask(k,0)=masklist(nmask,0) & mask(k,1)=masklist(nmask,1)
2977 ;     k=k-1 & nmask=nmask-1
2978 ;     if nbeam(k) gt 0 then nmask=nmask-1
2979 ;   end
2980 ;   k=nxline(k1)+1 & nmask=imask+1 ; ----- from center of lines to right
2981 ;   while abs(center(k-1,0)-center(k,0)) lt ixline and $
2982 ;     abs(center(k-1,1)-center(k,1)) lt idy do begin
2983 ;     if nbeam(k-1) gt 0 then nmask=nmask+1
2984 ;     mask(k,0)=masklist(nmask,0) & mask(k,1)=masklist(nmask,1)
2985 ;     k=k+1 & nmask=nmask+1
2986 ;   end
2987 ;   imask=imask+nx
2988 ; end
2989 ;
2990 ; for center of mask downward, decrementing y
2991 ; ---- mask index for line below center line
2992 ; imask=(nx-1)*fix(ny/2)
2993 ; for k1=nxc1-1,1 do begin
2994 ;   k=nxline(k1) & nmask=imask
2995 ;   ----- from center of lines to left
2996 ;   while abs(center(k+1,0)-center(k,0)) lt ixline and $
2997 ;     abs(center(k+1,1)-center(k,1)) lt idy do begin
2998 ;     if nbeam(k) gt 0 then nmask=nmask-1
2999 ;     mask(k,0)=masklist(nmask,0) & mask(k,1)=masklist(nmask,1)
3000 ;     k=k-1 & nmask=nmask-1
3001 ;   end
3002 ;   k=nxline(k1)+1 & nmask=imask+1
3003 ;   ----- from center of lines to right
3004 ;   while abs(center(k-1,0)-center(k,0)) lt ixline and $
3005 ;     abs(center(k-1,1)-center(k,1)) lt idy do begin
3006 ;     if nbeam(k-1) gt 0 then nmask=nmask+1
3007 ;     mask(k,0)=masklist(nmask,0) & mask(k,1)=masklist(nmask,1)
3008 ;     k=k+1 & nmask=nmask+1
3009 ;   end
3010 ;   imask=imask-nx
3011 ; end
3012 ;
3013 ; nmask=nbeam
3014 ; for k=1,nmask do mask(k,2)=sqrt(mask(k,0)^2+mask(k,1)^2)
3015 ; get_beamlets,0 & get_emittance,'x'
3016 ; goto,doshowx
3017 ;
3018 ; -----
3019 ; numlistx:
3020 ; print,'Input for each beamlet the 'mask' number printed.'
3021 ; print,'The beamlet number is shown for the window or tlvx data.'
3022 ; print,'If you make an error, enter ???HELP and the new value.'
3023 ; print,'
3024 ; print,'-----
3025 ; nmask=0; csa='a'
3026 ; xx=fixtarr(5) & yy=xx & dx=0.3*separation & dy=dx
3027 ; xx(0)=-dx & xx(1)=dx & xx(2)=dx & xx(3)=-dx & xx(4)=dx
3028 ; yy(0)=dy & yy(1)=dy & yy(2)=-dy & yy(3)=dy & yy(4)=dy
3029 ; for k=1,nbeam do begin
3030 ;   read,'beamlet '+string(k,format='(i3,0)')+ ' --> ',csa
3031 ;   k=fix(csa)
3032 ;   nmask=nmask+1
3033 ;   mask(nmask,0)=masklist(k,0)
3034 ;   mask(nmask,1)=masklist(k,1)
3035 ;   mask(nmask,2)=sqrt(mask(nmask,0)^2+mask(nmask,1)^2)
3036 ;   oplot,xx,masklist(k,0),yy,masklist(k,1)
3037 ; end
3038 ; return
3039 ;
3040 ; -----

```

```

3041 doshowx:
3042 xx=fltrrr(5) & yy=xx & dx=0.4*separation & dy=dx
3043 xx(0)=dx & xx(1)=dx & xx(2)=dx & xx(3)=dx & xx(4)=dx
3044 yy(0)=dy & yy(1)=dy & yy(2)=dy & yy(3)=dy & yy(4)=dy
3045 for k=1,nbeam do begin
3046   oplot,xx+mask(k,0),yy+mask(k,1)
3047   xyouts,mask(k,0)-0.9*dx,mask(k,1)-0.9*dy,string(k,format='(f3.1)')
3048 end
3049 xyouts,0.1,0.98,filename+' ('+dataname+')',/norm
3050 if mask(0,1) ne 0 then xyouts,0.70,0.98,'Mask rotation '+comdata(19),/norm
3051 ctype='q'
3052 return
3053 end
3054 end
3055 -----
3056 pro vary_mask,ntime
3057 common com1,filename,dumpname,printname,dataname,title
3058 common com4,data,nspec,phase,maxdata,mask,nmask,typemask
3059 common com5,plot,lets,center,maxb,nbeam
3060 common com9,current,energy,betagamma,restm,brightness,emitx,emity,emltn,nemlt
3061 common com15,version,comhead,comdata,moments
3062 common com21,nmax,masklist
3063 if nmask lt 1 then begin & print,'First generate the mask' & return & end
3064 if ntime eq 0 then begin
3065   read,'Enter minimum, maximum, and step (mask rotation angle deg)',amn,amx,da
3066   n=nmax/nmax & masklist(n,0)=amn & masklist(n,1)=amx & masklist(n,2)=da
3067 end else begin
3068   n=nmax/nmax & amn=masklist(n,0) & amx=masklist(n,1) & da=masklist(n,2)
3069 end
3070 xyn=fltrrr(1+flx((amx-amn)/da),4) ; array to save emittance vs angle
3071 msave=mask & usave=mask
3072 aa=mask(0,1) ; initial mask rotation angle
3073 if aa ne 0 then begin
3074   aa=aa*pi/180.0 & an=sin(aa) & cs=cos(aa)
3075   for k=1,nmask do begin
3076     x=save(k,0) & y=save(k,1)
3077     usave(k,0)=x*cs-y*an & usave(k,1)=x*an+y*cs
3078   end
3079 end
3080 ang=amn
3081 plot,[amn-da,amx+da],[2*le6*betagamma*emitx,2*le6*betagamma*emity],/nodata,$
3082 title,'Normalized Emittance vs Mask Rotation Angle',$
3083 xtitle='Angle(deg)',ytitle='N. Emit(mm-mx)'
3084 xyouts,0.12,0.98,filename,/norm
3085
3086 lan=0
3087 while ang le amx do begin
3088   aa=ang*pi/180.0 & an=sin(aa) & cs=cos(aa)
3089   for k=1,nmask do begin
3090     x=usave(k,0) & y=usave(k,1) & mask(k,0)=x*cs-y*an & mask(k,1)=x*an+y*cs
3091   end
3092   get_emittance,' ' & xyn(lan,0)=ang & xyn(lan,1)=le6*betagamma*emitx & xyn(lan,2)=le6*betagamma*emity
3093   xyouts,ang,le6*betagamma*emitx,'x'
3094   xyouts,ang,le6*betagamma*emity,'y'
3095   lan=lan+1 & ang=ang+da
3096 end
3097 oplot,xyn(*,0),xyn(*,1) & oplot,xyn(*,0),xyn(*,2)
3098
3099 locate where emitx=emity and where RMS emittance is minimum
3100 for k=0,lan-1 do begin
3101   rms=sqrt(xyn(k,1)^2+xyn(k,2)^2)/sqrt(2) & xyn(k,3)=rms
3102 end
3103 oplot,xyn(*,0),xyn(*,3)
3104 xyouts,xyn(lan-1,0),xyn(lan-1,3),'RMS'
3105
3106 if xyn(0,1) gt xyn(0,2) then begin & lbig=1 & lilt=2 & end $
3107 else begin & lbig=2 & lilt=1 & end

```

```

3111 kmax=size(xyn) & lkmx=kmax(1)-1
3112 k=1 & while xyn(k,lbig) gt xyn(k,lilt) & k lt lkmx do k=k+1
3113 if k lt lkmx then begin ; emitx and emity crossed
3114   print,'xy-transfere index: ',k,xyn(k,lbig),xyn(k,lilt)
3115
3116 Linear interpolation
3117 am=xyn(k-1,0)+(xyn(k-1,1)-xyn(k-1,2))*{xyn(k,0)-xyn(k-1,0)}/$
3118 {xyn(k,2)-xyn(k-1,2)}-(xyn(k,1)-xyn(k-1,1))
3119 exy=xyn(k-1,1)+(xyn(k,1)-xyn(k-1,1))*{am-xyn(k-1,0)}/(xyn(k,0)-xyn(k-1,0))
3120
3121 How use three point Lagrangian interpolation
3122 ax=xyn(k-1,1)-2*xyn(k,1)+xyn(k+1,1)
3123 ay=xyn(k-1,2)-2*xyn(k,2)+xyn(k+1,2)
3124 bx=xyn(k+1,1)-xyn(k-1,1)
3125 by=xyn(k+1,2)-xyn(k-1,2)
3126 a=(ay-ax)/2 & b=(by-bx)/2 & c=xyn(k,2)-xyn(k,1)
3127 r=sqrt(b^2-a^2) & an=(-b-r)/(2*a) & ap=(-b+r)/(2*a)
3128 am=xyn(k,0)+an*da & exy=xyn(k,1)+bx*an/2+ax*an^2/2
3129 aa='Emx'+string(exy,format='(f8.3)')+ $
3130 Angle(Emx-Emy):'+string(am,format='(f8.3)')+ $
3131 xyouts,0.18,0.92,aa,/norm
3132
3133 have three points, y1=emit(lr-1), y2=emit(lr), y3=emit(lr+1)
3134 use Lagrangian interpolation to find location of minimum and the value.
3135
3136 y(x) = (x-x2)(x-x3) / ((x1-x2)(x1-x3)) * y1 + (x-x1)(x-x3) / ((x1-x2)(x2-x3)) * y2 + (x-x1)(x-x2) / ((x2-x1)(x3-x2)) * y3
3137
3138 x=x2+d a=d/h h=x2-x1 -1.0<=d<=1.0
3139 y(x) = y2 + 1/2(y1-y2)*a + 1/2(y1-2y2+y3)*a^2
3140 minimum is located at: dy/dx=0
3141 x = x2 + 1/2(y1-y3)/(x2-x1)/(y1-2y2+y3)
3142 y = y2 - 1/8(y1-y3)^2/(y1-2y2+y3)
3143
3144 lr=where(xyn(*,3) eq min(xyn(*,3)))
3145 ay=xyn(lr-1,3)-2*xyn(lr,3)+xyn(lr+1,3)
3146 ar=xyn(lr,0)+0.5*da*(xyn(lr-1,3)-xyn(lr+1,3))/ay
3147 rms=xyn(lr,3)-0.125*(xyn(lr-1,3)-xyn(lr+1,3))^2/ay
3148 aa='RMS'+string(rms,format='(f8.3)')+ $
3149 Angle(RMS=min):'+string(ar,format='(f8.3)')+ $
3150 xyouts,0.18,0.89,aa,/norm
3151 end
3152
3153 mask=msave
3154 get_emittance,' '
3155 return
3156 end
3157 -----
3158 pro gen_mask,ctype
3159
3160 ; ctype='a' automatic, 'g'=generate, 'a'=shift, 'c'=center about zero
3161 ; ctype='r' generate round mask, ctype='g' generate cartesian mask.
3162
3163 common com3,asin,pview,ch2
3164 common com4,data,nspec,phase,maxdata,mask,nmask,typemask
3165 common com5,plot,lets,center,maxb,nbeam
3166 common com7,xcmpix,ycmpix,drift,rhole,separation,thickness
3167 common com8>window,xwindow,ywindow,chwin2,level
3168 common com10,xcent,ycent,nxcent,nycent,lmin,lmax,background
3169 common com15,version,comhead,comdata,moments
3170
3171 if nbeam eq 0 then return
3172 if strpos('cgr',ctype) ge 0 then begin
3173   asin='t2x' & plot_tv_frame,0 & waet,0 & end
3174
3175 if ctype eq 'c' then goto,finishup else $
3176 if ctype eq 'g' then begin ; generate nx by ny rectangular mask
3177   gen_rectangular,ctype
3178   if ctype eq 'q' then return
3179   ctype=' '

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3186 goto,finishup
3187 end else $
3188 if ctype eq 'r' then begin ; generate round mask of nbeams holes
3189   gen_round,ctype
3190   print,'Number of beamlets =',nbeam,' number of mask holes =',nmask
3191   if ctype eq 'q' then return
3192   goto,finishup
3193 end
3194 ;
3195 if ctype eq 's' then begin ; shift mask
3196   read,'Enter mask x_shift(cm) and y_shift(cm) <x,y> ==> ',xc,yc
3197   for k=1,nmask do $
3198     begin & mask(k,0)=mask(k,0)+xc & mask(k,1)=mask(k,1)+yc & end
3199   goto,finishup
3200 end
3201 ;
3202 finishup: ch=' '
3203 comdata(19)='0'
3204 if nmask eq 0 then return
3205 ;
3206 mask(0,0)=0 & mask(0,1)=0 ; (0,0) not used, (0,1)=mask rotation angle
3207 if ctype eq 'c' then ch='y' else if ctype ne 'r' then $
3208   read,'Center mask about zero <y,n> ==> ',ch
3209   if ch eq 'y' then begin
3210     xc=total(mask(1:nmask,0))/nmask & yc=total(mask(1:nmask,1))/nmask
3211     for j=1,nmask do mask(j,2)=sqrt((mask(j,0)-xc)^2+(mask(j,1)-yc)^2)
3212     for j=1,nmask do $
3213       begin & mask(j,0)=mask(j,0)-xc & mask(j,1)=mask(j,1)-yc & end
3214   end
3215 ;
3216 read,'Has Image been through a cross over <y,n> ==> ',ch
3217 nc=strpos(comdata(6),'')*2
3218 if nc gt strlen(comdata(6)) then cross='H' else $
3219   cross=strcmpid(comdata(6),strpos(comdata(6),'')+2,1) ; #N or C
3220 if cross eq ' ' then cross='H'
3221 if ((ch eq 'y') and (cross eq 'H')) then cross='C'
3222 if ((ch eq 'n') and (cross eq 'C')) then begin & ch='y' & cross='N' & end
3223 if ch eq 'y' then for j=1,nmask do $
3224   begin & mask(j,0)=mask(j,0) & mask(j,1)=mask(j,1) & end
3225 if cross eq 'C' then msg='crossover' else msg='o_Crossover'
3226 comdata(6)=strcmpid(comdata(6),0,strpos(comdata(6),'')+1)+':'+cross:msg
3227 return
3228 end
3229 ;
3230 ;-----
3231 ;
3232 pro adjust_centers
3233 common com2,xdim,ydim,imsvch,image,iobject
3234 common com5,plot_lets,center,maxb,nbeam
3235 common com8>window,xwindow,ywindow,chw1n2,level
3236 ;
3237 ; ch='y'
3238 ; read,'Adjust beamlet centers <a)uto,m)anuale,q)uit> ' .ch ; TEST
3239 ; if ch eq 'a' then goto,dodaa
3240 ; if ch eq 'm' then goto,dodaa
3241 ; return
3242 ;
3243 dodaa:
3244   for k=1,nbeam do begin
3245     nx=center(k,0) & nx1=nx-xwindow & nx2=nx+xwindow
3246     ny=center(k,1) & ny1=ny-ywindow & ny2=ny+ywindow
3247     jmax=max(image(nx1:nx2,ny1:ny2))
3248     ic=icc(0)
3249     ly=ic/(2*xwindow+1)
3250     ix=ic-ly*(2*xwindow+1)
3251     idy=ix-xwindow
3252     idy=ly-ywindow
3253     center(k,0)=center(k,0)+idx
3254     center(k,1)=center(k,1)+idy
3255   end
3256   return
3257

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```

3259 ;
3260 dodaa:
3261   levels=30+12*indgen(20)
3262   again:
3263     ss=''
3264     read,'Enter beamlet number <1..nbeam,a)abort,q)uit> ',ss
3265     if ss eq 'a' then abort
3266     if ss eq 'q' then return
3267     k=int(ss)
3268     if k lt 1 or k gt nbeam then goto,again
3269 ;
3270     nx=center(k,0) & nx1=nx-xwindow & nx2=nx+xwindow
3271     ny=center(k,1) & ny1=ny-ywindow & ny2=ny+ywindow
3272     jmin=min(image(nx1:nx2,ny1:ny2))
3273     jmax=max(image(nx1:nx2,ny1:ny2))
3274 ;
3275     contour,image(nx1:nx2,ny1:ny2),levels=levels
3276     plots,[xwindow-5,xwindow+5],[ywindow,ywindow]
3277     plots,[xwindow,xwindow],[ywindow-5,ywindow+5]
3278 ;
3279     icc=where(image(nx1:nx2,ny1:ny2) eq jmax)
3280     ic=icc(0)
3281     ly=ic/(2*xwindow+1)
3282     ix=ic-ly*(2*xwindow+1)
3283     iz=size(icc)
3284     print,'size,ic,ix,ly=',iz(1),ic,ix,ly
3285     idx=ix-xwindow
3286     idy=ly-ywindow
3287 ;
3288     xc=xwindow+idx & yc=ywindow+idy
3289     plots,[xc-2,xc+2],[yc,yc]
3290     plots,[xc,xc],[yc-2,yc+2]
3291 ;
3292     goto,again
3293 ;
3294 end
3295 ;-----
3296 ;
3297 pro get_centers,error
3298 ;
3299 common com2,xdim,ydim,imsvch,image,iobject
3300 common com3,asin,pview,ch2
3301 common com4,data,nspcj,phase,maxdata,mask,nmask,typemask
3302 common com5,plot_lets,center,maxb,nbeam
3303 common com8>window,xwindow,ywindow,chw1n2,level
3304 common com9,current,energy,betagamma,restw,brightness,emitx,emity,emitn,nemit
3305 common com10,xcent,ycent,nxcent,nycent,jmin,jmax,background
3306 common com11,lpass,bradius,xave,yave,ibeamn,jradius,bj
3307 common com15,version,comhead,comdata,moments
3308 common com16,xwcent,ywcent,xpix0,ypix0,pixsize
3309 common com19,smoothing
3310 common com22,flag,numpix
3311 ;
3312 ;
3313 wset,2 & tv,image & wset,0
3314 iobject=image
3315 ;
3316 nxcent=0 & nycent=0
3317 ns=size(image) & xsize=ns(1) & ysize=ns(2) & maxsize=max(ns(1:2))
3318 ;
3319 jmin=min(image) & jmax=max(image)
3320 backx=total(image(*,0))/xdim+total(image(*,ydim-1))/xdim
3321 backy=total(image(0,*))/ydim+total(image(xdim-1,*))/ydim
3322 background=fix((backx+backy)/4.0)
3323 ave=jmax/4
3324 ;
3325 if error eq 'R' then begin
3326   zero out beamlet regions in iobject from restart values of center()
3327   for k=1,nbeam do iobject[center(k,2):center(k,3),center(k,4):center(k,5)]=0
3328   goto,finish
3329 end
3330 ;
3331 ch=' '

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```

3332 read,'Find centers (ajuto, p)oint_and_click, q)uit> ',ch
3333 if ch eq 'q' then return
3334 if ch eq 'p' then goto,do_manually
3335
3336 print,'Threshold: '+string(ave,format='(f5.0)')
3337 read,'Enter adjustment to threshold, LF for none --> ',dax
3338 ave=ave+dax
3339 print,'Adjusted threshold: '+string(ave,format='(f5.0)')
3340
3341 error='t'
3342 nbeam=0
3343 check=where(image gt ave)
3344 ipnt=(size(check))(1)
3345 print,'Number of locations above threshold: '+string(ipnt,format='(f5.0)')
3346 print,'-----'
3347 print,' Beamlet points x-range y-range intensity'
3348
3349 skip:
3350 check=where(iobject gt ave)
3351 if (size(check))(1) lt 64 then goto,finished
3352 ly=check(0)/xdim
3353 ix=check(0)-ly*xdim
3354 beam=search2d(image,ix,ly,byte(ave),byte(255),/diagonal)
3355
3356 if (size(beam))(1) gt 16 then begin
3357   nbeam=nbeam+1
3358   lb=1
3359   lndy=beam/xdim
3360   lndx=beam-lndy*xdim
3361   lxmin=min(lndx)-lb & lxmax=max(lndx)+lb
3362   lymin=min(lndy)-lb & lymax=max(lndy)+lb
3363   if lxmin lt 0 then lxmin=0
3364   if lymin lt 0 then lymin=0
3365   if lxmax ge xdim then lxmax=xdim-1
3366   if lymax ge ydim then lymax=ydim-1
3367   jmin=min(image(lxmin:lxmax,lymin:lymax))
3368   jmax=max(image(lxmin:lxmax,lymin:lymax))
3369
3370   loc=where(image(lxmin:lxmax,lymin:lymax) eq jmax)
3371   lc=loc(0)
3372   nx=lxmax-lxmin+1
3373   lyc=lc/nx
3374   lxc=lc-lyc*nx
3375   lye=lymin-lyc
3376   lxe=lxmin-lxc
3377
3378   center(nbeam,0)=lxc & center(nbeam,1)=lyc
3379   ix1=ixc-xwindow & ix2=ixc+xwindow & iy1=lyc-ywindow & iy2=lyc+ywindow
3380   if ix1 lt 0 then ix1=0 & if ix2 ge xdim then ix2=xdim-2
3381   if iy1 lt 0 then iy1=0 & if iy2 ge ydim then iy2=ydim-2
3382   center(nbeam,2)=ix1 & center(nbeam,3)=ix2
3383   center(nbeam,4)=iy1 & center(nbeam,5)=iy2
3384   print,format='(4x,12,4x,14,3x,13,':',13,4x,13,':',13)', $
3385     nbeam, (size(beam))(1), lxmin, lxmax, lymin, lymax, jmin, jmax
3386   numpix=intarr(100)
3387   numpix(nbeam)=(size(beam))(1)
3388   print,'nbeam,numpix',nbeam,numpix(nbeam)
3389   end
3390
3391 zero out this beamlet from iobject array
3392 iobject(beam)=0
3393 goto,skip
3394
3395 do_manually:
3396   nbeam=0
3397   nmask=0
3398   num=intarr(4)
3399   set_contour,num,'d'
3400   ch='l'
3401   fix_beam,ch
3402   goto,finish
3403
3404 finished:

```

```

3405 nmask=0
3406
3407 finish:
3408   xc=xc+center(*,0)
3409   yc=yc+center(*,1)
3410   nxcent=nbeam
3411   nycent=nbeam
3412   print,'Number of beamlets '+string(nbeam,format='(f3.0)')
3413   plot_lets(linbeam,2,1)=1
3414
3415   comdata(1)='['+string(xdim,format='(f3.0)')+','+string(ydim,format='(f3.0)')+']'
3416   ' '+string(nbeam,format='(f3.0)')+ ' beamlets'+$
3417   ' Smoothing'+string(smoothing,format='(f3.0)')
3418   comdata(2)='['+string(lmin,format='(f3.0)')+','+string(lmax,format='(f3.0)')+']'
3419   ' '+string(imax,format='(f3.0)')+ ' '+string(background,format='(f3.0)')
3420   loc=where(image eq imax) & loc=loc(0)
3421   yw=loc(0)/xdim & xm=loc(0)-yw*ydim
3422   print,'Background ',background
3423   print,'min,max intensity of image ='+comdata(2)
3424   print,'Number of x and y beamlets =',nxcent,nycent
3425   xpix0=xm & ypix0=yw
3426   set_surface
3427
3428 return
3429 end
3430
3431 -----
3432
3433 pro zero_image,image,ch
3434   ch=' ' & ss=''
3435   nsize=size(image) & nx=nsize(1)-1 & ny=nsize(2)-1
3436   ss=string(trim(atrcompress(string(nx)+string(ny),2))
3437   print,'Enter sub region indexes of image to be "zeroed"
3438   print,' index range IMAGE['+ss+']'
3439 more:
3440   ss='' & read,' nx1,ny1,nx2,ny2 for diagonally opposite corners ==> ',ss
3441   if strlen(ss) eq 0 then return
3442   ss=ss+' '
3443   nb1=strpos(ss,' ',0) & s1=string(ss,nb1)
3444   nb2=strpos(ss,' ',nb1+1) & s2=string(ss,nb1+1,nb2-nb1+1)
3445   nb3=strpos(ss,' ',nb2+1) & s3=string(ss,nb2+1,nb3-nb2+1)
3446   nb4=strpos(ss,' ',nb3+1) & s4=string(ss,nb3+1,nb4-nb3+1)
3447   nx1=fix(s1) & ny1=fix(s2) & nx2=fix(s3) & ny2=fix(s4)
3448   if (nx1 lt 0) or (nx1 gt nx) or (nx2 lt 0) or (nx2 gt nx) or $
3449     (ny1 lt 0) or (ny1 gt ny) or (ny2 lt 0) or (ny2 gt ny) then goto,error
3450   if ch eq ' ' then begin
3451     read,'Enter value for "zero" i.e. 0 etc. ==> ',ss
3452     if strlen(ss) gt 0 then zero=fix(ss) else zero=0 & end
3453   read,' Are you sure you want to zero image['+ss+'] <y,n> ',ch
3454   if ch ne 'y' then goto,quit
3455   for kx=nx1,nx2 do for ky=ny1,ny2 do image(kx,ky)=zero
3456   goto,quit
3457 error: print,'Error in index range '
3458 quit:
3459 read,'Zero another sub_region <y,n> ',ch
3460 if ch eq 'y' then goto,more
3461 read,'Regenerate beamlets <y,n> ',ch
3462
3463 return
3464 end
3465
3466 -----
3467
3468 pro dump_image,image
3469 common com1,filename,dumpname,printname,dataname,title
3470 common com5,plot_lets,center,maxb,nbeam
3471 common com8>window,xwindow,ywindow,chw12,level
3472 common com10,xc,yc,xcnt,nycent,lmin,imax,background
3473
3474   ch=' ' & ss=''
3475   read,'Enter Beamlet, Corner <b,c> ',ch
3476   if strpos('bc',ch) lt 1 then return

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```

3477 if ch eq 'b' then begin
3478   read, 'Enter beamlet number <1...>' string(nbeam, format='(i3)') ss
3479   nb=fix(ss)
3480   if (nb lt 1) or (nb gt nbeam) then begin
3481     print, 'Sorry, out of range <1...>' string(nbeam, format='(i3)')
3482     return & end
3483   nx=center(nb,0) & ny=center(nb,1)
3484   nx1=nx-xwindow & ny1=ny-ywindow & nx2=nx+xwindow & ny2=ny+ywindow
3485   end else if ch eq 'c' then begin
3486     read, 'Enter (x,y1),(x,y2) for diagonal corners ==>' ss
3487     if strlen(ss) gt 0 then begin & ss=ss
3488       nb1=strpos(ss, ' ', 0) & s1=strmid(ss, 0, nb1)
3489       nb2=strpos(ss, ' ', nb1+1) & s2=strmid(ss, nb1+1, nb2-nb1+1)
3490       nb3=strpos(ss, ' ', nb2+1) & s3=strmid(ss, nb2+1, nb3-nb2+1)
3491       nb4=strpos(ss, ' ', nb3+1) & s4=strmid(ss, nb3+1, nb4-nb3+1)
3492       nx1=fix(s1) & ny1=fix(s2) & nx2=fix(s3) & ny2=fix(s4)
3493       end else begin & nx1=40 & ny1=60 & nx2=57 & ny2=80 & end
3494       nx=(nx1+nx2)/2 & ny=(ny1+ny2)/2
3495       while xcent,ycent find nb ??
3496       nb=1
3497     end
3498     stange='image region around beamlet '+string(nb)
3499   ;
3500   nxend=nx2 & if nx2-nx1 gt 18 then nx2=nx1+17
3501   ;
3502   openw, l, dumpname, /variable
3503   print, l, strcompress(filename) ==> 'strcompress(dumpname)'
3504   print, l, stange
3505   nextpage
3506   ss='kx' & lines=
3507   for kx=nx1, nx2 do ss=ss+string(kx, format='(i4)') & print, l, ss
3508   print, l, line
3509   for ky=ny1, ny2 do begin & ss='
3510   for kx=nx1, nx2 do ss=ss+string(image(kx,ky), format='(i4)')
3511   print, l, string(ky, format='(i3)')+strtrim(ss, 2)
3512   end
3513   if nx2 lt nxend then begin
3514     nx1=nx1+18 & nx2=nx2+18 & if nx2 gt nxend then nx2=nxend
3515     goto, nextpage & end
3516   close, l & print, 'File '+dumpname+' written '
3517   ;
3518   openr, l, dumpname
3519   while eof(l) eq 0 do begin & readf, l, ss & print, ss & end
3520   close, l
3521   return
3522 end
3523 ;
3524 ;-----
3525 ;
3526 pro plot_window, chw, ntime
3527 common com1, filename, dumpname, printname, dataname, title
3528 common com2, xdim, ydim, imswch, image, lobject
3529 common com3, ssin, pview, ch2
3530 common com5, plot_lets, center, maxh, nbeam
3531 common com7, xcmplx, ycmplx, drift, rhole, separation, thickness
3532 common com8, window, xwindow, ywindow, chwin2, level
3533 common com10, xcent, ycent, nxcent, nycent, lmin, lmax, background
3534 common com11, lpass, bradius, xave, yave, lbeamn, jradius, bjj
3535 common com16, xwcent, ywcent, xpix0, ypix0, pixsize
3536 ;
3537 if ntime eq 0 then chwin2=ch2 else $
3538 begin if chw eq ' ' then return & chw=' ' & ch2=chwin2 & end
3539 wtitle='Center of ' & $
3540 string(nbeam, format='(i3)') Beamlets, 'strtrim(filename, 2)
3541 & $
3542 if ch2 eq 'c' then $
3543 begin & cm=fltarr(nbeam+1, 2)
3544 x1=0.5*xcmplx*xdim & x1=-x2 & y1=0.5*ycmplx*ydim & y1=-y2
3545 for k=1, nbeam do cm(k,0)=xcmplx*center(k,0)-x2
3546 for k=1, nbeam do cm(k,1)=ycmplx*center(k,1)-y2
3547 plot, cm(1:nbeam,0), cm(1:nbeam,1), $
3548 xrange=[x1,x2], yrange=[y1,y2], xstyle=1, ystyle=1, $
3549 psym=2, xtitle='x(cm)', ytitle='y(cm)', title=wtitle

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3550 for k=1, nbeam do if plot_lets(k,1) eq 1 then $
3551   xyouts, xcmplx*center(k,2)-x2, $
3552   ycmplx*center(k,4)+center(k,5)/2-y2, string(k, format='(i3)')
3553 end else if ch2 eq 'o' and pview eq 'c' then begin
3554   print, 'TEST: plot_window pview=c and ch2=o'
3555   print, 'TEST ---- 5/09/97 ACP doesnt work ??? remove purge abort rid ....'
3556 ;
3557 oplot, center(1:nbeam,0), center(1:nbeam,1), psym=6 : psym=square
3558 for k=1, nbeam do if plot_lets(k,1) eq 1 then $
3559   xyouts, center(k,0), center(k,1), string(k, format='(i3)')
3560 end else begin
3561   plot, center(1:nbeam,0), center(1:nbeam,1), $
3562   xrange=[0, xdim], yrange=[0, ydim], xstyle=1, ystyle=1, $
3563   psym=2, xtitle='x(pixel)', ytitle='y(pixel)', title=wtitle
3564 for k=1, nbeam do if plot_lets(k,1) eq 1 then $
3565   xyouts, center(k,2)-5, (center(k,4)+center(k,5))/2, string(k, format='(i3)')
3566 end
3567 if ch2 eq 'c' or ch2 eq 'n' then return
3568 ;
3569 wx=intarr(5) & wy=wx & x=xwindow & y=ywindow
3570 wx(0)=x & wx(1)=-x & wx(2)=-x & wx(3)=x & wx(4)=x
3571 wy(0)=y & wy(1)=y & wy(2)=-y & wy(3)=-y & wy(4)=y
3572 for k=1, nbeam do if plot_lets(k,1) eq 1 then $
3573   oplot, wx+center(k,0), wy+center(k,1)
3574 ;
3575 return
3576 end
3577 ;
3578 ;-----
3579 ;
3580 pro next_file
3581 ;
3582 common com1, filename, dumpname, printname, dataname, title
3583 common com15, version, comhead, comdata, moments
3584 ;
3585 pool='0123456789abcdefghijklmnopqrstuvwxyz'
3586 head=' ' & suff=' '
3587 nn=strpos(filename, '.ras')
3588 head=strmid(filename, 0, nn-2)
3589 suff=strmid(filename, nn-2, 2)
3590 ncl=strpos(pool, strmid(suff, 0, 1)) & nc2=strpos(pool, strmid(suff, 1, 1))
3591 nc2=nc2+1 & if nc2 ge strlen(pool) then begin & nc2=0 & ncl=ncl+1 & end
3592 ss=strmid(pool, ncl, 1)+strmid(pool, nc2, 1)
3593 filename=head+ss+'.ras'
3594 comdata(0)=filename+' ('+dataname+') '+version
3595 ; 5/12/97 comdata(0)=filename+' '+version
3596 ;
3597 return
3598 end
3599 ;
3600 ;-----
3601 ;
3602 pro readdata, cerror
3603 common com1, filename, dumpname, printname, dataname, title
3604 common com3, ssin, pview, ch2
3605 common com7, xcmplx, ycmplx, drift, rhole, separation, thickness
3606 common com8, window, xwindow, ywindow, chwin2, level
3607 common com9, current, energy, betagamma, restm, brightness, emitx, emity, emitn, nemit
3608 common com15, version, comhead, comdata, moments
3609 ;
3610 num=intarr(4) & ss=' ' & root=' '
3611 again:
3612 if comdata(15) eq '-gbl/' then $
3613 begin
3614   ch2=' ' & set_path_name
3615   if strlen(comdata(15)) gt 0 then begin & ch2='s' & set_path_name & end
3616   end
3617 if cerror eq 'R' then return
3618 ;
3619 print, 'Force raw mode, N)ext_file, Q)uit, R)eturn, X)restore from saved file
3620 read, ' Enter *.RAS file <LF '+filename+'> f,n,q,r,x)restore ==>' ss

```

```

1621 if (ss eq 'q') or (ss eq 'quit') then $
1622   begin & cerror='q' & return & end
1623 if (ss eq 'x') then $
1624   begin & cerror='R' & return & end
1625 if (ss eq 'return') or (ss eq 'r') then $
1626   begin
1627     if (ccerror eq 't') then goto,again $
1628     else begin & cerror='r' & return & end & end
1629 if (ss eq 'raw') or (ss eq 'f') then $
1630   begin & cerror='t' & print,'Image RAW mode' & goto,again & end
1631 if (ss eq 'n') then $
1632   begin & cerror=' '
1633   next_file & print,'Processing file '+filename
1634   end $
1635 else begin
1636   cerror=' '
1637   if strlen(ss) gt 0 then filename=ss
1638   comdata(0)=filename+' '+dataname+' ' 'version
1639   : 5/12/97 ??? comdata(0)=filename+' ' 'version
1640   read,'Enter output files 'root' name, <LF uses 'temp'> ==> ',root
1641   if strlen(root) gt 0 then root=string(trim(root,2)) else root='temp'
1642   dumpname=root+'.dump' & printname=root+'.lpr'
1643   ch='t'
1644   data_input, ch
1645   end
1646 ;
1647 return
1648 end
1649 ;
1650 -----
1651 ;
1652 pro plot_brightness,ntime
1653 ;
1654 common com1,filename,dumpname,printname,dataname,title
1655 common com2,xdim,ydim,lmwch,image,iobject
1656 common com4,data,nspecj,phase,maxdata,mask,nmask,typemask
1657 common com5,plot_lets,center,maxb,nbeam
1658 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1659 common com9,current,energy,betagamma,restm,brightness,emitx,emity,emitn,nemit
1660 common com11,ipass,bradius,xave,yave,lbeamn,jradius,bj
1661 common com15,version,comhead,comdata,moments
1662 common com17,cbhav,have_done,maxptype,ptype,chellipse,chel6d,chelaci
1663 common com20,scales
1664 ;
1665 if (nbeam eq 0) then begin & print,'RAW MODE' & return & end
1666 if (nmask eq 0) then begin & print,'Must generate mask.' & return & end
1667 if (brightness eq 0) then begin & print,'Brightness=0' & return & end
1668 if (ntime eq 0) then $
1669   read,'Plot vs r)adius, n)beamlet, b)oth <r,n,b,B_spc,nospc> ',chbav
1670   if strlen(chbav) eq 0 then chbav='B'
1671   if (chbav eq 'B') or (chbav eq 'b') then tp, multi={0,2}
1672   if (chbav eq 'B') then begin
1673     if (nspecj eq 0) then spcj=1 else spcj=0 & end
1674     if (nspecj eq 0) then begin & asym1=4 & asym2=2 & end $
1675     else begin & asym1=2 & asym2=4 & end
1676     jx=2.0*current/(3.141591e-6*emitx*betagamma)*2
1677     jy=2.0*current/(3.141591e-6*emity*betagamma)*2
1678     jxy=sqrt(jx*jy) & jay=float(strlen(trim(comdata(13),35,10))
1679     swtype=0
1680 ;
1681 ; get plot scales
1682 if (scales(4) gt 0) then begin
1683   rm=scales(5) & y1=scales(6) & y2=scales(7) & y1=10*y1 & y2=10*y2
1684   end else begin
1685     if (mask(0,2) gt 0) then rm=mask(0,2) else rm=max(jradius)
1686     y1=min(wheret(bj(1,nspecj) gt 0))
1687     y2=max(bj(1,nspecj)) & if (y1 eq 0) then y1=0.1*y2
1688     if (jx lt y1) then y1=jx & if (jy lt y1) then y1=jy
1689     if y1 lt y2/1000 then y1=y2/1000
1690     swtype=0 & end
1691 ;
1692 ; order in ascending radius
1693 ;

```

```

1694 if (chbav eq 'r') or (chbav eq 'b') or (chbav eq 'B') then begin
1695   plot_lo,jradius,bj(1,nspecj),xrange={0,rm},yrange={y1,y2},$
1696   xstyle=swtype,ystyle=swtype,$
1697   xtitle='radius(cm)',ytitle='Brightness (A/(m-rad)^2)',$
1698   title=filename,/nodata
1699   for k=0,nbeam-1 do if plot_lets(k+1,1) eq 1 then $
1700     oplot,jradius(k+1,bj(k+1,nspecj),psym=ssym1
1701   if (chbav eq 'B') then for k=0,nbeam-1 do if plot_lets(k+1,1) eq 1 then $
1702     oplot,jradius(k+1,bj(k+1,nspecj),psym=ssym2
1703   xyouts,rm,jx,'<x>' & xyouts,rm,jy,'<y>' & xyouts,rm,brightness,'<J>'
1704   xyouts,rm,jxy,'<xy>' & xyouts,rm,jay,'<A>'
1705   end
1706   if (chbav eq 'n') or (chbav eq 'b') or (chbav eq 'B') then begin
1707     nn=indgen(nbeam+1)
1708     plot_lo,jradius,bj(1,nspecj),xrange={0,nbeam},yrange={y1,y2},$
1709     xstyle=swtype,ystyle=swtype,xtitle='Beamlet Number',$
1710     ytitle='Brightness (A/(m-rad)^2)',title=filename,/nodata
1711     for k=0,nbeam-1 do if jradius(k) gt 0 then $
1712       if plot_lets(k+1,1) eq 1 then oplot,nn(k+1,k+1),bj(k+1,nspecj),psym=ssym1
1713     if (chbav eq 'B') then for k=0,nbeam-1 do if jradius(k) gt 0 then $
1714       if plot_lets(k+1,1) eq 1 then oplot,nn(k+1,k+1),bj(k+1,nspecj),psym=ssym2
1715     xyouts,nbeam-2,jx,'<x>' & xyouts,nbeam-2,jy,'<y>'
1716     xyouts,nbeam-2,brightness,'<J>'
1717     xyouts,nbeam-2,jxy,'<xy>' & xyouts,nbeam-2,jay,'<A>'
1718     end
1719     if (ntime eq 0) then ypos=0.90 else ypos=-0.03
1720     xyouts,0.15,ypos,'E)itance 'comdata(8)+' ss=mr 'comdata(0),/norm
1721     xyouts,0.15,ypos-0.03,'A)mp, Brightness 'comdata(9)+' A/(m-rad)^2',/norm
1722     xyouts,0.15,ypos-0.06,'J(x),J(y),J(xy),J(Av)'comdata(11),/norm
1723     if (nspecj eq 1) then ss='Corrected' else ss='Uncorrected'
1724     xyouts,0.15,ypos-0.09,comhead(10)+comdata(10)+' Space charge 'ss,/norm
1725     if (ntime eq 1) then ss=comhead(14)+comdata(14)+' ' else ss=' '
1726     ss=ss+'Mask rotation: 'comdata(19)+' deg' & xyouts,0.15,ypos-0.12,ss,/norm
1727     tp, multi=0
1728   return
1729   end
1730 ;
1731 -----
1732 ;
1733 pro data_input,redo
1734 common com1,filename,dumpname,printname,dataname,title
1735 common com2,xdim,ydim,lmwch,image,iobject
1736 common com4,data,nspecj,phase,maxdata,mask,nmask,typemask
1737 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1738 common com8>window,xwindow,ywindow,chw1n,level
1739 common com9,current,energy,betagamma,restm,brightness,emitx,emity,emitn,nemit
1740 common com10,xcent,ycent,nxcent,nycent,lmin,lmax,background
1741 common com11,ipass,bradius,xave,yave,lbeamn,jradius,bj
1742 common com15,version,comhead,comdata,moments
1743 ;
1744 ch=' ' & swx=' ' & swy=' ' & num=fltarr(4)
1745 if redo eq 'L' then begin & ch='A' & goto,doe & end
1746 ;
1747 redo=' '
1748 print,title
1749 a='CHANGE: A)ll, C)urrent, D)rift, E)nergy, L)evl, M)ask, P)ixel, R, W)indow,'
1750 print,a,'J, I)mage'
1751 okchar='A,C,D,E,I,L,M,P,R,W,J'
1752 read,'
1753 if strlen(ch) eq 0 then return
1754 okchar=stringcase(okchar) & if strlen(okchar,chw1n) lt 0 then return
1755 if ch eq 'j' then goto,doj else if ch eq 'i' then goto,doi else $
1756 if ch eq 'a' then goto,doe else if ch eq 'c' then goto,doc else $
1757 if ch eq 'e' then goto,dod else if ch eq 'e' then goto,dod else $
1758 if ch eq 'l' then goto,doi else if ch eq 'm' then goto,dom else $
1759 if ch eq 'p' then goto,dop else if ch eq 'w' then goto,dow else $
1760 if ch eq 'r' then goto,dor
1761 ;
1762 doe: ss=' ' & sm=' '
1763 read,'Enter beam Energy ( MeV) 'string(trim(comdata(4),0,8))' ==> ',ss
1764 read,'Enter rest mass ( MeV) IF uses: 'string(trim(restm))' ==> ',sm
1765 if strlen(sm) gt 0 then restm=float(sm)
1766 if strlen(ss) gt 0 then begin & redo='j'

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1767 energy=float(ss) & r=energy/restm
1768 if r gt 0.1 then begin & gamma=1/r^2 & betagamma=sqrt(gamma^2-1) & end $
1769 else begin & b2=2*r & betagamma=sqrt(b2/(1-b2)) & end
1770 comdata(4)='|'+string(energy,format='(f8.4)')+','+$
1771 string(betagamma,format='(f8.4)')+','+$
1772 string(restm,format='(f13.4)') & end
1773
1774 if ch ne 'a' then return
1775 doi: if redo ne 'k' then begin & lmin=min(image) & lmax=max(image)
1776 sumx=total(image(0,0))/xdim*total(image(0,ydim-1))/xdim
1777 sumy=total(image(0,0))/ydim*total(image(xdim-1,0))/ydim
1778 background=fix((sumx+sumy)/4.0)
1779 comdata(2)='|'+string(lmin,format='(f13)')+','+$
1780 string(lmax,format='(f13)')+','+$ string(background,format='(f13)')
1781 print,comhead(2)+comdata(2) & end
1782 if ch ne 'a' then return
1783 doi: read,'Apply space charge correction to brightness <y,n> ','ss
1784 if strlen(ss) gt 0 then begin
1785 if ss eq 'y' then nspcj else nspcj=0 & end
1786 if ch ne 'a' then return
1787 doc: read,'Enter beam current (amps) '+strmid(comdata(9),0,8)+' ==> ','ss
1788 if strlen(ss) gt 0 then begin & old=current & current=float(ss) & redo='j'
1789 if old gt 0 then brightness=current/brightness/old else brightness=0
1790 read,'Enter mask (passed amps) '+strmid(comdata(9),10,8)+' ==> ','ss
1791 if strlen(ss) gt 0 then ipass(float(ss))
1792 read,'Through how many holes '+strmid(comdata(9),19,4)+' ==> ','ss
1793 if strlen(ss) gt 0 then ipass(float(ss))
1794 ss='|'+string(current,format='(f8.2)')+','+$
1795 string(ipass(0),format='(f6.3)')+','+$
1796 string(ipass(1),format='(f4.0)')+','+$
1797 string(brightness,format='(e10.2)')
1798 comdata(9)=ss+strmid(comdata(9),34,11)
1799 end
1800 if ch ne 'a' then return
1801 dow: read,'Enter window x,y (pixels) '+comdata(5)+' ==> ','ss
1802 if strlen(ss) gt 0 then begin & redo='y'
1803 decode,ss,num,n & if n gt 0 then begin
1804 comdata(5)='|'+string(num(0),format='(f13)')+','+$
1805 string(num(1),format='(f13)')+','+$
1806 xwindow=fix(num(0)/2) & ywindow=fix(num(1)/2)
1807 window=fix((xwindow+ywindow)/2)
1808 end & end
1809 if ch ne 'a' then return
1810 dol: read,'Enter level' e-1, 101 '+comdata(10)+' ==> ','ss
1811 if strlen(ss) gt 0 then begin & level=fix(ss) & redo='y'
1812 comdata(10)=string(level,format='(f4)') & end
1813 if ch ne 'a' then return
1814 dod: read,'Enter drift L(m) to image '+comdata(7)+' ==> ','ss
1815 if strlen(ss) gt 0 then begin & drift=float(ss) & redo='j'
1816 comdata(7)=string(drift,format='(f8.4)') & end
1817 if ch ne 'a' then return
1818 dom: read,'Enter mask rhole,spacing and thickness(cm) '+comdata(6)+' ==> ','ss
1819 if strlen(ss) gt 0 then begin & redo='j'
1820 decode,ss,num,n & if n gt 0 then begin
1821 rhole=num(0) & separation=num(1) & thickness=num(2)
1822 comdata(6)='|'+string(rhole,format='(f8.4)')+','+$
1823 string(separation,format='(f8.4)')+','+$
1824 string(thickness,format='(f8.4)')+','+$ & end & end
1825 if ch ne 'a' then return
1826 dop: read,'Enter x,y cm/pixel '+comdata(3)+' ==> ','ss
1827 if strlen(ss) gt 0 then begin & redo='y'
1828 decode,ss,num,n & if n gt 0 then begin & xcplx=num(0) & ycplx=num(1)
1829 comdata(3)='|'+string(xcplx,format='(f7.5)')+','+$
1830 string(ycplx,format='(f7.5)')+','+$ & end & end
1831 return
1832 dor: read,'Enter beam size on mask R(cm) LF(auto calc) ==> ','ss
1833 if strlen(ss) gt 0 then begin & redo='j'
1834 decode,ss,num,n & if n gt 0 then mask(0,2)=num(0)
1835 if mask(0,2) gt 0 then begin
1836 comdata(14)='|'+string(num(0),format='(f8.3)')+','+$
1837 string(atrmid(comdata(14),9,strlen(comdata(14))-10)
1838 end
1839 end

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```

1840 return
1841 end
1842 ;
1843 ;-----
1844 ;
1845 pro move_cursor
1846
1847 common com2,xdim,ydim,inswch,image,iobject
1848 common com3,asin,pview,ch2
1849 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1850 common com8>window,xwindow,ywindow,chwin2,level
1851 common com12,nb,type_alice,xslice,yslice,prange,chsavel,chsavel2,chsavel3
1852 common com13,sub_range
1853 common com15,version,comhead,comdata,moments
1854 common com16,xwcent,ywcent,xpix0,ypix0,pixsize
1855
1856 cc=' ' & zero=0.0 & xwin=125 & ywin=125
1857 x=xpix0-pixsize & y=ypix0-pixsize & xl=x & yl=y
1858 print,'TEST:move_cursor xpix0,ypix0='+xpix0,ypix0
1859 print,'TEST:move_cursor pixsize='+pixsize
1860 print,' Click left button (lower left) right button (upper right) of window'
1861 print,' Use buttons Left reads, Center of image, Right returns'
1862 print,'TEST:move_cursor xwcent,ywcent='+xwcent,ywcent ; ACP 4/30/97 ???
1863
1864 tvcrs,xwin,ywin
1865
1866 lwindo=strpos('w',pview)
1867 if strpos('cw',pview) ge 0 and (xwcent gt 0) then docent='t' else docent='f'
1868
1869 print,' pview='+pview docent='+docent+$
1870 subcont='string(sub_range.subcont(0))+string(sub_range.subcont(2))
1871
1872 ix0=sub_range.subcont(0)
1873 iy0=sub_range.subcont(2)
1874 print,' x(pix) y(pix) x(cm) y(cm) intensity'
1875 xl=0 & yl=0
1876 while (tarr lt 2) do $
1877 begin cursor,x,y,data
1878 if x ne xl & y ne yl then begin
1879 xl=x & yl=y
1880 if pview eq 'c' then begin
1881 x=lx0+fix(x/xcmplx) & y=ly0+fix(y/ycmplx)
1882 intensity=image(x,y)
1883 print,x,yl,yl,' intensity
1884 end else begin
1885 xc=x*xcmplx & yc=y*ycmplx
1886 print,fix(x),fix(y),xc,ycm
1887 end
1888 end
1889 tvcrs,200,-350
1890 return
1891 end
1892 ;
1893 ;-----
1894 ;
1895 pro listdata.cmd
1896 common com1,filename,dumpname,printname,dataname,title
1897 common com2,xdim,ydim,inswch,image,iobject
1898 common com3,asin,pview,ch2
1899 common com4,data,nspcj,phase,maxdata,mask,nmask,typemask
1900 common com5,plot_lets,center,maxb,nbeam
1901 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
1902 common com8>window,xwindow,ywindow,chwin2,level
1903 common com9,current,energy,betagamma,restm,brightness,emltx,emity,emltn,nemit
1904 common com10,xcent,ycent,nxcent,nycent,lmin,lmax,background
1905 common com11,ipass,bradius,xave,yave,lbeamn,fradius,bjj
1906 common com15,version,comhead,comdata,moments
1907
1908 ch=' ' & ss=''
1909 if cmd ne ' ' then ch=cmd else $
1910 read,'List A|I,B|eam|,C|en|,D|ata,E|mit|,M|ask|,P|h|z|,W|ndo '+'$
1911 'a,b,c,d,e,m,p,w> ','ch

```



```

3912 if ch eq 'b' then goto, listb else if ch eq 'c' then goto, listc else $
3913 if ch eq 'd' then goto, listd else if ch eq 'e' then goto, liste else $
3914 if ch eq 'm' then goto, listm else if ch eq 'p' then goto, listp else $
3915 if ch eq 'w' then goto, listw
3916
3917 listd:
3918 print, comdata(17)
3919 print, '-----'
3920 for k=0,14 do print, string(k, format='(i2)') + ' ' + comhead(k) + comdata(k)
3921 k=19 & print, string(k, format='(i2)') + ' ' + comhead(k) + comdata(k)
3922 if ch eq 'd' then return
3923 read, 'Continue <n> ', ch & if ch eq 'n' then return
3924
3925 listc:
3926 print, '-----'
3927 if strmid(ssin, 2, 1) eq '1' then begin
3928 print, 'Beamlet centers and x,y range (pixels)'
3929 print, ' k xcen ycen xmin xmax ymin ymax' $
3930 ' k xcen ycen xmin xmax ymin ymax'
3931 nbh=nbeam/2
3932 for k=1,nbh do begin
3933 if plot_lets(k,1) eq 1 then ksw=k else ksw=-k
3934 if plot_lets(k,nbh,1) eq 1 then jsw=k*nbh else jsw=-k*nbh
3935 print, format='(i4,1x,3(2x,2i4),2x,1x,3(2x,2i4))', $
3936 ksw, center(k,0), center(k,1), $
3937 center(k,2), center(k,3), center(k,4), center(k,5), $
3938 jsw, center(k*nbh,0), center(k*nbh,1), $
3939 center(k*nbh,2), center(k*nbh,3), center(k*nbh,4), center(k*nbh,5)
3940 end
3941 if ch eq 'c' then return
3942 end else begin
3943 print, 'Beamlet centers (pixels)'
3944 print, ' k xpx ypx k xpx ypx k xpx ypx' $
3945 ' k xpx ypx k xpx ypx k xpx ypx'
3946 for k=1,nbeam do begin
3947 if plot_lets(k,1) eq 1 then ksw=k else ksw=-k
3948 ss=string(ksw, format='(i5)') + $
3949 string(center(k,0), format='(i4)') + string(center(k,1), format='(i4)')
3950 if strlen(ss) gt 65 then begin & print, ss & ss= '' & end
3951 end & print, ss & if ch eq 'c' then return
3952 end
3953 read, 'Continue <n> ', ch & if ch eq 'n' then return
3954
3955 listb: ; beam is data array
3956 print, 'Total_int(pixels)' + $
3957 ' is value in beamlet above background for that beamlet.'
3958 print, ' ' & print, 'Beamlets DATA' & lines=0
3959 if nbeam eq 0 then return
3960 for k=1,nbeam do begin
3961 if lines eq 0 then begin
3962 print, ' n peak xmin xmax x(abs) ymin ymax y(abs) ' + $
3963 'Total_int backg'
3964 print, ' pixels (cm) (cm) (cm) (cm) (cm) (cm) ' + $
3965 'pixels pixels'
3966 end
3967 if plot_lets(k,1) eq 1 then ksw=k else ksw=-k
3968 ss=string(data(k,0), format='(i4)')
3969 for j=1,6 do ss=string(data(k,j), format='(f8.4)')
3970 ss=string(data(k,7), format='(e10.3)') + string(data(k,8), format='(f7.2)')
3971 print, string(ksw, format='(i4)') + ' ' + ss
3972 lines=lines+1
3973 if lines eq 25 then begin & read, 'Continue <n> ', ch & lines=0
3974 if ch eq 'n' then return & end
3975 end & if ch eq 'd' then return
3976 read, 'Continue <n> ', ch & if ch eq 'n' then return
3977 if ch eq 'd' then return
3978
3979 listw: print, 'BEAMLETS' & lines=0 & isum=0
3980 for k=1,nbeam do begin
3981 if lines eq 0 then begin
3982 print, ' k Emitx Emity' $
3983 ' Radius Current Brightness SPC_corrected'
3984 print, ' m-rad m-rad' $

```

```

3985 cm Amps A/(m-rad)^2 A/(m-rad)^2
3986 end
3987 if plot_lets(k,1) eq 1 then ksw=k else ksw=-k & isum=isum+ibeam(k-1)
3988 ss= '' & ss=string(ksw, format='(i4)')
3989 ss=ss+string(emitn(k,0), format='(e11.3)')
3990 ss=ss+string(emitn(k,1), format='(e11.3)')
3991 ss=ss+string(radius(k-1), format='(f8.4)')
3992 ss=ss+string(ibeam(k-1), format='(f8.4)')
3993 ss=ss+string(bj(k-1,0), format='(e14.3)')
3994 ss=ss+string(bj(k-1,1), format='(e14.3)')
3995 print, ss
3996 lines=lines+1
3997 if lines eq 25 then begin & read, 'Continue <n> ', ch & lines=0
3998 if ch eq 'n' then return & end
3999 end
4000 print, 'Sum of currents is ' + string(isum, format='(f10.4)') + ' Amperes'
4001 if ch eq 'e' then return
4002 read, 'Continue <n> ', ch & if ch eq 'n' then return
4003
4004 listp: print, 'Phase' & lines=0
4005 for k=1,nbeam do begin
4006 if lines eq 0 then begin
4007 print, ' k X_ABS xpmin xpmax Y_ABS ypmin ypmay'
4008 print, ' (cm) (rad) (rad) (cm) (rad) (rad)'
4009 end
4010 if plot_lets(k,1) eq 1 then ksw=k else ksw=-k
4011 ss= '' & ss=string(ksw, format='(i4)')
4012 for j=0,5 do ss=ss+string(phase(k,j), format='(f9.5)')
4013 print, ss
4014 lines=lines+1
4015 if lines eq 25 then begin & read, 'Continue <n> ', ch & lines=0
4016 if ch eq 'n' then return & end
4017 end
4018 print, '-----'
4019 ss= '' & ss=string(maxdata-3, format='(i4)')
4020 for j=0,1 do ss=ss+string(phase(maxdata-2,j), format='(f9.5)')
4021 for j=2,5 do ss=ss+string(phase(maxdata-3,j), format='(f9.5)')
4022 print, ss
4023 ss= '' & ss=string(maxdata-1, format='(i4)')
4024 for j=0,5 do ss=ss+string(phase(maxdata-1,j), format='(f9.5)')
4025 print, ss
4026 if ch eq 'p' then return
4027 read, 'Continue <n> ', ch & if ch eq 'n' then return
4028
4029 listm: print, 'Mask' & lines=0
4030 nbh=nmask/2
4031 print, ' k x(cm) y(cm) (radius) ' $
4032 ' k x(cm) y(cm) (radius)'
4033 lx=0 & ly=0
4034 for k=1,nbh do $
4035 print, format='(2(i5,f9.4,f9.4,2x,1h,(f7.3,1h),4x))', $
4036 k, mask(k,0), mask(k,1), mask(k,2), $
4037 k*nbh, mask(k*nbh,0), mask(k*nbh,1), mask(k*nbh,2)
4038 if 2*nbh lt nmask then $
4039 print, format='(38x,15,f9.4,f9.4,2x,1h,(f7.3,1h))', $
4040 nmask, mask(nmask,0), mask(nmask,1), mask(nmask,2)
4041 if ch eq 'm' then return
4042 read, 'Continue <n> ', ch & if ch eq 'n' then return
4043
4044 listw: print, 'Window' & lines=0
4045 nbh=nbeam/2
4046 print, ' k xcen ycen xmin xmax ymin ymax ' $
4047 ' k xcen ycen xmin xmax ymin ymax'
4048 for k=1,nbh do $
4049 print, format=$
4050 '(i3,3x,1h,(i3,1h),(i3,1h),4i5,6x,i3,3x,1h,(i3,1h),(i3,1h),4i5)' $
4051 k, center(k,0), center(k,1), center(k,0)-xwindow, center(k,0)+xwindow, $
4052 center(k,1)-ywindow, center(k,1)+ywindow, $
4053 k*nbh, center(k*nbh,0), center(k*nbh,1), $
4054 center(k*nbh,0)-xwindow, center(k*nbh,0)+xwindow, $
4055 center(k*nbh,1)-ywindow, center(k*nbh,1)+ywindow
4056 if 2*nbh lt nbeam then $
4057 print, format='(41x,i3,3x,1h,(i3,1h),(i3,1h),4i5)' $

```

```

4058 nbeam-1,center(nbeam-1,0),center(nbeam-1,1),$
4059 center(nbeam-1,0)-xwindow,center(nbeam-1,0)+xwindow,$
4060 center(nbeam-1,1)-ywindow,center(nbeam-1,1)+ywindow
4061
4062 return
4063 end
4064
4065 -----
4066
4067 pro summary,ntime
4068 common com1,filename,dumpname,printname,dataname,title
4069 common com2,xdim,ydim,lmwch,image,iobject
4070 common com3,ssln,pview,ch2
4071 common com4,data,nspc,phase,maxdata,mask,nmask,typemask
4072 common com5,plot_lets,center,maxb,nbeam
4073 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
4074 common com8>window,xwindow,ywindow,chwln2,level
4075 common com9,current,energy,betaganma,restn,brightness,emitx,emity,emitn,nemit
4076 common com10,xcent,ycent,xcenct,nycent,lmw,lmx,background
4077 common com11,ipass,bradius,xave,yave,ibeann,jradius,bj
4078 common com15,version,comhead,comdata,moments
4079
4080 ip.multi=[0,2,0,0]
4081
4082 plot 1, TOTAL INTENSITY -----
4083 yy=data(1:nbeam,7)
4084 plot,jradius,yy,psym=2,$
4085 xtitle='Radius(cm)',ytitle='Pixels',$
4086 title='Total Intensity'+string(data(0,7),format='(f10.0)')
4087 ss='Ave:'+'string(total(data(1:nbeam,7))/nbeam,format='(f8.1)')
4088 xyouts,0.15,0.25,ss,/norm
4089 xyouts,0.15,0.31,'Above each beamlets BQ',/norm
4090 xyouts,0.15,-0.09,filename,/norm
4091 xyouts,0.15,-0.12,title,/norm
4092
4093 del=0.2*separation
4094 nrings=fix((max(jradius)+del)/separation)
4095 nn=ntarr(nrings+1) & xx=flarr(nrings+1) & aa=xx & aal=xx & aa2=xx
4096 for k=0,nrings do aal(k)=999999.0
4097 for k=0,nbeam-1 do begin
4098   lr=fix((del+jradius(k))/separation)
4099   aa(lr)=aa(lr)+data(k,7) & nn(lr)=nn(lr)+1
4100   if data(k,7) lt aal(lr) then aal(lr)=data(k,7)
4101   if data(k,7) gt aa2(lr) then aa2(lr)=data(k,7)
4102 end
4103 r=0
4104 for k=0,nrings do begin
4105   xx(k)=r & r=r+separation & if nn(k) gt 0 then aa(k)=aa(k)/nn(k)
4106 end
4107 oplot,xx,aa
4108 for k=0,nrings do plots,{xx(k),xx(k)},{aal(k),aa2(k)}
4109
4110 plot 2, PEAK INTENSITY AND BACKGROUND -----
4111 yy=data(1:nbeam,0)
4112 plot,jradius,yy,psym=2,$
4113 xtitle='Radius(cm)',ytitle='Pixels',title='Peak Int & Background'
4114 nn=ntarr(nrings+1) & xx=flarr(nrings+1) & aa=xx & aal=xx & aa2=xx
4115 for k=0,nrings do aal(k)=999999.0
4116 for k=0,nbeam-1 do begin
4117   lr=fix((del+jradius(k))/separation)
4118   aa(lr)=aa(lr)+data(k,0) & nn(lr)=nn(lr)+1
4119   if data(k,0) lt aal(lr) then aal(lr)=data(k,0)
4120   if data(k,0) gt aa2(lr) then aa2(lr)=data(k,0)
4121 end
4122 r=0
4123 for k=0,nrings do begin
4124   xx(k)=r & r=r+separation & if nn(k) gt 0 then aa(k)=aa(k)/nn(k)
4125 end
4126 oplot,xx,aa
4127 for k=0,nrings do plots,{xx(k),xx(k)},{aal(k),aa2(k)}
4128
4129 now the background
4130 oplot,jradius,data(1:nbeam,8),psym=4

```

```

4131 nn=ntarr(nrings+1) & xx=flarr(nrings+1) & aa=xx
4132 for k=0,nbeam-1 do begin
4133   lr=fix((del+jradius(k))/separation)
4134   aa(lr)=aa(lr)+data(k,8) & nn(lr)=nn(lr)+1
4135 end
4136 r=0
4137 for k=0,nrings do begin
4138   xx(k)=r & r=r+separation & if nn(k) gt 0 then aa(k)=aa(k)/nn(k)
4139 end
4140 oplot,xx,aa
4141
4142 plots,[0,xx(nrings)],[background,background]
4143 ss='Ave:'+'string(total(data(1:nbeam,8))/nbeam,format='(f8.2)')
4144 xyouts,0.65,0.28,ss,/norm
4145 ss='Ave:'+'string(total(data(1:nbeam,8))/nbeam,format='(f8.2)')
4146 xyouts,0.65,0.26,ss,/norm
4147
4148 ip.multi=0 & ss=''
4149 return
4150 end
4151
4152 -----
4153
4154 pro summary,ntime
4155 common com1,filename,dumpname,printname,dataname,title
4156 common com2,xdim,ydim,lmwch,image,iobject
4157 common com3,ssln,pview,ch2
4158 common com4,data,nspc,phase,maxdata,mask,nmask,typemask
4159 common com5,plot_lets,center,maxb,nbeam
4160 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
4161 common com8>window,xwindow,ywindow,chwln2,level
4162 common com9,current,energy,betaganma,restn,brightness,emitx,emity,emitn,nemit
4163 common com10,xcent,ycent,xcenct,nycent,lmw,lmx,background
4164 common com11,ipass,bradius,xave,yave,ibeann,jradius,bj
4165 common com15,version,comhead,comdata,moments
4166
4167 if (nbeam eq 0) then begin & print,'RAW MODE' & return & end
4168
4169 ip.multi=[0,2,2,0,0]
4170
4171 plot 1, TOTAL INTENSITY -----
4172 beamn=findgen(nbeam+2)
4173 histo=data(0:nbeam+1,7) & histo(0)=0 & histo(nbeam+1)=0
4174 histx=histo & histy=histo
4175 plot,beamn,histo,psym=10,$
4176 xtitle='Beamlet',ytitle='Pixels',$
4177 title='Total Intensity'+string(data(0,7),format='(f10.0)')
4178 ss='Ave:'+'string(total(data(1:nbeam,7))/nbeam,format='(f8.1)')
4179 xyouts,0.15,0.65,ss,/norm
4180 if ntime eq 0 then iy=0.94 else iy=0.90
4181 xyouts,0.15,iy,'Above each beamlets BQ',/norm
4182
4183 plot 2, PEAK INTENSITY AND BACKGROUND -----
4184 histo(1:nbeam)=data(1:nbeam,0)
4185 plot,beamn,histo,psym=10,$
4186 xtitle='Beamlet',ytitle='Pixels',title='Peak Int & Background'
4187 oplot,beamn,data(0:nbeam,8),psym=10
4188 yy=ntarr(2) & xx=yy
4189 xx(0)=0 & xx(1)=nbeam & yy(0)=background & yy(1)=background
4190 oplot,xx,yy
4191 ss='Ave:'+'string(total(data(1:nbeam,0))/nbeam,format='(f8.2)')
4192 xyouts,0.65,0.68,ss,/norm
4193 ss='Ave:'+'string(total(data(1:nbeam,8))/nbeam,format='(f8.2)')
4194 xyouts,0.65,0.66,ss,/norm
4195
4196 plot 3, BEAMLET RADIUS -----
4197 histx(1:nbeam)=0.5*(data(1:nbeam,2)-data(1:nbeam,1))
4198 histy(1:nbeam)=0.5*(data(1:nbeam,5)-data(1:nbeam,4))
4199 mcm=max(bradius) & if max(histx) gt mcm then mcm=max(histx)
4200 if max(histy) gt mcm then mcm=max(histy)
4201 histo(0:nbeam+1)=rhole
4202 plot,beamn,histo,yrange=[0,mcm],ystyle=1,$
4203 xtitle='Beamlet',ytitle='cm',title='Beamlet Radius'

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```

4204 opplot,beamm,histx,linestyle=1,psym=10
4205 opplot,beamm,histy,linestyle=2,psym=10
4206 xy=0.25*total[datall:nbeam,2]-data[1:nbeam,1]/nbeam+$
4207 0.25*total[datall:nbeam,5]-data[1:nbeam,4]/nbeam
4208 ss='Ave:'&string(xy,format='(f8.4)')
4209 xyouts,0.15,0.15,ss,/norm
4210
4211 : plot 4, BEAMLET ANGULAR DIVERGENCE -----
4212 : phase(',')=XABS,xpmin,xpmax,YABS,ypmin,ypmax
4213 : phase(maxdata-1,'')=s11,s12,s22,s33,s44 ; phase(maxdata-2,'')=r12,r14
4214 histx(1:nbeam)=1000*(phase(1:nbeam,2)-phase(1:nbeam,1))
4215 histy(1:nbeam)=1000*(phase(1:nbeam,5)-phase(1:nbeam,4))
4216 xpmin=min(histx(1:nbeam)) & xpmax=max(histx(1:nbeam))
4217 ypmin=min(histy(1:nbeam)) & ypmx=max(histy(1:nbeam))
4218 if ypmin lt xpmin then pmin=ypmin else pmin=xpmin
4219 if ypmx gt xpmax then pmax=ypmax else pmax=xpmax
4220 pmin=0
4221 plot,beamm,phase(1:nbeam,1),yrange=[pmin,pmax],$
4222 xtitle='Beamlet',ytitle='mrad',title='X,Y Angular Spread (max-min)',/nodata
4223 opplot,beamm,histx,linestyle=1,psym=10
4224 opplot,beamm,histy,linestyle=2,psym=10
4225 xy=500*total[phase(1:nbeam,2)-phase(1:nbeam,1)]/nbeam+$
4226 500*total[phase(1:nbeam,5)-phase(1:nbeam,4)]/nbeam
4227 ss='Ave:'&string(xy,format='(f8.3)')
4228 xyouts,0.65,0.15,ss,/norm
4229
4230 : p.multi=0 & ss=''
4231 ss=filename+' ' & strmid(comdata(9),2,20)+' (Amp). ' & $
4232 string(energy,format='(f7.3)') & ' (MeV). ' & $
4233 string(level,format='(i3)') & ' level'
4234 xyouts,0.10,0.50,ss,/norm
4235 if ntime eq 1 then begin & yyx=-0.10
4236 xyouts,0.10,-0.10,'-----',/norm
4237 for k=0,14 do begin & yyx=yyx-0.03
4238 xyouts,0.10,yyx,string(k,format='(i2)') & ' ' & comhead(k)+comdata(k),/norm
4239 end
4240 k=19 & yyx=yyx-0.03
4241 xyouts,0.10,yyx,string(k,format='(i2)') & ' ' & comhead(k)+comdata(k),/norm
4242
4243 end
4244 return
4245 end
4246 : -----
4247 :
4248 pro flt_gauss
4249 goto,skipt
4250 common com1,filename,dumpname,printname,dataname,ttitle
4251 common com2,xdim,ydim,imswch,image,iobject
4252 common com3,ssin,pview,ch2
4253 common com4,data,nspc,j,phase,maxdata,mask,rmask,typemask
4254 common com5,plot_lets,center,maxb,nbeam
4255 common com7,xcmplx,ycmplx,drift,rhola,separation,thickness
4256 common com8>window,xwindow,ywindow,chw1n2,level
4257 common com9,current,energy,betagamma,restm,brightness,emitx,emity,emitn,nemit
4258 common com10,xcent,ycent,nxcnt,nycent,lmin,lmax,background
4259 common com12,nb,type_slicex,slice_y,slice_z,prange,chsavel,chsavel2,chsavel3
4260 common com13,sub_range
4261 common com15,version,comhead,comdata,moments
4262 common com18,kmovie,nalice,slices
4263 common com22,flag,numplx
4264 :
4265 width=2*xwindow+1 & width=fix(width)
4266
4267 if flag ne 0 then goto, skipover
4268 for j=1,2 do begin
4269 for i=1,nbeam do begin
4270 flag=1
4271 gx=fltarr(width) & a=fltarr(6) & gx=0.0 & a=0.0
4272 gy=fltarr(width) & b=fltarr(6) & gy=0.0 & b=0.0
4273 nx=center(j,0) & ny=center(j,1)
4274 nx1=nx-xwindow & if nx1 lt 1 then nx1=1
4275 nx2=nx+xwindow & if nx2 gt xdim then nx2=xdim-1
4276 ny1=ny-ywindow & if ny1 lt 1 then ny1=1; ny2=ny+ywindow & if ny2 gt yd

```

```

4277 : im then ny1=ydim-1
4278 nx1=fix(nx1) & nx2=fix(nx2) & ny1=fix(ny1) & ny2=fix(ny2)
4279 xpix=intarr(width) & ypix=intarr(width)
4280 for i=0,width-1 do $ xpix(i)=nx1+i
4281 for i=0,width-1 do $ ypix(i)=ny1+i
4282
4283 print,'beamlet 1'.j
4284
4285 peak=max(image(nx1:nx2,ny1:ny2))
4286 cutoff=.01*level*peak
4287
4288 centerx=where(image(nx1:nx2,ny1:ny2) eq peak)
4289 centerx=centerx[nx1]
4290 centery=where(image(nx,ny1:ny2) eq peak)
4291 centery=centery[ny1]
4292 centery=centery-ny1
4293 lowflag=0 & k=0
4294 for k=centerx(0),nx1,-1 do begin
4295 if (lowflag eq 1) then begin
4296 image(k,ny)=background
4297 endif else begin
4298 if (image(k,ny) lt cutoff) then begin
4299 image(k,ny)=background
4300 lowflag=1
4301 endif
4302 endelse
4303 end
4304 lowflag=0
4305 for k=centerx(0),nx2 do begin
4306 if (lowflag eq 1) then begin
4307 image(k,ny)=background
4308 endif else begin
4309 if (image(k,ny) lt cutoff) then begin
4310 image(k,ny)=background
4311 lowflag=1
4312 endif
4313 endelse
4314 end
4315
4316 lowflag=0
4317 for k=centery(0),ny2 do begin
4318 if (lowflag eq 1) then begin
4319 image(nx,k)=background
4320 endif else begin
4321 if (image(nx,k) lt cutoff) then begin
4322 image(nx,k)=background
4323 lowflag=1
4324 endif
4325 endelse
4326 end
4327
4328 lowflag=0
4329 for k=centery(0),ny1,-1 do begin
4330 if (lowflag eq 1) then begin
4331 image(nx,k)=background
4332 endif else begin
4333 if (image(nx,k) lt cutoff) then begin
4334 image(nx,k)=background
4335 lowflag=1
4336 endif
4337 endelse
4338 end
4339 xpix=where(image(nx1:nx2,ny1:ny2) ge 0)
4340 xpix=xpix[nx1]
4341 xpix=fix(xpix)
4342 ypix=where(image(nx,ny1:ny2) ge 0)
4343 ypix=ypix[ny1]
4344 ypix=fix(ypix)
4345
4346 gx=gaussfit(xpix,image(nx1:nx2,ny1:ny2),a)
4347 gy=gaussfit(ypix,image(nx,ny1:ny2),b)
4348 gx=fix(gx) & gy=fix(gy)

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4349 image(nx1:nx2,ny)=gx
4350 image(ny1:ny2)=gy
4351 endfor
4352 skipit:
4353 skipover:
4354 return
4355 end
4356 -----
4357
4358 pro analyze,ntime
4359 common com1,filename,dumpname,printname,dataname,title
4360 common com2,xdim,ydim,inswch,image,iobject
4361 common com3,asin,pview,ch2
4362 common com4,data,nspec,phase,maxdata,mask,rmask,typemask
4363 common com5,plot_lets,center,maxb,nbeam
4364 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
4365 common com8>window,xwindow,ywindow,chw1n2,level
4366 common com9,current,energy,betagamma,restn,brightness,emltx,emlty,emltn,nemlt
4367 common com10,xcent,ycent,nxcent,nycent,imin,imax,background
4368 common com12,nb,type_slicex,slicex,yslice,prange,chsavel,chsavel2,chsavel3
4369 common com13,sub_range
4370 common com15,version,comhead,comdata,moments
4371 common com18,kmovie,nlslice,slices
4372
4373 :loadct, 13
4374 gx=fltarr(22) & a=fltarr(6) & gx=0.0 & a=0.0
4375 gy=fltarr(22) & b=fltarr(6) & gy=0.0 & b=0.0
4376 xg=fltarr(201) & xg(0:200)=0.0
4377 pxg=fltarr(201) & pxg(0:200)=0.0
4378 yg=fltarr(201) & yg(0:200)=0.0
4379 pyg=fltarr(201) & pyg(0:200)=0.0
4380 if (nbeam eq 0) then begin & print,'RAW MODE' & return & end
4381 if ntime eq 0 then begin
4382   chsavel=
4383   read,'Enter beamlet number <1..'+string(nbeam,format='(1)')+':> ','ss
4384   nb=fix(ss)
4385   if nb lt 1 or nb gt nbeam then begin
4386     print,'Entry outside allowed range' & return & end
4387   ss='Calculate widths based on'+string(chsavel,format='(a1,$)')
4388   print,ss
4389   read,'M)inusBack, S)moothed, H)S, R)aw data <m,a,ms,r> ','chsavel
4390   halfwidths=
4391   end else halfwidths=comdata(18)
4392
4393   nx=center(nb,0) & ny=center(nb,1)
4394   nx1=nx-xwindow & if nx1 lt 1 then nx1=1
4395   nx2=nx+xwindow & if nx2 gt xdim then nx2=xdim-1
4396   ny1=ny-ywindow & if ny1 lt 1 then ny1=1
4397   ny2=ny+ywindow & if ny2 gt ydim then ny2=ydim-1
4398   nx1=fix(nx1) & nx2=fix(nx2) & ny1=fix(ny1) & ny2=fix(ny2)
4399   result=sfit(image(nx1:nx2,ny1:ny2),4)
4400   surface, result
4401   goto, skip
4402   nxm=nx2-nx1+1 & nym=ny2-ny1+1
4403   halfx=0.5*nxm*xcmplx & xradius=xcmplx*indgen(nxm)-halfx
4404   halfy=0.5*nym*ycmplx & yradius=ycmplx*indgen(nym)-halfy
4405   if halfx ge halfy then half=halfx else half=halfy
4406   lline=image(nx1:nx2,ny) & lliney=image(nx,ny1:ny2)
4407
4408
4409   peak=data(nb,0) & ltotal=data(nb,7)
4410   back=total(image(nx1,ny1:ny2))/(ny2-ny1+1)+$
4411     total(image(nx2,ny1:ny2))/(ny2-ny1+1)+$
4412     total(image(nx1:nx2,ny1))/(nx2-nx1+1)+$
4413     total(image(nx1:nx2,ny2))/(nx2-nx1+1)
4414   back=0.25*back
4415
4416   ---- search from peak to min
4417   ---- search from peak to min in other direction.
4418   4/21/97 TEST ACP
4419   l1=float(image(nx1,ny)) & l2=float(image(nx2,ny))
4420   xback=l1*(l2-l1)/(indgen(nx2-nx1))/(nx2-nx1)
4421   l1=float(image(nx,ny1)) & l2=float(image(nx,ny2))

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4422   yback=l1*(l2-l1)/(indgen(ny2-ny1))/(ny2-ny1)
4423
4424   ---- subtract tilted local background
4425
4426   if strpos(chsavel,'m') ge 0 then begin
4427     pekk=max(image(nx1:nx2,ny))
4428     peky=max(image(nx,ny1:ny2))
4429     lxa=where(image(nx1:nx2,ny) eq pekk)
4430     lya=where(image(nx,ny1:ny2) eq peky)
4431     lx=lx[0] & ly=ly[0]
4432
4433     l1x=float(min(image(nx1:nx1+lx,ny)))
4434     l2x=float(min(image(nx1+lx:nx2,ny)))
4435     l1y=where(image(nx1:nx1+lx,ny) eq l1x)
4436     l2y=where(image(nx1+lx:nx2,ny) eq l2x)
4437     l1x=float(l1x[0]) & l2x=float(lx+lx2a(0))
4438     xas=(l2x-l1x)/(l2-l1x)
4439     xback=l1x*xas*(indgen(nx2-nx1))
4440
4441     l1y=float(min(image(nx,ny1:ny1+ly)))
4442     l2y=float(min(image(nx,ny1+ly:ny2)))
4443     l1x=where(image(nx,ny1:ny1+ly) eq l1y)
4444     l2x=where(image(nx,ny1+ly:ny2) eq l2y)
4445     l1y=float(l1y[0]) & l2y=float(ly+ly2a(0))
4446     yas=(l2y-l1y)/(l2-l1y)
4447     yback=l1y*yas*(indgen(ny2-ny1))
4448   end
4449
4450   gx=gaussfit(xradius,image(nx1:nx2,ny),a)
4451   gy=gaussfit(yradius,image(nx,ny1:ny2),b)
4452
4453   if nb eq 4 then print,'4 ','a,b
4454   print,'image(nx1:nx2,ny) ','image(nx1:nx2,ny)
4455   result=transpose(image(nx,ny1:ny2))
4456   print,'image(nx,ny1:ny2) ','result
4457   plot,xradius,linex,xstyle=1,xrange=-half,half,$
4458   xtitle='size(cm)',ytitle='Amplitude(pxela)',title=filename
4459   oplot,yradius,lyney
4460   plots,{-half,half},{back,back}
4461
4462   for k=0,200 do begin
4463     xg(k)=(2*half*k/200)-half & yg(k)=xg(k)
4464     z=(xg(k)-a(1))/a(2) & z=-0.5*z^2
4465     pxg(k)=a(0)*exp(z)+a(3)+a(4)*xg(k)+a(5)*xg(k)^2
4466     z=(yg(k)-b(1))/b(2) & z=-0.5*z^2
4467     pyg(k)=b(0)*exp(z)+b(3)+b(4)*yg(k)+b(5)*yg(k)^2
4468   endfor
4469   oplot,xg,pxg,linestyle=2,thick=2
4470   oplot,yg,pyg,linestyle=2,thick=2
4471
4472   if chsavel eq 's' then begin
4473     xyouts,0.8,0.90,'Smoothing=5',/norm
4474     linex=smooth(linex,5) & lliney=smooth(lliney,5)
4475     oplot,xradius,linex,linestyle=1 & oplot,yradius,lyney,linestyle=2
4476   end else $
4477   if chsavel eq 'm' then begin
4478     linex=back+linex-xback & lliney=back+lyney-yback
4479     oplot,xradius,linex,linestyle=1 & oplot,yradius,lyney,linestyle=4
4480   end else $
4481   if chsavel eq 'ms' then begin
4482     xyouts,0.8,0.90,'Smoothing=5',/norm
4483     linex=back+smooth(linex,5)-xback & lliney=back+smooth(lliney,5)-yback
4484     oplot,xradius,linex,linestyle=3 & oplot,yradius,lyney,linestyle=4
4485   end
4486
4487   xpeak=max(linex)
4488   ypeak=max(lliney) ; TEST
4489   if xpeak gt ypeak then peak=xpeak else peak=ypeak
4490
4491   xyouts,0.2,0.87,'Beamlet '+string(nb,format='(1)')+':$
4492     '+string(linex,format='(1)')+','+string(lyney,format='(1)')+':$
4493     ' peak'+string(peak,format='(14)')+':$
4494     ' l_tot'+string(ltotal,format='(10.0)')+':$ above BG',/norm

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4495 yy=0.84
4496 xyouts,0.2,yy,halfwidths,/norm
4497 xyouts,xradius(nxm/4),lindex(nxm/4),'X-cut'
4498 xyouts,yradius(3*ny/4),lindex(3*ny/4),'Y-cut'
4499 if ntime eq 1 then begin
4500   if nslice gt 0 then begin
4501     yy=-0.05
4502     for k=0,nslice do $
4503       begin & yy=yy+0.03 & xyouts,0.1,yy,slices(k),/norm & end
4504   end
4505   goto,cont1
4506 end
4507
4508 tcvrs,150,150 ; place cursor at pixel location 50,50
4509 nslice=0
4510 ierr=0
4511 save=0
4512 while (ierr ne 4) do begin
4513   cursor,x,y,/wait
4514   ipeak=100.0*(y-back)/(peak-back)
4515   if ipeak ne save then begin
4516     save=ipeak
4517     for k=xwindow,1,-1 do if lindex(k) lt y then goto,havex1
4518     havex1 : xmin=(k-xwindow*(y-lindex(k)))/(lindex(k)-lindex(k-1))*xcmplx
4519     for k=xwindow,2,xwindow-2 do if lindex(k) lt y then goto,havex2
4520     havex2 : xmax=(k-xwindow*(y-lindex(k)))/(lindex(k)-lindex(k-1))*xcmplx
4521     for k=ywindow,1,-1 do if lindex(k) lt y then goto,havey1
4522     havey1 : ymin=(k-ywindow*(y-lindex(k)))/(lindex(k)-lindex(k-1))*ycmplx
4523     for k=ywindow,2,ywindow-2 do if lindex(k) lt y then goto,havey2
4524     havey2 : ymax=(k-ywindow*(y-lindex(k)))/(lindex(k)-lindex(k-1))*ycmplx
4525     xcm=0.5*(xmax-xmin) & ycm=0.5*(ymax-ymin)
4526     halfwidths=x,y half widths : $
4527     string(xcm,format='(f8.3)') & ' $
4528     string(ycm,format='(f8.3)') & ' cm at : $
4529     string(ipeak,format='(f8.3)') & ' amplitude'
4530     print,halfwidths
4531     yy=yy+0.02 & xyouts,0.2,yy,halfwidths,/norm
4532     comdata(18)=halfwidths
4533     slices(nslice)=halfwidths & if nslice lt 20 then nslice=nslice+1
4534   end
4535 end
4536
4537 ierr=0
4538 tcvrs,100,-50
4539 chsave2="" & read,'Contour this beamlet <y,n,abort>' ,chsave2
4540 if chsave2 eq 'a' then abort
4541
4542 cont1:
4543 if chsave2 ne 'y' then return
4544 num=intarr(4)
4545 num(0)=nx1 & num(1)=nx2 & num(2)=ny1 & num(3)=ny2
4546 set_contour,num,pview
4547 levels=intarr(20) & a=0 & da=0.05*data(nb,0)
4548 for k=0,19 do begin & a=a+da & levels(k)=a & end
4549 contour,image(nx1,nx2,ny1,ny2),levels=levels,xstyle=1,ystyle=1,$
4550 xtitle='x(pixel)',ytitle='y(pixel)' $
4551 title='beamlet :',string(nb,format='(i3)') & ' ' & filename
4552 nn=strlen(comdata(1))-10
4553 if nn gt 1 then xyouts,0.15,0.90,strcmp(comdata(1),10,nn),/norm
4554 ss=image('string(nx1)', 'string(nx2)', 'string(ny1)', 'string(ny2)')
4555 ss=ss+ ' Peak='string(data(nb,0),format='(i3)') & ' divided 20 steps'
4556 xyouts,0.15,0.87,strcmp(strcompress(ss),21),/norm
4557 pview=c'
4558
4559 skip:
4560 return
4561 end
4562
4563 -----
4564
4565 pro do_profiles,ntime
4566 common com1,filename,dumpname,printname,dataname,title
4567 common com2,xdim,ydim,imswch,image,object

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4568 common com3,asin,pview,ch2
4569 common com4,data,nspc,phase,maxdata,mask,nmask,typemask
4570 common com5,plot_lets,center,maxb,nbeam
4571 common com10,xcent,ycent,nxcent,nycent,lmin,lmax,background
4572 common com12,nb,type_slicex,slicex,yslice,prange,chsavel,chsavel2,chsavel3
4573 common com15,version,conhead,comdata,moments
4574
4575 ss="" & num="" & xtable=0.35 & alfa="abcdefghijklmnopqrstuvwxyz,./:!"
4576 heading=filename
4577 n1=strpos(comdata(1),'S') & n2=strlen(comdata(1))-n1+1 ; get smoothing factor
4578 if n1 gt 0 then heading=heading+' ('+strmid(comdata(1),n1,n2)+')'
4579 if ntime eq 0 then begin
4580   imswch=""
4581   again:
4582   if ch2 eq 'o' then begin
4583     if type_slicex eq 'x' then $
4584       read,'Enter slice y=<1..>'string(ydim,format='(i3)') & ' ,num else $
4585       read,'Enter slice x=<1..>'string(xdim,format='(i3)') & ' ,num
4586       if strpos(alfa,num) lt 0 then num=fix(num) else num=-1
4587       if (type_slicex eq 'x') then begin
4588         if (num lt 1) or (num ge ydim) then begin
4589           print,'Error, y must be smaller than ',ydim & goto,again & end & en
4590         if (type_slicex eq 'y') then begin
4591           if (num lt 1) or (num ge xdim) then begin
4592             print,'Error, x must be smaller than ',xdim & goto,again & end & en
4593
4594 n=prange(4)+1
4595 if n eq 5 then begin
4596   if type_slicex eq 'x' then prange(n)=xslice else prange(n)=yslice
4597   n=n+1 & end
4598   prange(4)=n & prange(n)=num & xtable=0.35+0.05*(n-5)
4599   if type_slicex eq 'x' then xslice=num else yslice=num
4600   goto,oplotskip
4601 end else $
4602 if ch2 eq 'r' then begin
4603   read,'Enter kmin,kmax,kstep <1..>' ,kmin,kmax,kstep
4604   n=4 & prange(4)=5/fix((kmax-kmin)/kstep)
4605   for k=kmin,kmax,kstep do begin & n=n+1 & prange(n)=k & end
4606 end else $
4607 if ch2 eq 'i' then begin
4608   imswch='i'
4609   ch2=strcmp(ssln,2,1)
4610   goto,again
4611 end
4612 read,'Enter xy_pixel e.g. x120 or y67 <1..>'stringlydim,format='(i3)') & ' ,s
4613
4614 if strlen(ss) gt 0 then begin & ss=strcmp(ss,2)
4615 if strcmp(ss,0,1) eq 'x' then begin
4616   type_slicex='x' & xslice=fix(strmid(ss,1,strlen(ss))-1)
4617 end else begin & type_slicex='y'
4618 if strcmp(ss,0,1) eq 'y' then js=1 else js=0
4619 yslice=fix(strmid(ss,js,strlen(ss))-js)
4620 end & end
4621 if (type_slicex eq 'x') then begin
4622 if (xslice lt 1) or (xslice ge ydim) then begin
4623   print,'Error, y must be smaller than ',ydim & goto,again & end
4624 sr=string(xdim-1,format='(i3)') & end
4625 if (type_slicex eq 'y') then begin
4626 if (yslice lt 1) or (yslice ge xdim) then begin
4627   print,'Error, x must be smaller than ',xdim & goto,again & end
4628 sr=string(ydim-1,format='(i3)') & end
4629
4630 ss="" & read,'Enter min,max pixel range <1..>'sr & ' IF<default>' ,ss
4631 if strlen(ss) eq 0 then begin
4632 if (type_slicex eq 'x') then begin & prange(0)=1 & prange(1)=xdim-1 & end
4633 if (type_slicex eq 'y') then begin & prange(0)=1 & prange(1)=ydim-1 & end
4634 end else begin & num=intarr(2) & decode,ss,num,n
4635 if (type_slicex eq 'x') then begin
4636 if (num(0) gt 0) and (num(0) lt xdim) then prange(0)=num(0)
4637 if (num(1) gt num(0)) and (num(1) lt xdim) then prange(1)=num(1) & end
4638 if (type_slicex eq 'y') then begin
4639 if (num(0) gt 0) and (num(0) lt ydim) then prange(0)=num(0)

```

```

4638     if (num(1) gt num(0)) and (num(1) lt ydim) then prange(3)=num(1) & end
4639     end
4640     end ; ntime=0
4641 ;
4642 oplotskip:
4643     if imswch eq 'i' then iwork=iobject else iwork=image
4644     if type_slice eq 'x' then begin
4645         if ch2 eq 'o' then oplot,iwork('xslice') else $
4646         plot,iwork('xslice'),xrange=[prange(0),prange(1)],xstyle=1.$
4647         yrange=[0,imax],ystyle=1.$
4648         xtitle='x(pixel)',ytitle='Intensity',title=heading
4649         xyouts,0.2,0.87,'X_slice at y=',/norm
4650         xyouts,xlable,0.87,''+string(xslice,format='(13)'),/norm
4651     end else $
4652     if type_slice eq 'y' then begin
4653         if ch2 eq 'o' then oplot,iwork('yslice') else $
4654         plot,iwork('yslice'),xrange=[prange(2),prange(3)],xstyle=1.$
4655         yrange=[0,imax],ystyle=1.$
4656         xtitle='y(pixel)',ytitle='Intensity',title=heading
4657         xyouts,0.2,0.87,'Y_slice at x=',/norm
4658         xyouts,xlable,0.87,''+string(yslice,format='(13)'),/norm
4659     end
4660 ;
4661     if (ch2 eq 'x') and (ntime eq 0) then begin & nop=prange(4) & yyx=0.87
4662     for k=5,nop do begin & slice=prange(k)
4663         if type_slice eq 'y' then $
4664         oplot,iwork('yslice') else oplot,iwork('xslice')
4665         if (k eq 14) or (k eq 23) or (k eq 32) or (k eq 41) then $
4666         begin & xlab=0.35 & yyx=yyx-0.03 & end
4667         xyouts,xlable,yyx,''+string(slice),/norm
4668         xlab=xlab+0.05
4669     end;for
4670     end
4671 ;
4672     if (ntime eq 1) then begin & nop=prange(4) & prange(4)=4 & yyx=0.87
4673     if nop gt 4 then begin ; do overplots prange(5..nop)
4674         for k=5,nop do begin & slice=prange(k)
4675             if type_slice eq 'y' then $
4676             oplot,iwork('yslice') else oplot,iwork('xslice')
4677             if (k eq 14) or (k eq 23) or (k eq 32) or (k eq 41) then $
4678             begin & xlab=0.35 & yyx=yyx-0.03 & end
4679             xyouts,xlable,yyx,''+string(slice),/norm
4680             xlab=xlab+0.05
4681         end;for
4682     end;if nop
4683     end;if ntime
4684 ;
4685     return
4686 end
4687 ;
4688 -----
4689 ;
4690 pro set_contour,subcont,sw
4691 common com2,xdim,ydim,imswch,image,iobject
4692 common com1,sub_range
4693 common com6,xwcent,ywcent,xpix0,ypix0,pixsize
4694 ;
4695     if sw eq 'd' then begin
4696         subcont(0)=1 & subcont(1)=xdim-1 & subcont(2)=1 & subcont(3)=ydim-1 & end
4697     if subcont(0) lt 1 then subcont(0)=1
4698     if subcont(1) gt xdim-1 then subcont(1)=xdim-1
4699     if subcont(2) lt 1 then subcont(2)=1
4700     if subcont(3) gt ydim-1 then subcont(3)=ydim-1
4701 ;
4702     sub_range,slcloc=''+string(subcont(0),format='(13)'),'+$
4703     string(subcont(1),format='(13)'),'+$
4704     string(subcont(2),format='(13)'),'+$
4705     string(subcont(3),format='(13)'),'+$
4706     sub_range,subcont=subcont
4707 ;
4708     return
4709 end
4710 ;

```

```

4711 ;-----
4712 ;
4713 pro set_surface
4714 common com2,xdim,ydim,imswch,image,iobject
4715 common com3,sub_range
4716 common com6,xwcent,ywcent,xpix0,ypix0,pixsize
4717 ;
4718     subsurf=ntarr(4)
4719     subsurf(0)=xpix0-pixsize
4720     if subsurf(0) lt 1 then begin & subsurf(0)=1 & subsurf(1)=2*pixsize & end $
4721     else subsurf(1)=xpix0-pixsize
4722     if subsurf(1) gt xdim-1 then begin
4723         subsurf(1)=xdim-1 & subsurf(0)=subsurf(1)-2*pixsize
4724     if subsurf(0) lt 0 then subsurf(0)=0 & end
4725     subsurf(2)=ypix0-pixsize
4726     if subsurf(2) lt 1 then begin & subsurf(2)=1 & subsurf(3)=2*pixsize & end $
4727     else subsurf(3)=ypix0-pixsize
4728     if subsurf(3) gt ydim-1 then begin
4729         subsurf(3)=ydim-1 & subsurf(2)=subsurf(3)-2*pixsize
4730     if subsurf(2) lt 0 then subsurf(2)=0 & end
4731     sub_range,slcloc=''+string(subsurf(0),format='(13)'),'+$
4732     string(subsurf(1),format='(13)'),'+$
4733     string(subsurf(2),format='(13)'),'+$
4734     string(subsurf(3),format='(13)'),'+$
4735     sub_range,subsurf=subsurf
4736 ;
4737     return
4738 end
4739 ;
4740 -----
4741 ;
4742 pro smooth_data,ch
4743 common com2,xdim,ydim,imswch,image,iobject
4744 common com5,plot_lets,center,maxb,nbeam
4745 common com15,version,comhead,comdata,moments
4746 common com19,smoothing
4747 ;
4748     again: cc=''
4749     print,'Smoothing = 0 will allow regeneration of window centers'
4750     read,'Enter width of sliding box car smoothing, LF exits <3> ','cc
4751     if strlen(cc) lt 0 then return
4752     c1=string(cc,0,1)
4753     if atrpos('0123456789',c1) lt 0 then begin
4754         print,' ERROR, input must be numeric, try again dummy' & goto,again & end
4755 ;
4756     width=fix(cc)
4757     if width ge 3 then begin
4758         image=smooth(image,width)
4759         comdata(1)=''+string(xdim,format='(13)'),'+$
4760         string(ydim,format='(13)'),'+$
4761         string(nbeam,format='(13)'),'+$
4762         ' , Smoothing=''+string(width,format='(12)')
4763     end
4764     wset,2 & tv,image & wset,0
4765     if ch ne 'a' then begin & cc=' ' & cb=' '
4766         read,'Regenerate beamlets <y,n> ','ch
4767         read,'Re-Calculate beamlet centers <y,n> ','cc
4768         read,'Subtract global background <y,n> ','cb
4769         if cb eq 'y' then fix_image,'b'
4770         if cc eq 'y' then ch='C'
4771     end
4772 ;
4773     return
4774 end;
4775 ;
4776 -----
4777 ;
4778 pro default_data
4779 common com1,filename,dumpname,printname,dataname,title
4780 common com2,xdim,ydim,imswch,image,iobject
4781 common com3,asin,pview,ch2
4782 common com4,data,nspcf,phase,maxdata,mask,nmask,typemask

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4929 ss='' & ch= ' ' & read, 'Eliminate any of these plots ? <y,n> ',ch
4930 if ch eq 'y' then begin & num=intarr(12)
4931   read, 'Enter 0..18 for plots to be eliminated, space delimited ==> ',ss
4932   decode,ss,num,n
4933   for j=0,maxtype do for k=0,n-1 do if {j eq num[k]} then ptype{j}=0
4934 end
4935
4936 return
4937 end
4938
4939 -----
4940
4941 pro toggle_windows,ss
4942
4943   ch=strmid(ss,1,1)
4944   if strlen(ss) eq 2 then begin
4945     if 1 ch eq 0 or ch eq 2 then begin
4946       wset,ch & wshow,ch,1 & return
4947     end
4948   end
4949
4950   nw=0 & ch= ' '
4951   if {strlen(ss) lt 3} then begin
4952     read, 'Show H/ide window 0, 2 or 4 (s0,h0,s2,x4,h2,h4)=> ',ss
4953     if {strlen(ss) ne 2} then return
4954     start=0
4955     end else start=1
4956
4957   ch=strmid(ss,start,1)
4958   if {strpos('sh',ch) lt 0} then return
4959   nw=fix(strmid(ss,start+1,1))
4960   if ch eq 's' then kw=1 else kw=0
4961   if {nw eq 0} or {nw eq 2} or {nw eq 4} then wshow,nw,kw
4962
4963 return
4964 end
4965
4966 -----
4967
4968 pro set_path_name
4969 common com1,ssin,pview,ch2
4970 common com15,version,comhead,comdata,moments
4971
4972 ss='' & swn=''
4973 if ch2 eq 's' then begin & swn='Save_File ' & nsw=16 & end $
4974 else begin & swn='Image_File ' & nsw=15 & end
4975 read, 'Directory path name for '+swn, 'comdata(nsw)' LF none => ',ss
4976 if strlen(ss) le 0 then comdata(nsw)='' else begin
4977   if strmid(ss,strlen(ss)-1,1) ne '/' then $
4978     comdata(nsw)=ss+'/' else comdata(nsw)=ss
4979 end
4980 return
4981 end
4982
4983 -----
4984
4985 pro read_titles
4986
4987 pool='0123456789abcdefghijklmnopqrstuvwxyz'
4988 dpath='' & head='' & suff='' & name='' & nfile=1 & praw=' '
4989 read, 'Enter directory path name ==> ',dpath
4990 read, 'Enter starting .RAS file name ==> ',name
4991 read, 'How many sequential files ==> ',nfile
4992 read, 'Hard copy <y,n> ==> ',praw
4993 nn=strpos(name,'.ras')
4994 head=strmid(name,0,nn-2)
4995 suff=strmid(name,nn-2,2)
4996 ncl=strpos(pool,strmid(suff,0,1)) & nc2=strpos(pool,strmid(suff,1,1))
4997 if nfile lt 1 then nfile=1
4998 if strpos(dpath,'/') lt 0 then dpath=dpath+'/'
4999
5000 ierr=0
5001 on_ioerror,ioerr

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5002 if praw eq 'y' then openw,2,'temp.titles', /variable
5003 for kf=1,nfile do begin
5004   openw,unit,dpath+name,/GET_LUN
5005   hdr=assoc(unit,bytarr(512)) & h=hdr(0)
5006   close,1 & free_lun,unit
5007   title=''
5008   kmax=256 & while h(kmax) eq 12 do kmax=kmax-1
5009   if kmax-1 lt 78 then for k=10,kmax do title=title+string(h(k)) else $
5010     begin
5011       for k=10,25 do title=title+string(h(k))
5012       for k=kmax-50,kmax do title=title+string(h(k))
5013     end
5014   print,name,'|'+title
5015   if praw eq 'y' then printf,2,name,'|'+title
5016   nc2=nc2+1 & if nc2 ge strlen(pool) then begin & nc1=nc1+1 & end
5017   ss=strmid(pool,nc1,1)+strmid(pool,nc2,1)
5018   if kf lt nfile then name=head+ss+'.ras'
5019 end
5020 goto,finish
5021 ioerr: print,ferr_string
5022 finish: if praw eq 'y' then close,2
5023 if praw eq 'y' then print, 'File temp.titles saved for printing'
5024
5025 return
5026 end
5027
5028 -----
5029
5030 pro get_scale,chw
5031
5032   call by 'cs' contour scale command.
5033   common com2,xdim,ydim,imswch,image,iobject
5034   common com3,ssin,pview,ch2
5035   common com4,data,nspcj,phase,maxdata,mask,nmask,typemask
5036   common com5,plot_lets,center,maxb,nbeam
5037   common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
5038   common com8>window,xwindow,ywindow,chwln2,level
5039   common com13,sub_range
5040
5041   if strmid(ssin,2,1) eq '+' then begin
5042     if chw eq '+' then begin
5043       nx=xwindow*2*separation/xcmplx & ny=ywindow*2*separation/ycmplx & end $
5044     else begin & nx=xwindow & ny=ywindow & end
5045
5046     num=intarr(4)
5047     num(0)=min(center(1:nbeam,2))-nx/2
5048     num(1)=max(center(1:nbeam,3))+nx/2
5049     num(2)=min(center(1:nbeam,4))-ny/2
5050     num(3)=max(center(1:nbeam,5))+ny/2
5051     set_contour,num,' '
5052
5053 return
5054 end
5055
5056 -----
5057
5058 pro doplots,chw,ss,ntime
5059
5060 common com1,filename,dumpname,printname,dataname,title
5061 common com2,xdim,ydim,imswch,image,iobject
5062 common com3,ssin,pview,ch2
5063 common com4,data,nspcj,phase,maxdata,mask,nmask,typemask
5064 common com5,plot_lets,center,maxb,nbeam
5065 common com7,xcmplx,ycmplx,drift,rhole,separation,thickness
5066 common com8>window,xwindow,ywindow,chwln2,level
5067 common com9,current,energy,betagamma,restn,brightness,emitx,emity,emitn,nemit
5068 common com10,xcent,ycent,xcenct,nycent,imin,imax,background
5069 common com11,lpaa,bradius,xave,yave,lbeam,jradius,bj
5070 common com12,nb,type_slice,xslice,yslice,prange,chsavel,chsavel2,chsavel3
5071 common com13,sub_range
5072 common com15,version,comhead,comdata,moments
5073 common com16,xwcent,ywcent,xpix0,ypix0,pixelze
5074 common com17,chwave,have_done,maxtype,ptype,chellipse,chelld,chelaci

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5075 common com20,scales
5076
5077 num=intarr(4)
5078 ssloc=sub_range.sloc & scloc-sub_range.scloc
5079 nn=strlen(comdata(1))-10
5080 if nn gt 1 then smhead=' '*strmid(comdata(1),10,nn) else smhead=''
5081 if (ptype(3) eq 1) and (ch2 eq 's') then begin ; set emittance plot scales
5082 read,'Enter emittance scales (xmin,xmax,xmin,xmax) LF cancels ==> ',ss
5083 if strlen(ss) eq 0 then begin & for k=0,3 do num(k)=0 & end $
5084 else decode,ss,num,n
5085 scales(0:3)=num & ch2='s'
5086
5087 if (ptype(5) eq 1) and (ch2 eq 's') then begin ; set brightness plot scales
5088 print,'Brightness scales are Jmin=10^min, Jmax=10^max'
5089 read,'Enter brightness scales (0,rmax,min,max) LF cancels ==> ',ss
5090 if strlen(ss) eq 0 then begin & for k=0,3 do num(k)=0 & end $
5091 else decode,ss,num,n
5092 num(0)=1.0 & scales(4:7)=num & ptype(5)=0 & return
5093 end
5094
5095 cc=0
5096 if ntime eq 0 then begin
5097 if strpos('024',ch2) ge 0 then begin & cc=fix(ch2)
5098 wset,cc & wshow,cc,1
5099 if strlen(ss) eq 3 then ch2=strmid(ss,2,1)
5100 end
5101 end
5102
5103 ; s) SURFACE PLOT
5104 if ptype(0) eq 1 then begin
5105 subsurf=sub_range.subsurf
5106 if ntime eq 0 then begin & ss='' & sn='' & sc=''
5107 read,'Enter sub_surface range '*ssloc:' q'ults ==> ',ss
5108 if ss eq 'q' then return
5109 if strlen(ss) gt 0 then begin
5110 decode,ss,num,n & if n gt 0 then for k=0,n-1 do subsurf(k)=num(k)
5111 ss='' & for k=0,3 do ss=ss+string(subsurf(k))
5112 ssloc=string(subsurf(1)) & end & end
5113 if ntime eq 1 then print,'Patience .... surface printing'
5114 if (subsurf(1)-subsurf(0) gt xdim/2) or $
5115 (subsurf(3)-subsurf(2) gt ydim/2) then begin
5116 get_rebin,c,cx,cy & surface,c & end $
5117 else surface,image(subsurf(0):subsurf(1),subsurf(2):subsurf(3),color=0
5118 xyouts,0.2,0.87,'Grid(x1:x2,y1:y2) '*ssloc:' '*filename,/norm
5119 xyouts,0.2,0.84,smhead,/norm
5120 pview='s'
5121 end
5122
5123 ; c) CONTOUR PLOT
5124 if ptype(1) eq 1 then begin
5125 if ntime eq 0 and ch2 ne 's' then begin & ss='' & sn='' & sc=''
5126 read,'Enter sub_contour range '*scloc:' d'efault, q'ults ==> ',ss
5127 if ss eq 'q' then return
5128 if ss eq 'd' then set_contour,num,'d' else $
5129 if strlen(ss) gt 0 then begin
5130 decode,ss,num,n
5131 set_contour,num,' ' & end
5132 end
5133
5134 scloc=sub_range.scloc
5135 step=fix(0.05*(imax-background)) & levels=fix(background)/step*indgen(20)
5136 if ntime eq 1 then print,'Patience .... contour printing'
5137 ss=Grid(x1:x2,y1:y2) '*scloc:'
5138 ' Levels='*string(levels(0),format='(13)')+'...'+$
5139 string(levels(19),format='(13)')+' in steps of '$
5140 string(step,format='(13)')
5141 subcont=sub_range.subcont
5142 x1=subcont(0) & x2=subcont(1) & y1=subcont(2) & y2=subcont(3)
5143 cx=cxpix*indgen(x2-x1+1) & cy=cypix*indgen(y2-y1+1)
5144 contour,image(subcont(0):subcont(1),subcont(2):subcont(3),cx,cy,$
5145 xmargin=[8,8],ymargin=[4,4],levels=levels,xstyle=1,ystyle=1,color=0,$
5146 subtitle=ss,xtitle='x(cm)',ytitle='y(cm)'
5147 axis,xaxis=1,xrange=[x1,x2],xstyle=1,xtitle='x(pixels)',ticklen=-0.02
5148 axis,yaxis=1,yrange=[y1,y2],ystyle=1,ytitle='y(pixels)',ticklen=-0.02
5149 xyouts,0.02,0.98,filename=smhead,color=0,/norm

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5148 pview='c'
5149 end
5150
5151 ; p) PROFILE PLOT
5152 if ptype(2) eq 1 then begin
5153 if ntime eq 1 then print,'Patience .... profile printing'
5154 do_profiles,ntime & pview='p'
5155 end
5156
5157 ; a) PHASE SPACE
5158 if ptype(3) eq 1 then begin
5159 if (ntime eq 0) and (ch2 eq 's') then ptype(11)=1
5160 if (ntime eq 1) then print,'Patience .... phase plot printing'
5161 get_emittance,n'
5162 if ptype(11) eq 1 then begin
5163 plot_6d_space,ntime
5164 if ntime eq 1 then plot_phase_space,ntime
5165 end else begin & ch2=' ' & plot_phase_space,ntime & end
5166 pview='a'
5167 end
5168
5169 ; b) BEAMLET PLOT
5170 if ptype(4) eq 1 then begin
5171 if ntime eq 1 then print,'Patience .... beamlet printing'
5172 plot_beamlet,ntime & pview='b'
5173 end
5174
5175 ; j) BRIGHTNESS PLOT
5176 if ptype(5) eq 1 then begin
5177 if ntime eq 1 then print,'Patience .... brightness printing'
5178 get_emittance,n'
5179 plot_brightness,ntime & pview='B'
5180 end
5181
5182 ; v) SUMMARY PLOT
5183 if ptype(6) eq 1 then begin
5184 if ntime eq 1 then print,'Patience .... summary printing'
5185 summary,ntime & pview='s'
5186 end
5187
5188 ; a) ANALYZE
5189 if ptype(7) eq 1 then begin & pview='a'
5190 if ntime eq 1 then print,'Patience .... analyze printing'
5191 analyze,ntime
5192 end
5193
5194 ; i) mask and centers
5195 if ptype(8) eq 1 then begin
5196 if ntime eq 1 then print,'Patience .... mask printing'
5197 plot_mask,ss & pview='m'
5198 end
5199
5200 ; w) window
5201 if ptype(9) eq 1 then begin
5202 if ntime eq 1 then print,'Patience .... window printing'
5203 plot_window,chw,ntime & pview='w'
5204 end
5205
5206 ; t) TV
5207 if ptype(10) eq 1 then begin
5208 if ntime eq 1 then print,'Patience .... TV printing'
5209 plot_tv_frame,ntime & pview='t'
5210 end
5211
5212 ; e) emittance vs level
5213 if ptype(12) eq 1 then begin
5214 if ntime eq 1 then print,'Patience .... Plotting emittance vs Levels'
5215 do_levels,ntime
5216 end
5217
5218 ; lw) mask and beam centers
5219 if ptype(13) eq 1 then begin
5220 if ntime eq 1 then print,'Patience .... mask printing'
5221 ch2='w' & plot_mask,'w' & pview='m'
5222 end
5223
5224 ; ew) ellipse transformed to waist
5225 if ptype(14) eq 1 then begin
5226 if ntime eq 1 then print,'Patience .... Plotting ellipse at waist'
5227 ch2='w' & plot_phase_space,ntime
5228 end
5229
5300 ; ell) ellipse transformed to tv image
5301 if ptype(15) eq 1 then begin
5302 if ntime eq 1 then print,'Patience .... Plotting ellipse at tv image'

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5221      ch2='l' & plot_phase_space,ntime
5222    end
5223    ; edellipse transformed to distance d
5224    if ptype(16) eq 1 then begin
5225      if ntime eq 1 then print,'Patience .... Plotting ellipse at distance d.'
5226      ch2='d' & plot_phase_space,ntime
5227    end
5228    ; vrSummary vs radius
5229    if ptype(17) eq 1 then begin
5230      if ntime eq 1 then print,'Patience .... Summary vs radius printing'
5231      ch2='r' & summary,ntime & pview='s'
5232    end
5233    ; M)Movie
5234    if ptype(18) eq 1 then begin
5235      if ntime eq 1 then print,'Patience .... Running the "Movie" to printer'
5236      movie,ntime
5237    end
5238    ;
5239    if ptype(19) eq 1 then begin
5240      if ntime eq 1 then print,'Patience .... Printing halo of beam'
5241      get_halo,ntime
5242    end
5243    ;
5244    if ptype(20) eq 1 then begin
5245      if ntime eq 1 then print,'Patience .... Printing all beamlets'
5246      plot_all_beam,ntime
5247    end
5248    ;
5249    if ptype(21) eq 1 then begin
5250      if ntime eq 1 then print,'Patience .... Printing Round Mask -- holes in use'
5251      gen_round,'s'
5252    end
5253    ;
5254    if ptype(22) eq 1 then begin
5255      if ntime eq 1 then print,'Patience .... Printing emittance vs mask rotation'
5256      vary_mask,ntime
5257    end
5258    ;
5259    if ptype(23) eq 1 then begin
5260      if ntime eq 1 then $
5261        print,'Patience .... Printing Rectangular Mask holes in use'
5262        ch2='s' & gen_rectangular,ch2
5263    end
5264    ;
5265    if ptype(24) eq 1 then begin
5266      end
5267    ;
5268    ; always make last plot bogus -- IDL doesnt end with show page
5269    if ntime eq 1 then begin
5270      print,'Patience .... ending plot file'
5271      ch2=' ' & plot_mask,'_'
5272    end
5273    ;
5274    if cc gt 0 then wset,0
5275    return
5276  end
5277  ;
5278  ; -----
5279  ;
5280  pro pvj
5281  ;
5282  common com1,filename,dumpname,printname,dataname,title
5283  common com2,xdim,ydim,imwch,image,lobject
5284  common com3,ssin,pview,ch2
5285  common com4,data,nspcj,phase,maxdata,mask,nmask,typemask
5286  common com5,plot_lets,center,maxb,nbeam
5287  common com7,xcmplx,ycmplx,drift,thole,separation,thickness
5288  common com8>window,xwindow,ywindow,chw2,level
5289  common com9,current,energy,betagamma,restn,brightness,emitx,emity,emitn,neat
5290  common com10,xcent,ycent,nxcent,nycent,imin,imax,background
5291  common com11,ipass,bradius,xave,yave,lbeamn,jradius,bj

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5292  common com12,nh,type_slice,xslice,yslice,prange,chsava1,chsava2,chsava3
5293  common com13,sub_range
5294  common com14,s11,s12,s22,s33,s34,s44,xcm,ycm,xpcn,ypcn,r12,r14,lx,ly,ld,ldx,ldy
5295  common com15,version,comhead,comdata,moments
5296  common com16,xwcent,ywcent,xpix0,ypix0,pixsize
5297  common com17,chsav,have_done,maxptype,ptype,chellipse,chel6d,chelac1
5298  common com18,kmovie,nsllice,slices
5299  common com19,smoothing
5300  common com20,scales
5301  common com21,nmax,masklist
5302  common com22,flag,numpix
5303  ;
5304  sub_range=(subrange,saloc:'',acloc:'',subsurf:intarr(4),subcont:intarr(4))
5305  ;
5306  ss=''
5307  title=' '
5308  ip,color=0 & ip.background=16777215 ; 256**3-1
5309  comhead=strarr(20)
5310  scales=fltarr(8)
5311  slices=strarr(21)
5312  nmask=0
5313  flag=0
5314  ;
5315  default_data
5316  nbeam=1 & xdim=384 & ydim=576 & image=bytarr(xdim,ydim)
5317  ; nbeam=1 & xdim=512 & ydim=480 & image=bytarr(xdim,ydim)
5318  chsava=' ' & chwa='M' & cc=' ' & chs='k' & ch2=' ' & cerror='4'
5319  window,0,title='IMAGE ANALYSIS - HIF GBI (WINDOW 0)',xsize=590,ysize=590
5320  greetings,cerror
5321  window,2,title='TV IMAGE (WINDOW 2)',$
5322  xsize=xdim,ysize=ydim,xpos=60,ypos=520
5323  wshow,2,0 ; hid this window for future use
5324  window,4,title='PEPPERPOT (WINDOW 4)',$
5325  xsize=xdim,ysize=ydim,xpos=60,ypos=100
5326  wshow,4,0 ; hid this window for future use
5327  ;
5328  lerr=0 & xslice=20 & yslice=20 & type_slice='y' & maxb=0
5329  imwch=' ' & nemit=0 & ntime=0
5330  prange=intarr(50) & prange(4)=4
5331  maxptype=25 & ptype=bytarr(maxptype+1)
5332  nxcent=0 & nycent=0 & ytilt=0.9
5333  ; 0 1 2 3 4 5 6 7 8
5334  data[,'] = pixel,xmin,xmax,xave,ymin,ymax,yave,sum,backg
5335  ;
5336  data=fltarr(maxdata,9)
5337  ; ---- xcent,ycent,xmin,xmax,ymin,ymax for object
5338  center=intarr(maxdata,6)
5339  ; ---- xcm,ycm,radius
5340  mask=fltarr(maxdata,1)
5341  plot_lets=intarr(maxdata,2)
5342  emitn=fltarr(maxdata,3)
5343  bradius=fltarr(maxdata)
5344  xcent=intarr(maxdata) & ycent=xcent
5345  nmax=150 & masklist=fltarr(2*nmax+1,3) ; masklist(0,0)=nx, masklist(0,1)=ny
5346  moments=fltarr(10)
5347  ;
5348  newfile:
5349  chel6d=' '
5350  pview=' '
5351  xwcent=0 & ywcent=0
5352  kmovie=intarr(5) ; kmin,kmax,kstep,kamooth,junk
5353  if comdata(15) ne 'gbl/' then begin
5354    read,'Save restore file, rlegenerate from RAS file' <y,n,r> ==> ',$$
5355    if ss eq 'y' then begin
5356      if dataname ne 'temp.dat' then $
5357        print,'This data was "restored" from file '+dataname
5358        read,'Enter "dump" filename, IF uses "temp.dat" ==> ',$$
5359        if strlen(ss) gt 0 then dataname=ss else dataname='temp.dat'
5360        dumpfile,dataname,'s'
5361      end else if ss eq 'r' then begin
5362        cc=' ' & get_centers,cc & goto,next
5363        cc=' ' & get_centers,cc & goto,next
5364      end

```

```

5365 ana= '
5366 time=0.0
5367 read,'Do you wish to write emittance and moment results to file?(y,n) ' ,ans
5368 if ans eq 'y' then begin
5369   read,'enter time (e.g. 100)',time
5370   spotrad=fltrarr(200)
5371   beamave=0
5372   for k=1,nbeam do begin
5373     beamave=beamave+data(k,7)/nbeam
5374   end
5375   xemitav=0 & yemitav=0
5376   for k=1,nbeam do begin
5377     xemitav=xemitav+emittn(k,0)
5378     yemitav=yemitav+emittn(k,1)
5379     spotrad(k)=sqrt(mask(k,0)*2+mask(k,1)*2)
5380   end
5381   xemitav=1e6*xemitav/nbeam
5382   yemitav=1e6*yemitav/nbeam
5383   print, ' '
5384   openw,5,'emittall.dat',/append
5385   openw,8,'moment.dat',/append
5386   print,'Writing to emittance summary files 'emittall.dat'and 'emitspot.dat'.
5387
5388   emittx=1e6*betagamma*emittx & emity=1e6*betagamma*emity
5389   printf,5,filename,time,emittx,emity
5390   print,8,filename,time,emittx,emity to emittall.dat'
5391   printf,8,filename,time,moments(')', to moment.dat'
5392   close,5 & close,8
5393   endif else begin
5394     print, ' '
5395     print,'No emittance data written' & $
5396   endwhile
5397 end
5398
5399 readdata,cerror
5400 if cerror eq 'r' then goto,next ; return to main program
5401 if cerror eq 'R' then begin ; restore from 'save' file
5402   read,'Enter 'saved' filename, LF uses temp.dat, q'uits ==> ',ss
5403   if ss eq 'q' then goto,printit
5404   if strlen(ss) gt 0 then $
5405     dumpfile,ss,'r' else dumpfile,'temp.dat','r'
5406   set_surface
5407   set_contour,prange(46:49),'d'
5408   have_done='f' & chw='W'
5409   for k=0,maxptype do ptype(k)=0
5410   wset,0 & end
5411   if cerror eq 'q' then goto,printit
5412   loerror=' '
5413
5414   rasfile:
5415   readfile,loerror,cerror
5416   if loerror eq 't' then goto,newfile
5417
5418   prange(0)=1 & prange(1)=xdim & prange(2)=1 & prange(3)=ydim
5419   set_contour,prange(46:49),'d'
5420   have_done='f'
5421   if (ccerror eq 'R') or (loerror eq 'R') then begin
5422     flt_gauss &
5423     get_beamlets,0
5424     print,'gaussed it! '
5425     get_emittance,' '
5426     goto,next
5427   end
5428
5429 gen_again:
5430 if ch ne 't' then print,'Hold on, generating image from file ',filename
5431 if (ccerror ne 't') and (nxcnt gt 0) and (nycent gt 0) then begin
5432   flt_gauss
5433   get_beamlets,0
5434   gen_mask,'A'
5435   get_emittance,' '
5436 end

```

```

5437 wset,2 & wshow,2.1
5438 tv,image & xyouts,0.2,0.90,filename,/norm
5439 xyouts,0.2,-0.07,filename,/norm & xyouts,0.2,-0.10,title,/norm
5440 wset,0
5441 tvaci,lobject
5442
5443 plotit:
5444 if (nbeam eq 0) then print,'RAW MODE'
5445 print,'RAW MODE'
5446
5447 next:
5448 if ntime eq 0 then begin
5449   for k=0,maxptype do if ptype(k) eq 1 then ptype(k)=1
5450   read,'Enter: H]elp (A,B,C,D,E,H,I,J,L,M,N,O,P,Q,R,S,T,V,W,X,Y,Z,')--> ',ss
5451   if ch eq 'h' or ch eq 'H' then wshow,0.1 ; help command hid window
5452   ssin=ss
5453   ch=strmid(ss,0,1)
5454   ss=strlowcase(ss)
5455   if strlen(ss) gt 1 then ch2=strmid(ss,1,1) else ch2=' '
5456   if ch eq 'O' then begin & ch='o' & have_done='f' & end
5457
5458   if ch ge '0' and ch le '9' then begin & ch2='n' & ptype(4)=1 & end else $
5459   if ch eq 'A' then autoview else $
5460   if ch eq 'B' then fix_image,'b' else $
5461   if ch eq 'E' then fix_image,'E' else $
5462   if ch eq 'H' then begin & wshow,0.0 & readme & goto,next & end else $
5463   if ch eq 'M' then ptype(18)=1 else $
5464   if ch eq 'P' then set_path_name else $
5465   if ch eq 'R' then dumpfile,'r' else $
5466   if ch eq 'S' then begin
5467     if (ch2 eq 'a') then adjust_centers else begin
5468       cc=' ' & smooth_data,cc
5469       if (cc eq 'C') then get_centers,cerror
5470       if (ccerror eq 'r') then goto,next
5471       if (cc eq 'y') or (cc eq 'C') then goto,gen_again
5472     end
5473   end else $
5474   if ch eq 'T' then read_titles else $
5475   if ch eq 'W' then toggle_windows,ss else $
5476   if ch eq 'a' then ptype(7)=1 else $
5477   if ch eq 'b' then begin
5478     if ch2 eq 'a' then ptype(20)=1 else ptype(4)=1
5479   end else $
5480   if ch eq 'c' then begin
5481     if (ch2 eq 'a') then get_scale,strmid(ss,2,1)
5482     ptype(1)=1
5483   end else $
5484   if ch eq 'd' then begin & data_input,cc
5485     if cc eq 'y' then goto,gen_again
5486     if cc eq 'j' then get_emittance,cc
5487   end else $
5488   if ch eq 'e' then begin
5489     if strpos('024',ch2) ge 0 then $
5490       chc=strmid(ss,2,1) else chc=ch2
5491     if chc eq 'l' then ptype(12)=1 else $
5492     if chc eq 'w' then ptype(14)=1 else $
5493     if chc eq 'i' then ptype(15)=1 else $
5494     if chc eq 'd' then begin
5495       print,'Enter distance (meters) '
5496       ld=get_word(ssin,2)
5497       ptype(16)=1 & end else $
5498     end else $
5499     ptype(3)=1
5500   end else $
5501   if ch eq 'f' then fix_data else $
5502   if ch eq 'g' then ptype(19)=1 else $ ; get beam halo
5503   if ch eq 'b' then begin & wshow,0.0 & helpme & goto,next & end else $
5504   if ch eq 'i' then begin
5505     if ch2 eq 'k' then rotate_mask,ch2 else $
5506     if ch2 eq 'r' then begin
5507       ptype(21)=1 & gen_mask,ch2
5508       if ch2 eq 'q' then goto,next
5509     end else $

```

```

5510 if ch2 eq 'v' then ptype(22)=1 else $
5511 if ch2 eq 'w' then ptype(13)=1 else $
5512 if ch2 eq 'g' then begin
5513   if strmid(ssin,2,1) eq 'a' then ptype(23)=1
5514   gen_mask,ch2
5515   end else ptype(8)=1
5516 end else $
5517 if ch eq 'j' then ptype(5)=1 else $
5518 if ch eq 'l' then begin & listdata,ch2 & goto,next & end else $
5519 if ch eq 'm' then move_cursor else $
5520 if ch eq 'n' then goto,newfile else $
5521 if ch eq 'o' then begin & output,have_done,ch & goto,next & end else $
5522 if ch eq 'p' then ptype(2)=1 else $
5523 if ch eq 's' then ptype(0)=1 else $
5524 if ch eq 't' then ptype(10)=1 else $
5525 if ch eq 'u' then begin
5526   read,'Abort on what beamlet 1..nbeam ',labort
5527   if labort gt 0 and labort le nbeam then $
5528     get_beamlet,labort
5529   end else $
5530   if ch eq 'v' then begin
5531     if ch2 eq 'x' then ptype(17)=1 else ptype(6)=1
5532     end else $
5533     if ch eq 'w' then ptype(9)=1 else $
5534     if ch eq 'x' then begin & get_beamlets,0 & get_emittance,'x' & end else $
5535     if ch eq 'y' then begin & dump_image,image & goto,next & end else $
5536     if ch eq 'z' then begin & zero_image,image,ch
5537       if ch eq 'y' then goto,gen_again else goto,next
5538       end else $
5539       if (ch eq '') or (ch eq 'q') then begin
5540         if ch2 eq 'l' then begin & show_list & goto,next & end
5541         if ch2 ne '' then goto,printit
5542         for k=1,maxb do plot_lets(k,0)=0 & maxb=0
5543         for k=0,maxtype do ptype(k)=0
5544       end else goto,next
5545     end
5546   ; according to non zero values of ptype() doplots does the plotting
5547   doplots,chw,ss,ntime
5548   if ntime eq 0 then goto,next
5549 ; -----
5550 printit:
5551 if ntime eq 0 then begin
5552   if ch eq '' then goto,nowprint
5553   cc="" & read,'Hard copy <y,n,r>return,s>save,bypass> ',cc
5554   if cc eq 'b' then goto,bypass
5555   if cc eq 's' then begin
5556     print,'This data was 'restored' from file '&dataname
5557     read,'Enter 'save' filename, LF uses 'temp.dat' ==> ',ss
5558     if strlen(ss) gt 0 then dumpfile,ss,'s' else dumpfile,'temp.dat', 's
5559   end
5560   goto,bypass
5561 end
5562 if cc eq 'r' then goto,plotit
5563 if cc ne 'y' then goto,myexit
5564 nowprint: ytit=0.15
5565 pname=""
5566 read,'Output filename?',pname
5567 for k=0,maxtype do if ptype(k) ne 0 then ptype(k)=1 & pname="image.ps"
5568 ntime=1 & set_plot,'ps' & device,/encapsul,filename=pname & goto,plotit
5569 ;
5570 ntime=1 & set_plot,'ps' & device,filename=pname & goto,plotit
5571 end else begin
5572   device,/close
5573   spawn,'lpr 'pname & set_plot,'x'
5574   ip,color=0 & ip,background=16777215 & end
5575   if ch eq '' then begin & for k=1,maxb do plot_lets(k,0)=0 & maxb=0
5576   if ch eq '' then begin & for k=1,1 do plot_lets(k,0)=0 & maxb=0
5577   ytit=0.9 & ntime=0 & for k=0,maxtype do ptype(k)=0 & goto,next & end
5578 ;
5579 myexit:
5580 print,'Hold on. writing 'dump' files'

```

```

5581 ch='E' & output,have_done,ch
5582 print,'File : 'printname','&dumpname' written'
5583 bypass:
5584 ans=""
5585 time=0.0
5586 read,'Do you wish to write emittance and moment results to file?(y,n) ',ans
5587 if ans eq 'y' then begin
5588   read,'enter time (e.g. 100)',time
5589   spotrad=fltrarr(200)
5590 beamave=0
5591 for k=1,nbeam do begin
5592   beamave=beamave+data(k,7)/nbeam
5593 end
5594 xemitav=0 & yemitav=0
5595 for k=1,nbeam do begin
5596   xemitav=xemitav+emltx(k,0)
5597   yemitav=yemitav+emltx(k,1)
5598   spotrad(k)=sqrt(mask(k,0)^2+mask(k,1)^2)
5599 end
5600 xemitav=1e6*xemitav/nbeam
5601 yemitav=1e6*yemitav/nbeam
5602 print, ' '
5603 openw,5,'emittall.dat',/append
5604 openw,8,'moment.dat',/append
5605 print,'Writing to emittance summary files 'emittall.dat'and 'emitspot.dat'...'
5606 emitx=1e6*betagamma*emitx & emity=1e6*betagamma*emity
5607 printf,5,filename,time,emitx,emity
5608 print,filename,time,emitx,emity,' to emittall.dat!'
5609 print,8,filename,time,moments('), ' to moment.dat!'
5610 printf,8,filename,time,moments(')
5611 close,5 & close,8
5612 endif else begin
5613   print, ' '
5614   print,'No emittance data written' & $
5615   endelse
5616 read,'Do you wish to write beamlet peak data to file?(y,n) ',ans
5617 if ans eq 'y' then begin
5618   openw,9,'peak.dat'
5619   printf,9,nbeam
5620   print,'nbeam=',nbeam
5621   for k=1,nbeam do begin
5622     print,mask(k,0),mask(k,1),data(k,7)
5623     printf,9,mask(k,0),mask(k,1),data(k,7)
5624   end
5625   close,9
5626   endif
5627   print, ' '
5628   print, ' '
5629 end

```

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