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**HARAD: A Computer Code for
Calculating Daughter
Concentrations in Air Following
the Atmospheric Release of
a Parent Radionuclide**

R. E. Moore

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**HARAD: A COMPUTER CODE FOR CALCULATING DAUGHTER CONCENTRATIONS IN AIR
FOLLOWING THE ATMOSPHERIC RELEASE OF A PARENT RADIONUCLIDE**

R. E. Moore

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DEPARTMENT OF ENERGY

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ABSTRACT

The HARAD computer code, written in FORTRAN IV, calculates concentrations of radioactive daughters in air following the atmospheric release of a parent radionuclide under a variety of meteorological conditions. It can be applied most profitably to the assessment of doses to man from the noble gases such as ^{222}Rn , ^{220}Rn , and ^{86}Kr and ^{84}Kr isotopes. These gases can produce significant quantities of short-lived particulate daughters in an airborne plume, which are the major contributors to dose from these chains with gaseous parent radionuclides.

The simultaneous processes of radioactive decay, buildup, and environmental losses through wet and dry deposition on ground surfaces are calculated for a daughter chain in an airborne plume as it is dispersed downwind from a point of release of a parent. The code employs exact solutions of the differential equations describing the above processes over successive discrete segments of downwind distance. Average values for the dry deposition coefficients of the chain members over each of these distance segments were treated as constants in the equations. The methods used for selecting the distance segments and for calculating the appropriate dry deposition coefficients are described. The advantage of HARAD is its short computing time with typical ^{222}Rn calculations requiring only 0.12 s on the IBM 370 3033 computer.

INTRODUCTION

The assessment of the radiation dose to man resulting from the atmospheric release of a radionuclide from a nuclear facility must take into account any significant buildup of radioactive daughters as the airborne plume is dispersed downwind. Calculation of the concentrations of daughters in air as a function of time or downwind distance is complicated by the fact that surface deposition may continuously remove daughters from the air during plume travel. The noble gases ^{220}Rn , ^{222}Rn and Kr and Xe isotopes may serve as examples. These gases do not deposit on ground surfaces, but their radioactive daughters as particulates will deposit through both wet and dry processes. The HARAD code calculates daughter-to-parent activity ratios in an airborne plume as a function of downwind distance for a parent radionuclide released to the atmosphere under a variety of meteorological conditions and release heights. The code can be used as a subroutine in computer codes such as AIRDOS-EPA (Moore et al., 1979) designed to estimate the radiological impact of atmospheric releases of radionuclides.

DESCRIPTION OF IN-PLUME PROCESSES

The release of ^{222}Rn from a nuclear facility or an ore tailings pile may serve as an example case. The nuclear reactions in an airborne plume are

The daughters of ^{222}Rn are produced as individual ions that can attach immediately to dust particles and can therefore be subject to deposition onto ground surfaces through both washout by rainfall (scavenging) and dry processes.

The differential equations describing radioactive decay, buildup, and deposition processes occurring in an airborne plume following release of a parent radionuclide are as follows:

$$\frac{dN_1}{dt} = -\psi_1 N_1 \quad (1)$$

$$\frac{dN_2}{dt} = \lambda_1 B_1 N_1 - \psi_2 N_2 \quad (2)$$

$$\frac{dN_3}{dt} = \lambda_2 B_2 N_2 - \psi_3 N_3 \quad (3)$$

$$\frac{dN_4}{dt} = \lambda_3 B_3 N_3 - \psi_4 N_4 \quad (4)$$

$$\frac{dN_n}{dt} = \lambda_{n-1} B_{n-1} N_{n-1} - \psi_n N_n \quad (5)$$

in which the subscript 1 refers to the parent radionuclide and subscripts 2, 3, and 4 refer to daughter radionuclides. Symbols are defined as follows:

N = number of atoms existing within a small unspecified time increment of the airborne plume,

B = branching fraction for production of daughter,

λ = radiological decay constant (s^{-1}),

ϕ = scavenging (or washout) coefficient (s^{-1}),

δ = dry deposition coefficient (s^{-1}), and

$\psi = \lambda + \phi + \delta$ (s^{-1}).

SOLUTION OF THE EQUATIONS

The simultaneous differential equations (1) through (4) are solvable only if the ψ values are constant over time. Since $\psi = \lambda + \phi + \delta$, λ , ϕ , and δ would have to be constant to satisfy this condition. The λ values are always constant, and the scavenging coefficient ϕ may be regarded as a constant for annual-average meteorological conditions, but the dry deposition coefficient δ is a complex time function. To overcome this difficulty, average values of δ are calculated for each radionuclide over each of a series of time intervals selected so as to minimize the variation of δ . The resulting ψ values are then treated as constants in the successive employment of exact solutions of Eqs. (1) through (4) over these time intervals.

The solution of Eq. (1) for constant ψ_1 is

$$N_1 = N_1^0 e^{-\psi_1 t} \quad (6)$$

in which N_1^0 is the initial number of atoms of the parent radionuclide existing within a small unspecified period of time.

Substitution of the expression for N_1 given by Eq. (6) in Eq. (2) results in a linear first order differential equation solvable for N_2 . Successive substitutions in the series of equations results in the determination of a general solution for the n th radionuclide in a chain:

$$N_n = K_{n,1} e^{-\psi_1 t} + K_{n,2} e^{-\psi_2 t} + \dots + K_{n,n} e^{-\psi_n t} \quad (7)$$

in which

N_n = number of atoms of n th radionuclide,

$K_{n,a} = k_{a,a} k_{a,a+1} \dots k_{a,n}$, where $a = 1$ to $a = n$,

$$k_{a,b} (b > a) = - \frac{\lambda_{b-1} B_{b-1}}{\psi_a - \psi_b},$$

$$k_{a,b} (b = a > 1) = N_a^0 - \sum_{\ell=1}^{\ell=a-1} k_{\ell,\ell} k_{\ell,\ell+1} \dots k_{\ell,a},$$

$$k_{1,1} = N_1^0, \text{ and}$$

N_n^0 = initial number of atoms of n th radionuclide
($t = 0$).

EVALUATION OF δ

The dry deposition coefficient to be used to evaluate ψ values in Eq. (7) is

$$\delta = - \frac{dF/F}{dt} \quad (8)$$

in which F is the depletion fraction for dry deposition processes, which is defined as the fraction of a particulate or reactive gas remaining in an airborne plume at a specified downwind distance from a release point. The depletion fraction is calculated to take into account only those losses of material which occur through dry deposition processes, which take place at the bottom of a plume at the ground surface.

The depletion fraction as derived (Van der Hoven, 1968) from the Gaussian atmospheric dispersion equation for pollutant concentrations in air at ground level (Pasquill, 1961; Gifford, 1961) is

$$F = \exp \left\{ - \frac{2}{\pi}^{1/2} \frac{V_d}{\mu} \int_0^x \frac{\exp(-H^2/2\sigma_z^2)}{\sigma_z} dx \right\} \quad (9)$$

in which

V_d = deposition velocity (m/s),
 μ = wind speed (m/s),
 H = effective release height (m),
 σ_z = vertical dispersion coefficient (m), and
 x = downwind distance (m) .

Differentiation of Eq. (9) with respect to x , substitution in Eq. (8), and conversion to a time function by use of the relationship $t = x/\mu$ results in

$$\delta = \left(\frac{2}{\pi} \right)^{1/2} V_d \frac{\exp(-H^2/2\sigma_z^2)}{\sigma_z} \quad (10)$$

Equation (10), which can be used to calculate δ values over each time interval, is valid only for distances at which the airborne plume is not affected by the atmospheric lid overlying the system. A recommended "rule of thumb" (Turner, 1969) is to consider the plume to be significantly affected by the lid when $x = 2x_L$ in which x_L is the distance downwind for which $\sigma_z = 0.47$ times the lid height L . It is assumed that pollutant concentrations become uniform from the ground to the lid in the vertical direction at x values greater than $2x_L$. An expression for F for that part of the plume beyond $2x_L$ can be derived (Moore, 1977):

$$F(x = 2x_L, x) = \exp \left[- \frac{V_d (x - 2x_L)}{L\mu} \right]. \quad (11)$$

The value of δ for distances beyond $2x_L$ is

$$\delta = - \frac{dF/F}{dt} = \frac{V_d}{L} \quad (12)$$

DETERMINATION OF TIME INTERVALS

The time intervals used for successive application of Eq. (7) were selected by examination of plots of F versus x calculated by use of Eq. (9). Distance segments (Δx), which are related to time intervals by the equation $\Delta t = \Delta x/\mu$, were chosen to minimize variation of δ in accordance with the slopes of the F - x plots. Short distance segments were selected close to the source where dF/dx changes most rapidly for low-elevation releases. Increasingly larger segments were selected for increasingly greater downwind distances. Distance segments between the following downwind distances in meters are used in HARAD: 0; 35; 65; 100; 150; 200; 300; 400; 500; 650; 800; 1000; 1500; 2000; 4000; 7000; 10,000; 25,000; 60,000; and 90,000.

The σ_z values used to calculate F were those recommended by G. A. Briggs (Gifford, 1976) of the Air Resources Atmospheric Turbulence and Diffusion Laboratory at Oak Ridge, Tennessee. Briggs' values, which are for open-country conditions, are given in Table 1 as different functions of x for each Pasquill atmospheric stability category ranging from A (extremely unstable) through F (moderate) / stable). The σ_z values for G category (extremely stable) were calculated to be the σ_z values for the F category minus half of the difference between the σ_z values for the E and F categories.

Table 1. Formulas recommended by Briggs^a for σ_y and σ_z for open-country conditions^b

Pasquill type	σ_y (meters)	σ_z (meters)
A	$0.22x(1 + 0.0001x)^{-0.5}$	$0.20x$
B	$0.16x(1 + 0.0001x)^{-0.5}$	$0.12x$
C	$0.11x(1 + 0.0001x)^{-0.5}$	$0.08x(1 + 0.0002x)^{-0.5}$
D	$0.08x(1 + 0.0001x)^{-0.5}$	$0.06x(1 + 0.0015x)^{-0.5}$
E	$0.06x(1 + 0.0001x)^{-0.5}$	$0.03x(1 + 0.0003x)^{-1}$
F	$0.04x(1 + 0.0001x)^{-0.5}$	$0.016x(1 + 0.0003x)^{-1}$

^aG. A. Briggs, Air Resources Atmospheric Turbulence and Diffusion Laboratory, National Oceanic and Atmospheric Administration, Oak Ridge, Tennessee.

^bValues of x are downwind distances in meters.

COMPUTER IMPLEMENTATION

The HARAD code, written in the FORTRAN IV computer language, is organized as follows:

MAIN program

1. SUBROUTINE DIST

1.1 SUBROUTINE ASIG

1.2 SUBROUTINE CHAR

MAIN reads the input data, calls subroutine DIST to make the calculations, and then prints tables listing the input data and the calculated ratio of the activity of the parent and each daughter radionuclide to the initial activity of the parent. The input data includes the number of radionuclides in the chain (MEND), and the name (NAME), radiological decay constant λ (LR), the scavenging coefficient ϕ (SC), the dry deposition velocity V_d (VD), and the branching fraction (B) of each radionuclide. Activity ratios can be calculated for as many as 10 radionuclides. The maximum value of MEND is 10. Atmospheric and release data are also read in MAIN. These data are the wind speed u (U), the release height h (H), the Pasquill atmospheric stability category (IC), the mean mixing depth (or lid height) L (LID1), and the downwind distance beyond which complete mixing is assumed between ground and lid, $2x_L$ (XLID0). The calculations can be made for as many as 24 downwind distances (XVAL) that are supplied as input. Table 2 defines the input parameters, and Table 3 lists their data card formats.

Subroutine DIST is called from MAIN for each specified downwind distance (XVAL) for which calculations are to be made. This subroutine calculates the dry deposition coefficients (δ values) for the parent and each daughter in the chain for each of the distance intervals listed in the preceding section out to the distance XVAL or out to the distance XLID0, whichever is smaller. For distances less than XLID0, this is accomplished by calling subroutine ASIG to obtain σ_z values and then using Eq. (10) to calculate δ values. The average δ value used

Table 2. Definitions of input parameters

Name	Definition	Data type
MEND	Number of nuclides including the parent in the chain (maximum = 10)	Integer
NAME	Name of nuclide	Alphameric
LR	Radiological decay constant (s^{-1})	Floating point
SC	Scavenging coefficient (s^{-1})	Floating point
VD	Dry deposition velocity (m/s)	Floating point
B	Branching fraction	Floating point
IC	Pasquill stability category (1 through 7 for A through G)	Integer
U	Wind speed (m/s)	Floating point
H	Release height (m)	Floating point
LID1	Lid height (m)	Integer
XLID0	Downwind distance beyond which complete vertical mixing from ground to lid is assumed (m)	Floating point
NX	Number of downwind distances for which chain calculations are to be made (maximum = 24)	Integer
XVAL	Downwind distance for chain calculation (as many as 24 values)	Floating point

Table 3. Data deck preparation for HARAD

Parameters	Number of values	Number of cards	Format
MEND	1	1	I10
NAME, LR, SC, VD, B	1 for each parameter x MEND	MEND	A8, T11, 4E10.3
IC, U, H, LID1, XLID0	1 for each parameter	1	I10, 2E10.3, I10, E10.3
NX	1	1	I10
XVAL	24	3	8E10.3

for each distance segment is the average value of the two ends and the midpoint of the segment. Equation (12) is used to calculate δ for all distances greater than XLID0. The ψ values for each distance segment are calculated by adding λ , ϕ , and δ .

Subroutine CHAR is successively called from DIST to calculate the number of atoms N for the parent and each daughter for each succeeding distance segment by use of Eq. (7). The final values of N calculated at distance x (XVAL) are used to calculate the ratio of the activity of each radionuclide to the initial activity of the parent as follows:

$$r_n = \frac{\lambda_n N_n}{\lambda_1 N_1^0} \quad (13)$$

in which

r_n = activity ratio for the n th radionuclide,

λ_n = radiological decay constant of the n th radionuclide
(s^{-1}),

λ_1 = radiological decay constant of the parent (s^{-1}),

N_n = number of atoms of the n th radionuclide, and

N_1^0 = initial number of atoms of the parent.

Double precision is used for the calculations in subroutine CHAR because evaluation of the constants $K_{n,1}$, $K_{n,2}$ etc. of Eq. (7) should be done as precisely as possible. If the differences in any of the ψ values in the chain are small, imprecision in the calculation of k values and consequent imprecision in the K values in Eq. (7) will ensue. This can be seen by reference to the definition of k ,

$$k_{a,b} \ (b > a) = - \frac{\lambda_{b-1} B_{b-1}}{\psi_a - \psi_b} \quad (14)$$

Also, if the differences between ψ values are small, exponential overflow of K , which is a product of k values, may occur. These problems are avoided by use of a test of the absolute value of $\psi_a - \psi_b$ for applicable a and b integers. For any test in which $|\psi_a - \psi_b|$ is found to be less than 10^{-7} , the increment 10^{-7} is added to ψ_a . This procedure may be viewed as increasing the scavenging coefficient ϕ by 10^{-7} . It has no effect on the λ values which determine the buildup of succeeding chain members. Since scavenging coefficients generally range from about 5×10^{-6} to 3×10^{-5} the addition of 10^{-7} will have a minimal effect on the final calculated activity ratios.

Code calculations were verified by using two different procedures: (1) comparison of calculated activity ratios for the case in which ground deposition does not occur with ratios calculated using exact solutions of the decay chain equations, and (2) comparison of calculated activity ratios with those calculated through use of an inefficient computer technique which simulates decay and ground deposition processes over consecutive one-second time intervals.

Identical activity ratios were obtained for ^{222}Rn and daughters at all distances from 300 to 80,000 m by the two methods used in procedure 1. Procedure 2 revealed differences of less than 0.5% for distances up to 40,000 m. At 80,000 m, however, the HARAD value for ^{222}Rn was higher than the computer simulation value by 0.8%, and the daughter ratios were higher by about 1.5%. Since the HARAD ratio calculated for ^{222}Rn was exactly equal to the value calculated using the exact solution (procedure 1), it appears likely that the lower values for both ^{222}Rn and daughters obtained through computer simulation were a result of the propagation of small errors in this technique.

The calculational procedure used in HARAD avoids the use of computer-time consuming numerical integration or simulation techniques. A typical HARAD calculation of the activity ratios of ^{222}Rn and its first five daughters at 80,000 m downwind, for example, requires only 0.12 s on the IBM 370 3033 computer. The short running time of HARAD makes it advantageous for adaptation for use as a subroutine in computer codes designed to assess the radiological impact of atmospheric releases of nuclear power plants and fuel-cycle facilities.

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APPENDIX A

LISTING OF THE HARAD CODE

C		5
C		10
C	BARAD CODE	15
C		20
C	E. E. MOORE HEALTH AND SAFETY RESEARCH DIV. ORNL 11-7-79	25
C		30
C	A COMPUTER CODE TO CALCULATE DAUGHTER-TO-PARENT ACTIVITY	35
C	RATIOS IN AN AIRBORNE PLUME FOLLOWING ATMOSPHERIC RELEASE OF	40
C	A PARENT RADIONUCLIDE.	45
	COMMON /JCHA/ W(10),LR(10),LT(10),SC(10),B(10)	50
	COMMON /KCHA/ VD(10)	55
	REAL*8 LP,LT	60
	REAL*8 NAME(10)	65
	DIMENSION XVAL(24)	70
	REAL*8 W	75
C	READ INPUT DATA FOR NUCLIDE CHAIN.	80
C	NEND=NUMBER OF NUCLIDES IN CHAIN INCLUDING THE PARENT	85
C	NAME=NAME OF NUCLIDE (8 CHARACTERS)	90
C	LR=RADIOLOGICAL DECAY CONSTANT (PER SEC)	95
C	SC=SCAVENGING COEFFICIENT (PER SEC)	100
C	VD=DRY DEPOSITION VELOCITY (METERS/SEC)	105
C	E=BRANCHING FRACTION	110
	READ(50,100) NEND	115
	READ(50,101) ((NAME(I),LR(I),SC(I),VD(I),B(I)),I=1,NEND)	120
C	READ ATMOSPHERIC PARAMETERS.	125
C	IC=PASQUILL ATMOSPHERIC STABILITY CATEGORY	130
C	1 TO 7 FOR CATEGORIES A TO G)	135
C	U=WIND SPEED (METERS/SEC)	140
C	H=RELEASE HEIGHT (METERS)	145
C	LID1=LID HEIGHT (METERS)	150
C	XLID0=DOWNWIND DISTANCE FOR ASSUMED COMPLETE VERTICAL	155
C	MIXING FROM THE GROUND TO THE LID (METERS)	160
	READ(50,102) IC,U,H,LID1,XLID0	165
C	READ NUMBER OF DOWNWIND DISTANCES FOR CALCULATIONS.	170
	READ(50,100) NX	175
C	READ DOWNWIND DISTANCES.	180
	READ(50,103) (XVAL(I),I=1,24)	185
C	PRINT INPUT DATA.	190
	WRITE(51,104)	195
	WRITE(51,109)	200
	WRITE(51,105)	205
	WRITE(51,106)	210
	WRITE(51,107)	215
	WRITE(51,108)	220
	WRITE(51,109)	225
	DO 1 I=1,NEND	230
	WRITE(51,110) NAME(I),LR(I),SC(I),VD(I),B(I)	235
	CONTINUE	240
	WRITE(51,109)	245
	WRITE(51,111)	250
	WRITE(51,109)	255
	WRITE(51,112) H	260
	WRITE(51,113) IC	265
	WRITE(51,114) U	270
	WRITE(51,115) LID1	275
	WRITE(51,116) XLID0	280

	WRITE(51,117)	285
	WRITE(51,109)	290
C	CALL SUBROUTINE DIST TO CALCULATE ACTIVITY RATIOS.	295
	DO 2 I=1,NI	300
	CALL DIST(XVAL(I),U,IC,H,LID1,XLID0,HEND)	305
C	PRINT OUTPUT TABLES OF ACTIVITY RATIOS.	310
	WRITE(51,118)XVAL(I)	315
	WRITE(51,119)NAME(I)	320
	WRITE(51,109)	325
	WRITE(51,120)	330
	WRITE(51,109)	335
	DO 3 J=1,HEND	340
	WRITE(51,121)NAME(J),W(J)	345
3	CONTINUE	350
2	CONTINUE	355
	STOP	360
100	FORMAT(I10)	365
101	FORMAT(A8,'11,4E10.3)	370
102	FORMAT(I10,2E10.3,I10,E10.3)	375
103	FORMAT(8E10.3)	380
104	FORMAT('1',T57,'OUTPUT OF HARAD CODE')	385
105	FORMAT('0',T58,'NUCLIDE CHAIN DATA')	390
106	FORMAT('0',T31,'NUCLIDE',T42,'DECAY CONSTANT',T60,'SCAVENGING', >T75,'DEPOSITION',T91,'BRANCHING')	395
107	FORMAT(' ',T60,'COEFFICIENT',T76,'VELOCITY',T91,'FRACTION')	400
108	FORMAT(' ',T44,'(PER SEC)',T61,'(PER SEC)',T74,'(METERS/SEC)')	410
109	FORMAT(' ')	415
110	FORMAT('0',T31,A8,T44,E10.3,T60,F10.3,T75,F10.5,T88,F10.3)	420
111	FORMAT('0',T25,'ATMOSPHERIC PARAMETERS---')	425
112	FORMAT('0',T30,'RELEASE HEIGHT (METERS)',T80,F10.2)	430
113	FORMAT('0',T30,'PASQUILL CATEGORY',T80,I10)	435
114	FORMAT('0',T30,'WIND SPEED (METERS/SEC)',T80,F10.2)	440
115	FORMAT('0',T30,'LID HEIGHT (METERS)',T80,I10)	445
116	FORMAT('0',T30,'DOWNWIND DISTANCE FOR BELOW-LID MIXING (METERS)', >T80,F10.1)	450
117	FORMAT('1',T38,'RATIO OF ACTIVITY OF NUCLIDE TO PARENT ACTIVITY O >P PARENT')	455
118	FORMAT('0',T30,'DISTANCE (METERS) =',E10.3)	460
119	FORMAT('0',T30,'PARENT',T38,A8)	465
120	FORMAT('0',T56,'NUCLIDE',T71,'ACTIVITY RATIO')	470
121	FORMAT(' ',T58,A8,T73,F10.4)	475
	END	480
		485
		490

C	SUBROUTINE DIST(X,U,IC,H,ILID1,ILIDO,NEED)	DIST 5
C		DIST 10
C	R. E. MOORE HEALTH AND SAFETY RESEARCH DIV. ORNL 11-7-79	DIST 15
C		DIST 20
C		DIST 25
C	A SUBROUTINE OF HARAD TO CALCULATE DRY DEPOSITION AND TOTAL	DIST 30
C	LOSS COEFFICIENTS FOR EACH DISTANCE INTERVAL OUT TO	DIST 35
C	THE SPECIFIED DOWNWIND DISTANCE.	DIST 40
C		DIST 45
	COMMON /KCHA/ HFLAG	DIST 50
	COMMON /JCHA/ W(10),LR(10),LT(10),SC(10),B(10)	DIST 55
	COMMON /KCHA/ VD(10)	DIST 60
	DIMENSION XIDI(20)	DIST 65
	REAL*8 LR,LT	DIST 70
	REAL*8 B	DIST 75
	DATA XIDI/35.,65.,100.,150.,300.,400.,500.,650.,800.,1000.,	DIST 80
	> 1500.,2000.,4000.,7000.,10000.,25000.,60000.,90000.,200000./	DIST 85
	HFLAG=1	DIST 90
	XT1=ILIDO	DIST 95
	IF(X.LE.ILIDO)XT1=X	DIST 100
	IF(X.GT.XIDI(1))GO TO 1	DIST 105
	IC=X	DIST 110
	GO TO 2	DIST 115
1	IC=XIDI(1)	DIST 120
C	CALCULATION FOR THE FIRST DISTANCE INTERVAL.	DIST 125
2	TC=X/U	DIST 130
	XL=X/2.	DIST 135
C	ASIG IS CALLED TO CALCULATE SIGMA Z TO CALCULATE THE DRY	DIST 140
C	DEPOSITION COEFFICIENT OVER THE DISTANCE INTERVAL.	DIST 145
	CALL ASIG(IC,XL,SIGZ)	DIST 150
	DO 3 IB=1,NEED	DIST 155
3	LT(IB)=LR(IB)+SC(IB)+.797885*VD(IB)*(EXP(-H**2/(2.*SIGZ**2)))/SIGZ)	DIST 160
C	CHAR IS CALLED TO CALCULATE NUMBER OF ATOMS OF EACH NUCLIDE	DIST 165
C	IN THE PLUME AT END OF THE DISTANCE INTERVAL.	DIST 170
	CALL CHAR(NEED,TC)	DIST 175
	IF(X.LE.XIDI(1))GO TO 8	DIST 180
C	CALCULATIONS FOR EACH DISTANCE INTERVAL BEYOND THE FIRST	DIST 185
C	DISTANCE INTERVAL UP TO X OR ILIDO WHICHEVER IS SMALLER.	DIST 190
	KTE=0	DIST 195
	DO 4 I=2,20	DIST 200
	IF(XIDI(I).GT.XT1)GO TO 5	DIST 205
	XC=XIDI(I)-XIDI(I-1)	DIST 210
	TC=XC/U	DIST 215
	XL=XIDI(I)-(XC/2.)	DIST 220
	XLT=XIDI(I)	DIST 225
	XLB=XIDI(I)-XC	DIST 230
	GO TO 6	DIST 235
5	XC=XT1-XIDI(I-1)	DIST 240
	TC=XC/U	DIST 245
	XL=XT1-(XC/2.)	DIST 250
	XLT=XT1	DIST 255
	XLB=XT1-XC	DIST 260
	KTE=I-1	DIST 265
C	ASIG IS CALLED TO CALCULATE SIGMA Z TO CALCULATE THE DRY	DIST 270
C	DEPOSITION COEFFICIENT OVER THE DISTANCE INTERVAL.	DIST 275
6	CALL ASIG(IC,XL,SIGZ)	DIST 280

	CALL ASIG(IC,XLT,SIGZT)	DIST 285
	CALL ASIG(IC,XLB,SIGZB)	DIST 290
	EFAC=(EXP(-H**2/(2.*SIGZ**2)))/SIGZ+EXP(-H**2/(2.*SIGZT**2))/	DIST 295
	>SIGZT+EXP(-H**2/(2.*SIGZB**2))/SIGZB)/3.	DIST 300
	DO 7 IB=1,NEND	DIST 305
7	LT(IB)=IR(IB)+SC(IR)+.797885*VD(IB)*EFAC	DIST 310
C	CHAR IS CALLED TO CALCULATE NUMBER OF ATOMS OF EACH NUCLIDE	DIST 315
C	IN THE PLUME AT END OF THE DISTANCE INTERVAL.	DIST 320
	CALL CHAR(NEND,TC)	DIST 325
	IF(KTB.NE.0)GO TO 8	DIST 330
8	CONTINUE	DIST 335
8	CONTINUE	DIST 340
C	CALCULATION FOR THE DISTANCE BETWEEN XLIDO AND X IF X IS	DIST 345
C	GREATER THAN XLIDO(X=SPECIFIED DOWNWIND DISTANCE OR XVAL).	DIST 350
	IF(X.LE.XLIDO)GO TO 9	DIST 355
	T=(X-XLIDO)/U	DIST 360
	DO 10 IB=1,NEND	DIST 365
10	LT(IB)=IR(IB)+SC(IB)+VD(IB)/LTDI	DIST 370
C	CHAR IS CALLED TO CALCULATE NUMBER OF ATOMS OF EACH NUCLIDE	DIST 375
C	IN THE PLUME AT END OF THE DISTANCE INTERVAL.	DIST 380
	CALL CHAR(NEND,T)	DIST 385
9	CONTINUE	DIST 390
	RETURN	DIST 395
	END	DIST 400

	SUBROUTINE CHAE (HEND, TC)	CHAR 5
C		CHAR 10
C	R. E. MOORE HEALTH AND SAFETY RESEARCH DIV. ORNL 11-7-79	CHAR 15
C		CHAR 20
C	A SUBROUTINE OF DIST TO CALCULATE THE NUMBER OF ATOMS OF EACH	CHAR 25
C	NUCLIDE IN THE CHAIN AND THE DAUGHTER-TO-PARENT ACTIVITY RATIOS	CHAR 30
C	IN THE PLUME AT THE END OF EACH DISTANCE INTERVAL.	CHAR 35
C		CHAR 40
	COMMON /HCHA/ HFLAG	CHAR 45
	COMMON /JCHA/ W(10), IR(10), LT(10), SC(10), B(10)	CHAR 50
	REAL*8 Z(10), K(10,10), KE(10,10), LU(10), W, SUM, A	CHAR 55
	REAL*8 IR, LT	CHAR 60
	IF (HFLAG.EQ.127) GO TO 1	CHAR 65
	Z(1)=1.E30	CHAR 70
	DO 2 I=2, HEND	CHAR 75
2	Z(I)=0.	CHAR 80
	HFLAG=127	CHAR 85
1	CONTINUE	CHAR 90
	HEND=HEND-1	CHAR 95
	K(1,1)=Z(1)	CHAR 100
	NCON=0	CHAR 105
	LU(HEND)=LT(HEND)	CHAR 110
C	THE ADDITION OF 1.E-7 TO THE TOTAL LOSS CONSTANT OF A NUCLIDE	CHAR 115
C	IF THE DIFFERENCE BETWEEN IT AND THE VALUE FOR THE SUCCEEDING	CHAR 120
C	NUCLIDE IS LESS OR EQUAL TO 1.E-7. THIS PROCEDURE IS EQUIV-	CHAR 125
C	ALENT TO ADDING THE SMALL INCREMENT 1.E-7 TO THE SCAVENGING	CHAR 130
C	COEFFICIENT.	CHAR 135
	DO 3 NO=1, HEND	CHAR 140
	LU(NO)=LT(NO)	CHAR 145
	NA=NO+1	CHAR 150
	DO 4 NR=NA, HEND	CHAR 155
	IF (DABS (LT(NO)-LT(NR)).GT.1.E-7) GO TO 5	CHAR 160
	NCON=NCON+1	CHAR 165
	A=1.E-7*NCON	CHAR 170
	LU(NO)=LT(NO)+A	CHAR 175
5	CONTINUE	CHAR 180
4	CONTINUE	CHAR 185
3	CONTINUE	CHAR 190
C	CALCULATION OF SMALL K VALUES.	CHAR 195
	DO 6 NO=1, HEND	CHAR 200
	NA=NO+1	CHAR 205
	DO 7 NR=NA, HEND	CHAR 210
7	K(NO, NR)=- (IR (NP-1) * B (NR-1)) / (LU(NO) - LU(NR))	CHAR 215
6	CONTINUE	CHAR 220
C	CALCULATION OF LARGE K VALUES.	CHAR 225
	KE(1,1)=K(1,1)	CHAR 230
	DO 8 NN=2, HEND	CHAR 235
	NE=NN-1	CHAR 240
	SUM=0.	CHAR 245
	DO 9 NT=1, NE	CHAR 250
	KE(NT, NN)=1.	CHAR 255
	WS=NT	CHAR 260
	DO 10 NP=NS, NN	CHAR 265
10	KE(NT, NN)=K(NT, NP)*KE(NT, NN)	CHAR 270
	SUM=SUM+KE(NT, NN)	CHAR 275
9	CONTINUE	CHAR 280

C	CALCULATION OF LARGE K VALUE FOR THE LAST TERM OF EQUATION.	CHAR 285
	K(NN,NN)=Z(NN)-SUM	CHAR 290
	KE(NN,NN)=K(NN,NN)	CHAR 295
8	CONTINUE	CHAR 300
C	CALCULATION OF NUMBERS OF ATOMS OF EACH NUCLIDE IN CHAIN.	CHAR 305
	DO 11 NN=1, NEND	CHAR 310
	NN=NN	CHAR 315
	W(NN)=0.	CHAR 320
	DO 12 NT=1, NEN	CHAR 325
	IF((LO(NT)*TC).GT.100.) GO TO 12	CHAR 330
	W(NN)=KE(NT,NN)*DEXP(-LO(NT)*TC)+W(NN)	CHAR 335
12	CONTINUE	CHAR 340
11	CONTINUE	CHAR 345
C	CALCULATION OF ACTIVITY RATIOS.	CHAR 350
	Z(1)=W(1)	CHAR 355
	W(1)=W(1)/1.E30	CHAR 360
	DO 13 NN=2, NEND	CHAR 365
13	W(NN)=(W(NN)*LR(NN))/(1.E30*LR(1))	CHAR 370
C	CALCULATION OF NUMBER OF ATOMS.	CHAR 375
	DO 14 NN=2, NEND	CHAR 380
14	Z(NN)=(W(NN)*LR(1)*1.E30)/LR(NN)	CHAR 385
	RETURN	CHAR 390
	END	CHAR 395

	SUBROUTINE ASIG(IC,XL,SIGZ)	ASIG 5
C		ASIG 10
C	R. E. MOORE HEALTH AND SAFETY RESEARCH DIV. ORNL 11-7-79	ASIG 15
C		ASIG 20
C	A SUBROUTINE OF DIST TO CALCULATE SIGMA Z VALUES BASED ON	ASIG 25
C	BRIGGS' ATDL RECOMMENDATIONS FOR OPEN-COUNTRY CONDITIONS.	ASIG 30
C		ASIG 35
	GC TO (1,2,3,4,5,6,7),IC	ASIG 40
1	SIGZ=.2*XL	ASIG 45
	GO TO 8	ASIG 50
2	SIGZ=.12*XL	ASIG 55
	GO TO 8	ASIG 60
3	SIGZ=.08*XL/SQRT(1+.0002*XL)	ASIG 65
	GO TO 8	ASIG 70
4	SIGZ=.06*XL/SQRT(1+.0015*XL)	ASIG 75
	GO TO 8	ASIG 80
5	SIGZ=.03*XL/(1+.0003*XL)	ASIG 85
	GO TO 8	ASIG 90
6	SIGZ=.016*XL/(1+.0003*XL)	ASIG 95
	GO TO 8	ASIG 100
7	SIGZ=(.016*XL/(1+.0003*XL))-(((.03*XL/(1+.0003*XL))-	ASIG 105
	>(.016*XL/(1+.0003*XL)))/2.)	ASIG 110
8	CONTINUE	ASIG 115
	RETURN	ASIG 120
	END	ASIG 125

APPENDIX B

OUTPUT OF AN EXAMPLE CASE RUN WITH THE HARAD CODE

APPENDIX B

OUTPUT OF AN EXAMPLE CASE RUN WITH THE HARAD CODE

The example case consists of the release of ^{222}Rn gas from a point source with a 1-m elevation. The wind speed is 1 m/s, and Pasquill's atmospheric stability category B (unstable) is assumed. The mean mixing depth (lid height) is 2000 m, and complete mixing between ground and lid is assumed to occur beyond a distance of 15,667 m. The following daughters of ^{222}Rn were assumed to build up in the airborne plume: ^{218}Po , ^{214}Pb , ^{214}Bi , ^{214}Po , and ^{210}Pb .

OUTPUT OF HAREAD CODE

NUCLIDE CHAIN DATA

NUCLIDE	DECAY CONSTANT (PER SEC)	SCAVENGING COEFFICIENT (PER SEC)	DEPOSITION VELOCITY (METERS/SEC)	BRANCHING FRACTION
RN-222	0.210D-05	0.0	0.0	1.000
PO-218	0.379D-02	0.200E-04	0.01000	1.000
PB-214	0.431D-03	0.200E-04	0.01000	1.000
BI-214	0.586D-03	0.200E-04	0.01000	1.000
PO-214	0.423D-04	0.200E-04	0.01000	1.000
PB-210	0.108D-08	0.200E-04	0.01000	1.000

ATMOSPHERIC PARAMETERS---

RELEASE HEIGHT(METERS)	1.00
PASQUILL CATEGORY	2
WIND SPEED(METERS/SEC)	1.00
LID HEIGHT(METERS)	2000
DOWNWIND DISTANCE FOR BELOW-LID MIXING(METERS)	15667.0

RATIO OF ACTIVITY OF NUCLIDE TO INITIAL ACTIVITY OF PARENT

DISTANCE (METERS) = 0.300E 03

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9994D 00
PO-218	0.6436D 00
PB-214	0.4516D-01
BI-214	0.2716D-02
PO-214	0.2716D-02
PB-210	0.2305D-09

DISTANCE (METERS) = 0.500E 03

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9990D 00
PO-218	0.8129D 00
PB-214	0.9995D-01
BI-214	0.1021D-01
PO-214	0.1021D-01
PB-210	0.1500D-08

DISTANCE (METERS) = 0.100E 04

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9979D 00
PO-218	0.9489D 00
PB-214	0.2469D 00
BI-214	0.5143D-01
PO-214	0.5143D-01
PB-210	0.1640D-07

DISTANCE (METERS) = 0.200E 04

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9958D 00
PO-218	0.9800D 00
PB-214	0.4811D 00
BI-214	0.1927D 00
PO-214	0.1927D 00
PB-210	0.1395D-06

DISTANCE (METERS) = 0.400E 04

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9916D 00
PO-218	0.9808D 00
PB-214	0.7325D 00
BI-214	0.4888D 00
PO-214	0.4888D 00
PB-210	0.8496D-06

DISTANCE (METERS) = 0.800E 04

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9834D 00
PO-218	0.9764D 00
PB-214	0.8845D 00
BI-214	0.7853D 00
PO-214	0.7853D 00
PB-210	0.3466D-05

DISTANCE (METERS) = 0.120E 05

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9751D 00
PO-218	0.9690D 00
PB-214	0.9104D 00
BI-214	0.8597D 00
PO-214	0.8597D 00
PB-210	0.6517D-05

DISTANCE (METERS) = 0.200E 05

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9589D 00
PO-218	0.9531D 00
PB-214	0.9047D 00
BI-214	0.8700D 00
PO-214	0.8700D 00
PB-210	0.1213D-04

DISTANCE (METERS) = 0.400E 05

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.9195D 00
PG-218	0.9140D 00
PB-214	0.8679D 00
BI-214	0.8352D 00
PO-214	0.8352D 00
PB-210	0.2179D-04

DISTANCE (METERS) = 0.800E 05

PARENT RN-222

NUCLIDE	ACTIVITY RATIO
RN-222	0.8455D 00
PG-218	0.8404D 00
PB-214	0.7980D 00
BI-214	0.7680D 00
PO-214	0.7680D 00
PB-210	0.2968D-04